

1) S \leftarrow Binary Semaphore
↑
initialised value $\rightarrow 0$

V \rightarrow signal / up
P \rightarrow wait / down

S[0]

operations \rightarrow SP, 7V, 10P

\rightarrow For 1st P, s = 0, so block the process

2nd P, s = 0, so block the process

Similarly for 5 P block \rightarrow 5 processes

\rightarrow For next 7 up / signal / V operation

5V \hookrightarrow 5 processes unblock / more execution

For next

2V \hookrightarrow s = 1

For 10P

for First p \rightarrow ass = 1
make s = 0 execute that process

For next 9 P, s = 0 so block the q process

So total q processes blocked.

2)

T₁

```
while (true) {
    wait(s3);
    printf("C");
    signal(s2);
}
```

T₂

```
while (true) {
    wait(s1);
    printf("B");
    signal(s3);
}
```

T₃

```
while (true) {
    wait(s2);
    printf("A");
    signal(s1);
}
```

Sequence \rightarrow BCA BCA BCA

initialisation of semaphores is like $s_1 = 1, s_3 = 0, s_2 = 0$

3) PIC?

```
while (s1 == s2);
//critical section
s1 == s2;
?
```

P2C)?

```
while (s1 != s2);
//critical selection
s2 = ! s1;
?
```

s₁, s₂ are randomly assigned.

i) Mutual exclusion \rightarrow It is satisfied because at any point of time suppose s₁ \neq s₂ then P1 is able to enter the critical section, so P2 tries to enter CS, as s₁ \neq s₂. So busy wait. Similarly it is also applicable for P2 while P1 is in the CS.

ii) Progress → Hence progress is not satisfied suppose $s_1=1$ and $s_2=0$ ie. $s_1 \neq s_2$ if p_1 is not interested to enter into the CS but p_2 will not be able to enter as p_1 have to enter CS and make $s_1=s_2$, which is condition to enter CS for p_2 .

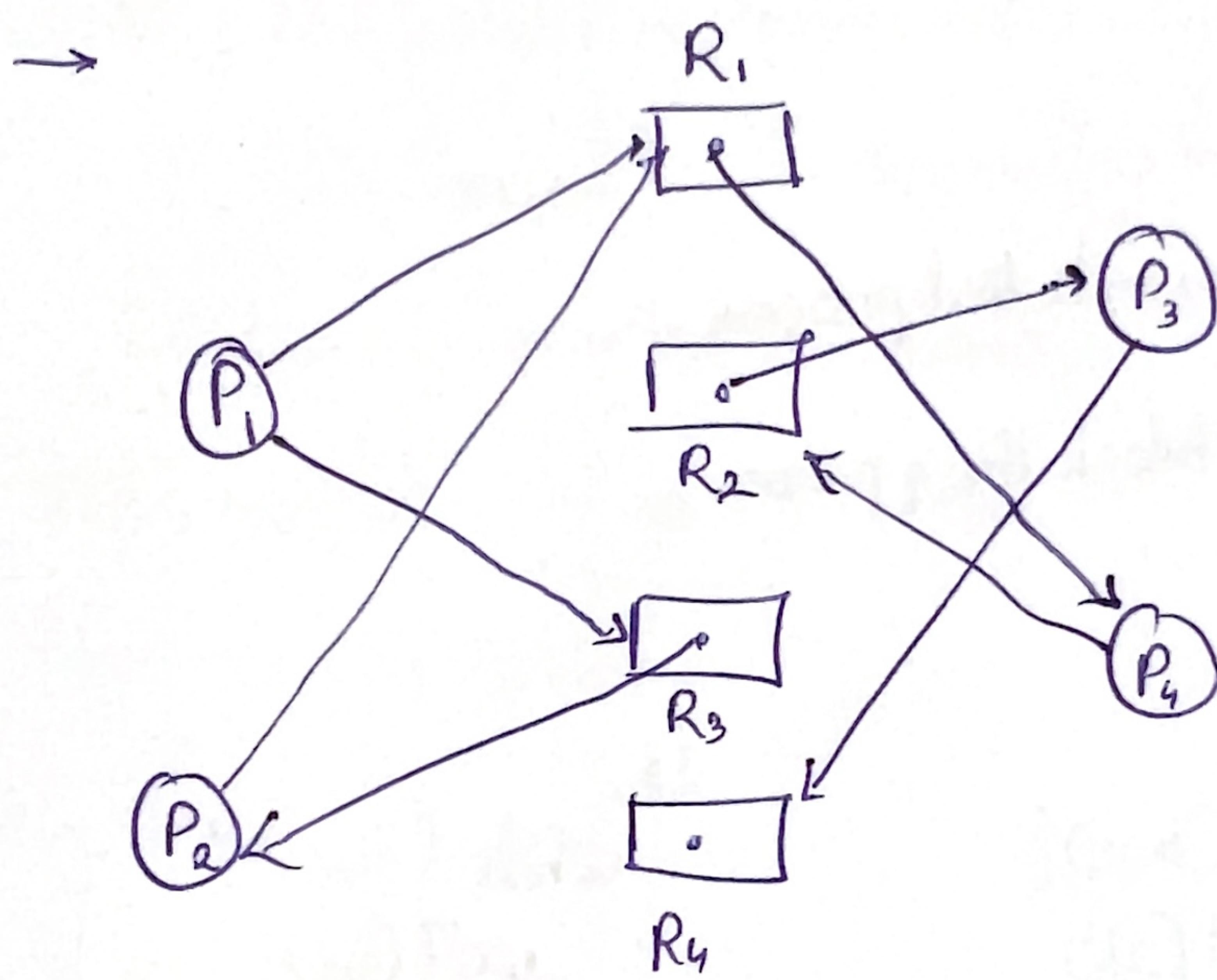
If one process is not interested in entering the critical section, it will not allow the other process to enter the critical section which is interested, so progress is not satisfied.

