

MCES: Miller’s Cantor-Immune Encryption Scheme

Luke Miller

lukemiller@tutanota.com

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Abstract

We present MCES, a novel password-adaptive symmetric stream cipher built on a two-dimensional graph topology. MCES extends its design from earlier prototypes with full Unicode-aware key support and a dynamic internal structure that adapts to password length and content. The cipher’s state is organized as a 2D matrix whose size and entropy configuration are determined by the password, enabling the cipher to scale its complexity with the key. MCES’s key schedule incorporates Unicode characters seamlessly into a high-entropy state initialization, using novel entropy placement strategies inspired by Cantor’s diagonal argument to preclude biases detectable by advanced entropy analysis.

A nonlinear keystream traversal mechanism, driven by a cryptographic “walker” that wanders the 2D state, produces the output keystream in a non-linear, password-dependent pattern. We provide precise algorithmic descriptions of MCES, including its stream-XOR encryption/decryption process, internal state setup complexity, and handling of password entropy.

We also present a comprehensive cryptanalysis and performance evaluation of MCES. In statistical randomness testing (NIST SP800-22 and Dieharder), MCES exhibits no detectable biases, passing all test categories with uniform p -value distributions and achieving near-ideal Shannon entropy per bit. We summarize the cipher’s performance across different password lengths, showing how graph size scales with the password and reporting configuration times and encryption throughput (in MB/s).

MCES was not originally intended to be a secure cipher. It began as an experiment, a response to a novel entropy framework developed by the same research team to detect bias, structural weakness, and entropy alignment in ‘ostensibly large, time indexed random datasets’.

1 Cipher Description

2 MCES Encryption Scheme

Summary. MCES is a stream cipher built from two independent components mixed in XOR:

1. a *deterministic walker* over a table of BLAKE3 digests of all contiguous Unicode substrings of the password, producing a base keystream; and
2. a *seekable BLAKE3 XOF postmix* keyed by session material, applied over the same offsets.

Ciphertext is $C = P \oplus K_{\text{walker}} \oplus K_{\text{postmix}}$ and is protected by a 32 B keyed BLAKE3 MAC that binds the header and ciphertext length.

2.1 File Format

An MCES vault is:

$$\underbrace{\text{MCES} \parallel \text{ver} \parallel \text{salt}_{32} \parallel \text{ts}_8^{\text{BE}} \parallel \text{nonce}_{12} \parallel t \parallel m \parallel p \parallel \text{kdf_id}}_{\text{Header (61 B)}} \parallel \underbrace{\text{tag}_{32}}_{\text{MAC}} \parallel \underbrace{C}_{\text{ciphertext}}$$

where:

- **Magic/version:** ‘MCES’ (4 B) and version (1 B, current 0x03).
- **salt₃₂:** 32 B salt for Argon2id.
- **ts₈^{BE}:** session timestamp in ns, big-endian.
- **nonce₁₂:** 96-bit random nonce for postmix (not a counter).
- **t, m, p:** Argon2id parameters: time-cost t (u8), memory-cost m (log2 KiB), lanes p (u8).
- **kdf_id:** 2 = Argon2id v1.3.
- **tag₃₂:** keyed BLAKE3 MAC over domain \parallel header \parallel len \parallel C.

2.2 Key Derivation (Argon2id)

Given a password pw (UTF-8, 30–100 codepoints in the CLI; the config path supports up to 512), the encryptor computes:

$$\begin{aligned} \text{salt}_{32} &:= \text{BLAKE3}^{\text{XOF}}(\text{ts_be} \parallel \text{nonce}_{12})[32] \\ L &:= 32 \cdot \lceil |pw|_{\text{bytes}}/32 \rceil \quad (\text{at least } 32) \\ \text{OKM} &:= \text{Argon2id}_{t=3, m=2^{17} \text{ KiB}, p=1}(pw, \text{salt}_{32}, L + 32) \\ k_{\text{stream}} &:= \text{OKM}[0..L), \quad k_{\text{mac}} := \text{OKM}[L..L+32) \end{aligned}$$

Here k_{stream} is variable-length (multiple of 32), and k_{mac} is 32 B.

2.3 MCES Configuration from Password

Let pw be viewed as a sequence of c Unicode codepoints. MCES forms a table of *all contiguous substrings* by codepoint boundaries (triangular count $\frac{c(c+1)}{2}$). For each substring $s_{i..j}$ (inclusive of i and exclusive of $j+1$ in UTF-8 bytes), store

$$H_{i,j} := \text{BLAKE3}^{\text{XOF}}(s_{i..j})[32]$$

in a flat array **hashes** of 32 B entries (order: for $i = 0..c-1$ and $j = i..c-1$). A *base key* is also derived:

$$\text{base_key}_{32} := \text{BLAKE3}^{\text{XOF}}(pw \parallel \text{ts_be})[32].$$

2.4 Epoch Seeding and Walker Step

MCES emits bytes by walking the digest table with epoch-based reseeding:

Epoch seed. For epoch $e \in \{0, 1, 2, \dots\}$,

$$\text{seed}_{32} := \text{BLAKE3}^{\text{XOF}}(\text{base_key}_{32} \parallel e_{\text{be}})[32], \quad \text{idx}_0 := \text{seed}_{32}[0..8) \bmod N,$$

where N is the number of table entries. A per-epoch drift vector is computed

$$D := \text{BLAKE3}^{\text{XOF}}(\text{‘MCES-drift-v2’} \parallel \text{base_key}_{32} \parallel e_{\text{be}})[32].$$

Walker advance. From current index idx with row $H := \text{hashes}[\text{idx}]$, let $u := \text{u64_be}(H[0..8))$. Define flags $J := u \& 1$ (jump) and $R := (u \gg 1) \& 1$ (direction), and an offset seed $\text{off} := ((u \gg 2) \oplus D[\text{idx} \bmod 32])$. Then:

- If $J=0$: step $\text{idx} \leftarrow \min(\text{idx}+1, N-1)$.
- If $J=1$ and $R=0$: jump forward by $1+(\text{off} \bmod (N-1-\text{idx}))$.
- If $J=1$ and $R=1$: jump backward by $1+(\text{off} \bmod \text{idx})$.

Reaching $\text{idx} = N-1$ triggers an epoch rollover: $e \leftarrow e+1$ and reseed.

2.5 Base Keystream Emission

The base keystream is the concatenation of table rows visited by the walker. When the current row is H , MCES emits the next $\min(32, \text{needed})$ bytes from H , then advances the walker as in §2.4. This produces an arbitrary-length stream $K_{\text{walker}}[0..)$ with deterministic random access (see §??).

2.6 Seekable Postmix Stream

A second, independent stream is generated by BLAKE3-XOF using a session string

$$\text{postmix} := \text{‘MCES2DU-POST\0\0\0\0’} \parallel k_{\text{stream}} \parallel \text{nonce}_{12} \parallel \text{ts_be}.$$

Let $\text{B3XOF}(M, \text{pos}, n)$ denote reading n bytes from the BLAKE3 XOF of message M starting at byte offset pos . The postmix keystream is

$$K_{\text{postmix}}[o..o+n) := \text{B3XOF}(\text{postmix}, o, n).$$

2.7 Encryption and MAC

Let P be the plaintext of length L . For every byte offset o :

$$C[o] = P[o] \oplus K_{\text{walker}}[o] \oplus K_{\text{postmix}}[o].$$

The MAC (32 B) is keyed BLAKE3 with domain separation:

$$\text{tag}_{32} := \text{BLAKE3}_{\text{key}=k_{\text{mac}}}^{\text{XOF}}(\text{‘MCES2DU-MAC-v1’} \parallel \text{header}_{61} \parallel \text{len}_8^{\text{LE}} \parallel C)[32].$$

3 Security of MCES

Goal. We establish authenticated encryption (AE) security of MCES in the standard sense: *confidentiality* (IND-CPA, upgraded to IND-CCA) and *integrity* (INT-CTXT). We also give a clear password-based security bound in the presence of offline guessers. Finally, we report empirical sanity checks consistent with the formal reduction (not used by the proof).

3.1 Construction (byte-accurate)

Let `Argon2id` be a memory-hard KDF. Given a password `pw`, salt `salt` $\in \{0, 1\}^{256}$ and parameters (t, m, λ) , derive

$$\text{OKM} \leftarrow \text{Argon2id}(\text{pw}, \text{salt}; t, m, \lambda) \quad \text{and split} \quad \text{OKM} = K_{\text{str}} \parallel K_{\text{mac}}.$$

A 61-byte header `Hdr` encodes:

- magic = “MCES” and version byte.
- salt = `BLAKE3`($T \parallel N$), with fresh timestamp $T \in \{0, 1\}^{64}$ and nonce $N \in \{0, 1\}^{96}$.
- KDF parameters (t, m, λ) .

Define the domain-separated *postmix* string

$$\text{PM} = \text{“MCES2DU-POST\0\0\0\0”} \parallel K_{\text{str}} \parallel N \parallel T.$$

Let `XOF` = `BLAKE3` in XOF mode and let `Walker`(K_{str}, \cdot) denote the internal (keyed) table-walker output in 32-byte slices. The keystream of length $|M|$ is

$$S = \text{Walker}(K_{\text{str}}, \cdot) \oplus \text{XOF}(\text{PM}).$$

Encryption is the XOR stream cipher $C = M \oplus S$. We authenticate via *encrypt-then-MAC*:

$$\text{Tag} = \text{BLAKE3_keyed}(K_{\text{mac}}, \text{Hdr} \parallel \langle |C| \rangle_{\text{LE}} \parallel C).$$

Decryption first verifies `Tag` in constant time and outputs $M = C \oplus S$ only if the tag holds.

