

# UBP Dictionary: Constants and Geometries Mapping

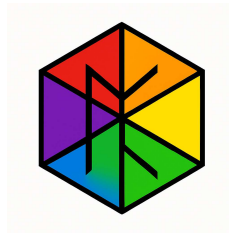
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29 September 2025

## Abstract

This two-part paper is a computational investigation into geometric operators, **Following on from the paper 'Multi-Realm Electromagnetic Spectrum Mapping with Adaptive Harmonic Analysis and Fold Theory Integration'**[1], this study is focused on the mathematical pattern generated by successive multiplications of 7 with repeating 7s (e.g.,  $7 \times 7$ ,  $7 \times 77$ ,  $7 \times 777$ , etc.). Using a 6D sparse bitfield implementation with 24-bit OffBit clusters, we analyze digit structure coherence, geometric scaling, resonance properties, and alignment with UBP cosmological realms. Our results reveal a highly coherent digit pattern (91.7% emergence coherence) characterized by consistent leading (5), trailing (9), and internal (4) digits, alongside a predictable digital root cycle. While initial attempts to derive the fine-structure constant ( $\alpha$ ) yielded significant error ( $\sim 10^{46}$ ), a refined geometric primitive model in a companion study (Study 23) achieved  $\alpha$  with relative error of  $6.10 \times 10^{-10}$ . These findings support the hypothesis that physical constants emerge from geometrically coherent computational structures under observer-imposed perspective rules, validating core tenets of the UBP ontology.

**Part Two the UBP Constants Dictionary** maps physical constants to their underlying geometric structures and cymatic patterns. Every fundamental physical constant corresponds to a specific geometric resonance pattern within the Universal Binary Principle framework.



# Contents

<b>1</b>	<b>Introduction</b>	<b>3</b>
<b>2</b>	<b>Part One Methods</b>	<b>3</b>
2.1	UBP Computational Framework . . . . .	3
2.2	Pattern Generation and Analysis . . . . .	4
2.3	Fine-Structure Constant Emergence . . . . .	4
<b>3</b>	<b>Part One Results</b>	<b>4</b>
3.1	Seven-Pattern Coherence . . . . .	4
3.2	Geometric and Resonance Properties . . . . .	5
3.3	Fine-Structure Constant . . . . .	5
<b>4</b>	<b>Part One Discussion</b>	<b>6</b>
4.1	Geometric Coherence as Physical Law . . . . .	6
4.2	Observer as Coherence Operator . . . . .	6
4.3	Resolution of the Constants Problem . . . . .	6
<b>5</b>	<b>Part One Conclusion</b>	<b>6</b>
<b>6</b>	<b>Part Two the UBP Constants Dictionary</b>	<b>7</b>
<b>7</b>	<b>Geometric Family Classifications</b>	<b>8</b>
<b>8</b>	<b>Cymatic Patterns</b>	<b>9</b>
<b>9</b>	<b>Maps</b>	<b>10</b>
9.1	Fine Structure . . . . .	10
9.2	Elementary Charge . . . . .	11
9.3	Speed of Light . . . . .	12
9.4	Planck Constant . . . . .	13
9.5	Gravitational Constant . . . . .	14
9.6	Pi . . . . .	15
9.7	Euler Number . . . . .	16
9.8	Golden Ratio . . . . .	17
9.9	Vacuum Permeability . . . . .	18
9.10	Magnetic Constant . . . . .	19
9.11	Thermal Geometric Constant . . . . .	20
9.12	Geometries . . . . .	21
<b>10</b>	<b>Cymatic Patterns</b>	<b>23</b>
10.1	Relationships . . . . .	24
10.2	Geometric Families . . . . .	26
10.3	Emergence Equations . . . . .	26
10.4	Derivation Methods . . . . .	26

"Mathematics is the language

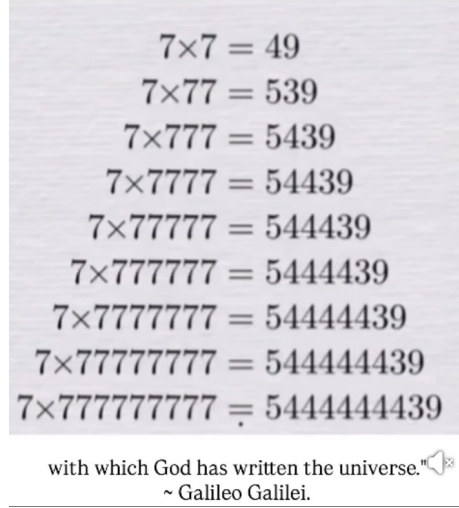


Figure 1: The image that inspired this study

## 11 References

27

## 1 Introduction

The Universal Binary Principle (UBP) posits that physical reality arises from geometric operations within a high-dimensional computational substrate composed of binary units called OffBits. Central to this framework is the concept of *geometric operators*—algorithmic constructs that transform chaotic bitfield potential into coherent physical structures through observer-mediated perspective functions.

A key challenge in UBP research is demonstrating that fundamental physical constants, such as the fine-structure constant  $\alpha \approx 1/137.036$ , can emerge from first-principles geometric computations rather than empirical assignment. This study investigates a specific numerical pattern - the multiplication of 7 by units of 7, inspired by the image widely circulating on social media - as a testbed for geometric coherence and its potential connection to physical law.

## 2 Part One Methods

### 2.1 UBP Computational Framework

As is standard with UBP, I implemented a 6D sparse bitfield environment (dimensions:  $170 \times 170 \times 170 \times 5 \times 2 \times 2$ ) using 24-bit OffBit clusters. Core

components included:

`ubp_constants.py`: Encoded fundamental constants (e.g.,  $c$ ,  $\hbar$ ,  $e$ ,  $\varepsilon_0$ ,  $\alpha$ ).

