

# KeyboardControl.py doc.

## How it works

### 1. Connecting

You can connect to drone or simulator by udp protocol.  
For simulator IP address is **127.0.0.1** ,port is **14551** (in this script).For port working in simulator you should open it in Mavproxy by command:

```
mavproxy.py --master tcp:127.0.0.1:5760 --out udpout:127.0.0.1:14550 --out  
udpout:127.0.0.1:14551 --out udpout:127.0.0.1:14553 --out  
udpout:127.0.0.1:14552
```

For Solo drone, IP address is **0.0.0.0** port is **14550 (+1..+2..+3)**. Drone opens ports automatically you just should be connected to wifi of Solo.

### 2. Movements

We can control drone by Dronekit library and Mavlink protocol. Its pretty enough for controlling, but Solo has some limitations.

- we only can control speed and yaw.
- drone orient itself relative to **NED** coordinate system

For drone controlling we have 2 functions :

- **send\_ned\_velocity(velocity\_x, velocity\_y, velocity\_z, duration)**

velocity\_x — North (go north velocity\_x>0)

velocity\_y — East (go east velocity\_y>0)

velocity\_z — Down

duration — duration of speed keeping

- **condition\_yaw(heading, relative=False)**

(Comments in code enough for understand how its work)

We should recalculate speed vectors and project it on «normal» coordinate system. We show it on simple movements (go forward/backward/right/down):

For recalculating we use **heading** function .It returns athimut (North 0 deg, East 90 deg ).

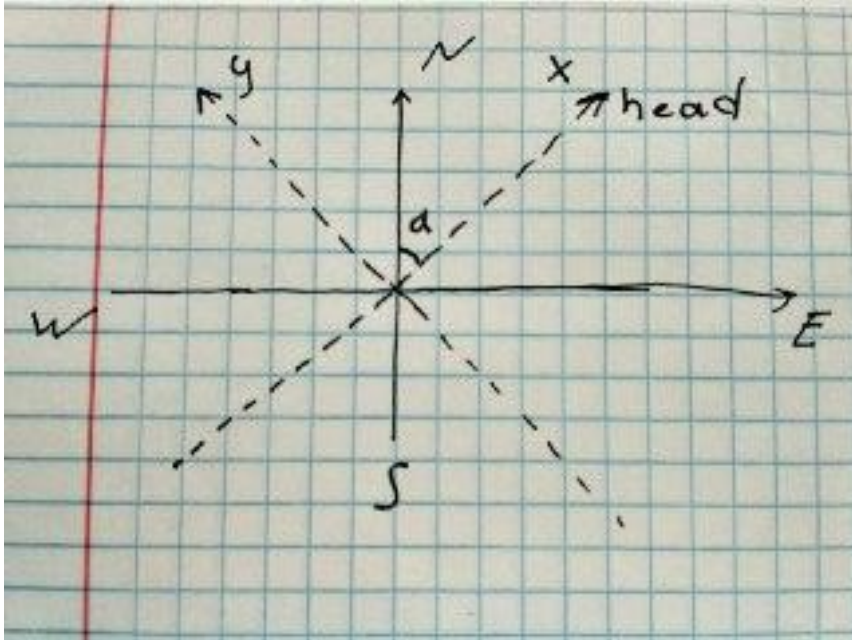
**calculateX(speed, heading):**

*Recalculate and project vector of speed frome NED coordinate system*

to related to vehicle(normal) system. From N-S to X

*calculateY(speed, heading):*

Recalculate and project vector of speed from NED coordinate system to related to vehicle(normal) system. From E-W to Y



**Go forward:**

We get athimut(a) and know speed(S) which we want .  
Then we just project vector of speed on NED coordinates:

$a = \text{heading} = \text{athimuth}$

$N-S \rightarrow S * \cos a$

$W-E \rightarrow S * \sin a$

and after that we get valid vectors

N-E (0 → 90)  $\cos > 0$   $\sin > 0$  (N+E+)

S-E (90 → 180)  $\cos < 0$   $\sin > 0$  (N-E+)

S-W (180-270)  $\cos < 0$   $\sin < 0$  (N- E-)

N-W (270-360)  $\cos > 0$   $\sin < 0$  (N+E-)

### ***Go backward:***

Just inverse vectors from go forward

$$N-S \rightarrow -1 * S * \cos a$$

$$W-E \rightarrow -1 * S * \sin a$$

### ***Go left:***

New angle calculated , and projects calculates by this angle

New angle = heading — 90 (it left direction relative to drone)

Then works like go forward

### ***Go right:***

New angle calculated , and projects calculates by this angle

New angle = heading + 90 (it right direction relative to drone)

Then works like go forward

## ***3. Following***

For following we use 2 laptop system. Laptops must be connected via ssh.

Laptop1 - «vision part» IP: **192.168.1.1**

Laptop1 connects to camera through wifi and process videostream.

