





Fig. 4 – Bos & Wallinga (2012)





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Fig. 4 – Bos & Wallinga (2012)





Fig. 4 – Bos & Wallinga (2012)





## Histogram



Histogram





Χ

LxTxData\$Dose







## RLum.Data.Image



OSL (UVVIS)



## RLum.Data.Spectrum



























































IR-RF  $D_e = 623.25 [600.63; 635.8]$ RF\_nat + RF\_reg 2.0e+03 IR-RF [cts/1.3 s] 1.8e + 031.6e + 031.4e+03Ш 100 200 300 400 500 600 700 0

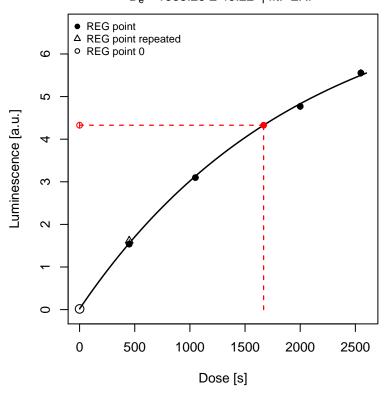
Time [s]

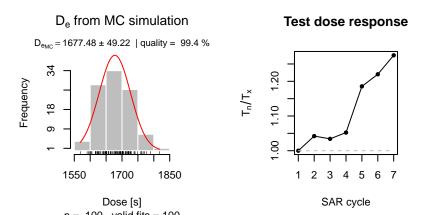
IR-RF  $D_e = 610.17 [567.19; 653.15]$ RF\_nat + RF\_reg 2.0e+03 IR-RF [cts/1.3 s] 1.6e + 031.4e+03Ш 610.17 600 0 100 200 300 400 500 700 Time [s]



### **Growth curve**

 $D_e = 1668.25 \pm 49.22$  | fit: EXP





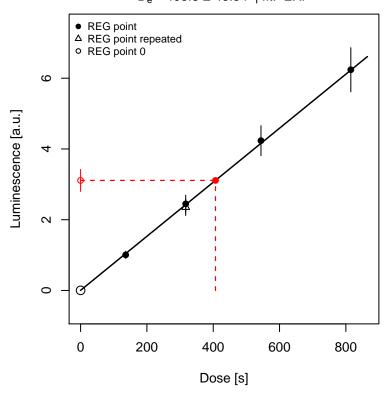


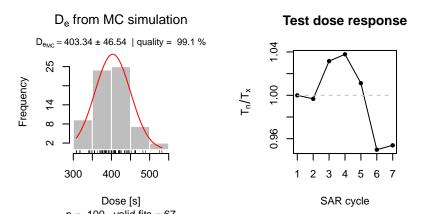




### **Growth curve**

 $D_e = 406.8 \pm 46.54$  | fit: EXP





TL pseudoIRSL1 pseudoIRSL2



T [°C]

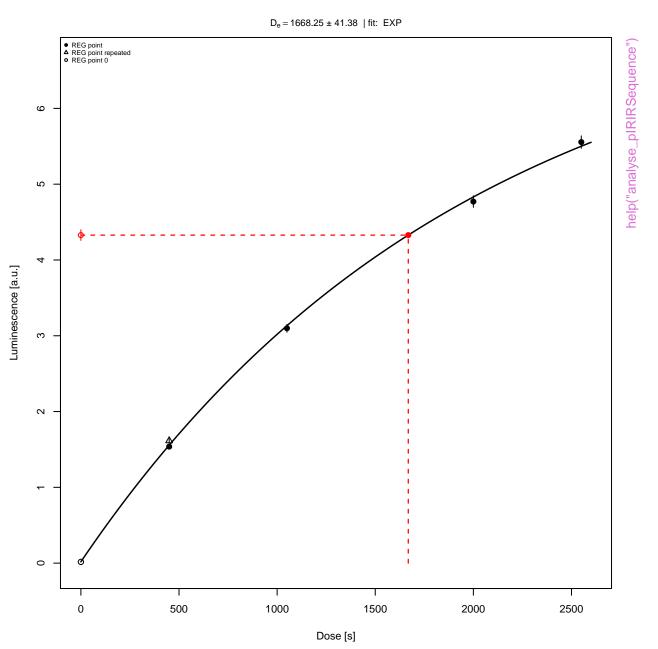
help("analyse\_pIRIRSequence")





T [°C]