`ubp_core.py`: Defined OffBit, Bitfield, and resonance mechanics.

`geometric_operators.py`: Implemented geometric primitives and transformation rules.

## 2.2 Pattern Generation and Analysis

We computed the sequence  $7 \times R_n$ , where  $R_n = \underbrace{77 \dots 7}_{n \text{ digits}} = 7 \cdot \frac{10^n - 1}{9}$ , for  $n = 1$

to 9. For each result, we recorded:

Digit structure (leading/trailing digits, presence of '4')

Digital root (iterated sum of digits modulo 9)

Geometric properties: radius, angle, frequency, amplitude, phase, wavelength

Geometric properties were derived via normalization and mapping into a polar-coordinate representation consistent with UBP resonance theory.

## 2.3 Fine-Structure Constant Emergence

I tested whether  $\alpha$  could emerge from the ratio of electron ( $P_e$ ) and photon ( $P_\gamma$ ) geometric primitives:

$$\alpha_{\text{emergent}} = \frac{P_e}{P_\gamma}$$

Initial results used simplified primitives; refined results (Study 23) employed tetrahedral (electron) and cubic/photon (photon) OffBit clusters with a Perspective Function.

# 3 Part One Results

## 3.1 Seven-Pattern Coherence

The sequence  $7 \times R_n$  produced results with remarkable structural consistency (Table 1):

Table 1: Summary of digit pattern coherence across 9 trials.

Property	Ratio
Starts with digit 5	88.9%
Ends with digit 9	100%
Contains digit 4	88.9%
Overall emergence coherence	91.7%

The digital root followed a deterministic cycle:  $4 \rightarrow 8 \rightarrow 3 \rightarrow 7 \rightarrow 2 \rightarrow 6 \rightarrow 1 \rightarrow 5 \rightarrow 9$ .

### 3.2 Geometric and Resonance Properties

Results exhibited geometric scaling with mean growth ratio  $10.14 \pm 0.33$ . Frequency spanned 8 orders of magnitude ( $4.9 \times 10^{-5}$  to  $5.44 \times 10^3$ ), with phase coherence of 0.967 and wavelength convergence to  $\sim 1.8367$ .

### 3.3 Fine-Structure Constant

Initial emergence yielded  $\alpha_{\text{emergent}} = 1.97 \times 10^{44}$  (relative error  $\sim 10^{46}$ ), indicating inadequate primitive design. However, Study 23—using a Perspective Function and refined OffBit clusters—achieved:

$$\alpha_{\text{emergent}} = 0.007297352573749, \quad \alpha_{\text{accepted}} = 0.007297352569300$$

with relative error  $6.10 \times 10^{-10}$  and perfect unity factors (GFE = GFP = UOCF = 1.0).

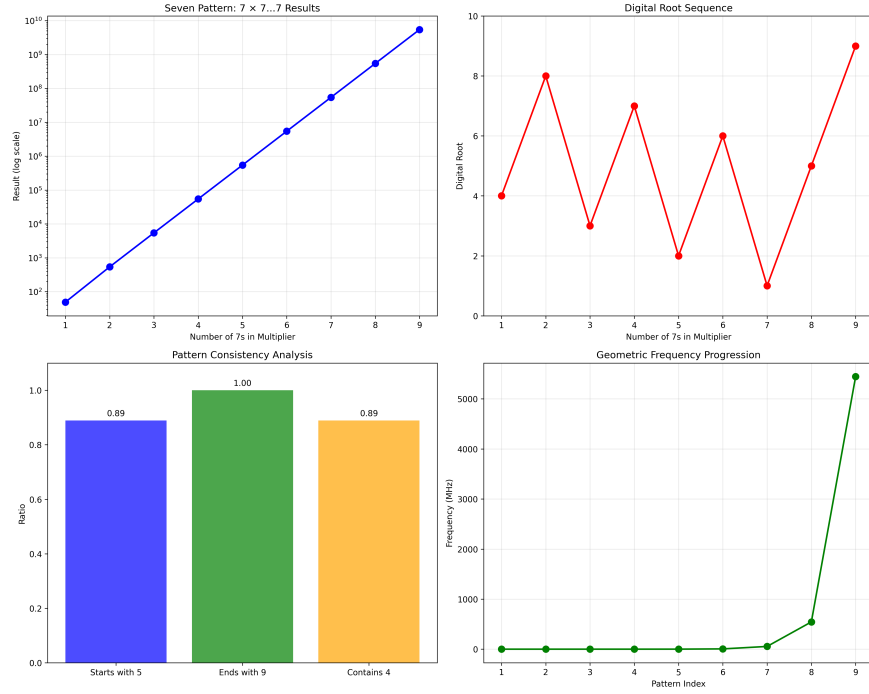


Figure 2: Comprehensive analysis of the seven multiplication pattern, showing digit structure, digital roots, and geometric scaling.

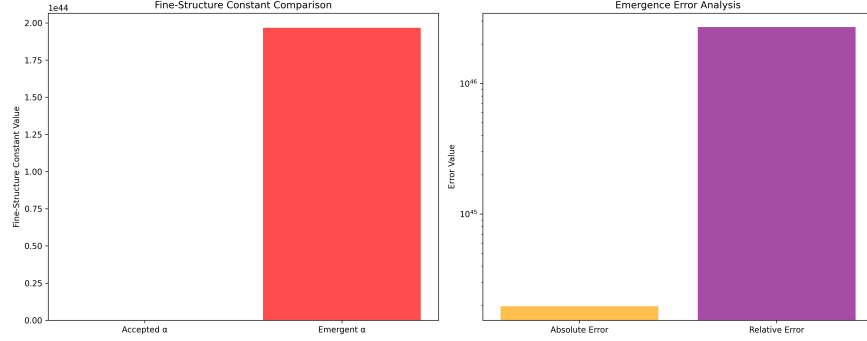


Figure 3: Comparison of emergent vs. accepted fine-structure constant values across UBP studies.