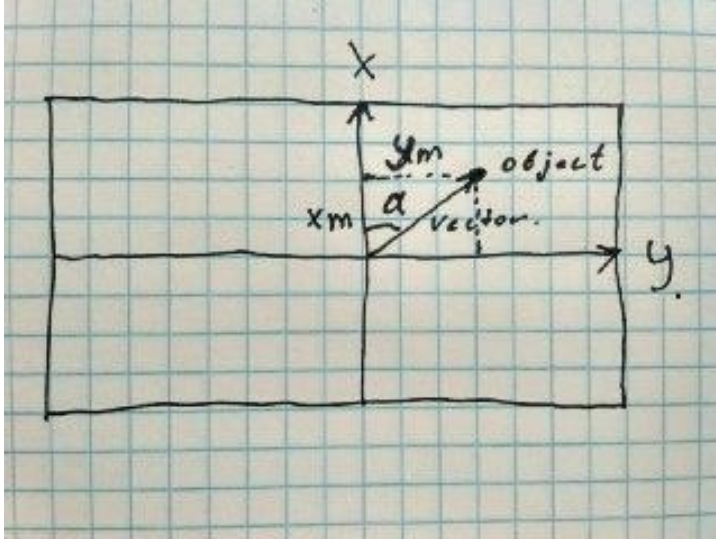
Then send data (coordinates of bounding box that track object) through socket (port **5000**) to Laptop2.

Laptop2 - «drone control part » IP: **192.168.1.2**

Laptop2 connects to drone via wifi and has complete control over drone.

How following work:

*image representation from camera*



Firstly, we choose max speed ( $M$ ) of our object (For example, human max speed 10 km/h).

Then based on this max speed we calculate speed for drone. From Laptop1 we get margins of object in image ( $x_M, y_M$ ). Then calculate proportion (max speed will equal to speed of drone, when object as much as possible far from drone: top (right/left) / bottom(right/left)):

proportion =  $\sqrt{(x_M^2 + y_M^2) / ((v_r/2)^2 + (h_r/2)^2)}$      $v_r$  — vertical resolution of image  
 ,  $h_r$  — horizontal resolution of image

So, speed will be:  $\text{Speed} = \text{MAX\_SPEED} * \text{proportion}$

Calculate angle:

$$a = \arctg(y_M/x_M)$$

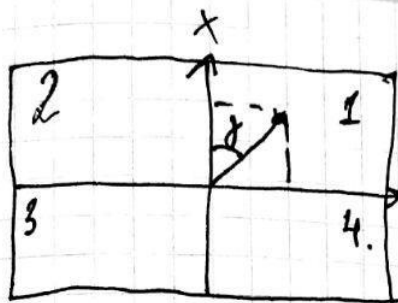
We use `numpy.arctan()` function, that means that:

- Upper right/bottom left :  $0 \rightarrow 90$
- Upper left/bottom right:  $-0 \rightarrow -90$

However, we should avoid cases when  $x_M == 0$  :

First,  $x_M \neq 0$ :

1)



$$xM > 0$$

$$0 < \delta < 90$$

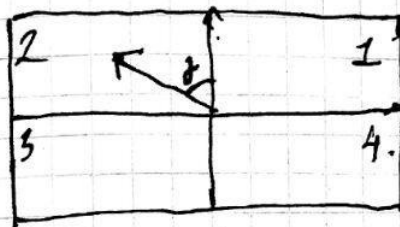
$$y \cos \delta > 0 \quad \sin \delta > 0$$

$$\Downarrow$$

$$xSpeed > 0 \quad ySpeed > 0$$

$$\text{angle} = \text{heading} + \delta$$

2)



$$xM > 0$$

$$-90 < \delta < 0$$

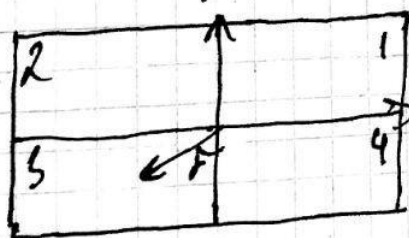
$$\cos \delta > 0 \quad \sin \delta < 0$$

$$\text{angle} = \text{heading} + \delta \text{ (but } \delta < 0 \text{)}$$

$$\Downarrow$$

$$xSpeed > 0 \quad ySpeed < 0$$

3)

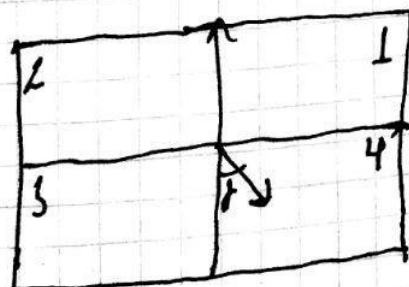


$$xM < 0$$

$$0 < \delta < 90$$

Just inverse 1 case.

4)



Just inverse 2 case.

Second,  $xM == 0$ :

Speed by x axes will be equal to zero, by y we just send vector.

```
send_ned_velocity(0, vector, 0, 0.25)
```