3.2 Security models and assumptions

We work in the standard indistinguishability-from-random oracles / PRF framework:

- `BLAKE3-XOF` under domain separation behaves as a PRF on its input space; we use this for `XOF(PM)`.
- `BLAKE3` in keyed mode is a PRF-MAC (SUF-CMA).
- `Argon2id` acts as a salted memory-hard KDF; the output `OKM` is computationally indistinguishable from random to any adversary that does not know `pw`, while offline password guessing faces cost $\text{Cost}(t, m, \lambda)$ per try.
- Freshness: (T, N) are sampled freshly per encryption and included in `Hdr` and `PM`, preventing reuse of keystream masks across records.

3.3 A

ssume BLAKE3-XOF is a PRF on domain-separated inputs and BLAKE3 keyed mode is a PRF-MAC. Then MCES is an authenticated encryption scheme: it achieves IND-CCA confidentiality and INT-CTXT integrity. In the password setting, for any adversary \mathcal{A} running in time T with offline budget B , the IND-CPA advantage satisfies

$$\text{Adv}_{\mathcal{A}}^{\text{IND-CPA}} \leq \Pr[\text{guess pw}] + \varepsilon_{\text{PRF}}^{\text{XOF}} + \varepsilon_{\text{PRF-MAC}}^{\text{BLAKE3}} \quad \text{with} \quad \Pr[\text{guess pw}] \leq \frac{B}{\text{Cost}(t, m, \lambda)},$$

and the same negligible terms lift the result to IND-CCA via encrypt-then-MAC with verify-then-decrypt.

3.4 Proof sketch via games

Authenticity (INT-CTXT). Replace BLAKE3_keyed by a random function F . Any successful forgery $(\text{Hdr}, C, \text{Tag}')$ on a fresh (Hdr, C) implies distinguishing F from random, contradicting PRF-MAC security. Thus INT-CTXT holds.

Confidentiality (keystream masking). Let H_0 be the real world with $S = \text{Walker} \oplus \text{XOF}(\text{PM})$. In H_1 , replace $\text{XOF}(\text{PM})$ by a uniform mask R ; any distinguisher $H_0 \leftrightarrow H_1$ breaks the PRF/XOF assumption. In H_2 , replace the walker output by an arbitrary fixed string; since H_1 uses R , the XOR $R \oplus (\cdot)$ hides any structure, so $H_1 \equiv H_2$ for any poly-time adversary. Hence the keystream is computationally indistinguishable from uniform given the public header, yielding IND-CPA. By the standard encrypt-then-MAC composition with verify-then-decrypt, we upgrade to IND-CCA.

3.5 Password-bound discussion

In the presence of an offline dictionary adversary, security reduces to the hardness of guessing pw under Argon2id parameters (t, m, λ) (published in Hdr). Each guess costs at least $\text{Cost}(t, m, \lambda)$ memory-time units. Thus the adversary's best strategy is constrained by $B/\text{Cost}(t, m, \lambda)$ offline tries; all other terms are dominated by the negligible PRF and PRF-MAC advantages.

3.6 Empirical sanity (not used by the proof)

We executed a non-cryptographic sanity harness to check that the implementation behaves as predicted by the reduction. Each trial used $|M| = 65,536$ bytes; we performed 5,000 trials. Results:

- **INT-CTXT sanity (forgery attempts).** Forged tag acceptances: 0/5,000.
- **IND-style masking sanity.** Mean χ^2 on masked keystream vs. uniform: 255.3361 vs. 254.7214 (gap 0.6147). Mean serial correlation: -3.2290×10^{-5} vs. 2.1039×10^{-5} (gap 5.3329×10^{-5}). These gaps are consistent with no practical distinguisher at this scale.
- **IND-CCA sanity (verify-then-decrypt).** Modified-ciphertext acceptances: 0/5,000.

These measurements are merely corroborative; the formal argument relies only on the PRF/XOF and PRF-MAC assumptions and the EtM composition.

3.7 Implementation notes (for reviewers)

- *Key separation.* K_{str} and K_{mac} are independent parts of the KDF output; domain separation strings are fixed and disjoint (e.g., “MCES2DU-POST\0\0\0\0”).
- *Freshness.* (T, N) are fresh per encryption and hashed into salt and PM, ensuring per-record masking uniqueness.
- *Constant-time tag check and hygiene.* Tag comparison is constant-time; sensitive buffers are zeroized after use.

Conclusion. Under standard PRF/XOF and PRF-MAC assumptions for BLAKE3 (with domain separation) and memory-hard KDF assumptions for Argon2id, MCES achieves AE security. The postmix mask cleanly reduces confidentiality to the PRF/XOF assumption regardless of the internal walker details, and the MAC provides strong ciphertext integrity. The empirical harness shows no detectable gap from uniform at the tested scale and no forgery/acceptance events, aligning with the reduction.

3.8 NIST SP 800-22

For the NIST SP 800-22 (rev1a) test suite [1], we generated 200 sequences of 10^6 bits across multiple key sizes. MCES passed all test categories. Core tests such as Frequency, BlockFrequency, CumulativeSums, Runs, LongestRun, Rank, and FFT consistently achieved 196–200/200 passing proportions. No subtest fell below the acceptable range, and p -values were uniformly distributed, indicating no systematic bias.

Table 1: NIST SP 800–22 (rev1a) results for MCES keystream. Counts are per decile bin (C1–C10). Proportions are over 200 sequences unless noted (RandomExcursions/Variant over 125).

C1	C2	C3	C4	C5	C6	C7	C8	C9	C10	p -value	Proportion	Statistical Test
13	17	22	21	16	18	23	28	25	17	0.392456	199/200	Frequency
16	17	29	14	23	18	20	23	19	21	0.504219	200/200	BlockFrequency
15	15	16	29	17	17	25	24	28	14	0.083018	198/200	CumulativeSums
17	17	23	16	25	20	20	23	19	20	0.917870	200/200	CumulativeSums
23	27	22	18	17	17	16	8	18	34	0.008266	200/200	Runs
21	19	20	17	20	18	25	27	11	22	0.465415	197/200	LongestRun
21	20	20	18	20	19	13	17	29	23	0.564639	197/200	Rank
17	25	16	28	23	17	20	23	16	15	0.428095	199/200	FFT
20	19	16	13	17	26	26	18	19	26	0.401199	199/200	NonOverlappingTemplate
13	20	20	19	20	18	19	21	27	23	0.769527	197/200	NonOverlappingTemplate
23	13	28	22	24	21	20	23	9	17	0.118812	199/200	NonOverlappingTemplate
18	15	29	12	20	11	22	23	28	22	0.051942	199/200	NonOverlappingTemplate
20	24	21	15	21	17	22	20	18	22	0.955835	197/200	NonOverlappingTemplate
17	27	19	23	19	19	16	13	27	20	0.419021	197/200	NonOverlappingTemplate
20	18	24	18	16	20	36	11	21	16	0.019857	198/200	NonOverlappingTemplate
21	21	19	23	18	16	23	14	16	29	0.465415	200/200	NonOverlappingTemplate
25	15	20	20	23	16	28	16	19	18	0.534146	197/200	NonOverlappingTemplate
22	29	19	21	19	19	15	21	19	16	0.678686	196/200	NonOverlappingTemplate
21	18	29	19	22	16	18	25	21	11	0.282626	199/200	NonOverlappingTemplate
16	16	20	15	21	17	27	18	29	21	0.342451	196/200	NonOverlappingTemplate
18	24	17	17	19	16	21	21	23	24	0.904708	198/200	NonOverlappingTemplate
20	22	20	16	30	20	20	21	13	18	0.465415	199/200	NonOverlappingTemplate
15	15	27	16	17	29	17	21	19	24	0.236810	199/200	NonOverlappingTemplate
16	24	17	20	22	21	28	20	12	20	0.465415	197/200	NonOverlappingTemplate
25	16	21	26	19	19	18	20	20	16	0.834308	200/200	NonOverlappingTemplate
14	24	17	31	26	21	17	16	17	17	0.158133	198/200	NonOverlappingTemplate
24	23	21	21	20	20	24	13	19	15	0.749884	198/200	NonOverlappingTemplate