D<sub>e</sub> from MC simulation



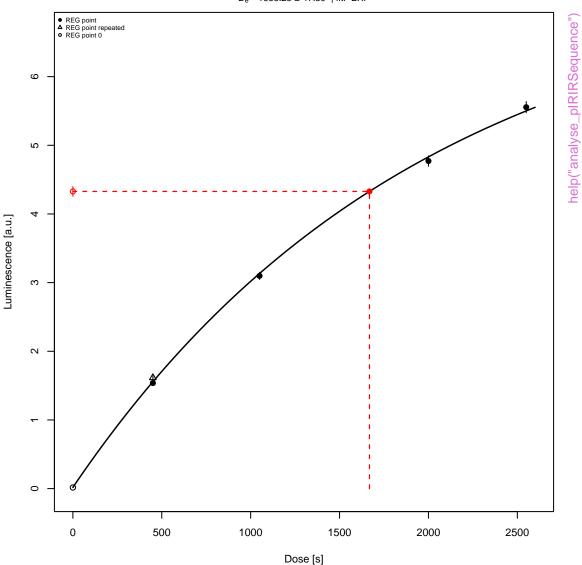
Test dose response







 $D_e = 1668.25 \pm 47.59$  | fit: EXP



### $\ensuremath{D_{e}}$ from MC simulation

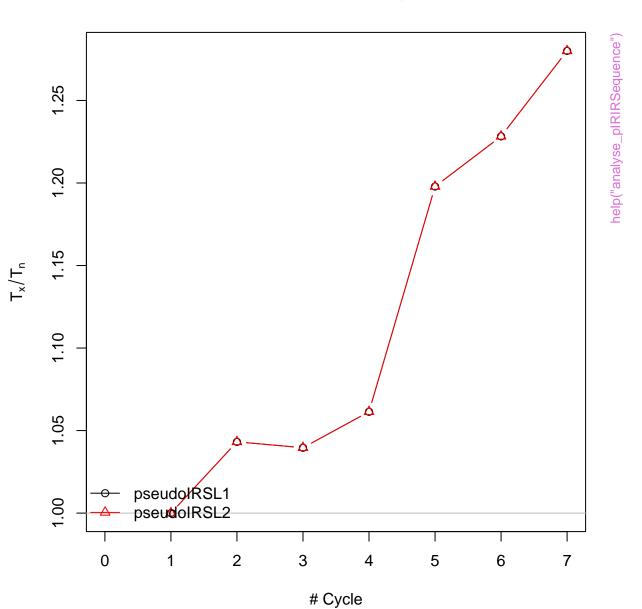




## **Summarised Dose Response Curves**



## Sensitivity change



## Rejection criteria



### **USER** combined



# IRSL combined



### **OSL** combined





OSL



OSL



OSL



### Monte Carlo Simulation

$$n = 100 \mid \hat{\mu} = 43 \mid \hat{\sigma} = 20 \mid \frac{\hat{\sigma}}{\sqrt{n}} = 2 \mid v = 0.73$$



# Profile log likelihood for $\sigma_{\text{OD}}$



**Fast Ratio** 





# **Fuchs & Lang (2001)**







#### Likelihood profile: gamma



### Likelihood profile: p0



### Likelihood profile: sigma



### Likelihood profile: gamma



### Likelihood profile: p0



# Likelihood profile: sigma



### Likelihood profile: gamma



### Likelihood profile: p0



# Likelihood profile: sigma



### 3-parameter Minimum Age Model



Standardised estimate

#### **Source Dose Rate Prediction**



help("calc\_SourceDoseRate")

# D<sub>e</sub> distribution



**Thermal Lifetime Contour Plot** 



# **Thermal Lifetime Density Plot**





gSGC and resulting De











# **Background**















#### D<sub>e</sub> distribution





Standardised estimate



#### $D_{\text{e}}$ distribution





# Profile log likelihood for $\sigma_{\text{OD}}$



TL (UVVIS)



help("merge\_RLum.Data.Curve")

TL (UVVIS)



TL (UVVIS)



