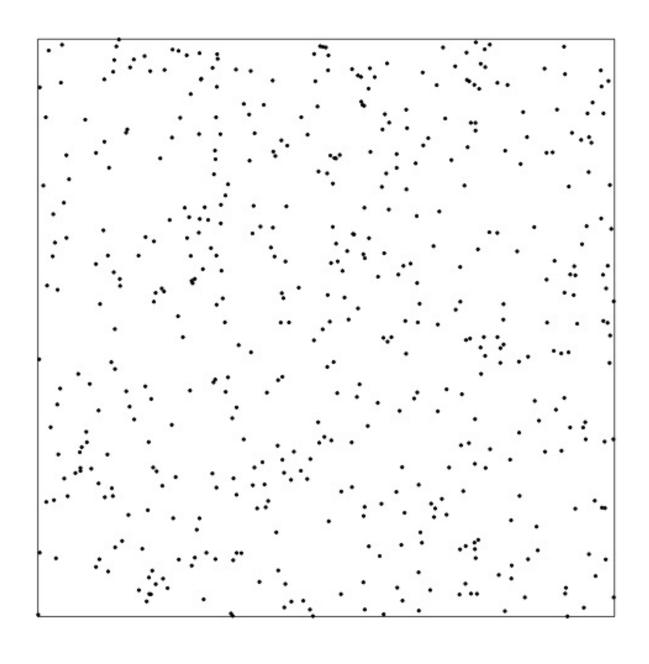
Introduction to distance sampling

David L Miller

Overview

- Line transects
- Simple estimates of abundance
- Why is detectability important?
- What is a detection function?
- First look at fitting models in R

How many animals are there? (500!)



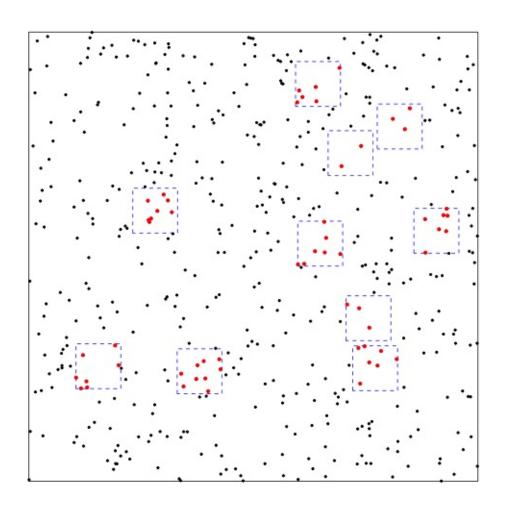
General strategy

- Take a sample in some fixed areas
- Find density/abundance in covered area
- Multiply up to get abundance

General strategy (What did we assume?)

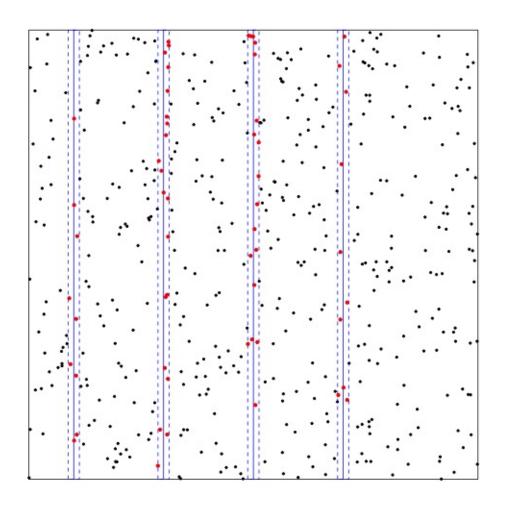
- Take a sample in some fixed areas
 - Sample is representative
- Find density/abundance in covered area
 - Estimator is "good"
- Multiply up to get abundance
 - Sample is representative

Plot sampling



- Surveyed 10 quadrats (each 0.1^2 units)
 - Total covered area $a = 10 * 0.1^2 = 0.1$
- Saw n = 59 animals
- Estimated density $\hat{D} = n/a = 590$
- Total area A = 1
- Estimated abundance $\hat{N} = 590$

Strip transect



- Surveyed 4 lines (each
 1 * 0.025 units)
 - Total covered area a = 4 * 1 * 0.025 = 0.1
- Saw n = 57 animals
- Estimated density $\hat{D} = n/a = 570$
- Total area A = 1
- Estimated abundance $\hat{N} = 570$