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C1	C2	C3	C4	C5	C6	C7	C8	C9	C10	p-value	Proportion	Statistical Test
24	18	19	21	16	21	23	13	22	23	0.788728	198/200	NonOverlappingTemplate
20	19	16	16	29	15	21	22	26	16	0.366918	197/200	NonOverlappingTemplate
26	17	19	13	24	24	20	13	22	22	0.419021	197/200	NonOverlappingTemplate
17	17	28	26	16	24	16	16	25	15	0.236810	198/200	NonOverlappingTemplate
18	16	20	19	12	28	22	19	25	21	0.437274	198/200	NonOverlappingTemplate
18	19	20	21	23	20	19	15	21	24	0.968128	199/200	NonOverlappingTemplate
25	20	20	15	17	25	20	27	19	12	0.358641	196/200	NonOverlappingTemplate
11	17	20	28	19	24	19	19	21	22	0.446556	199/200	NonOverlappingTemplate
21	18	27	24	20	15	25	14	21	15	0.428095	197/200	NonOverlappingTemplate
18	22	25	18	24	20	24	18	19	12	0.647530	197/200	NonOverlappingTemplate
16	25	19	15	23	23	20	27	12	20	0.358641	197/200	NonOverlappingTemplate
15	23	27	22	19	19	14	15	16	30	0.149495	196/200	NonOverlappingTemplate
23	19	16	18	24	23	24	16	27	10	0.224821	197/200	NonOverlappingTemplate
16	17	20	15	22	19	19	25	23	24	0.807412	196/200	NonOverlappingTemplate
22	23	23	23	22	12	21	14	15	25	0.410055	199/200	NonOverlappingTemplate
24	17	23	26	21	17	20	14	22	16	0.657933	197/200	NonOverlappingTemplate
22	18	22	20	18	23	18	14	18	27	0.749884	197/200	NonOverlappingTemplate
18	25	23	15	16	19	13	25	24	22	0.465415	198/200	NonOverlappingTemplate
22	21	19	19	19	19	16	18	26	21	0.951205	198/200	NonOverlappingTemplate
19	26	21	20	19	16	22	21	18	18	0.946308	199/200	NonOverlappingTemplate
18	23	21	20	24	23	14	23	20	14	0.739918	199/200	NonOverlappingTemplate
20	19	20	18	18	22	25	21	22	15	0.946308	196/200	NonOverlappingTemplate
22	26	10	14	15	19	26	23	17	28	0.066882	197/200	NonOverlappingTemplate
30	18	18	21	29	17	17	17	20	13	0.149495	198/200	NonOverlappingTemplate
26	18	9	22	23	19	27	21	19	16	0.207730	195/200	NonOverlappingTemplate
17	21	14	26	13	28	17	25	20	19	0.242986	199/200	NonOverlappingTemplate
14	24	22	18	19	14	22	23	20	24	0.709558	199/200	NonOverlappingTemplate
23	17	29	18	20	18	20	19	18	18	0.759756	196/200	NonOverlappingTemplate
16	19	22	23	17	20	13	29	21	20	0.484646	198/200	NonOverlappingTemplate
14	21	21	25	27	16	24	15	20	17	0.446556	198/200	NonOverlappingTemplate
24	18	27	21	16	18	19	25	14	18	0.554420	196/200	NonOverlappingTemplate
18	24	21	11	22	20	24	21	22	17	0.657933	199/200	NonOverlappingTemplate
21	18	27	13	26	22	14	19	26	14	0.181557	200/200	NonOverlappingTemplate
11	15	31	15	15	20	26	24	20	23	0.050305	199/200	NonOverlappingTemplate
16	30	13	13	22	18	17	25	22	24	0.129620	199/200	NonOverlappingTemplate
17	19	20	18	18	15	25	28	23	17	0.585209	198/200	NonOverlappingTemplate
17	17	19	21	24	16	11	25	25	25	0.319084	199/200	NonOverlappingTemplate
24	21	24	30	19	14	15	21	19	13	0.196920	197/200	NonOverlappingTemplate
21	24	21	22	14	11	20	20	22	25	0.494392	197/200	NonOverlappingTemplate
25	15	23	19	22	17	18	20	24	17	0.825505	198/200	NonOverlappingTemplate
29	13	18	21	26	14	14	19	22	24	0.153763	198/200	NonOverlappingTemplate
28	11	26	14	20	21	20	19	17	24	0.202268	197/200	NonOverlappingTemplate
19	31	19	21	22	12	19	17	19	21	0.334538	198/200	NonOverlappingTemplate
23	23	17	18	21	18	18	16	24	22	0.924076	198/200	NonOverlappingTemplate
20	24	21	25	19	21	17	20	17	16	0.917870	195/200	NonOverlappingTemplate
26	18	23	18	22	24	19	17	19	14	0.739918	197/200	NonOverlappingTemplate
21	20	25	20	16	21	16	15	24	22	0.816537	198/200	NonOverlappingTemplate
17	19	19	22	16	24	23	18	25	17	0.859637	200/200	NonOverlappingTemplate
16	20	14	21	11	29	21	31	22	15	0.031848	199/200	NonOverlappingTemplate
13	23	27	30	15	15	18	20	19	20	0.158133	200/200	NonOverlappingTemplate
17	25	24	24	21	15	14	22	21	17	0.626709	196/200	NonOverlappingTemplate
17	19	22	24	16	17	13	25	22	25	0.544254	197/200	NonOverlappingTemplate
19	19	22	19	20	20	20	21	19	21	0.999970	199/200	NonOverlappingTemplate
13	27	15	19	17	19	32	22	16	20	0.093720	199/200	NonOverlappingTemplate
13	24	23	21	15	20	16	22	21	25	0.605916	198/200	NonOverlappingTemplate
24	19	27	19	14	19	21	22	21	14	0.605916	199/200	OverlappingTemplate
20	19	14	27	33	26	12	20	18	11	0.008879	198/200	Universal
23	19	26	21	20	22	20	13	15	21	0.709558	199/200	ApproximateEntropy
16	10	11	14	13	11	13	18	11	8	0.663130	124/125	RandomExcursions
18	10	13	10	12	17	9	10	18	8	0.258961	125/125	RandomExcursions
11	16	8	4	18	14	14	16	15	9	0.103035	125/125	RandomExcursions
11	14	15	10	12	8	15	15	11	14	0.855534	125/125	RandomExcursions
7	13	12	16	13	13	17	15	8	11	0.542566	124/125	RandomExcursions
18	9	8	15	11	8	19	10	17	10	0.119392	124/125	RandomExcursions
18	13	10	13	15	10	9	13	14	10	0.731550	121/125	RandomExcursions
16	6	11	13	9	17	14	13	16	10	0.399734	123/125	RandomExcursions

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C1	C2	C3	C4	C5	C6	C7	C8	C9	C10	p -value	Proportion	Statistical Test
13	8	12	11	9	16	17	16	11	12	0.628443	123/125	RandomExcursionsVariant
12	11	10	5	17	16	11	14	19	10	0.174249	124/125	RandomExcursionsVariant
12	12	5	16	14	7	14	14	14	17	0.281464	124/125	RandomExcursionsVariant
15	5	13	11	9	13	15	8	19	17	0.119392	123/125	RandomExcursionsVariant
17	7	8	16	11	10	18	9	14	15	0.208652	125/125	RandomExcursionsVariant
15	12	8	10	14	10	10	10	17	19	0.357274	123/125	RandomExcursionsVariant
6	14	17	15	10	8	14	14	13	14	0.445002	123/125	RandomExcursionsVariant
10	12	13	17	15	5	16	10	10	13	0.399734	125/125	RandomExcursionsVariant
8	16	17	13	15	10	9	11	16	10	0.492762	124/125	RandomExcursionsVariant
14	9	9	10	14	17	12	15	10	15	0.697600	124/125	RandomExcursionsVariant
12	12	11	10	15	17	14	13	9	12	0.881915	123/125	RandomExcursionsVariant
9	13	14	12	15	5	17	11	13	16	0.385257	124/125	RandomExcursionsVariant
10	9	18	16	12	14	13	10	10	13	0.680410	124/125	RandomExcursionsVariant
12	15	16	9	12	18	13	9	15	6	0.317818	125/125	RandomExcursionsVariant
11	14	17	12	10	11	17	7	14	12	0.593823	123/125	RandomExcursionsVariant
10	13	15	13	10	15	13	15	9	12	0.916811	124/125	RandomExcursionsVariant
12	12	11	15	13	15	12	8	13	14	0.945466	124/125	RandomExcursionsVariant
14	11	9	10	19	13	14	8	15	12	0.525771	125/125	RandomExcursionsVariant
18	15	23	19	22	22	21	20	19	21	0.980883	199/200	Serial
14	18	19	19	23	25	13	29	21	19	0.319084	199/200	Serial
15	22	15	14	27	17	20	22	23	25	0.410055	199/200	LinearComplexity
<i>NIST minimum pass rate: $\approx 193/200$ for most tests; $\approx 120/125$ for RandomExcursions(Variant).</i>												

3.9 Dieharder

The Dieharder suite (v3.31.1) was executed with 100 samples per test on 100 MB keystreams. MCES passed every test in the battery, including the most sensitive cases (e.g., Marsaglia–Tsang GCD, OPSO/OQSO, lagged sums). No WEAK or FAILED assessments were observed, with all p -values lying within expected confidence intervals.

Table 2: Dieharder (v3.31.1) results for MCES keystream. All tests passed.

Test Name	ntup	tsamples	psamples	p -value	Assessment
diehard_birthdays	0	100	100	0.96295231	PASSED
diehard_operm5	0	1000000	100	0.14372555	PASSED
diehard_rank_32x32	0	40000	100	0.50230183	PASSED
diehard_rank_6x8	0	100000	100	0.03782506	PASSED
diehard_bitstream	0	2097152	100	0.14919477	PASSED
diehard_opso	0	2097152	100	0.00514229	PASSED
diehard_oqso	0	2097152	100	0.94258884	PASSED
diehard_dna	0	2097152	100	0.22532051	PASSED
diehard_count_1s_str	0	256000	100	0.81082814	PASSED
diehard_count_1s_byt	0	256000	100	0.23908340	PASSED
diehard_parking_lot	0	12000	100	0.18103491	PASSED
diehard_2dsphere	2	8000	100	0.49373616	PASSED
diehard_3dsphere	3	4000	100	0.77749845	PASSED
diehard_squeeze	0	100000	100	0.13589375	PASSED
diehard_sums	0	100	100	0.22601624	PASSED
diehard_runs	0	100000	100	0.02668232	PASSED
diehard_runs	0	100000	100	0.63517538	PASSED
diehard_craps	0	200000	100	0.98533286	PASSED
diehard_craps	0	200000	100	0.80795612	PASSED
marsaglia_tsang_gcd	0	10000000	100	0.85529437	PASSED
marsaglia_tsang_gcd	0	10000000	100	0.92654882	PASSED
sts_monobit	1	100000	100	0.65028346	PASSED
sts_runs	2	100000	100	0.99039185	PASSED
sts_serial	1	100000	100	0.01720287	PASSED
sts_serial	2	100000	100	0.69128779	PASSED
sts_serial	3	100000	100	0.97715468	PASSED

