

# MIT 7116 RESEARCH METHODOLOGY

Scientific Research Illustration

Dr. John Ngubiri  
ngubiri@cit.ac.ug

Makerere University

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  - Students sometimes get disappointed when they feel their work is not appreciated
  - There is a need to understand what constitutes the appreciation
- You therefore need to scan out your situation

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- What, beyond the state of the art we need to know (Gap)
  - Extend knowledge beyond the state of the art
  - Define what is going to be investigated
  - Define the methods



# The Celebrity Problem (CP)

A celebrity is a person who knows no body but known by everybody

- Assume we have a group of  $n$  people, How can we efficiently locate the celebrity among them ( if any)
- Note that as per our definition, we may ave no celebrity but we cannot have more than one celebrity (convince yourself)

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  - For each member of the group, ask question "do you know that guy over there?"
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- How many questions are required to confirm Celebrity?
  - $n(n - 1)$  questions.
  - In case you also asked a person "do you know your self?", then its  $n^2$
  - Either way, the problem is  $O(n^2)$  complex

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- There is a question for every 2 individuals
- $n^2$  questions among  $n$  people with max. 1 celebrity
- For each question, one is confirmed a non celebrity
  - Aren't some questions between confirmed non celebrities?
  - Doesnt reducing them improve efficiency?
  - To what extent?
- Let us eliminate questions between non celebrities

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  - Total  $3n - 3$
- Complexity of new solution  $O(n)$ , an improvement

# Application .....

- Think about how this can be applied in Computing infrastructure....

# The Stable Marriage Problem (SMP)

Consider  $n$  boys  $B = b_1, b_2, b_3, \dots, b_n$  and  $n$  girls  $G = g_1, g_2, g_3, \dots, g_n$ . Each  $b_i$  has an  $n$ -tuple representation marriage preferences in  $G$  and each  $g_j$  has an  $n$ -tuple representation of marriage preferences in  $B$ . You are required to make Stable marriage matches  $M(b_i g_j)$  so that each boy/girl gets the best possible partner given the circumstances (preference and competition). If two matches  $M(b, g)$  and  $M'(b', g')$  exist where  $g'$  is higher than  $g$  in the preference of  $b$  and at the same time  $b$  is higher than  $b'$  in the preference list of  $g'$ . then  $M$  and  $M'$  are unstable.

# Novel Solution/ "State of Art"

- For every boy
- map to a gal of best choice
- if two boys coincide on a girl
- check who is higher on girls list and boy moves to the next choice
- Repeat till no more adjustment is needed

## Some Partinet Questions

- 1 Would the solution be the same if we started with the girls? What is the implication?
- 2 Can we quantify stability?
- 3 Is the approach fair to boys? Girls? Can we quantify fairness?
- 4 How would we solve it when we consider:  
ties?, incomplete lists?, Non linear Preferances?
- 5 Can we write an improved approach to address the issues above?

# Thing of an aspect of Research

- Post it on the discussion forum
- Justify what you think is the knowledge to add