Detectability

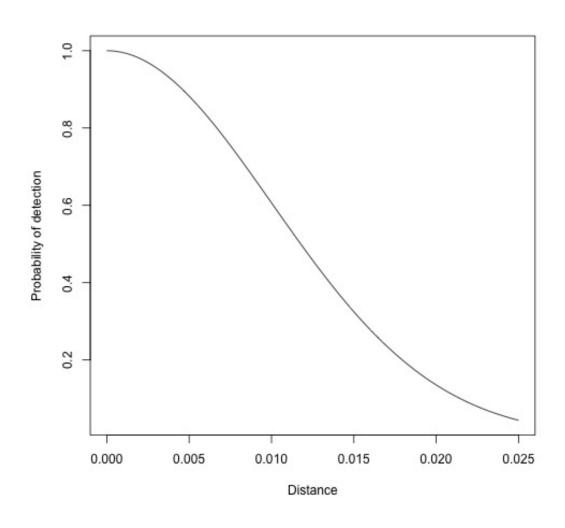
Detectability matters!

- We've assumed certain detection so far
- This rarely happens IRL
- Distance to the line is important
 - (Other things too, more on that later)
 - Detectability should decrease with increasing distance

Recording distances is more efficient

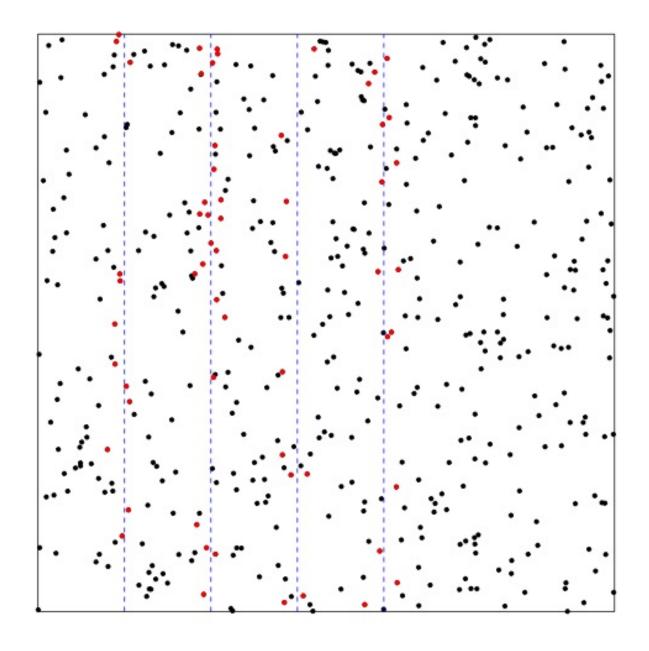
- Plots: what if an animal is just outside the box?
- Strips: what if an animal is just outside the strip?
- Line transects: record everything, then discard later
 - Decide strip width (truncation distance) later

Detection as a function of distance

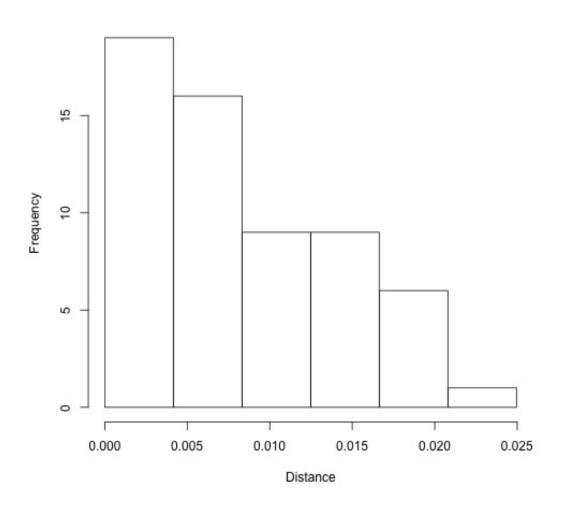


- Model probability of detection, given distance
- Fit models for the curve
- Derive a probability of detection from this model