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Test Name	ntup	tsamples	psamples	p-value	Assessment
sts_serial	3	100000	100	0.31725069	PASSED
sts_serial	4	100000	100	0.92675303	PASSED
sts_serial	4	100000	100	0.76576188	PASSED
sts_serial	5	100000	100	0.23653589	PASSED
sts_serial	5	100000	100	0.32571574	PASSED
sts_serial	6	100000	100	0.06675247	PASSED
sts_serial	6	100000	100	0.78829662	PASSED
sts_serial	7	100000	100	0.03121590	PASSED
sts_serial	7	100000	100	0.05636585	PASSED
sts_serial	8	100000	100	0.33390388	PASSED
sts_serial	8	100000	100	0.90130940	PASSED
sts_serial	9	100000	100	0.95399603	PASSED
sts_serial	9	100000	100	0.33329183	PASSED
sts_serial	10	100000	100	0.86906359	PASSED
sts_serial	10	100000	100	0.98054259	PASSED
sts_serial	11	100000	100	0.03662335	PASSED
sts_serial	11	100000	100	0.17301005	PASSED
sts_serial	12	100000	100	0.80832697	PASSED
sts_serial	12	100000	100	0.57004599	PASSED
sts_serial	13	100000	100	0.58298913	PASSED
sts_serial	13	100000	100	0.62526306	PASSED
sts_serial	14	100000	100	0.39789445	PASSED
sts_serial	14	100000	100	0.87274463	PASSED
sts_serial	15	100000	100	0.65410819	PASSED
sts_serial	15	100000	100	0.48565176	PASSED
sts_serial	16	100000	100	0.89038598	PASSED
sts_serial	16	100000	100	0.86265972	PASSED
rgb_bitdist	1	100000	100	0.77129392	PASSED
rgb_bitdist	2	100000	100	0.31515714	PASSED
rgb_bitdist	3	100000	100	0.90695108	PASSED
rgb_bitdist	4	100000	100	0.08675859	PASSED
rgb_bitdist	5	100000	100	0.69998704	PASSED
rgb_bitdist	6	100000	100	0.30205164	PASSED
rgb_bitdist	7	100000	100	0.81703409	PASSED
rgb_bitdist	8	100000	100	0.67449125	PASSED
rgb_bitdist	9	100000	100	0.20926783	PASSED
rgb_bitdist	10	100000	100	0.79829600	PASSED
rgb_bitdist	11	100000	100	0.94320134	PASSED
rgb_bitdist	12	100000	100	0.57190018	PASSED
rgb_minimum_distance	2	10000	1000	0.18919283	PASSED
rgb_minimum_distance	3	10000	1000	0.83588592	PASSED
rgb_minimum_distance	4	10000	1000	0.86071719	PASSED
rgb_minimum_distance	5	10000	1000	0.01865300	PASSED
rgb_permutations	2	100000	100	0.10439714	PASSED
rgb_permutations	3	100000	100	0.71879358	PASSED
rgb_permutations	4	100000	100	0.98627956	PASSED
rgb_permutations	5	100000	100	0.34031855	PASSED
rgb_lagged_sum	0	1000000	100	0.24621609	PASSED
rgb_lagged_sum	1	1000000	100	0.10414689	PASSED
rgb_lagged_sum	2	1000000	100	0.07571290	PASSED
rgb_lagged_sum	3	1000000	100	0.79432312	PASSED
rgb_lagged_sum	4	1000000	100	0.95214686	PASSED
rgb_lagged_sum	5	1000000	100	0.48113750	PASSED
rgb_lagged_sum	6	1000000	100	0.50725686	PASSED
rgb_lagged_sum	7	1000000	100	0.93312392	PASSED
rgb_lagged_sum	8	1000000	100	0.98233678	PASSED
rgb_lagged_sum	9	1000000	100	0.02849397	PASSED
rgb_lagged_sum	10	1000000	100	0.89910656	PASSED
rgb_lagged_sum	11	1000000	100	0.96045422	PASSED
rgb_lagged_sum	12	1000000	100	0.34929952	PASSED
rgb_lagged_sum	13	1000000	100	0.21732286	PASSED
rgb_lagged_sum	14	1000000	100	0.32732665	PASSED
rgb_lagged_sum	15	1000000	100	0.95290625	PASSED
rgb_lagged_sum	16	1000000	100	0.10601089	PASSED
rgb_lagged_sum	17	1000000	100	0.03197953	PASSED
rgb_lagged_sum	18	1000000	100	0.71120248	PASSED

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Test Name	ntup	tsamples	psamples	p-value	Assessment
rgb_lagged_sum	19	1000000	100	0.57544068	PASSED
rgb_lagged_sum	20	1000000	100	0.61256856	PASSED
rgb_lagged_sum	21	1000000	100	0.26153625	PASSED
rgb_lagged_sum	22	1000000	100	0.78907064	PASSED
rgb_lagged_sum	23	1000000	100	0.20414073	PASSED
rgb_lagged_sum	24	1000000	100	0.37495732	PASSED
rgb_lagged_sum	25	1000000	100	0.10422520	PASSED
rgb_lagged_sum	26	1000000	100	0.49795366	PASSED
rgb_lagged_sum	27	1000000	100	0.46082884	PASSED
rgb_lagged_sum	28	1000000	100	0.56083809	PASSED
rgb_lagged_sum	29	1000000	100	0.68881771	PASSED
rgb_lagged_sum	30	1000000	100	0.45575642	PASSED
rgb_lagged_sum	31	1000000	100	0.88184741	PASSED
rgb_lagged_sum	32	1000000	100	0.73893567	PASSED
rgb_kstest_test	0	10000	1000	0.16850886	PASSED
dab_bytedistrib	0	51200000	1	0.65049358	PASSED
dab_dct	256	50000	1	0.43126753	PASSED
dab_filltree	32	15000000	1	0.96710812	PASSED
dab_filltree	32	15000000	1	0.97300702	PASSED
dab_filltree2	0	5000000	1	0.74376862	PASSED
dab_filltree2	1	5000000	1	0.71042727	PASSED
dab_monobit2	12	65000000	1	0.66599936	PASSED
<i>All Dieharder tests PASSED; full log available in supplement.</i>					

3.10 PractRand Testing

In addition to NIST STS and Dieharder, we evaluated MCES using the **PractRand** statistical test suite (version 0.95). PractRand is widely regarded as a stringent and adaptive battery: it incrementally consumes the cipher’s output stream and applies progressively deeper tests at larger input sizes, reporting when p -values deviate from expected distributions. Unlike fixed-size batteries, PractRand is designed to surface subtle or long-range correlations that may only appear after gigabytes of output.

We supplied MCES keystream directly to PractRand in 32-bit folding mode (`RNG_stdin32`). The suite was executed continuously across scales from 2^{28} bytes (256 MB) up to 2^{40} bytes (1 terabyte). At each scale, PractRand reported the full set of core tests (frequency, autocorrelation, compression, permutation, and others). Across all stages—256 MB, 512 MB, 1 GB, 2 GB, 4 GB, 8 GB, 16 GB, 32 GB, 64 GB, 128 GB, 256 GB, 512 GB, and 1 TB—*no anomalies were observed in any test category*. The final report at 1 TB indicated that 304 distinct tests had been executed, all producing p -values consistent with randomness.

Passing PractRand at the terabyte scale is a significant result: even small biases or linear structures tend to accumulate and trigger anomalies long before this threshold. While passing statistical batteries does not in itself constitute a proof of cryptographic security, sustained clean output at this scale supports the claim that MCES’s keystream is free from detectable statistical weaknesses under current best-practice randomness testing.

Table 3: PractRand statistical test results for MCES ciphertext stream (Rust implementation). No anomalies detected at any scale.

Size	Bytes (2^n)	Time (s)	Tests Run	Anomalies
256 MB	2^{28}	3.2	165	None
512 MB	2^{29}	6.7	178	None
1 GB	2^{30}	13.4	192	None
2 GB	2^{31}	25.8	204	None
4 GB	2^{32}	50.8	216	None
8 GB	2^{33}	98.8	229	None
16 GB	2^{34}	192	240	None
32 GB	2^{35}	375	251	None
64 GB	2^{36}	751	263	None
128 GB	2^{37}	1497	273	None
256 GB	2^{38}	3036	284	None
512 GB	2^{39}	6207	295	None
1 TB	2^{40}	12478	304	None

3.11 TestU01 BigCrush Statistical Testing

To further validate the randomness and robustness of the MCES keystream, we subjected it to the full TestU01 BigCrush battery—one of the most comprehensive and demanding statistical test suites available for pseudorandom generators. The BigCrush suite includes 160 distinct tests covering a wide spectrum of statistical properties, including frequency, serial correlation, permutation, birthday spacing, matrix rank, and advanced tests such as Hamming weight, random walks, and spectral analysis.

MCES passed all 160 BigCrush tests, with no suspect or failed p -values. This level of performance across the most rigorous available test suite provides strong evidence that MCES keystreams exhibit no detectable statistical flaws or short- or long-range correlations under current best-practice random number analysis.

Table 4: TestU01 BigCrush statistical test results for MCES keystream. All 160 tests passed with no suspect or failed p -values. Representative results shown.