Hence, ans (a) Mutual exclusion but not progress.

Q4) 4 process P_1, P_2, P_3, P_4

4 Resource

R_1, R_2, R_3, R_4 with single instance



→ P_1 waits for R_1 , which is held by P_4 So $P_1 \rightarrow P_4$ (P_1 depends on P_4)

→ P_1 also waits for R_3 , which is held by P_2 so, $P_1 \rightarrow P_2$

→ P_2 @ wait for R_1 , also held by P_4 $P_2 \rightarrow P_4$

→ P_4 wait for R_2 , which is held by P_3 . So, $P_4 \rightarrow P_3$

→ P_3 waits for R_4 which is free. So P_3 is not dependent on other process. So when P_3 complete its execution. P_2 is free.

→ As R_2 is free. P_4 now able to run, after completing R_1 , R_2 is free now.

→ Both P_1 & P_2 requesting for R_1 but there is only one instance as P_2 already hold R_3 if P_2 runs first and complete its execution then R_1, R_3 is free.

→ P_1 now able to complete its execution as R_1 and R_3 is available.

→ No circular wait as at a point of time R_1 is free not held by P_1 which will make a circular wait.

→ So system is not in deadlock.

5) System with 12 tape drives, 3 process P_0, P_1, P_2

Requirements → $P_0 \rightarrow 4$, $P_1 \rightarrow 10$, $P_2 \rightarrow 9$

At time t, P_0 hold 2, P_1 hold 5, P_2 hold 2

$$\text{Total available} = 12 - (2+5+2) \\ = 3$$

As need of P0 is less than available.

So, P0 able to run then available = 8

now P1's need is 5

So, P1 able to run, then available = 10

now P2's need is 7 < 10

P2 also able to run

So the resource allocation state is safe and the safe sequence is P0 then P1 and last P2.

If P2 will request for 1 more instances:

Its available = 3, requesting for 1 and request < need of P2 i.e. 7

So suppose granted immediately.

Then, available is no = 3 - 1 = 2

Now needs are like $P_1 \rightarrow 2, P_1 \rightarrow 5, P_2 \rightarrow 7 - 1 = 6$

Safety Check.

if P1's need < available

So granted then after available is 4

but P1's need 5 and P2's need 6 which is greater than available so system enter into unsafe mode. So request from P2 for 1 more tape drive cannot be granted immediately

(c) i) Available Resource

	X	Y	Z	Available			
	3	2	2				
Allocation	MAX	Need					
X	Y	Z	X	Y	Z	Available	
P_0	0	0	1	7	4	3	3 2 2
	3	2	0	6	2	0	+ 3 2 0
	2	1	1	3	3	3	6 4 2
							+ 2 1 1
							8 5 3
							0 0 1
							8 5 4

a) Content of need matrix = $P_0 \begin{bmatrix} X & Y & Z \\ 7 & 4 & 2 \end{bmatrix}$
 $P_1 \begin{bmatrix} 3 & 0 & 0 \end{bmatrix}$
 $P_2 \begin{bmatrix} 1 & 2 & 2 \end{bmatrix}$

b) P_1 's need \leq available

So P_1 ,

Then

now P_2 's need \leq Available

So P_2

now P_0 's need \leq Available

So P_0

Yes system is in a safe state.

