

Q2 - 3-bit odd parity generator.

For odd parity, the parity bit 1 is inserted if and only if the number of 1's in the preceding string of three symbols are even.

We define 7 states:

000 or A - The sequence has not yet started.

001 or B - sequence detects first zero.

010 or C - sequence detects second zero/second one.

011 or D - sequence detects ~~third zero~~ <sup>even one's in</sup> three bits.

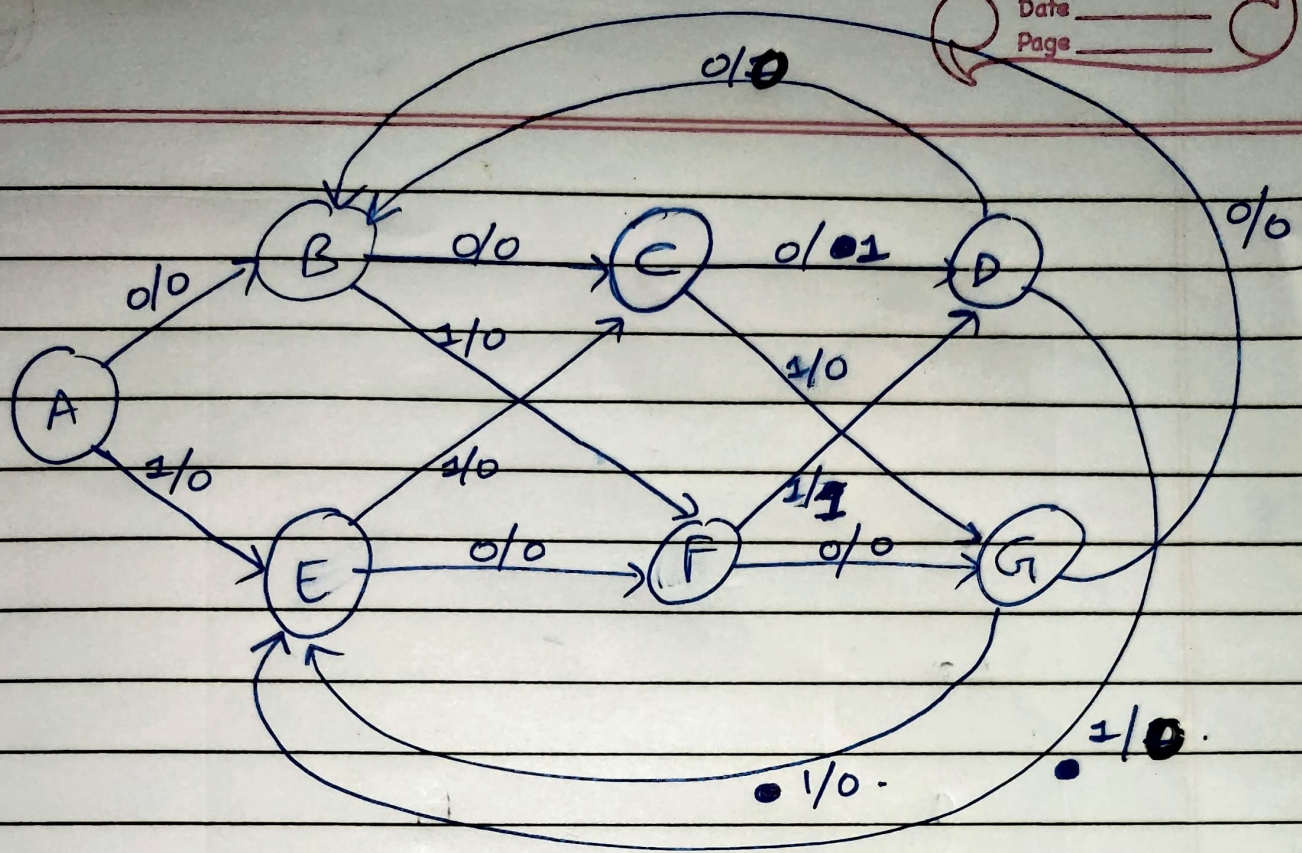
100 or E - sequence detects first one.

101 or F - sequence detects 1 one and 1 zero.

110 or G - sequence detects odd one's in three bits

A → <u>?</u> <u>?</u> <u>?</u>	B → <u>0</u> <u>?</u> <u>?</u>	C → <u>0</u> <u>0</u> <u>?</u>	D → <u>000</u> , <u>011</u> , <u>110</u> , <u>101</u>
0 bits read	E → <u>1</u> <u>?</u> <u>?</u>	F → <u>0</u> <u>1</u> <u>?</u>	G → <u>111</u> , <u>100</u> , <u>010</u> , <u>001</u>
1 bit read	1 bit read.	2 bits read	Three bits read, return to A.





### STATE DIAGRAM.

output is decided at C and F.

We return back to B or E after reading first bit of new input at D or G.



Input Present State	CNS, 0/p	
	0	1
A	(B, 0)	(E, 0)
B	(C, 0)	(F, 0)
E	(F, 0)	(C, 0)
C	(D, 1)	(G, 0)
F	(G, 0)	(D, 1)
D	(B, 0)	(E, 0)
G	(B, 0)	(E, 0)

State table  
for odd parity  
generator.

Input Present State	0		1	
	Next State	Output	Next State	Output
A	B	0	E	0
B	C	0	F	0
E	F	0	C	0
C	D	1	G	0
F	G	0	D	1
D	B	0	E	0
G	B	0	E	0

Transition and  
Output table.

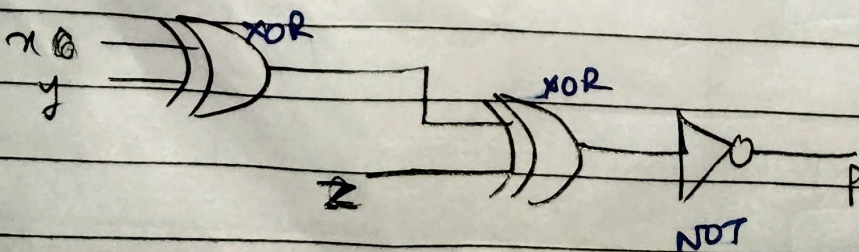
If we consider the three input bits as  $x, y, z$

K-map.

z \ xy	00	01	11	10
0	1	0	1	0
1	0	1	0	1

$$P = x \oplus y \oplus z$$

(XNOR)





# Excitation table:

Present state	Next state	Input	Output:
A	● B	0	0
A	E	1	0
B	C	0	0
B	F	1	0
C	D	0	● 1
C	G	1	0
D	●	0	0
D	E	1	0
E	F	0	0
E	C	1	0
F	G	0	0
F	D	1	● 1
G	B	0	0
G	E	1	0

Logic: If input is 1 or 0 at state D, then output is 1<sup>P</sup>  
(where D=1 if currently at state D)

otherwise  $\boxed{P=0}$

•  ~~$A = D + G$~~

•  $C = B \cdot \bar{in} + E \cdot in$

$B = A \cdot \bar{in} + (D + G) \cdot \bar{in}$

$F = B \cdot in + E \cdot \bar{in}$

$E = A \cdot \bar{in} + (D + G) \cdot in$

$G = C \cdot in + F \cdot \bar{in}$

$D = C \cdot \bar{in} + F \cdot in$

$A = (B + C + D + E + F) \cdot \bar{in}$

$P = C \cdot \bar{in} + F \cdot in$