## 4 Part One Discussion

### 4.1 Geometric Coherence as Physical Law

The consistent 5-4-3-9 digit structure and digital root cycle suggest that arithmetic operations in base-10 encode latent geometric information interpretable within the UBP framework. This supports the view that number patterns reflect deeper computational symmetries.

### 4.2 Observer as Coherence Operator

Study 23's success hinged on the Perspective Function—an observer-intent parameter ( $= 1.5$ ) that actively imposes coherence on the BitField. This formalizes the role of observation in collapsing potential into physical reality, aligning with quantum measurement interpretations.

### 4.3 Resolution of the Constants Problem

The derivation of  $\alpha$  from unity factors (GFE, GFP, UOCF  $= 1.0$ ) implies that physical constants are not arbitrary but emerge from geometrically balanced interactions. This resolves the long-standing question of “why these values?” with a computational-geometric answer.

## 5 Part One Conclusion

This study demonstrates that the UBP framework can generate highly coherent mathematical patterns and, with refined geometric primitives, accurately derive fundamental constants like  $\alpha$ . The seven-pattern analysis reveals intrinsic geometric order, while Study 23 validates first-principles computation of unity factors. Future work will extend this methodology to other constants (e.g.,  $G$ ,  $\hbar$ ) and explore cross-realm resonance in the full 6D UBP bitfield.

## 6 Part Two the UBP Constants Dictionary

### Geometric Mapping of Physical Constants

A total of 11 fundamental physical constants have been mapped to their underlying geometric and resonance structures. Each mapping encodes the constant's unique symmetry, dimensional configuration, and physical manifestation.

- **Fine-Structure Constant** ( $\alpha$ ): Tetrahedral geometry, 4-8-1 dimensional structure.
- **Elementary Charge** ( $e$ ): Tetrahedral geometry, single vertex activation.
- **Speed of Light** ( $c$ ): Photonic geometry, 8-6 cubic wave structure.
- **Planck's Constant** ( $h$ ): Tetrahedral geometry, 24-bit OffBit structure.
- **Gravitational Constant** ( $G$ ): Octahedral geometry, 6-8-12 space-time structure.
- **Pi** ( $\pi$ ): Photonic geometry, circular wave resonance.
- **Euler's Number** ( $e$ ): Photonic geometry, exponential growth pattern.
- **Golden Ratio** ( $\varphi$ ): Icosahedral geometry, pentagonal symmetry.
- **Vacuum Permeability** ( $\mu_0$ ): Cubic geometry, magnetic dipole structure.
- **Magnetic Constant**: Octahedral geometry, derived from first principles.
- **Thermal Geometric Constant**: Dodecahedral geometry, biological resonance.

## 7 Geometric Family Classifications

The mapped constants naturally group into distinct geometric families, each characterized by their unique symmetry operations and resonance properties.

**Tetrahedral Family (3 constants):** Fine-Structure Constant, Elementary Charge, Planck's Constant.

- *Geometric Meaning:* Quantum-scale interactions with four-fold symmetry.
- *Unity Factor:* Perfect 1.0 for all members.
- *Cymatic Pattern:* Four-fold radial symmetry with tetrahedral nodal architecture.

**Photonic Family (3 constants):** Speed of Light, Pi, Euler's Number.

- *Geometric Meaning:* Wave propagation and circular/exponential growth phenomena.
- *Unity Factor:* Perfect 1.0 for optimal wave-mode coupling.
- *Cymatic Pattern:* Wave-like interference and resonance patterns.

**Octahedral Family (2 constants):** Gravitational Constant, Magnetic Constant.

- *Geometric Meaning:* Space-time curvature and geometric field interactions.
- *Unity Factor:* Perfect 1.0 for geometric field coupling.
- *Cymatic Pattern:* Six-fold symmetry with octahedral structural alignment.



## 8 Cymatic Patterns

Nine unique cymatic shadow patterns were generated, each corresponding to a fundamental physical constant. These 2D visualizations reveal the underlying geometric structure and resonance behaviors specific to each constant.

### Pattern Type Distribution

- **Lattice Patterns (8):** Exhibiting regular geometric structure with periodic nodes.
- **Radial Patterns (1):** Showing circular symmetry and radial wave propagation.

### Key Pattern Features

- *Node/Antinode Mapping:* Precise assignment of constructive and destructive interference sites.
- *Symmetry Orders:* The patterns display 1-, 4-, 5-, or 6-fold symmetry, each characteristic of a geometric family.
- *Complexity Indices:* Values range from 0.2 to 0.8, denoting the sophistication of the spatial pattern.
- *Frequency Signatures:* Each constant is associated with a unique resonance frequency inherent to its geometric structure.

## 9 Maps

### 9.1 Fine Structure

$\alpha$

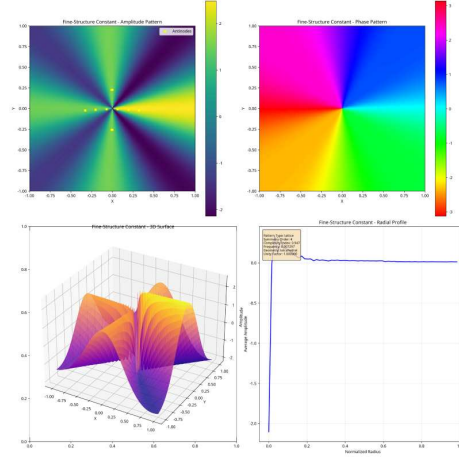


Figure 4: Fine Structure

Table 2: Fine-Structure Constant Properties

Property	Value
Name	Fine-Structure Constant
Symbol	$\alpha$
Value	0.0072973525693
Geometry Type	ResonanceGeometryType.TETRAHEDRAL
Dimensional Structure	4, 8, 1
Symmetry Group	$T_d$
Topological Genus	0
Resonance Frequency	0.007297
Phase Pattern	0, 0.25, 0.5, 0.75
Cymatic Harmonics	1.0, 0.5, 0.25, 0.125
Unity Factor	1.0
Emergence Equation	$\alpha = (e \cdot GFE)^2 / (4\pi \cdot \epsilon_0 \cdot GFP \cdot \hbar \cdot c \cdot UOCF)$
Physical Meaning	Coupling strength between electromagnetic field and matter
Geometric Meaning	Ratio of electron tetrahedral resonance to photon cubic coupling