Test Name	p-value	Assessment
SerialOver (Delta=1)	0.11	Passed
SerialOver (Delta=1, r=22)	0.52	Passed
CollisionOver (r=0)	0.25	Passed
CollisionOver (r=9)	0.91	Passed
CollisionOver (r=0, d=16384)	0.25	Passed
CollisionOver (r=16, d=16384)	0.04	Passed
CollisionOver (r=0, d=64)	0.63	Passed
CollisionOver (r=24, d=64)	0.13	Passed
CollisionOver (r=0, d=8)	0.30	Passed
CollisionOver (r=27, d=8)	0.41	Passed
CollisionOver (r=0, d=4)	5.3×10^{-3}	Passed
CollisionOver (r=28, d=4)	0.38	Passed
BirthdaySpacings (r=0, d=2G)	0.75	Passed
BirthdaySpacings (r=0, d=2M)	0.13	Passed
BirthdaySpacings (r=14, d=64K)	0.86	Passed
BirthdaySpacings (r=0, d=512, t=7)	0.82	Passed
BirthdaySpacings (r=7, d=512, t=7)	0.98	Passed

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Test Name	p-value	Assessment
BirthdaySpacings (r=14, d=256, t=8)	0.48	Passed
BirthdaySpacings (r=22, d=256, t=8)	0.62	Passed
BirthdaySpacings (r=0, d=16, t=16)	0.74	Passed
BirthdaySpacings (r=26, d=16, t=16)	0.43	Passed
ClosePairs (NP, t=3)	0.9907	Passed
ClosePairs (NP, t=5)	0.46	Passed
ClosePairs (NP, t=9)	0.75	Passed
ClosePairs (NP, t=16)	0.70	Passed
ClosePairs (A2, t=3)	0.10	Passed
ClosePairs (Wn,i, t=3)	0.53	Passed
ClosePairs (Jumps, t=3)	0.13	Passed
ClosePairs (mNP2, t=3)	0.38	Passed
ClosePairs (mNP2-S, t=3)	0.14	Passed
SimpPoker (d=8, k=8)	0.45	Passed
SimpPoker (d=8, k=8, r=27)	0.79	Passed
SimpPoker (d=32, k=32)	0.36	Passed
SimpPoker (d=32, k=32, r=25)	0.59	Passed
CouponCollector (d=8)	0.72	Passed
CouponCollector (d=8, r=10)	0.68	Passed
CouponCollector (d=8, r=20)	0.26	Passed
CouponCollector (d=8, r=27)	0.52	Passed
Gap (Alpha=0, Beta=0.0625)	0.70	Passed
Gap (Alpha=0, Beta=0.03125, r=25)	0.57	Passed
Gap (Alpha=0, Beta=0.0078)	0.40	Passed
Gap (Alpha=0, Beta=0.00098, r=20)	0.30	Passed
Run (Up=FALSE) KS+	0.80	Passed
Run (Up=FALSE) KS-	0.08	Passed
Run (Up=FALSE) A2	0.09	Passed
Run (Up=FALSE) Chi2	0.03	Passed
Run (Up=TRUE, r=15) KS+	0.94	Passed
Run (Up=TRUE, r=15) KS-	0.10	Passed
Run (Up=TRUE, r=15) A2	0.25	Passed
Run (Up=TRUE, r=15) Chi2	0.13	Passed
Permutation (t=3)	0.66	Passed
Permutation (t=5)	0.91	Passed
Permutation (t=7)	0.51	Passed
Permutation (t=10)	0.85	Passed
CollisionPermut (t=14)	0.12	Passed
CollisionPermut (t=14, r=10)	0.29	Passed
MaxOft (d=100000, t=8) KS+	0.77	Passed
MaxOft (d=100000, t=8) KS-	0.13	Passed
MaxOft (d=100000, t=8) A2	0.13	Passed
MaxOft (d=100000, t=8) Chi2	0.11	Passed
MaxOft (d=100000, t=8) KS+ (AD)	0.68	Passed
MaxOft (d=100000, t=8) KS- (AD)	0.25	Passed
MaxOft (d=100000, t=8) A2 (AD)	0.60	Passed
MaxOft (d=100000, t=16) KS+	0.05	Passed
MaxOft (d=100000, t=16) KS-	0.48	Passed
MaxOft (d=100000, t=16) A2	0.25	Passed
MaxOft (d=100000, t=16) Chi2	0.76	Passed
MaxOft (d=100000, t=16) KS+ (AD)	0.82	Passed
MaxOft (d=100000, t=16) KS- (AD)	0.48	Passed
MaxOft (d=100000, t=16) A2 (AD)	0.82	Passed
MaxOft (d=100000, t=24) KS+	0.44	Passed
MaxOft (d=100000, t=24) KS-	0.84	Passed
MaxOft (d=100000, t=24) A2	0.60	Passed
MaxOft (d=100000, t=24) Chi2	0.80	Passed
MaxOft (d=100000, t=24) KS+ (AD)	0.05	Passed
MaxOft (d=100000, t=24) KS- (AD)	0.97	Passed
MaxOft (d=100000, t=24) A2 (AD)	0.10	Passed
MaxOft (d=100000, t=32) KS+	0.48	Passed
MaxOft (d=100000, t=32) KS-	0.38	Passed
MaxOft (d=100000, t=32) A2	0.57	Passed
MaxOft (d=100000, t=32) Chi2	0.53	Passed
MaxOft (d=100000, t=32) KS+ (AD)	0.04	Passed
MaxOft (d=100000, t=32) KS- (AD)	0.9960	Passed

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Test Name	p-value	Assessment
MaxOfT (d=100000, t=32) A2 (AD)	0.01	Passed
SampleProd (t=8) KS+	0.46	Passed
SampleProd (t=8) KS-	0.06	Passed
SampleProd (t=8) A2	0.12	Passed
SampleProd (t=16) KS+	0.87	Passed
SampleProd (t=16) KS-	0.24	Passed
SampleProd (t=16) A2	0.55	Passed
SampleProd (t=24) KS+	0.08	Passed
SampleProd (t=24) KS-	0.59	Passed
SampleProd (t=24) A2	0.18	Passed
SampleMean (N=20000000, n=30, r=0) KS+	0.96	Passed
SampleMean (N=20000000, n=30, r=0) KS-	0.14	Passed
SampleMean (N=20000000, n=30, r=0) A2	0.15	Passed
SampleMean (N=20000000, n=30, r=10) KS+	0.95	Passed
SampleMean (N=20000000, n=30, r=10) KS-	0.01	Passed
SampleMean (N=20000000, n=30, r=10) A2	0.02	Passed
SampleCorr (k=1) Normal stat	0.45	Passed
SampleCorr (k=2) Normal stat	0.02	Passed
AppearanceSpacings (r=0)	0.93	Passed
AppearanceSpacings (r=27)	0.50	Passed
WeightDistrib (k=256, Beta=0.25)	0.85	Passed
WeightDistrib (k=256, Beta=0.25, r=20)	0.77	Passed
WeightDistrib (k=256, Beta=0.25, r=28)	0.21	Passed
WeightDistrib (k=256, Beta=0.0625)	0.89	Passed
WeightDistrib (k=256, Beta=0.0625, r=10)	0.99	Passed
WeightDistrib (k=256, Beta=0.0625, r=26)	0.23	Passed
SumCollector (g=10)	0.23	Passed
MatrixRank (N=10, L=30) KS+	0.59	Passed
MatrixRank (N=10, L=30) KS-	0.48	Passed
MatrixRank (N=10, L=30) A2	0.91	Passed
MatrixRank (N=10, L=30) Chi2	0.53	Passed
MatrixRank (N=10, L=30, r=25) KS+	0.19	Passed
MatrixRank (N=10, L=30, r=25) KS-	0.66	Passed
MatrixRank (N=10, L=30, r=25) A2	0.32	Passed
MatrixRank (N=10, L=30, r=25) Chi2	0.54	Passed
MatrixRank (N=1, n=5000, L=1000)	0.41	Passed
MatrixRank (N=1, n=5000, r=26, L=1000)	0.73	Passed
MatrixRank (N=1, n=80, r=15, L=5000)	0.74	Passed
MatrixRank (N=1, n=80, L=5000)	0.13	Passed
Savir2 (m=1048576) KS+	0.15	Passed
Savir2 (m=1048576) KS-	0.58	Passed
Savir2 (m=1048576) A2	0.37	Passed
Savir2 (m=1048576) Chi2	0.49	Passed
GCD (s=30) KS+	0.89	Passed
GCD (s=30) KS-	0.21	Passed
GCD (s=30) A2	0.21	Passed
GCD (s=30) Chi2	0.10	Passed
RandomWalk1 (L0=50) H	0.85	Passed
RandomWalk1 (L0=50) M	0.72	Passed
RandomWalk1 (L0=50) J	0.48	Passed
RandomWalk1 (L0=50) R	0.94	Passed
RandomWalk1 (L0=50) C	0.33	Passed
RandomWalk1 (L0=50, r=25) H	0.96	Passed
RandomWalk1 (L0=50, r=25) M	0.59	Passed
RandomWalk1 (L0=50, r=25) J	0.86	Passed
RandomWalk1 (L0=50, r=25) R	0.75	Passed
RandomWalk1 (L0=50, r=25) C	0.84	Passed
RandomWalk1 (L0=1000) H	0.65	Passed
RandomWalk1 (L0=1000) M	0.33	Passed
RandomWalk1 (L0=1000) J	0.57	Passed
RandomWalk1 (L0=1000) R	0.76	Passed
RandomWalk1 (L0=1000) C	0.34	Passed
RandomWalk1 (L0=1000, r=20) H	0.36	Passed
RandomWalk1 (L0=1000, r=20) M	0.99	Passed
RandomWalk1 (L0=1000, r=20) J	0.02	Passed
RandomWalk1 (L0=1000, r=20) R	0.09	Passed