Safe sequence is P_1, P_2, P_0

c) If P_0 will request for 2 more instances of type Z as request \leq available and if allocated then allocation \leq max need So if granted the table is like this. ~~unsafe~~

	Allocation	MAX	Need	Available
	X Y Z	X Y Z	X Y Z	
P_0	0 0 3	7 4 3	7 4 0	3 2 0
P_1	3 2 0	6 2 0	3 0 0	+ $\frac{3 2 0}{6 4 0}$
P_2	2 1 1	3 3 3	1 2 2	

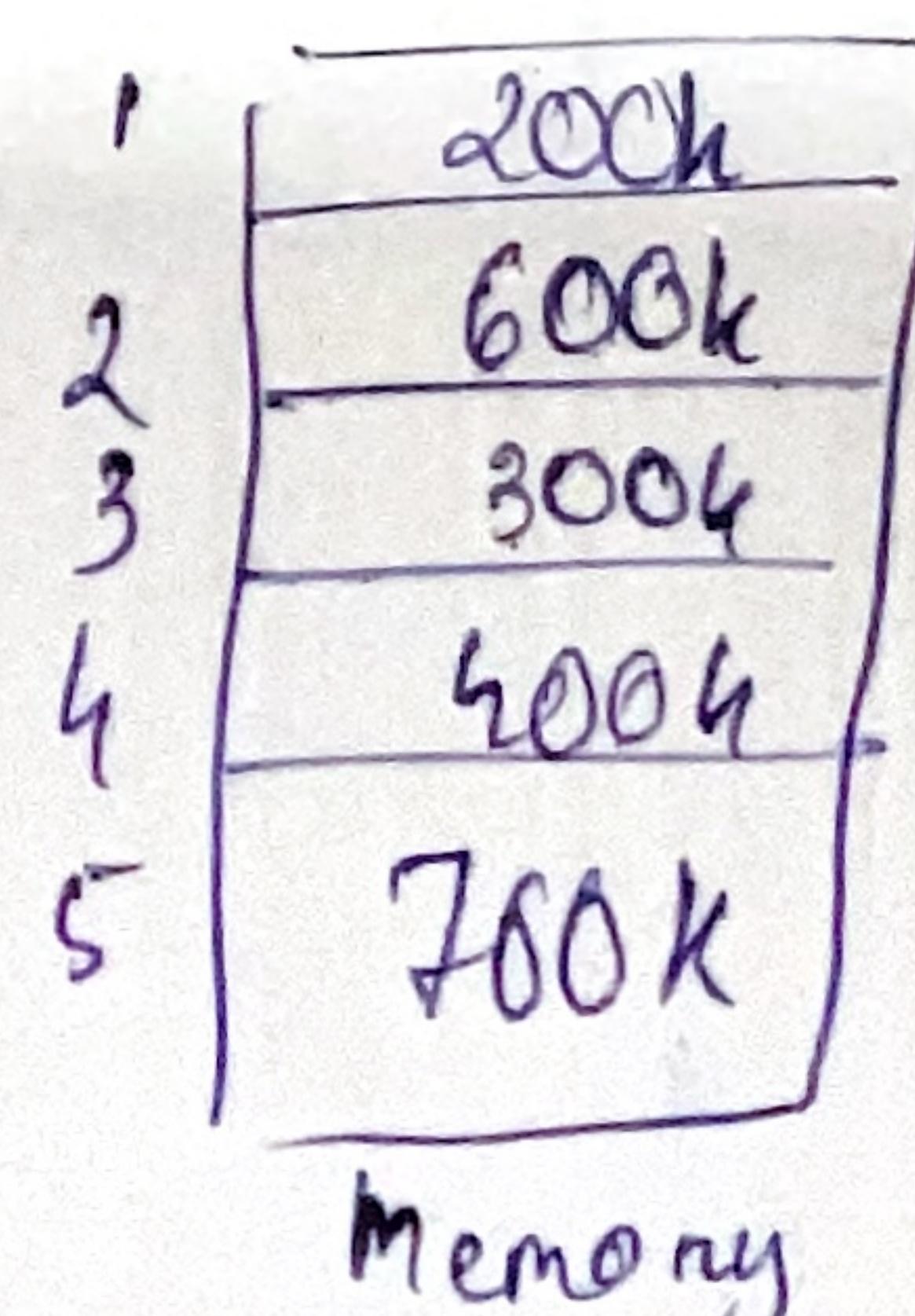
