

Name: _____

- (1) How many possible tag sequences can the sentence below have? Show your work.
The dog ate his homework.

Possible tags:

the – DT, NN
dog – DT, NN, V
ate – NN, V
his – PRO
homework – NN, V, NNS

Answer: $2 \times 3 \times 2 \times 1 \times 3$

- (2) **HMM taggers:** For the sentence “Karlsson lives on the roof” and the tag sequence “NN VB IN DT NN”, what is the probability assigned to the sentence and the tag sequence by a trigram POS tagger? Note: assume START and STOP symbols.

Answer: $p(\text{“Karlsson lives on the roof”}, \text{“NN VB IN DT NN”}) =$
 $p(\text{NN}|\text{START}) \times p(\text{VB}|\text{START NN}) \times p(\text{IN}|\text{NN VB}) \times p(\text{DT}|\text{VB IN}) \times p(\text{NN}|\text{IN DT}) \times p(\text{STOP}|\text{DT NN}) \times$
 $p(\text{Karlsson}|\text{NN}) \times p(\text{lives}|\text{VB}) \times p(\text{on}|\text{IN}) \times p(\text{the}|\text{DT}) \times p(\text{roof}|\text{NN})$

- (3) **Exercise 8.1** (Jurafsky and Martin, Chapter 8, p. 25).

Answer:

1. Atlanta NNP
2. dinner NN
3. have VBP
4. can MD

- (4) **Exercise 3.2** (Jurafsky and Martin Chapter 3, p. 25). Also calculate the perplexity of the given sentence under each model.

Answer (see pp, 5 and 6 in the chapter for relevant unigram and bigram counts):

Unsmoothed bigram model:

$p(i \text{ want chinese food})$
 $= p(i|<s>) \times p(\text{want}|i) \times p(\text{chinese}|\text{want}) \times p(\text{food}|\text{chinese}) \times p(</s>|\text{food})$
 $= 0.25 \times 0.33 \times 0.0065 \times 0.52 \times 0.68$
 $= .000189$

Bigram model with Add-one smoothing

Note: $\text{count}(<s>, i)$ can be found from unsmoothed MLE probabilities:

$0.25 \times \text{count}(<s>) = 0.25 \times 9332 = 2333$

Similarly for $\text{count}(\text{food}, </s>) = \text{count}(\text{food}) \times 0.68 = 1093 \times 0.68 = 743$

$|V| = 1446$

$p(i|<s>) = (\text{count}(<s>, i) + 1) / ((\text{count}(<s>) + 1446)) = (2333 + 1) / (9332 + 1446) = 0.22$

$p(</s>|\text{food}) = (\text{count}(\text{food}, </s>) + 1) / ((\text{count}(\text{food}) + 1446)) = (743 + 1) / (1093 + 1446) = 0.29$

$p(\text{i want chinese food})$
 $= 0.22 * 0.21 * 0.0029 * 0.052 * 0.29$
 $= 0.000002$

Perplexities:

Unsmoothed bigram model:

$l = [\text{math.log}(0.25, 2) + \text{math.log}(0.33, 2) + \text{math.log}(0.0065, 2) + \text{math.log}(0.52, 2) + \text{math.log}(0.68, 2)] / 5$
 $\text{ppl} = \text{math.pow}(2, -l) = 5.552$

Bigram model with Add-one smoothing:

$= [\text{math.log}(0.22, 2) + \text{math.log}(0.21, 2) + \text{math.log}(0.0029, 2) + \text{math.log}(0.052, 2) + \text{math.log}(0.29, 2)] / 5$
 $\text{ppl} = \text{math.pow}(2, -l) = 13.77$