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Test Name	p-value	Assessment
RandomWalk1 (L0=1000, r=20) C	0.12	Passed
RandomWalk1 (L0=10000) H	0.23	Passed
RandomWalk1 (L0=10000) M	0.76	Passed
RandomWalk1 (L0=10000) J	0.31	Passed
RandomWalk1 (L0=10000) R	0.85	Passed
RandomWalk1 (L0=10000) C	0.38	Passed
RandomWalk1 (L0=10000, r=15) H	0.52	Passed
RandomWalk1 (L0=10000, r=15) M	0.47	Passed
RandomWalk1 (L0=10000, r=15) J	0.06	Passed
RandomWalk1 (L0=10000, r=15) R	0.62	Passed
RandomWalk1 (L0=10000, r=15) C	0.72	Passed
LinearComp (s=1) Chi2	0.52	Passed
LinearComp (s=1) Normal	0.93	Passed
LinearComp (s=1, r=29) Chi2	0.85	Passed
LinearComp (s=1, r=29) Normal	0.88	Passed
LempelZiv (k=27) KS+	0.47	Passed
LempelZiv (k=27) KS-	0.16	Passed
LempelZiv (k=27) A2	0.34	Passed
LempelZiv (k=27) Normal	0.44	Passed
LempelZiv (k=27) Var	0.31	Passed
LempelZiv (k=27, r=15) KS+	0.55	Passed
LempelZiv (k=27, r=15) KS-	0.38	Passed
LempelZiv (k=27, r=15) A2	0.77	Passed
LempelZiv (k=27, r=15) Normal	0.34	Passed
LempelZiv (k=27, r=15) Var	0.60	Passed
Fourier3 KS+	0.30	Passed
Fourier3 KS-	0.69	Passed
Fourier3 A2	0.78	Passed
Fourier3 (r=27) KS+	0.38	Passed
Fourier3 (r=27) KS-	0.56	Passed
Fourier3 (r=27) A2	0.42	Passed
LongestHeadRun Chi2	0.04	Passed
LongestHeadRun LongestRun	0.44	Passed
LongestHeadRun (r=27) Chi2	0.81	Passed
LongestHeadRun (r=27) LongestRun	0.50	Passed
PeriodsInStrings KS+	0.57	Passed
PeriodsInStrings KS-	0.17	Passed
PeriodsInStrings A2	0.14	Passed
PeriodsInStrings Chi2	0.09	Passed
PeriodsInStrings (r=20) KS+	0.30	Passed
PeriodsInStrings (r=20) KS-	0.33	Passed
PeriodsInStrings (r=20) A2	0.38	Passed
PeriodsInStrings (r=20) Chi2	0.62	Passed
HammingWeight2 KS+	0.85	Passed
HammingWeight2 KS-	0.31	Passed
HammingWeight2 A2	0.87	Passed
HammingWeight2 Chi2	0.39	Passed
HammingWeight2 (r=27) KS+	0.38	Passed
HammingWeight2 (r=27) KS-	0.43	Passed
HammingWeight2 (r=27) A2	0.22	Passed
HammingWeight2 (r=27) Chi2	0.67	Passed
HammingCorr (N=1, n=1e9, r=10, L=30)	0.33	Passed
HammingCorr (N=1, n=1e8, r=10, L=300)	0.57	Passed
HammingCorr (N=1, n=1e8, r=10, L=1200)	0.21	Passed
HammingIndep KS+	0.30	Passed
HammingIndep KS-	0.86	Passed
HammingIndep A2	0.61	Passed
HammingIndep Chi2	0.77	Passed
HammingIndep (r=27) KS+	0.71	Passed
HammingIndep (r=27) KS-	0.25	Passed
HammingIndep (r=27) A2	0.66	Passed
HammingIndep (r=27) Chi2	0.27	Passed
HammingIndep (N=1, s=4, L=300) Chi2	0.81	Passed
HammingIndep (N=1, s=4, L=300, r=26) Chi2	0.56	Passed
HammingIndep (N=1, s=5, L=1200) Chi2	0.36	Passed
HammingIndep (N=1, s=5, L=1200, r=25) Chi2	0.08	Passed

Continued on next page

Test Name	p-value	Assessment
sstring_Run (N=1, n=2e9) Chi2	0.07	Passed
sstring_Run (N=1, n=2e9) Normal	0.72	Passed
sstring_Run (N=1, n=2e9, r=27) Chi2	0.02	Passed
sstring_Run (N=1, n=2e9, r=27) Normal	0.91	Passed
sstring_AutoCor KS+	0.22	Passed
sstring_AutoCor KS-	0.96	Passed
sstring_AutoCor A2	0.63	Passed
sstring_AutoCor Normal	0.82	Passed
sstring_AutoCor Variance	0.68	Passed
sstring_AutoCor (d=3) KS+	0.08	Passed
sstring_AutoCor (d=3) KS-	0.70	Passed
sstring_AutoCor (d=3) A2	0.17	Passed
sstring_AutoCor (d=3) Normal	0.88	Passed
sstring_AutoCor (d=3) Variance	0.91	Passed
sstring_AutoCor (r=27, d=1) KS+	0.91	Passed
sstring_AutoCor (r=27, d=1) KS-	0.03	Passed
sstring_AutoCor (r=27, d=1) A2	0.09	Passed
sstring_AutoCor (r=27, d=1) Normal	0.09	Passed
sstring_AutoCor (r=27, d=1) Variance	0.17	Passed
sstring_AutoCor (r=27, d=3) KS+	0.03	Passed
sstring_AutoCor (r=27, d=3) KS-	0.94	Passed
sstring_AutoCor (r=27, d=3) A2	0.20	Passed
sstring_AutoCor (r=27, d=3) Normal	0.93	Passed
sstring_AutoCor (r=27, d=3) Variance	0.42	Passed
sstring_AutoCor (N=10, d=1) KS+	0.30	Passed
sstring_AutoCor (N=10, d=1) KS-	0.69	Passed
sstring_AutoCor (N=10, d=1) A2	0.78	Passed
sstring_AutoCor (N=10, d=1) Normal	0.44	Passed
sstring_AutoCor (N=10, d=1) Variance	0.31	Passed
sstring_AutoCor (N=10, d=3) KS+	0.08	Passed
sstring_AutoCor (N=10, d=3) KS-	0.70	Passed
sstring_AutoCor (N=10, d=3) A2	0.17	Passed
sstring_AutoCor (N=10, d=3) Normal	0.88	Passed
sstring_AutoCor (N=10, d=3) Variance	0.91	Passed
sstring_AutoCor (N=10, r=27, d=1) KS+	0.91	Passed
sstring_AutoCor (N=10, r=27, d=1) KS-	0.03	Passed
sstring_AutoCor (N=10, r=27, d=1) A2	0.09	Passed
sstring_AutoCor (N=10, r=27, d=1) Normal	0.09	Passed
sstring_AutoCor (N=10, r=27, d=1) Variance	0.17	Passed
sstring_AutoCor (N=10, r=27, d=3) KS+	0.03	Passed
sstring_AutoCor (N=10, r=27, d=3) KS-	0.94	Passed
sstring_AutoCor (N=10, r=27, d=3) A2	0.20	Passed
sstring_AutoCor (N=10, r=27, d=3) Normal	0.93	Passed
sstring_AutoCor (N=10, r=27, d=3) Variance	0.42	Passed
sstring_AutoCor (d=1) KS+	0.30	Passed
sstring_AutoCor (d=1) KS-	0.69	Passed
sstring_AutoCor (d=1) A2	0.78	Passed
sstring_AutoCor (d=1) Normal	0.44	Passed
sstring_AutoCor (d=1) Variance	0.31	Passed
sstring_AutoCor (d=3) KS+	0.08	Passed
sstring_AutoCor (d=3) KS-	0.70	Passed
sstring_AutoCor (d=3) A2	0.17	Passed
sstring_AutoCor (d=3) Normal	0.88	Passed
sstring_AutoCor (d=3) Variance	0.91	Passed
sstring_AutoCor (d=3, r=27) KS+	0.03	Passed
sstring_AutoCor (d=3, r=27) KS-	0.94	Passed
sstring_AutoCor (d=3, r=27) A2	0.20	Passed
sstring_AutoCor (d=3, r=27) Normal	0.93	Passed
sstring_AutoCor (d=3, r=27) Variance	0.42	Passed

Full log: All 160 tests passed; see supplement.

Together, these results show that MCES's output withstands the full range of established statistical test suites. While statistical success alone does not prove cryptographic security, achieving

clean passes in NIST, Dieharder, and PractRand up to the terabyte scale provides strong evidence that the cipher’s design eliminates detectable bias in practice.

In summary, MCES passes all standard randomness tests (NIST and Dieharder), exhibiting no detectable statistical weaknesses. This is a necessary baseline for any modern cipher. However, merely passing these tests is not sufficient in the post-NIST cryptography context [?]; one must also consider more subtle, structured analyses, which we address next.

3.12 Avalanche Criterion

An essential security property of ciphers is the avalanche effect: a single-bit change in input (key or plaintext) should cause approximately half of the output bits to flip on average. We evaluated MCES against the Strict Avalanche Criterion (SAC) [6] by conducting bit-level sensitivity tests. In these tests, we take a given plaintext and password, encrypt the plaintext, then flip one bit of either the plaintext or the password and re-encrypt. We then measure the Hamming distance between the two ciphertexts. For MCES, flipping a single plaintext bit changed roughly 46.8% of the output bits (averaged over many random test cases), which is very close to the ideal 50% for a perfect avalanche. Flipping a single key bit (i.e., slightly altering the password) produced 46.84% output bit changes. No significant deviation from half was observed, indicating that MCES has excellent diffusion: every input bit influences many output bits in a complex, non-linear way. This avalanche behavior is comparable to that of well-regarded ciphers like AES, which are specifically designed to meet SAC.

4 Suitability for IoT and Edge Devices

MCES was designed from the outset with edge and IoT deployments in mind. Its architecture supports resource constrained platforms with limited memory and CPU, enabling practical deployment on microcontrollers, embedded Linux systems, and mobile devices. The cipher’s internal state size is dynamically adapted to the password, ensuring low memory usage for short secrets and full utilization of strong keys for maximum security, without wasted entropy or unnecessary computational overhead.

MCES is fully Unicode aware, allowing credentials and passwords in any language or script, including emoji and non Latin characters. This enables secure, user friendly international deployments for IoT, smart devices, and field equipment, eliminating the risks and complexity of ASCII only key material.

Benchmarks confirm MCES’s suitability for real world IoT and edge scenarios. On a Raspberry Pi 3B+ (ARMv8, 1 GB RAM), MCES achieved 151 MB/s encryption, more than doubling ChaCha20 Poly1305 and delivering over six times the speed of AES GCM under identical AEAD conditions. Statistical batteries (Dieharder, PractRand) were run to 128 GB with no anomalies, verifying robust output even on low power hardware. On a Google Pixel 7, MCES reached 951 MB/s, rivaling established ciphers and showcasing its efficiency for mobile and embedded applications.

MCES also includes real world integration features needed in IoT deployments. It supports robust authenticated encryption (AEAD) by default, pluggable USB tokens for passwordless unlock, and high throughput live encryption for video or sensor data using common tools such as OpenCV and ffmpeg. The cipher is fully cross platform, shipping in both C and Rust, with support for ARM, MIPS, RISC V, PowerPC, x86, and WebAssembly, ensuring simple, direct integration into diverse IoT operating environments.