# Profile log likelihood for $\sigma_{\text{OD}}$

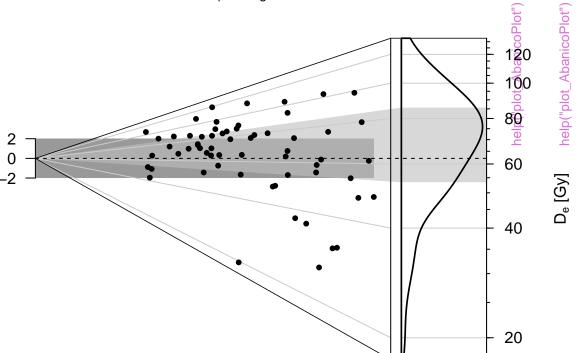


# Profile log likelihood for $\sigma_{\text{OD}}$



# D<sub>e</sub> distribution





Standardised estimate







n = 62 | in 2 sigma = 41.9 %











n = 62 | in 2 sigma = 41.9 %





n = 62 | in 2 sigma = 41.9 %











n = 62 | in 2 sigma = 41.9 %









































n = 62 | in 2 sigma = 41.9 %





#### De distribution































n = 62 | in 2 sigma = 41.9 %

















































Example data











| n = 5 | weighted mean = 1.01 | | n = 5 | weighted mean = 1 |





Example data



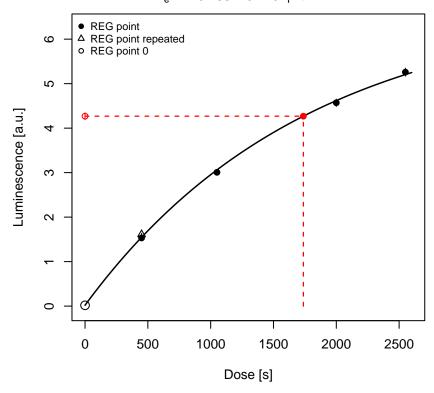


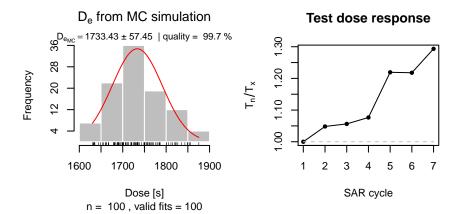
### Dose recovery test



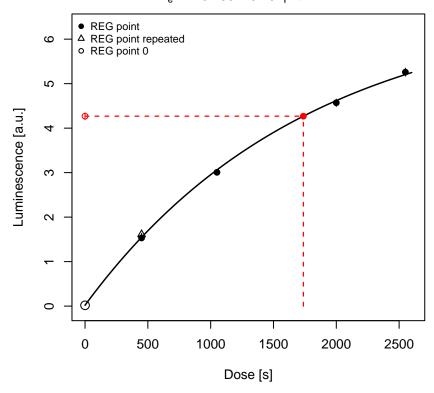


 $D_e = 1737.88 \pm 57.45$  | fit: EXP



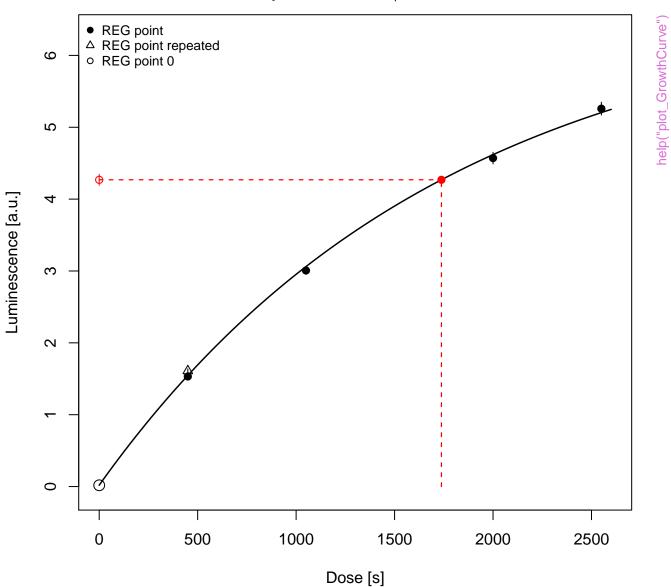


 $D_e = 1737.88 \pm 54.9$  | fit: EXP





 $D_e = 1737.88 \pm 64.53$  | fit: EXP



### D<sub>e</sub> from MC simulation

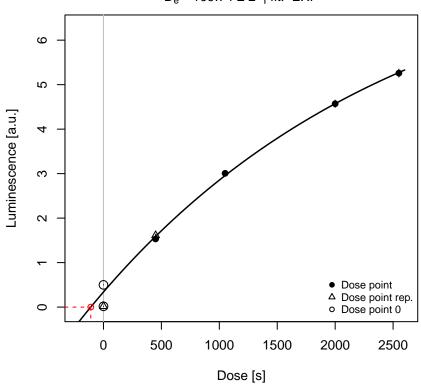


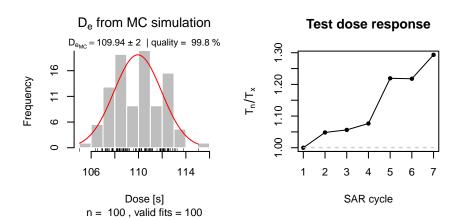
n = 100 , valid fits = 100