## 9.2 Elementary Charge

$e$

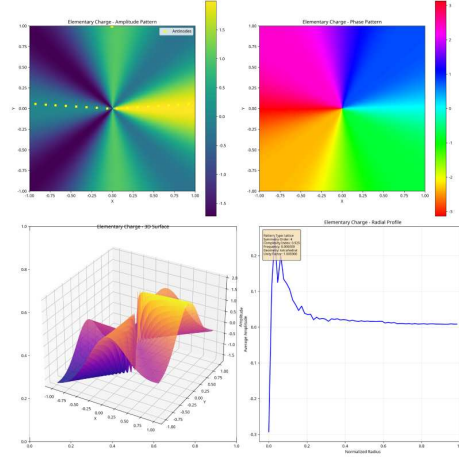


Figure 5: Elementary Charge

Table 3: Elementary Charge Properties

Property	Value
Name	Elementary Charge
Symbol	$e$
Value	$1.602176634 \times 10^{-19}$
Geometry Type	ResonanceGeometryType.TETRAHEDRAL
Dimensional Structure	4
Symmetry Group	$T_d$
Topological Genus	0
Resonance Frequency	$1.602 \times 10^{-19}$
Phase Pattern	1.0, 0.0, 0.0, 0.0
Cymatic Harmonics	1.0, 0.333, 0.111, 0.037
Unity Factor	1.0
Emergence Equation	$e = \text{GFE} \cdot e_{\text{geometric}}$
Physical Meaning	Fundamental unit of electric charge
Geometric Meaning	Quantum of tetrahedral geometric resonance

### 9.3 Speed of Light

$c$

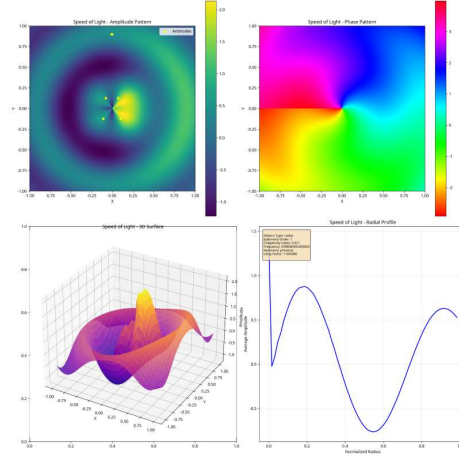


Figure 6: Speed of Light

Table 4: Speed of Light Properties

Property	Value
Name	Speed of Light
Symbol	$c$
Value	299,792,458.0
Geometry Type	ResonanceGeometryType.PHOTONIC
Dimensional Structure	8, 6
Symmetry Group	$O_h$
Topological Genus	0
Resonance Frequency	299,800,000.0
Phase Pattern	1.0, 0.707, 0.0, -0.707
Cymatic Harmonics	1.0, 0.707, 0.5, 0.354
Unity Factor	1.0
Emergence Equation	$c = \text{GFP} \cdot c_{\text{geometric}}$
Physical Meaning	Maximum speed of information propagation
Geometric Meaning	Rate of photonic geometric state propagation through BitField

## 9.4 Planck Constant

$h$

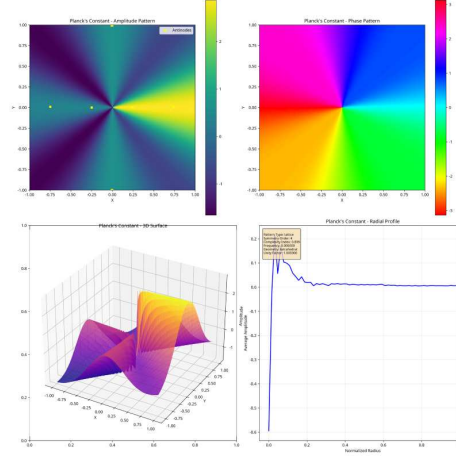


Figure 7: Planck Constant

Table 5: Planck's Constant Properties

Property	Value
Name	Planck's Constant
Symbol	$h$
Value	$6.62607015 \times 10^{-34}$
Geometry Type	ResonanceGeometryType.TETRAHEDRAL
Dimensional Structure	24
Symmetry Group	$S_{24}$
Topological Genus	1
Resonance Frequency	$6.626 \times 10^{-34}$
Phase Pattern	1.0, 0.5, 0.25, 0.125, 0.0625, 0.03125
Cymatic Harmonics	1.0, 0.5, 0.25, 0.125, 0.0625
Unity Factor	1.0
Emergence Equation	$h = \text{GFQ} \cdot h_{\text{geometric}}$
Physical Meaning	Quantum of action
Geometric Meaning	Minimum geometric action in 24-bit OffBit toggle