As P_1 's need \leq available So P_1

then P_2 's need (1,2,2) but available (6,4,0) not available

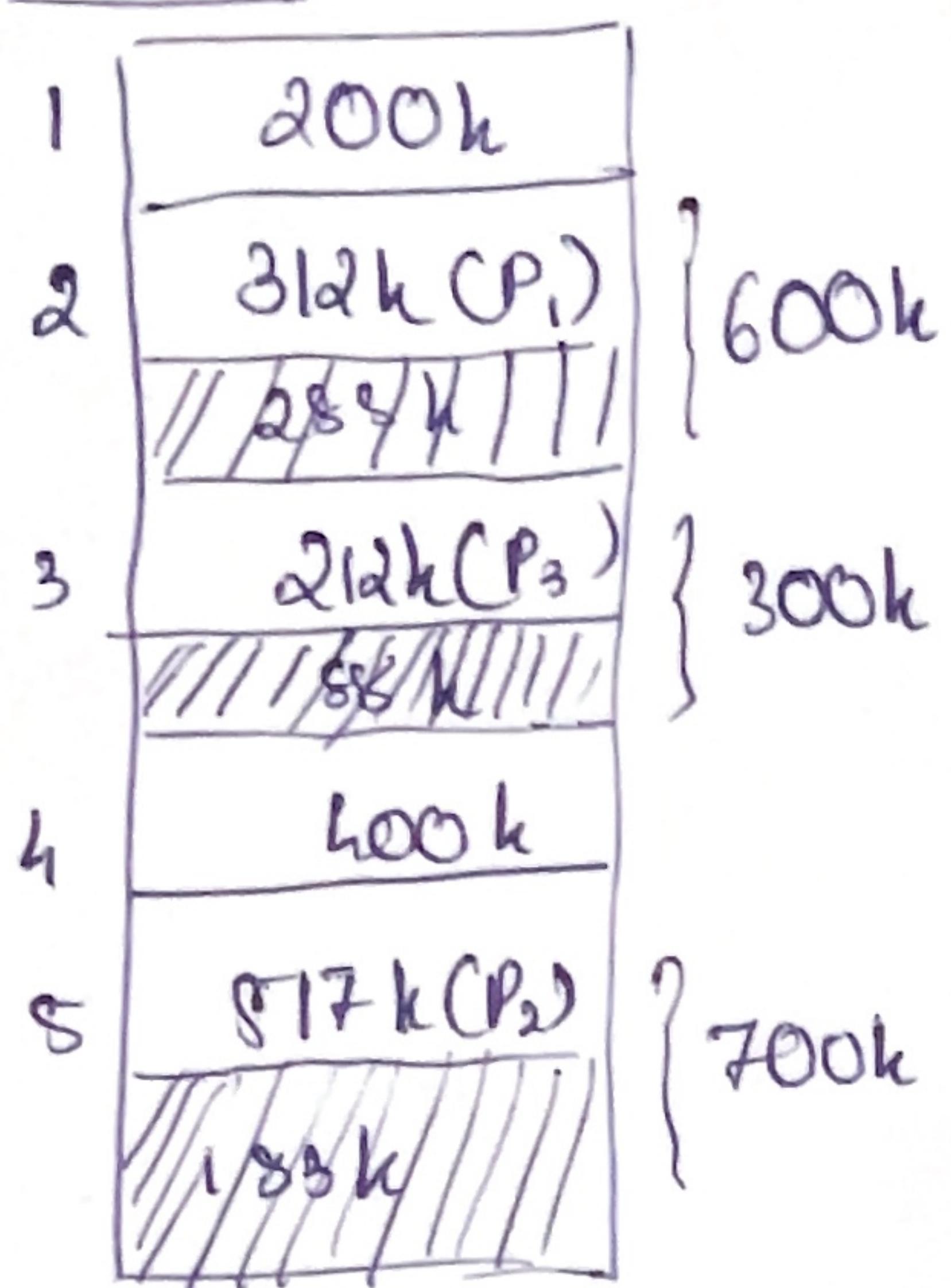
P_0 's need (7,4,0) but available (6,4,0)

So, system is in unsafe mode. So request can't be granted immediately.

f) Process \rightarrow $(P_1)_{312k}, (P_2)_{517k}, (P_3)_{212k}, (P_4)_{526k}$
 ~~$(P_2)_{202k}$~~