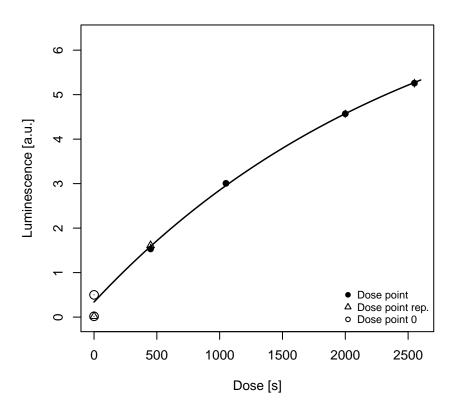


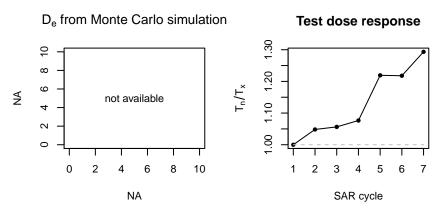












### Histogram



#### **Histogram of De-values**

Example data set







## **Dose distribution**















NR(t) Plot







NR(t) Plot



help("plot\_NRt")









TnTx(t) Plot















#### **TL** combined



unkown curve type



# RLum.Data.Image



#### RLum.Data.Spectrum



help("plot\_RLum.Data.Spectrum")

# RLum.Data.Spectrum



# RLum.Data.Spectrum



unkown curve type





0.0

0.1

0.2

p0

0.3

0.4

#### Monte Carlo Simulation

$$n = 100 \mid \hat{\mu} = 45 \mid \hat{\sigma} = 21 \mid \frac{\hat{\sigma}}{\sqrt{n}} = 2 \mid v = 0.84$$







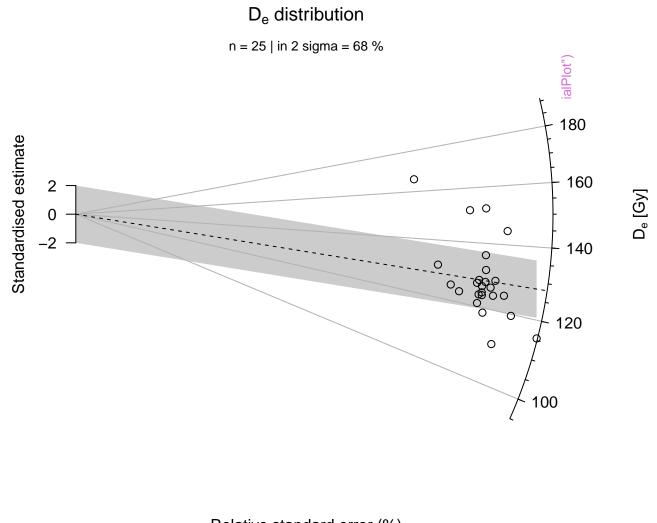


Precision



Precision













Precision





Data precision









### D<sub>e</sub> distribution













Density

OSL

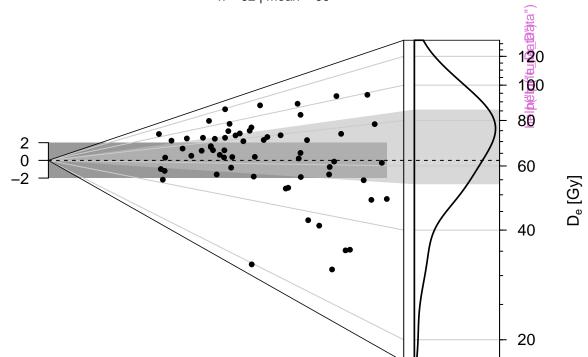


# $D_{\text{e}}$ distribution n = 62 | mean = 66 ("Entering 120 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 100 | 1 Standardised estimate 2 60 $D_{\rm e}$ [Gy] 40



20

# D<sub>e</sub> distribution n = 62 | mean = 66



Standardised estimate