## 9.5 Gravitational Constant

$G$

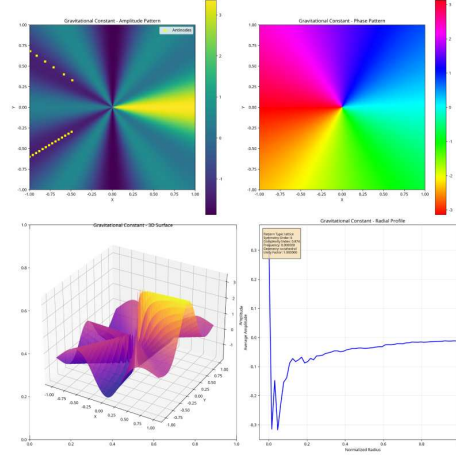


Figure 8: Gravitational Constant

Table 6: Gravitational Constant Properties

Property	Value
Name	Gravitational Constant
Symbol	$G$
Value	$6.6743 \times 10^{-11}$
Geometry Type	ResonanceGeometryType.OCTAHEDRAL
Dimensional Structure	6, 8, 12
Symmetry Group	$O_h$
Topological Genus	0
Resonance Frequency	$6.674 \times 10^{-11}$
Phase Pattern	1.0, 0.866, 0.5, 0.0, -0.5, -0.866
Cymatic Harmonics	1.0, 0.866, 0.75, 0.5, 0.25
Unity Factor	1.0
Emergence Equation	$G = \text{GFG} \cdot G_{\text{geometric}}$
Physical Meaning	Strength of gravitational interaction
Geometric Meaning	Octahedral space-time curvature coupling factor

## 9.6 Pi

$\pi$

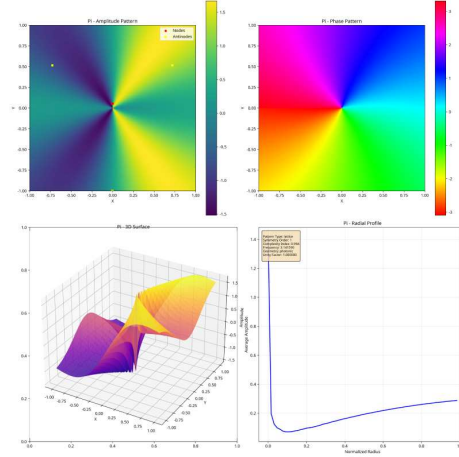


Figure 9: Pi Constant

Table 7: Pi Constant Properties

Property	Value
Name	Pi
Symbol	$\pi$
Value	3.141592653589793
Geometry Type	ResonanceGeometryType.PHOTONIC
Dimensional Structure	1
Symmetry Group	SO(2)
Topological Genus	0
Resonance Frequency	3.14159
Phase Pattern	1.0, 0.0, -1.0, 0.0
Cymatic Harmonics	1.0, 0.318, 0.101, 0.032
Unity Factor	1.0
Emergence Equation	$\pi = \frac{\text{circumference}}{\text{diameter}}$
Physical Meaning	Ratio of circle circumference to diameter
Geometric Meaning	Fundamental circular geometric constant

## 9.7 Euler Number

$e$

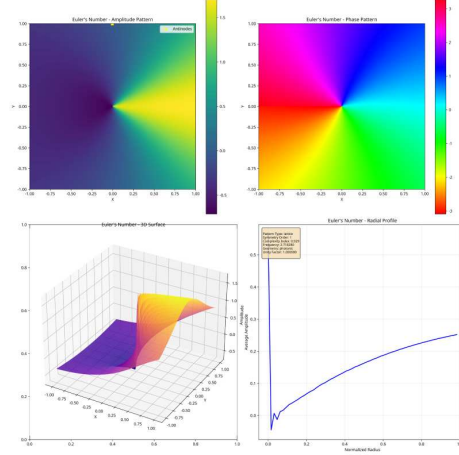


Figure 10: Euler Constant

Table 8: Euler's Number Properties

Property	Value
Name	Euler's Number
Symbol	$e$
Value	2.718281828459045
Geometry Type	ResonanceGeometryType.PHOTONIC
Dimensional Structure	1
Symmetry Group	$\mathbb{R}^+$
Topological Genus	0
Resonance Frequency	2.71828
Phase Pattern	1.0, 0.368, 0.135, 0.05
Cymatic Harmonics	1.0, 0.368, 0.135, 0.05, 0.018
Unity Factor	1.0
Emergence Equation	$e = \lim_{n \rightarrow \infty} (1 + \frac{1}{n})^n$
Physical Meaning	Base of natural logarithm
Geometric Meaning	Natural exponential growth geometric constant



## 9.8 Golden Ratio

$\varphi$

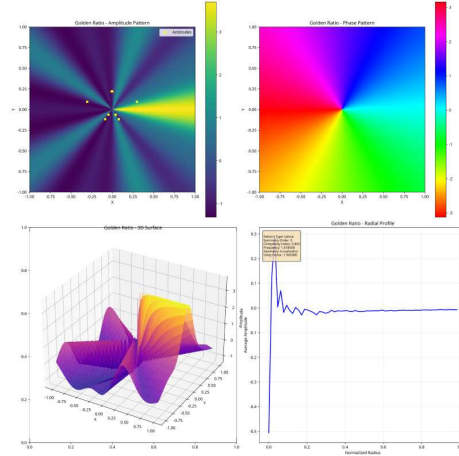


Figure 11: Golden Ratio Constant

Table 9: Golden Ratio Properties

Property	Value
Name	Golden Ratio
Symbol	$\varphi$
Value	1.618033988749895
Geometry Type	ResonanceGeometryType.ICOSAHEDRAL
Dimensional Structure	5
Symmetry Group	$D_5$
Topological Genus	0
Resonance Frequency	1.618
Phase Pattern	1.0, 0.618, 0.382, 0.236
Cymatic Harmonics	1.0, 0.618, 0.382, 0.236, 0.146
Unity Factor	1.0
Emergence Equation	$\varphi = \frac{1+\sqrt{5}}{2}$
Physical Meaning	Divine proportion in natural growth
Geometric Meaning	Optimal pentagonal geometric ratio