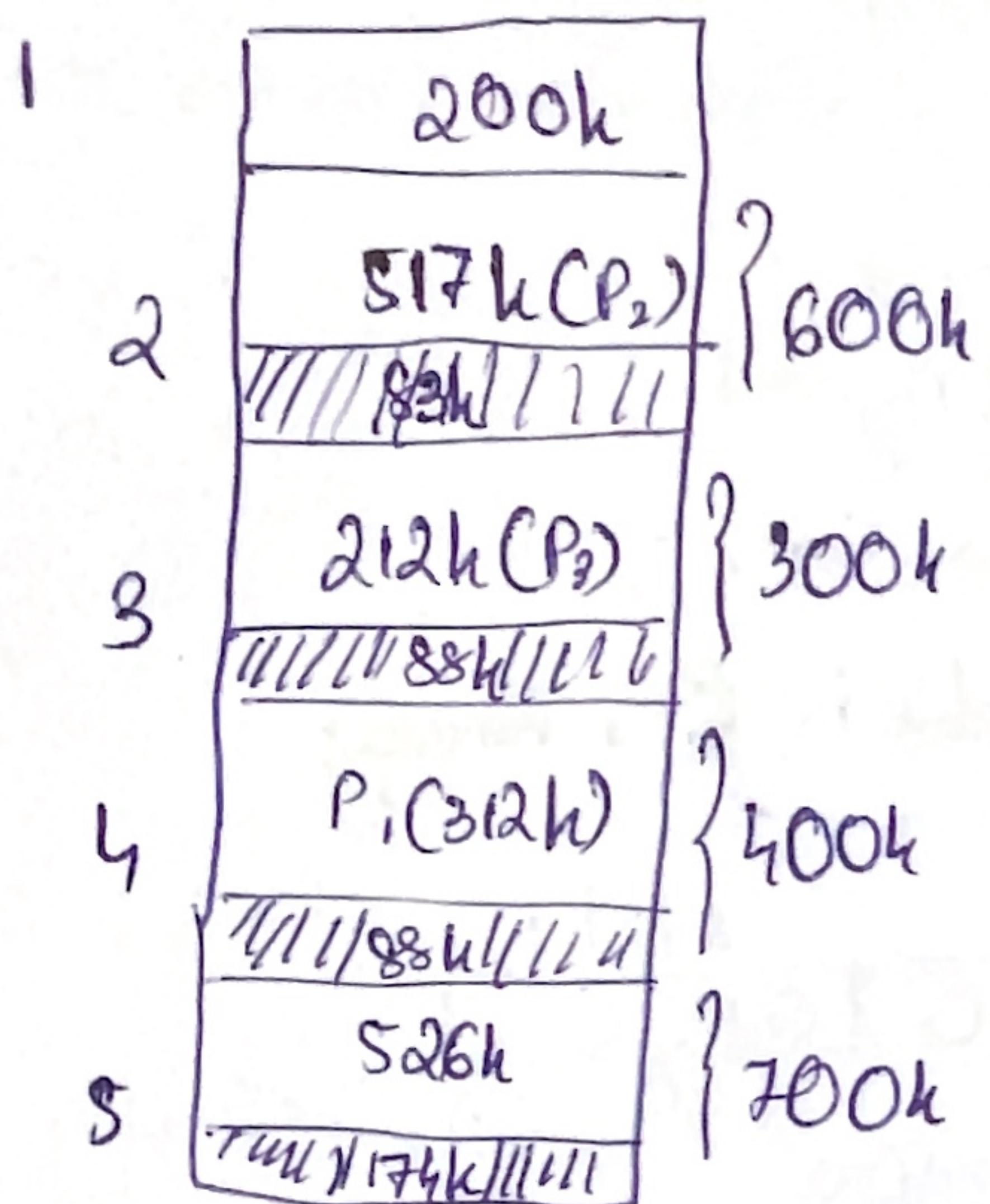
First Fit



→ Total Internal Fragmentation = 889k

P₄ but total space is greater than process size