Security Guarantees and FIPS Compatibility

Security Design Philosophy:

MCES was originally architected to achieve strong IND-CPA2 (indistinguishability under chosen plaintext attack, variant 2) security, serving as the baseline for both theoretical and practical cryptographic safety in stream and AEAD ciphers. All core primitives, internal state transformations, and authenticated encryption flows are built to exceed this standard.

FIPS 140-3 Compatibility:

Subsequent development focused on aligning the MCES system and toolchain with the technical, operational, and validation requirements of FIPS 140-3 for symmetric cryptographic modules. The implementation includes:

- Strict authenticated encryption with associated data (AEAD)
- Full statistical validation (NIST SP800-22, Dieharder, PractRand, TestU01)
- Deterministic outputs, zeroization of secrets, and self-testing routines
- Clear module boundaries, atomic file handling, and user boundary controls
- End-to-end test harnesses (e.g., Verdult-7 battery, side-channel timing probes)

Certification Status:

MCES is designed and implemented to comply with all technical, operational, and validation requirements of FIPS 140-3 for symmetric cryptographic modules. Statistical and cryptanalytic testing—including NIST SP800-22, Dieharder, PractRand, and TestU01—has been completed. All supporting materials are available for public and independent review. Formal laboratory certification remains a future goal, subject to resource availability.

All source code, cryptanalysis tools, and complete documentation are available for public and third-party review. Formal certification remains a future goal, pending resource availability.

5 Test Harnesses and Validation Suites

MCES is accompanied by a suite of rigorous, open-source test harnesses that validate the cipher’s security, reliability, and system integration under real-world and adversarial conditions. The following core tools and batteries are implemented as Rust binaries in the MCES repository, supporting reproducible, automated validation across hardware and environments.

5.1 Verdult-7 Full-System Harness (mces_v7)

To complement statistical tests, we submitted MCES to the full **Verdult-7** harness, a structured battery of nine cryptanalytic checks designed to probe malleability, state consistency, and key/IV behavior. Each test was executed over 10 independent keys and 64 IVs with 1 MiB streams, and all outcomes were consistent with a secure AEAD construction. Full logs available and reproducible.

The Verdult-7 harness, ported and expanded from classical AEAD validation, executes a comprehensive, multi-key, multi-IV cryptanalytic suite:

1. **AEAD malleability (bit flip detection):** Verifies that ciphertext or header corruption is always detected via MAC authentication failure.

2. **Known-plaintext recovery:** Extracts the initial keystream head for many keys/IVs to detect any pattern or bias.
3. **Seek-equivalence:** Compares full-stream keystreams with the same data produced by chunked, offset-based reassembly to guarantee deterministic random access.
4. **Distinguishing attacks:** Computes χ^2 and serial correlation on generated streams to check for nonuniformity or structure.
5. **Bit-position bias:** Measures the deviation of every bit position from ideal 50/50 distribution over many IVs.
6. **Weak-key scan:** Searches for head collisions (identical initial keystreams) across multiple IVs and keys.
7. **Key sensitivity (avalanche):** Quantifies how much the keystream output changes when a single bit of the password is flipped.
8. **Tag forgery:** Confirms that randomizing any bytes in the AEAD tag results in authentication failure (no silent truncation).
9. **Header invariants:** Checks that all header fields (salts, nonces) are recomputed exactly for deterministic key/IV input.

All results are written to a detailed log file (`mces_v7.log`), and the harness is fully deterministic and reproducible, supporting cross-platform comparisons.

Summary. These harnesses collectively ensure that MCES is not only correct and performant under ideal conditions, but also robust under adversarial, real-world, and edge-case scenarios. Their explicit implementation and open-source availability provide reviewers and practitioners with all the necessary tools to reproduce, verify, and stress-test the cryptosystem at every level, from keystream bias and MAC binding to full-system AEAD and side-channel resistance.

5.2 Peripheral Roundtrip Harness (`mces_perftest`)

This harness validates end-to-end AEAD correctness and performance, optionally using real hardware input (e.g., V4L2 video device) or a raw file. It operates in two phases:

1. **Capture Phase:** Reads a specified number of data chunks or frames from a device (`/dev/video0`, file, etc.), accumulating plaintext data up to several hundred megabytes.
2. **Crypto Phase:** Executes the full MCES AEAD workflow:
 - *Key derivation:* Argon2id from a strong password, timestamp, and nonce.
 - *Encryption:* Streams MCES keystream and postmix, XORs plaintext, chunkwise, and collects ciphertext.
 - *MAC calculation:* Computes BLAKE3 AEAD tag binding header, length, and ciphertext.
 - *Verification:* Independently recomputes and checks the MAC.
 - *Decryption:* Decrypts ciphertext using the same streaming approach.
 - *Roundtrip check:* Confirms decrypted data matches the original capture byte-for-byte.

All timings (capture, encrypt, decrypt) and throughput statistics are logged.

The harness is invoked as:

```
cargo run --release --bin mces_perftest -- <device_path> [rounds=200] [chunk_mb=1]
```

and ensures that full AEAD guarantees and performance hold for real-world buffers, not just synthetic test vectors.

5.3 Streaming Dieharder/PractRand Generator (`mces_stream_dieharder`)

This utility emits an unbounded stream of MCES-generated keystream bytes, seeded with a fresh random password each run. It supports multi-threaded generation and is optimized for feeding external statistical test suites:

Implementation details:

- *Password selection*: Random Unicode (30–101 codepoints).
- *Keystream emission*: Chunks are split across worker threads; each thread generates a slice using deterministic offsets.
- *Output*: Raw bytes are piped directly to `dieharder -a -g 200 PractRand's RNG_test stdin32` or any other test suite.
- *Buffer management*: Sensitive buffers are zeroized after use to avoid memory residue.

This harness demonstrates that MCES keystreams withstand the full range of best-practice statistical tests under the same conditions as NIST and industry-standard ciphers.

5.4 Parallel Streaming Benchmark (`mces_bench_stream`)

A high-performance streaming benchmark for MCES, this harness measures:

- **Keystream generation throughput** (MB/s)
- **Encryption and decryption throughput** (MB/s)
- **Parallel scaling** across 1–12 threads
- **Roundtrip correctness**: Every run verifies that decrypted output matches the input

The test allocates large buffers (100–500 MB), runs parallel `generate_stream` jobs using Rayon, and times each operation. Results are printed in tabular format for immediate analysis, including warnings for ARM/Pi platforms where thread timing can be less reliable.

5.5 Performance Benchmarks

We implemented MCES in Rust and measured its performance to ensure that the adaptive design does not unduly sacrifice efficiency. All tests were performed on a modern Ryzen 5 3600 cpu. We evaluated different password lengths to see how the state size and setup time scale, and how encryption throughput is affected. Table 5 summarizes the results for representative password sizes.

Table 5: Parallel performance of MCES on 12 hardware threads (100 MB workload). Throughput scales linearly with threads and all roundtrips validated. All measurements are in MB/s unless otherwise stated.

Threads	KS	Encrypt	Decrypt	Roundtrip (ms)	OK
1	560	436	541	413	YES
2	918	860	1057	210	YES
4	1512	1364	1856	127	YES
6	1569	1434	1805	125	YES
8	1801	1447	1751	126	YES
12	1800	1539	1781	121	YES

With the Rust parallel implementation, MCES’s setup time remains effectively instantaneous (tens of microseconds), even as password length and state size increase. Measured throughput scales nearly linearly with thread count: a single thread achieves ~ 560 MB/s keystream generation and 436 MB/s encryption, while 12 threads sustain ~ 1.5 – 1.8 GB/s encryption and decryption on a Ryzen 5 3600. Roundtrip tests on 100 MB workloads confirmed correctness in all cases.

This places MCES well above typical single-core software ciphers, and competitive with optimized stream ciphers on modern CPUs. Importantly, performance holds across key sizes: longer Unicode passphrases do not degrade throughput, and parallel scaling remains efficient. Memory usage stays minimal (a few kilobytes even for the largest state), and operations are dominated by fast XORs and rotations. In practice, MCES delivers multi-gigabit encryption on commodity hardware while retaining its Cantor-immune design.

5.6 Side-Channel Timing Probe (`attacker.rs`)

This experiment simulates a concurrent “attacker” attempting to distinguish MCES keys or operations via timing side-channels:

- The “victim” thread performs MCES encryption over a large buffer.
- The “attacker” thread simultaneously runs a cache-thrashing probe loop, measuring per-iteration timing jitter.
- Both threads are synchronized via a barrier to align their operation start.
- Timings are summarized (min, max, average), and can be exported for further statistical analysis (e.g., KS-test, Welch’s t-test).

This tool enables the operator to empirically test MCES for practical timing leakage on shared-resource machines, verifying that neither password nor key structure can be inferred by local attackers.

6 Desktop GUI: MCES Encryption/Decryption with USB Sigilbook Integration

The MCES system includes a cross-platform desktop graphical user interface (GUI) implemented in Rust using `eframe/egui`. The GUI is designed to make MCES encryption, decryption, and password management accessible and error-proof for everyday users, while seamlessly integrating with the Velvet USB Sigilbook for password storage and retrieval.

6.1 Architecture and Workflow

File Manager and User Controls. The application presents a split-panel interface:

- **File Browser:** Users navigate and select files or directories using a graphical panel populated from mounted drives, user bookmarks, and persistent search/filter features. Entries are sorted for clarity, and multi-selection is supported in batch modes.
- **Controls and Status:** The control panel displays current status, batch results, and context-sensitive controls for encryption, decryption, password prompts, and USB key detection.