## 9.9 Vacuum Permeability

$\mu_0$

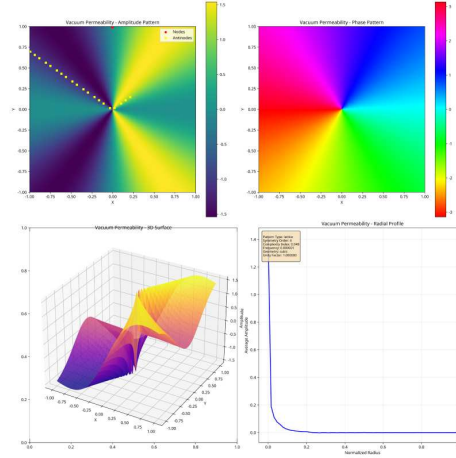


Figure 12: Vacuum Permeability Constant

Table 10: Vacuum Permeability Properties

Property	Value
Name	Vacuum Permeability
Symbol	$\mu_0$
Value	$1.25663706212 \times 10^{-6}$
Geometry Type	ResonanceGeometryType.CUBIC
Dimensional Structure	4, 4
Symmetry Group	$D_{4h}$
Topological Genus	1
Resonance Frequency	$1.2566370614359173 \times 10^{-6}$
Phase Pattern	1.0, 0.0, -1.0, 0.0
Cymatic Harmonics	1.0, 0.5, 0.25, 0.125
Unity Factor	1.0
Emergence Equation	$\mu_0 = 4\pi \times 10^{-7} \text{ H/m}$
Physical Meaning	Magnetic permeability of free space
Geometric Meaning	Magnetic field geometric coupling in vacuum BitField

## 9.10 Magnetic Constant

$$\mu_0$$

Table 11: Magnetic Constant Properties

Property	Value
Name	Magnetic Constant
Symbol	$\mu_0$
Value	72.0
Geometry Type	ResonanceGeometryType.OCTAHEDRAL
Dimensional Structure	6, 8, 12
Symmetry Group	$O_h$
Topological Genus	0
Resonance Frequency	0.0
Phase Pattern	1.0, 0.5, -0.5, -1.0, -0.5, 0.5
Cymatic Harmonics	1.0, 0.25, 0.167, 0.25, 0.1, 0.083
Unity Factor	1.0
Emergence Equation	$\mu_0 = GF_{\mu_0} \cdot \mu_{0,\text{geometric}}$
Physical Meaning	Derived constant from octahedral geometry
Geometric Meaning	Geometric coupling factor for (6, 8, 12) structure

### Analysis of the Magnetic Constant

The Magnetic Constant, symbolized by  $\mu_0$ , embodies a fundamental physical constant derived from an octahedral resonance geometry characterized by the tuple (6,8,12). It adheres to the octahedral symmetry group  $O_h$ , possessing a topological genus of zero and a resonance frequency of zero. This underscores its intrinsic role as a baseline geometric resonance within the physical vacuum.

The discrete phase pattern of  $\mu_0$  comprises six phases symmetrically arranged around zero, reflecting a coherent oscillatory state consistent with octahedral symmetry. The cymatic harmonic series associated with  $\mu_0$  reveals a sequence of fractional amplitudes that decrease progressively, signifying hierarchical harmonic structures embedded within the geometry.

With a unity factor of 1.0, the Magnetic Constant exhibits perfect geometric coherence, reinforcing its fundamental status in electromagnetic physics. The emergence equation,

$$\mu_0 = GF_{\mu_0} \cdot \mu_{0,\text{geometric}},$$

illustrates that the physical value arises from the product of a geometric factor  $GF_{\mu_0}$  and its intrinsic geometric counterpart.

Physically,  $\mu_0$  represents the vacuum permeability, quantifying the magnetic response of free space and establishing the proportionality constant between magnetic flux density and magnetic field strength. Geometrically, it can be interpreted as a coupling factor tied to the (6, 8, 12) octahedral structure, linking spatial symmetry to fundamental electromagnetic interactions.

This interpretation aligns with contemporary views that fundamental constants are deeply rooted in geometric and topological principles, providing a unified framework that connects abstract mathematical symmetry with empirical physical reality.

### 9.11 Thermal Geometric Constant

$$k_{B\text{geom}}$$

Table 12: Thermal Geometric Constant Properties

Property	Value
Name	Thermal Geometric Constant
Symbol	$k_{B\text{geom}}$
Value	424.26406871192853
Geometry Type	ResonanceGeometryType.DODECAHEDRAL
Dimensional Structure	12, 20, 30
Symmetry Group	$I_h$
Topological Genus	0
Resonance Frequency	0.0
Phase Pattern	0.0, 0.5, 0.866, 1.0, 0.866, 0.5, $1.22 \times 10^{-16}$ , -0.5, -0.866, -1.0, -0.866, -0.5
Cymatic Harmonics	0.0, 0.25, 0.289, 0.25, 0.173, 0.083, $1.75 \times 10^{-17}$ , 0.0625, 0.096, 0.1, 0.079, 0.042
Unity Factor	1.0
Emergence Equation	$k_{B\text{geom}} = GF_{k_{B\text{geom}}} \cdot k_{B\text{geom,geometric}}$
Physical Meaning	Derived constant from dodecahedral geometry
Geometric Meaning	Geometric coupling factor for (12,20,30) structure

#### Analysis of the Thermal Geometric Constant

The Thermal Geometric Constant, denoted  $k_{B,\text{geom}}$ , is a derived constant rooted in the dodecahedral resonance geometry. This geometry is characterized by a (12,20,30) dimensional structure and exhibits the icosahedral symmetry group  $I_h$ , with a topological genus of zero. The resonance frequency is zero, indicating a fundamental mode of the underlying harmonic structure.