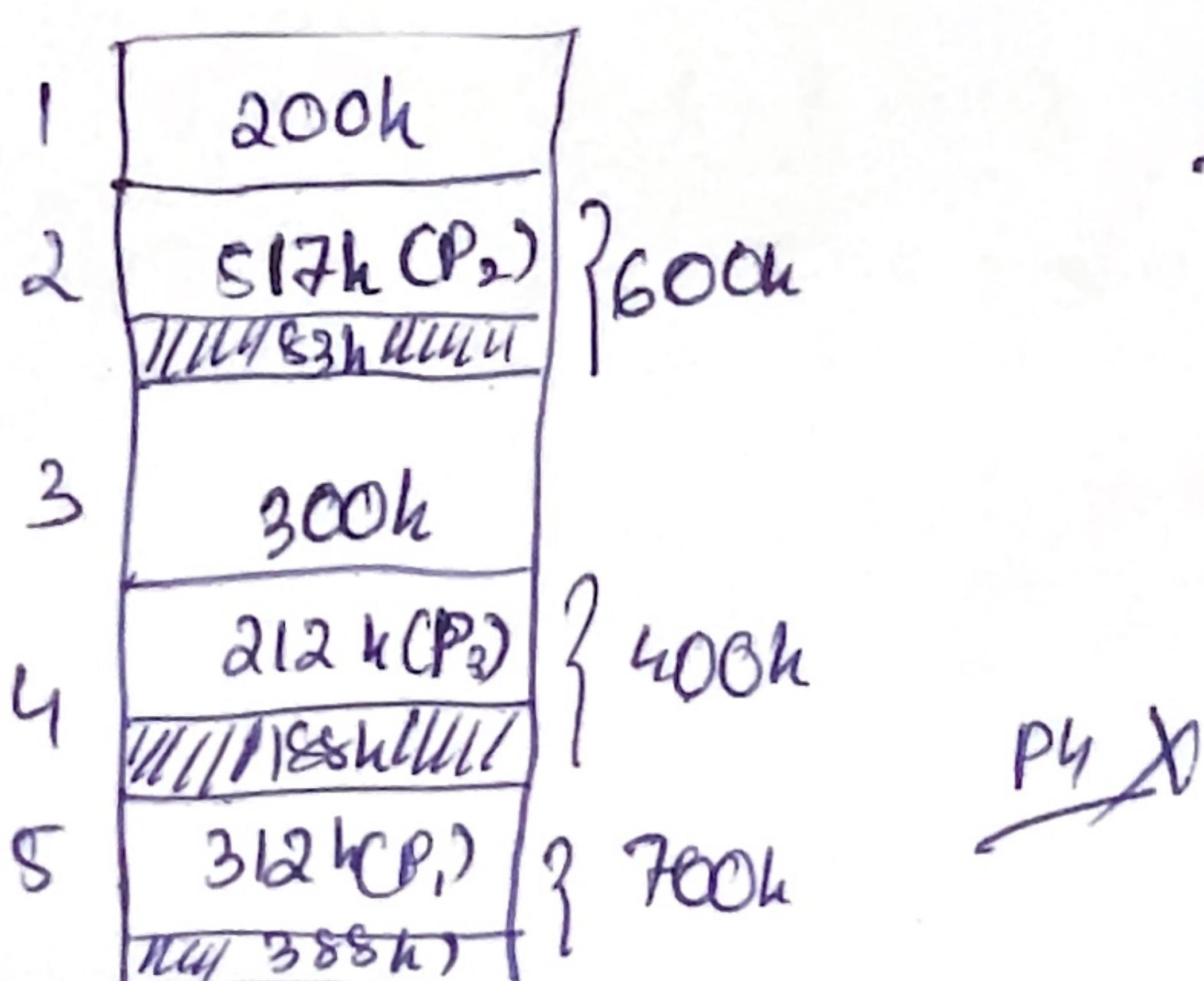
Best Fit →



$$\begin{aligned} \text{Total IF} &= 83 + 88 + 88 + 17 \\ &= 433k \end{aligned}$$

