

$$(V,c)$$

$$c(s,P)=\min\sum_{k\in V}\sum_{j\in O}c_{kj}x_{kj}+P\sum_{k\in s}x_{k1}s.t.\sum_{j\in O}x_{kj}-y_k^s=0,\forall k\in V,\sum_{k\in V}x_{kj}\leq m_s,\forall j\in O,x_{kj}\in\{0,1\},\forall k\in V,\forall j\in O,y_k^s$$

$$\begin{array}{l}P\\m_s\\m_s\\m_s\\V=\\ \{1,2,\ldots,v\}\\P\\P\\t_i(i\in\\V)\\t_1<\\t_2<\\ \vdots <\\t_v\\ \omega(P)\\ \hat{\omega}(P)\\ \omega(P)=\min_{\alpha}\{c(V,m(V,P))-\alpha(V): \alpha(s)\leq c(s,m(s,P)), \forall s\in S, \alpha\in R^v\},\end{array}$$

$$\hat{\omega}(P)=\min_{\alpha}\{c(V,m(V,P))-\alpha(V): \alpha(s)\leq c(s,m(s,P)), \forall s\in S\backslash\{V\}, \alpha\in R^v\}.$$

$$\begin{array}{l}\alpha(V)\leq\\c(V,m(V,P))\\[P_L(i,s),P_H(i,s)]\\s\\[0,P^*]\\P^*\\c(V,m^*)=\\ \min_{m\in M}\{\sum_{k\in V}C_k(m)+\\P.\\m\}\\c_0(s,i)\\s\\c_0(V,i)\\i\\i\\c(V,m^*)=\\c_0(V,m^*)+\\P.\\m^*\\m^*\\i\\P^i\\I_i\\c_0(V,i)+\\P^ii\leq\\c_0(V,i-\\1)+\\P^i.\\(i-\\1)\\c_0(V,i)+\\P^ii\leq\\c_0(V,i+\\1)+\\P^i.\\(i+\\1)\\P^i\\c_0(V,i)-\\c_0(V,i+\\1)\leq\\P^i<\\c_0(V,i-\\1)-\\c_0(V,i)\\P^i\\[c_0(V,i)-\\c_0(V,i+\\1),c_0(V,i-\\1)-\\c_0(V,i)].\\t_1<\\t_2<\\ \vdots <\\t_v\\c_0(V,m)=\\ \sum_{j=1}^{\lceil v/m\rceil}\sum_{i=1}^mj t_{v-mj-i+m+1}\\[\cdot]\end{array}$$