$$\begin{array}{l} (k,k+1)\\ P\\ \omega^{1}(P)\\ \omega(P)\\ (x_{0}(V)+\\ m(V)P+\\ \sum_{s\in S\setminus \{V\}}, \rho_{s}m(s)\\ P\\ p\\ m(V)+\\ p\\ s\in S\setminus \{V\}, k\in s}\rho_{s}=\\ 1 \text{ for all }k\in \\ 1 \text{ for all }k\in \\ V, and \rho_{s}\geq \\ 0 \text{ for all }s\in \\ V, and \rho_{s}\geq \\ 0 \text{ for all }s\in \\ V, and \rho_{s}\geq \\ 0 \text{ for all }s\in \\ V, and \rho_{s}\geq \\ 0 \text{ for all }s\in \\ V, and \rho_{s}\geq \\ 0 \text{ for all }s\in \\ V, and \rho_{s}\geq \\ 0 \text{ for all }s\in \\ V, and \rho_{s}\geq \\ 0 \text{ for all }s\in \\ V, and \rho_{s}\geq \\ 0 \text{ for all }s\in \\ V, and \rho_{s}\geq \\ 0 \text{ for all }s\in \\ V, and \rho_{s}\geq \\ 0 \text{ for all }s\in \\ V, and \rho_{s}\geq \\ 0 \text{ for all }s\in \\ V, and \rho_{s}\geq \\ 0 \text{ for all }s\in \\ V, and \rho_{s}\geq \\ 0 \text{ for all }s\in \\ V, and \rho_{s}\geq \\ 0 \text{ for all }s\in \\ V, and \rho_{s}\geq \\ 0 \text{ for all }s\in \\ V, and \rho_{s}\geq \\ 0, P^{s}\geq \\ 0$$

 $\alpha_1 +$