

# EE352 Automatic Control Assignment - Question 1

## Computer Aided Control Systems Analysis

**Student Name:** Perera J.D.T.

**Registration Number:** E/21/291

**Date:** 2025/01/29

## 1. Define System Parameters

Analysis of a second order system  $G(s)$  described by:

$$G(s) = \frac{SE}{yy \cdot s^2 + mm \cdot s + dd}$$

Where the parameters are derived from the Date of Birth (2003-01-18) and Serial Number.

```
clc;
clear;
close all;

% Parameters
yy = 3;
mm = 1;
dd = 18;
SE = 291;

fprintf('Parameters: yy=%d, mm=%d, dd=%d, SE=%d\n', yy, mm, dd, SE);
```

Parameters: yy=3, mm=1, dd=18, SE=291

## Q1a: Roots and Stability

We define the denominator polynomial  $D(s) = yy \cdot s^2 + mm \cdot s + dd$  and find its roots to determine individual pole locations.

Stability Condition: If all poles have negative real parts  $\rightarrow$  Stable  
If any pole has a positive real part  $\rightarrow$  Unstable  
If poles are on the imaginary axis  $\rightarrow$  Marginally Stable

```
num = [SE];
den = [yy, mm, dd];

p = roots(den);
fprintf('\nPoles of the system:\n');
```

Poles of the system:

```
disp(p);
```

```
-0.1667 + 2.4438i
-0.1667 - 2.4438i
```

```
% Check Stability
if all(real(p) < 0)
```

```

    disp('Result: The system is STABLE.');
elseif any(real(p) > 0)
    disp('Result: The system is UNSTABLE.');
else
    disp('Result: The system is MARGINALLY STABLE.');
end

```

Result: The system is STABLE.

## Q1b: Transfer Function and Pole-Zero Plot

We create the Transfer Function object  $G(s)$  and plot the pole-zero map.

```

G = tf(num, den);
disp('Transfer Function G(s):');

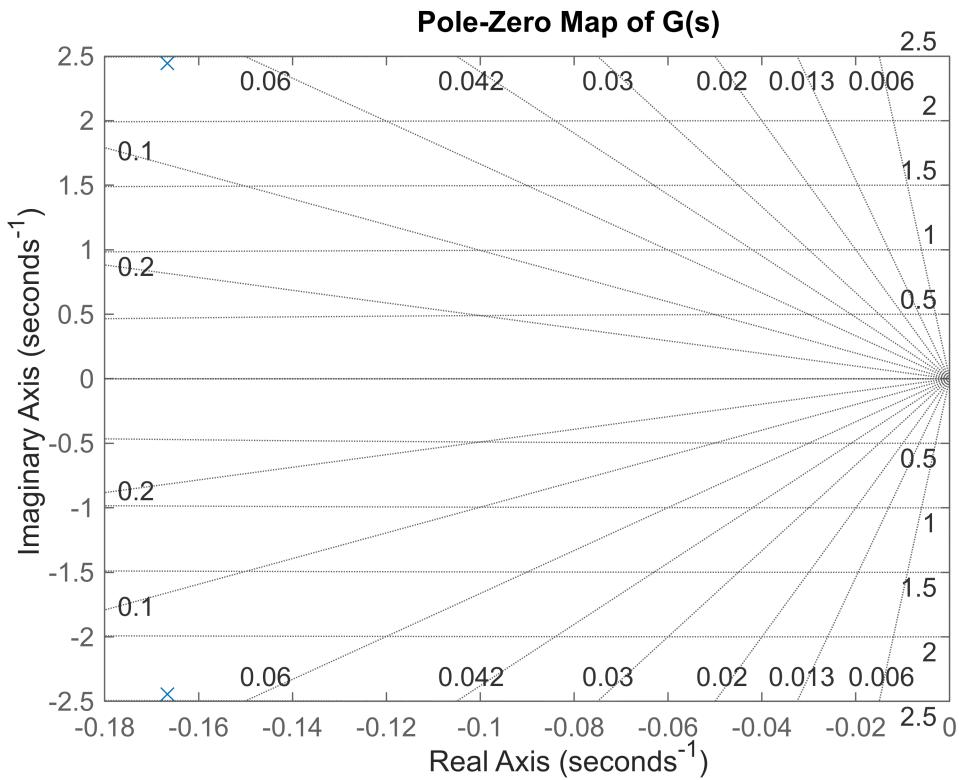
```