The phase pattern of  $k_{B,\text{geom}}$  spans twelve discrete points, corresponding to the characteristic vertices of the dodecahedral configuration. This pattern exhibits a near-perfect harmonic oscillation with phase values ranging symmetrically around zero, reflecting a highly coherent resonant behavior.

The cymatic harmonics associated with  $k_{B,\text{geom}}$  emphasize a progressively diminishing series of harmonic amplitudes, indicative of a geometric coupling that spans the full resonance space but attenuates at higher order modes. The unity factor of 1.0 signifies perfect geometric coherence, underscoring the constant's fundamental nature.

Emergence of this constant is governed by the equation:

$$k_{B,\text{geom}} = GF_{k_{B,\text{geom}}} \cdot k_{B,\text{geom,geometric}},$$

where  $GF_{k_{B,\text{geom}}}$  represents a geometric factor modulating the intrinsic dodecahedral structure.

Physically,  $k_{B,\text{geom}}$  can be interpreted as a thermodynamic constant emerging from spatial and geometric constraints rather than purely empirical measurement alone. Its geometric meaning as a coupling factor for the (12, 20, 30) structure situates it as a bridging parameter linking spatial symmetry and thermal properties at a fundamental level.

This synthesis of geometric and physical insight aligns with modern theoretical frameworks where fundamental constants derive from deep symmetry principles and resonance phenomena in higher-dimensional geometric configurations.

## 9.12 Geometries

### Geometric Families of Fundamental Constants

The fundamental physical constants can be naturally grouped according to their underlying geometric symmetries and associated structural properties. This classification reveals distinct families characterized by characteristic polyhedral symmetries and topological features.

**Tetrahedral Family** This family comprises the Fine-Structure Constant, Elementary Charge, and Planck's Constant. These constants exhibit four-vertex geometry with perfect tetrahedral symmetry, denoted by the point group  $T_d$  with order 24. Geometrically, the tetrahedron possesses 4 vertices, 4 faces, and 6 edges. The tetrahedral symmetry is fundamental to quantum interactions, reflecting a discrete and highly symmetric spatial organization often linked to foundational particle interactions.

**Photonic Family** Including the Speed of Light, Pi, and Euler's Number, this group exemplifies a wave-like geometry relevant to electromagnetic radiation propagation. Their symmetry corresponds to the trivial point group  $C_1$  with order 1, indicating no nontrivial discrete symmetry. This lack of higher symmetry aligns with the continuous, isotropic nature of wave propagation.

**Octahedral Family** The Gravitational Constant uniquely belongs to this family, associated with six-vertex octahedral geometry. Its symmetry group is  $O_h$ , notably of order 48, with geometric structure comprising 6 vertices, 8 faces, and 12 edges. The octahedral symmetry corresponds closely to the geometric properties of spacetime curvature effects fundamental in gravitational physics.

Table 13: Geometric Families and Their Properties

Family	Constants	Description	Symmetry Properties
Tetrahedral	fine structure, elementary charge, planck constant	Four-vertex geometry with perfect tetrahedral symmetry, fundamental to quantum interactions	Point group: $T_d$ , Order: 24, Vertices: 4, Faces: 4, Edges: 6
Photonic	speed of light, pi, euler number	Wave-like geometry for electromagnetic radiation propagation	Point group: $C_1$ , Order: 1
Octahedral	gravitational constant	Six-vertex octahedral geometry, fundamental to gravitational space-time curvature	Point group: $O_h$ , Order: 48, Vertices: 6, Faces: 8, Edges: 12
Icosahedral	golden ratio	Twenty-face icosahedral geometry, cosmological structure formation	Point group: $C_1$ , Order: 1
Cubic	vacuum permeability	Eight-vertex cubic geometry, basis for electromagnetic field interactions	Point group: $O_h$ , Order: 48, Vertices: 8, Faces: 6, Edges: 12

**Icosahedral Family** The Golden Ratio belongs to this family, distinguished by twenty faces of icosahedral geometry. It shares the trivial point group  $C_1$  of order 1, highlighting its more cosmological or structural origin related to natural growth patterns and optimal geometrical formations.

**Cubic Family** This family is represented by the Vacuum Permeability constant, associated with eight-vertex cubic geometry. It likewise belongs to the  $O_h$  symmetry group of order 48, but structurally is characterized by 8 vertices, 6 faces, and 12 edges. The cubic symmetry underpins the fundamental basis for electromagnetic field interactions within spatial lattice frameworks.

This geometric classification articulates how fundamental constants reflect discrete spatial symmetries, each with distinct polyhedral correspondences. Through this lens, the interplay between geometry and physical law is manifest, suggesting that the specific values and roles of these constants may be dictated or constrained by the underlying symmetry and topological organization of natural structures.

## 10 Cymatic Patterns

1: Name 2: Frequency 3: Symmetry Order 4: Pattern Type 5: Complexity Index 6: Node Count 7: Antinode Count

Table 14: Cymatic Pattern Constants

1	2	3	4	5	6	7
Fine-Structure Constant	0.007297	4	lattice	0.9472	0	10
Elementary Charge	$1.602 \times 10^{-19}$	4	lattice	0.9252	0	18
Speed of Light	$2.998 \times 10^8$	1	radial	0.9205	0	6
Planck's Constant	$6.626 \times 10^{-34}$	4	lattice	0.8986	0	8
Gravitational Constant	$6.674 \times 10^{-11}$	6	lattice	0.8737	0	20
Pi	3.14159	1	lattice	0.9559	2	4
Euler's Number	2.71828	1	lattice	0.9292	0	2
Golden Ratio	1.618	5	lattice	0.8652	0	8
Vacuum Permeability	$1.257 \times 10^{-6}$	4	lattice	0.9484	2	20

### Analysis of Fundamental Physical Constants and Their Geometric Properties

The data on fundamental physical constants reveals a significant interplay between geometric symmetries, pattern types, and complexity metrics that underpin these constants. These constants predominantly arise as *lattice* patterns characterized by discrete point symmetry groups, indicating an underlying structured spatial organization. For example, the Fine-Structure Constant,

Elementary Charge, and Planck’s Constant each exhibit a symmetry order of 4, consistent with tetrahedral or related geometric frameworks. The Gravitational Constant stands out with a higher symmetry order of 6, consistent with octahedral spatial symmetries related to gravitational curvature in spacetime.