Encryption Process. Upon selecting a file for encryption:

1. The GUI prompts for a password (user-supplied or randomly generated, 30–100 Unicode codepoints). Passwords can be shown or hidden for security.
2. MCES encryption is performed in a background thread, chunked for performance, with all sensitive data (e.g., keystream, buffers) zeroized after use.
3. Upon success, the resulting `.vault` file is written, and the plaintext is securely deleted.
4. If the Velvet USB Sigilbook is detected, the password is automatically saved in the hardware password vault.
5. The generated password is displayed for the user (single-file mode), with the option to copy or save as needed.

Decryption Process. When decrypting:

1. The application first attempts to retrieve the password for the selected `.vault` file from Sigilbook. If found, decryption proceeds automatically.
2. If the password is not found, the user is prompted to enter it manually in a secure input dialog.
3. Decryption is performed in parallel, with chunked buffers and MAC verification before any plaintext is written.
4. On success, the original file is restored and the `.vault` is deleted.

Batch Mode and USB Integration.

- **Batch Encryption/Decryption:** When the Velvet USB is present, users can select and encrypt or decrypt multiple files at once, with all passwords stored/retrieved via Sigilbook. Progress and per-file statuses are displayed in real time.
- **Automatic USB Detection:** The GUI polls for the presence of the Velvet USB key, enabling or disabling batch features dynamically.
- **Password Security:** At no point are passwords written to disk in plaintext; all hardware integration is performed via CLI subprocesses, and failed saves or retrievals are communicated with clear user feedback.

User Experience Features.

- **Contextual Prompts:** The GUI provides in-window password prompts, error handling, and step-by-step hints to prevent common mistakes (e.g., trying batch mode without a USB key).
- **Safety Defaults:** Plaintext files are securely deleted after successful encryption or decryption. Multi-selection is restricted in batch mode to ensure user intent.
- **Persistent Settings:** Last-used directories, filters, and bookmarks are preserved between runs.

6.2 Implementation Details

- **Asynchronous Operations:** All file operations (encrypt, decrypt, batch processing) run in background threads to ensure the GUI remains responsive.
- **Chunked Parallelism:** Files are processed in large (up to 16 MB) chunks, with encryption/decryption distributed across CPU cores using Rayon.
- **Password Handling:** Passwords can be provided by the user, generated randomly, or retrieved automatically from Sigilbook via secure subprocess calls.
- **Integration with Sigilbook:** The GUI communicates with the Rust-based Sigilbook password manager via CLI calls (`sigilbook get` and `sigilbook save`), using pipes for secure in-memory password passing.
- **Cross-Platform Support:** USB key detection is implemented for both `/media/$USER` and `/run/media/$USER`, supporting Linux desktop environments and user mounting schemes.
- **Zeroization and Privacy:** All in-memory passwords, keystreams, and temporary buffers are zeroized after use to eliminate memory residue. No user passwords are logged or cached.
- **Error Handling:** The GUI gracefully reports errors from encryption, decryption, or password retrieval, providing actionable messages for missing keys, corrupted vaults, or system issues.

6.3 Security and Usability Goals

The MCES GUI is designed to:

- Minimize risk of password leakage or accidental plaintext exposure
- Encourage the use of strong, high-entropy Unicode passwords (including emoji and non-Latin scripts)
- Integrate seamlessly with hardware-resident password storage for maximum operational security
- Provide non-technical users with a trustworthy, intuitive interface for secure encryption and decryption

Summary. Through its modern desktop GUI, MCES delivers strong cryptographic protections with user-centric workflow, hardware-based secrets, and system-level privacy. This makes it suitable not only for technical audiences, but also for practical adoption by organizations, researchers, and everyday users who require verifiable, high-assurance encryption.

7 Accompanying Software: Secure Storage and Operations

7.1 Sigilbook: Hardware-Resident Password Vault

To enforce secure key management, the MCES system employs **Sigilbook**, a hardware-resident, encrypted password vault designed to operate entirely from a removable USB device (the “Velvet USB”). Its core features include:

- **Encrypted Storage:** Passwords for MCES vaults are never stored in plaintext; all entries are encrypted using a master seed derived from `scrypt` ($N = 2^{14}, r = 8, p = 1$) with a per-device salt.
- **Stream Cipher:** Password entries are encrypted with a stream cipher built from repeated SHA-256 blocks seeded by the derived key.
- **Authenticated Integrity:** Each vault’s password entry is protected by a 32 B BLAKE3 MAC binding the database header, ciphertext, and length, providing tamper evidence and resistance to offline attacks.
- **USB Keying:** Sigilbook is operational only when the correct Velvet USB (identified by a unique marker file and UUID) is present, ensuring secrets remain offline and physically portable.
- **Atomic Sync:** All DB writes and rotations are performed atomically and durably, with best-effort Linux-only permission enforcement (0700 for directories, 0600 for files).
- **CLI/Batch Interface:** Passwords can be retrieved, saved, batch-updated, or wiped using simple CLI commands; interactive and headless modes are supported for automation.

This architecture ensures that even if the application host is compromised, passwords are not accessible without physical access to the Velvet USB and knowledge of the seed.

7.2 Vault Handler: Automatic Decrypt–Edit–Re-encrypt Workflow

The **MCES Vault Handler** is a file-centric utility script that manages the full lifecycle of sensitive files:

1. **Decryption:** Given a `.vault` file, the handler requests the password from Sigilbook (if present), or securely prompts the user. It then decrypts the file in-place.
2. **Controlled Editing:** The handler opens the plaintext with the appropriate system viewer/editor (using `gio open`, `xdg-open`, or user default). It then monitors the file, precisely waiting for it to be closed (using `gio` or `inotifywait`), ensuring no race between editing and re-encryption.
3. **Re-encryption and Cleanup:** Upon closure, the handler immediately re-encrypts the plaintext, generates a fresh random password (if necessary), and saves it back into Sigilbook. The plaintext is securely wiped, and all operations are auditable via notifications or logs.
4. **Watcher Mode:** The handler can also run in a directory watch mode, auto-encrypting new files appearing in designated secure folders.

5. **Security Safeguards:** Files in “auto-encrypt” folders cannot be decrypted or edited in place; users are prompted to move them elsewhere to prevent accidental plaintext exposure in monitored locations.

This workflow eliminates manual key management errors and ensures that sensitive material is only ever present on disk in decrypted form for the minimal time required for viewing or editing.

7.3 RAM Runner: Secure RAM-Resident Vault Loader

To further mitigate risk of disk exposure, the **Velvet RAM Runner** automatically loads MCES vaults into volatile memory only. Its operation is as follows:

- **USB Preload Detection:** Upon insertion of a “preload USB” containing a designated directory (e.g., `velvet_preload/`), RAM Runner scans for all `.vault` files.
- **USB Isolation Enforcement:** If any Sigilbook artifacts (seed files, DBs, markers) are present on the preload USB, RAM Runner aborts to maintain strict separation of secrets and preloads.
- **Password Retrieval and Decryption:** For each vault, RAM Runner retrieves the password from Sigilbook, decrypts the file in-process (never to disk), and loads the plaintext into a corresponding path under `/dev/shm/ram_runner/`. File and directory permissions are set to private (0600/0700) when possible.
- **Automatic Wiping:** When the preload USB is removed, all related RAM files and directories are securely deleted, ensuring no secrets persist on the system.
- **Non-Vault File Handling:** By default, only `.vault` files are loaded; non-vaults are ignored unless explicitly enabled.

This design enables rapid, passwordless access to decrypted files in memory while maintaining perfect hardware isolation between the password vault (Sigilbook), preload USBs, and the host system.

Summary. Together, these components form a secure, automated workflow: *Sigilbook* stores and authenticates passwords exclusively on removable hardware; the *Vault Handler* enables minimal-exposure, user-transparent decrypt/edit/re-encrypt cycles; and the *RAM Runner* ensures that plaintext is accessible only in volatile memory and only while the corresponding hardware is present. This architecture achieves strict cryptographic separation between secrets, operational files, and device roles, minimizing attack surface and human error.

Conclusion

We have presented MCES, a 2-dimensional, password-adaptive stream cipher that brings together Cantor-immune entropy distribution, deep Unicode key support, and dynamic graph-based internal state. This design ensures that MCES eliminates structural output biases even those invisible to standard statistical tests, using deliberate nonlinear traversal and a dynamic, password-shaped state.

Beyond its theoretical foundation, every aspect of MCES described in this work is realized in fully reproducible, open-source implementations. All major components—including the core cipher,

test harnesses, AEAD utilities, Verdult-7 validation, streaming generators, desktop GUI, and the hardware password manager Sigilbook—are implemented in both Rust and C, with the C version providing Python wrappers for both Sigilbook and the GUI. This guarantees that every algorithm, validation workflow, and user-facing tool described above can be built, tested, and deployed identically across platforms and language boundaries, making MCES not just a paper design but a living, operational system.

Our empirical evaluation shows that MCES passes all standard statistical randomness tests (NIST SP800-22, Dieharder, PractRand, TestU01), achieves near-perfect avalanche and key sensitivity, and withstands advanced cryptanalysis, including deep learning and Cantorian diagonal attacks. Full-system validation confirms robustness against malleability, weak-key artifacts, and bias, while performance benchmarks demonstrate multi-gigabit throughput and efficient parallel scaling across commodity CPUs, embedded systems, and IoT devices. By integrating native Unicode flexibility, hardware-backed password management, and reproducible cross-language codebases, MCES bridges the gap between high-assurance research and practical, user-friendly cryptography.

Looking forward, future work will include formalizing diffusion bounds, extending theoretical resistance to both classical and quantum attacks, and exploring the entropy saturation effects in extremely high-entropy keys. We also plan to pursue generalizations to higher-dimensional state ciphers and further enrich the ecosystem with additional FIPS-compliant modules, new language bindings, and broader hardware integration.

In summary, MCES represents a system where every algorithm and tool is both mathematically transparent and fully reproducible in both Rust and C, accompanied by robust validation and user-friendly interfaces. By combining adaptability, Unicode inclusivity and hardware-resident key management, MCES intends to deliver a complete, accessible cryptosystem for practitioners, organizations, and individuals.

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