Transfer Function  $G(s)$ :

```

figure('Name', 'Q1b: Pole-Zero Map');
pzmap(G);
title('Pole-Zero Map of G(s)');
grid on;

```



## Q1c: Step Response

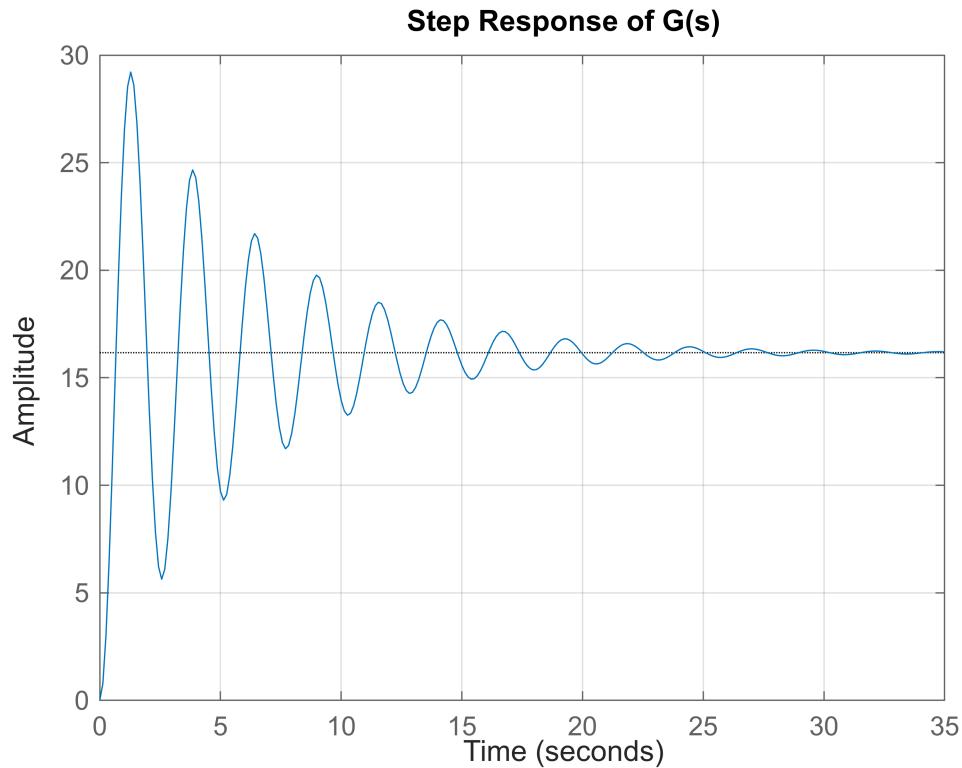
The step response shows the system's output behavior when the input changes from 0 to 1 instantaneously.

```

figure('Name', 'Q1c: Step Response');
step(G);

```

```
title('Step Response of G(s)');
grid on;
```



## Q1d: State Space Representation

We convert the Transfer Function to a State Space representation:

$$\dot{x} = Ax + Bu \quad y = Cx + Du$$

We then verify the conversion by plotting the step response of the state space model.

```
sys_ss = ss(G);
disp('State Space Model:');
```

State Space Model:

```
figure('Name', 'Q1d: State Space Verification');
step(sys_ss);
title('Step Response of State Space Model (Verification)');
grid on;
```

### Step Response of State Space Model (Verification)