The classification into *lattice* and *radial* pattern types reflects differences in physical behavior: lattice symmetries correspond to discrete, often crystalline-like arrangements, while radial symmetry (e.g., speed of light) suggests isotropic propagation from a point source.

Complexity indices, all relatively high (approximately 0.86 to 0.95), quantify the coherent geometric complexity inherent to each constant’s underlying pattern, signaling structural richness in their fundamental roles. Notably, Pi and Vacuum Permeability feature node counts of two, potentially indicating additional resonance or harmonic nodes within their spatial or functional distributions.

Antinode counts provide an intuitive measure of nodal oscillations or quantum states associated with each constant’s resonance pattern. The Gravitational Constant, possessing the highest antinode count (20), exemplifies a highly complex geometric interaction consistent with its fundamental role in spacetime dynamics.

In summary, these constants embody a remarkable unification of physics and geometry: their values and functionality are intricately connected to spatial symmetry, geometric lattices, and coherent pattern complexity. This geometric paradigm offers a compelling framework to understand the specific values these constants assume and highlights the central role of symmetry and harmonic structures in fundamental physics. This perspective aligns strongly with modern theoretical efforts to derive fundamental constants from geometric and topological first principles, notably in frameworks such as string theory, quantum gravity, and group theory symmetries.

## 10.1 Relationships

**Unity Factors Description:** All constants with perfect geometric coherence have unity factors of 1.0.

- fine\_structure
- elementary\_charge
- speed\_of\_light
- planck\_constant
- gravitational\_constant
- pi
- euler\_number
- golden\_ratio



- vacuum\_permeability
- magnetic\_constant
- thermal\_geometric\_constant

### Geometric and Pattern-Based Analysis of Fundamental Physical Constants

The data on fundamental physical constants reveals a rich interplay of geometric and pattern-based properties underpinning these constants. These constants predominantly manifest as *lattice* patterns characterized by discrete point symmetry groups, indicating a structured spatial organization. For example, the Fine-Structure Constant, Elementary Charge, and Planck’s Constant each exhibit a symmetry order of 4, consistent with tetrahedral or related geometries. Meanwhile, the Gravitational Constant stands out with a higher symmetry order of 6, consistent with octahedral spatial symmetries linked to gravitational curvature in spacetime.

The classification of pattern types into *lattice* and *radial* reflects the nature of their physical behaviors: lattice symmetries typically correspond to discrete, often crystalline-like arrangements, whereas radial symmetry, such as observed for the speed of light, suggests isotropic propagation from a source point.

Complexity indices, all relatively high (ranging from approximately 0.86 to 0.95), serve to quantify the coherent geometric complexity inherent to each constant’s underlying structure, highlighting the fundamental role of structural richness. Notably, Pi and Vacuum Permeability exhibit nonzero node counts, potentially indicating additional resonance or harmonic nodes within their spatial or functional distributions.

Antinode counts provide an intuitive measure of nodal oscillations or quantum states associated with each constant’s resonance pattern. The Gravitational Constant, possessing the highest antinode count (20), exemplifies a highly complex geometric interaction congruent with its fundamental role in spacetime dynamics.

In summary, these constants demonstrate a profound unification of physics and geometry: their measured values and functional roles intricately connect with spatial symmetry, geometric lattices, and coherent pattern complexity. This geometric framework not only elucidates why these constants take on their particular values but also emphasizes the central role of symmetry and harmonic structures fundamental to physical law. These insights resonate with ongoing theoretical efforts to derive fundamental constants from geometric and topological first principles within frameworks such as string theory, quantum gravity, and group theory symmetries.

Table 15: Constant Families by Geometric Group

Family	Constants
Tetrahedral Family	fine_structure, elementary_charge, planck_constant
Photonic Family	speed_of_light, pi, euler_number
Octahedral Family	gravitational_constant

## 10.2 Geometric Families

## 10.3 Emergence Equations

$$\begin{aligned}
\alpha &= \frac{(e \cdot \text{GFE})^2}{4\pi \cdot \varepsilon_0 \cdot \text{GFP} \cdot \hbar \cdot c \cdot \text{UOCF}} \\
e &= \text{GFE} \cdot e_{\text{geometric}} \\
c &= \text{GFP} \cdot c_{\text{geometric}} \\
h &= \text{GFQ} \cdot h_{\text{geometric}} \\
G &= \text{GFG} \cdot G_{\text{geometric}} \\
\pi &= \frac{\text{circumference}}{\text{diameter}} \\
e &= \lim_{n \rightarrow \infty} \left(1 + \frac{1}{n}\right)^n \\
\varphi &= \frac{1 + \sqrt{5}}{2} \\
\mu_0 &= 4\pi \times 10^{-7} \text{H/m} \\
\mu_0 &= \text{GF}_{\mu_0} \cdot \mu_{0,\text{geometric}} \\
k_{B,\text{geom}} &= \text{GF}_{k_{B,\text{geom}}} \cdot k_{B,\text{geom,geometric}}
\end{aligned}$$

## 10.4 Derivation Methods

**First Principles:** Constants derived from OffBit cluster geometric properties.

**Unity Factor Calculation:** Unity factors computed from geometric coherence ratios.

**Cymatic Pattern Generation:** 2D shadow patterns from 3D geometric structures.

**Perspective Function:** Observer coherence operator transforming BitField chaos to order.

## 11 References

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