Most efficient use of memory → Best-Fit

Worst Fit



$$\text{Total IF} \rightarrow 83 + 88 + 388 = 689k$$

P₄ X

8) Physical Memory = 2048 byte = 2¹¹

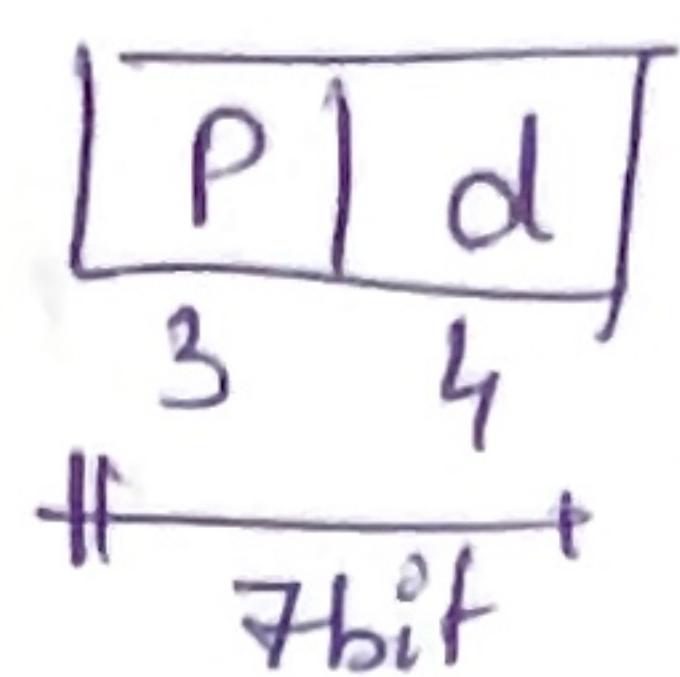
Logical Memory = 128 byte = 2⁷

Page Size = 16 byte = 2⁴

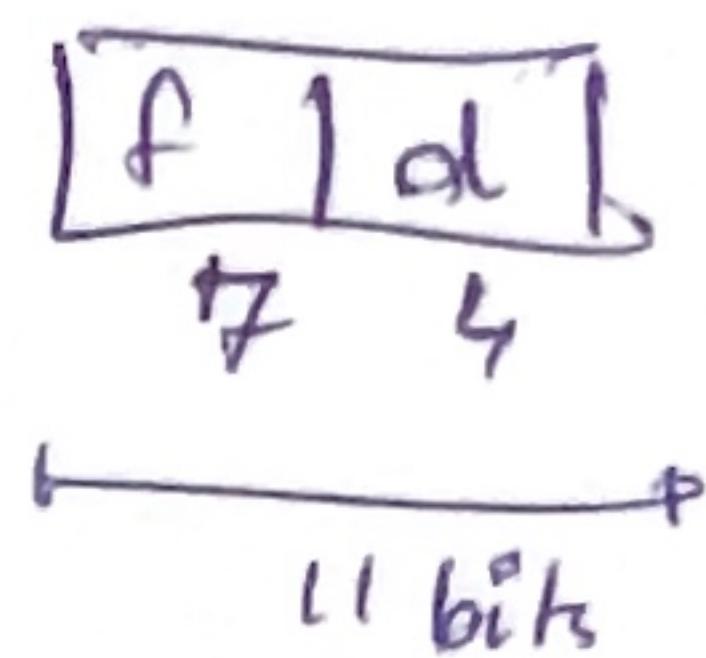
a) No. of bits required to represent logical address = 7 bit.

b) No of bit required to represent physical address = 11 bit

$$\text{No of page} = \frac{\text{LAS}}{\text{ps}} = \frac{2^7}{2^4} = 2^3 = 8$$



$$\text{No. of frames} = \frac{\text{PAS}}{\text{FS}} = \frac{2^11}{2^4} = 2^7 = 128$$

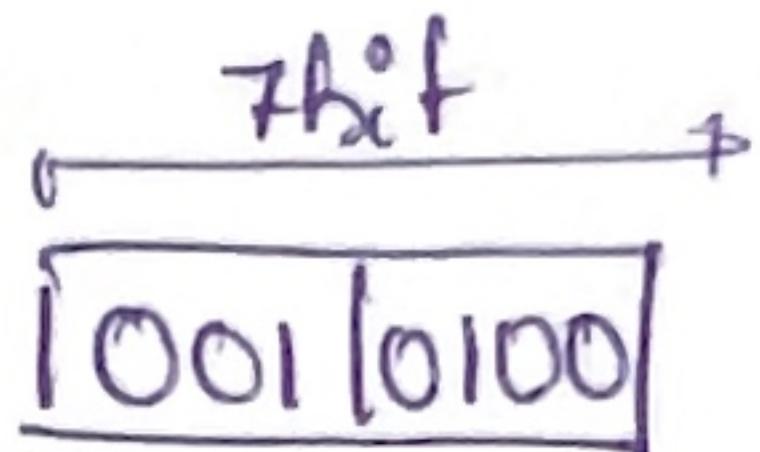


c) No. of entries in page table

$$\hookrightarrow \text{no. of pages} = 8$$

d) Total no. of Frames = $2^7 = 128$.

e) As logical address $\rightarrow 20$ in binary

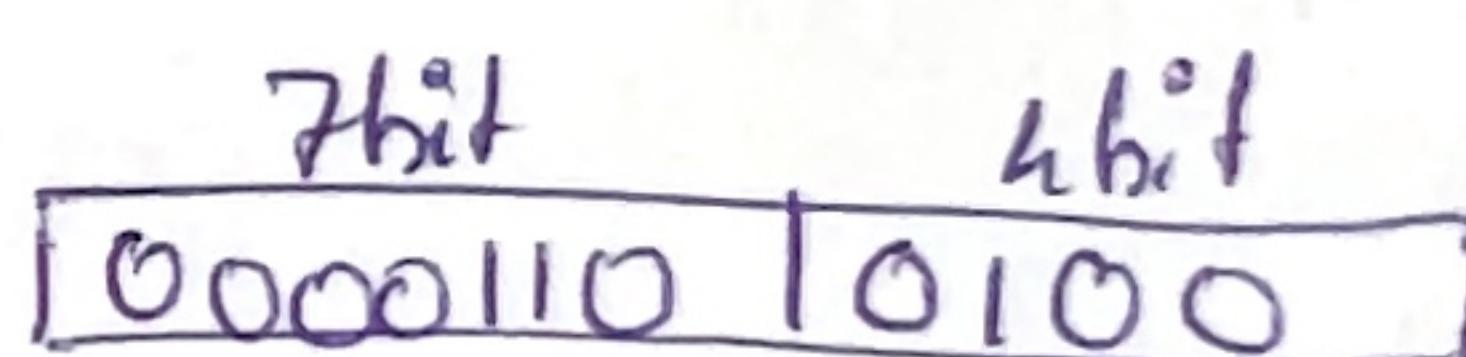


\hookrightarrow in page table page no $\rightarrow 1$

page offset $\rightarrow 4$

As in the page table entry value is 6 in binary

So,



so, physical address = 100

Or Another method

$$\text{page number} = \left\lfloor \frac{20}{16} \right\rfloor = 1 \rightarrow \text{value 6}$$

$$\text{offset} = 20 \bmod 16 = 4$$

$$\begin{aligned} \text{PA} &= (\text{frame no} \times \text{pagesize}) + \text{offset} \\ &= (6 \times 16) + 4 = 100 \end{aligned}$$

Segment	Base	Length
0	219	600
1	2300	100
2	90	110
3	1327	400
4	1980	50

a) 0, 430:

↑
Seg-0
 $\hookrightarrow 430 < 600$. Yes so, PA = 219 + 430 = 649

b) 1, 10

Seg 1
 $\hookrightarrow 10 < 100$; Yes so, 2300 + 10 = 2310 = PIA

c) 2, 100 $\rightarrow 100 < 110$, Yes so PIA = 90 + 100 = 190
Seg 2

d) 2, 500 $\rightarrow 500 > 110$ No, so TRAP Addressing Error
Seg

10) Ref string $\rightarrow (3; 8; 2; 3; 9; 1; 6; 3; 8, 9; 3; 6; 2; 1; 3)$

$$l=15 \quad n=4$$

FIFO

0	3	1	1	1	9	9	9
1	8	6	6	6	2	2	2
2	2	2	3	3	3	1	1
3	9	9	9	8	8	8	3

$$\text{Total no of page fault} = 12 (8+4)$$

(Optimal) \leftarrow Replace that page which will no be used for the longest duration of the time the future reference

0	3	3	3	3	3
1	8	8	8	8	8
2	2	1	1	2	2
3	9	9	9	9	1

$$\text{No. of page faults} = 8$$

c) LRU (Least Recently used) \rightarrow Replace that page which has not been used for the longest duration of time in the past

Ref string $\leftarrow (3, 8, 2, 3, 9, 1, 6, 3, 8, 9, 3, 6, 2, 1, 3)$

0	3	3	3	3	3	3	3
1	1	1	1	9	9	9	1
2	2	2	6	6	6	6	6
3	9	9	9	8	8	2	2

$$\text{No. of page faults} = 10 (6+4)$$

11) Total no. of frames $\rightarrow 50$, Total demand $\rightarrow 100$

P₁ needs 10
P₂ needs 90

	Demand	Equal Allocation		Proportional Allocation $(\frac{\text{Demand}}{\text{Total frames}} \times \text{frames})$
		P ₁	P ₂	
P ₁	10	25	25	$10/100 \times 50 = 5$
P ₂	90	25	25	$90/100 \times 50 = 45$

a) P₁ get 25
P₂ — 25 Frames equal allocation , b) P₁ get 5
 get 45 in proportional allocation.