Line transect



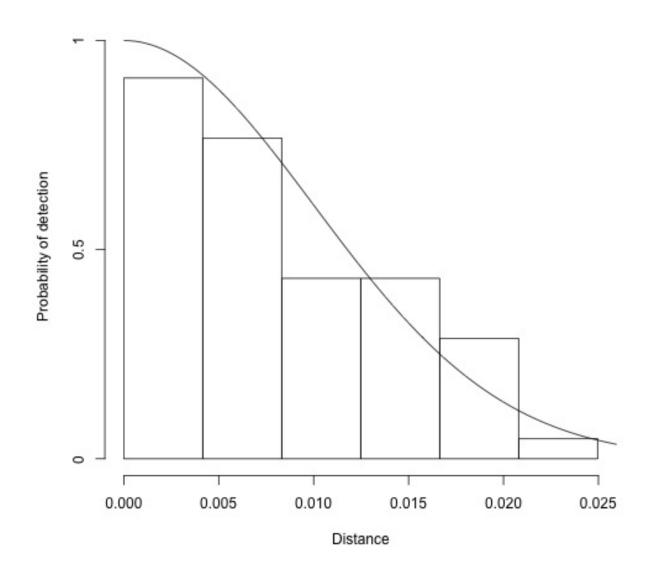
Line transects - distances



- Now we recorded distances, what do they look like?
- "Fold" distribution over, left/right doesn't matter
- Drop-off in # observations
 w. increasing distance

"You should model that"

Detection function



Using distance information

- Detection function: $\mathbb{P}(\text{detection } | \text{ at distance } x)$
- Integrate out the conditioning $\Rightarrow \mathbb{P}(\text{detection}) = \hat{p}$
- "Inflate" n by $p \to 0$ to estimate abundance

Distance sampling estimate

- Surveyed 5 lines (each 1 * 0.025 units)
 - Total covered area a = 5 * 1 * 0.02 = 0.2
- Probability of detection $\hat{p} = \int_0^w \frac{g(x)}{w} dx = 0.5981$
- Saw n = 60 animals
- Inflate to n/\hat{p}
- Estimated density $\hat{D} = \frac{n/\hat{p}}{a} = 502$
- Total area A = 1
- Estimated abundance $\hat{N} = 502$

Summary: line transects

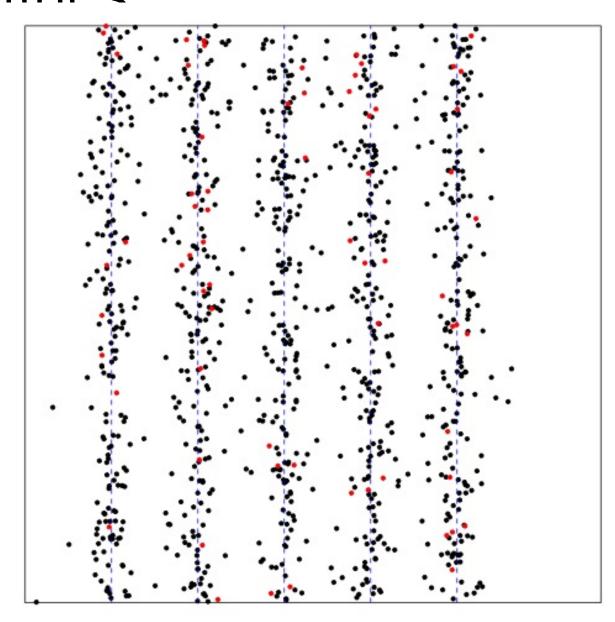
- Efficient survey design
- Relax the assumption of perfect detection
- Exchange assumptions for data
- More information = better inference

Assumptions

Assumptions

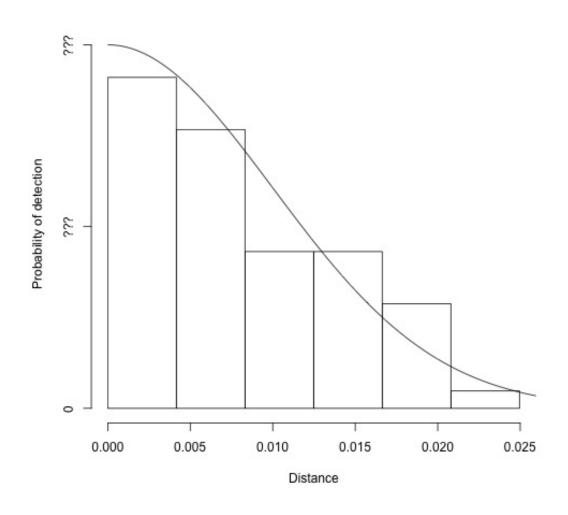
- 1. Animals are distributed independent of lines
- 2. On the line, detection is certain
- 3. Distances are recorded correctly
- 4. Animals don't move before detection

Animals are distributed independent of lines



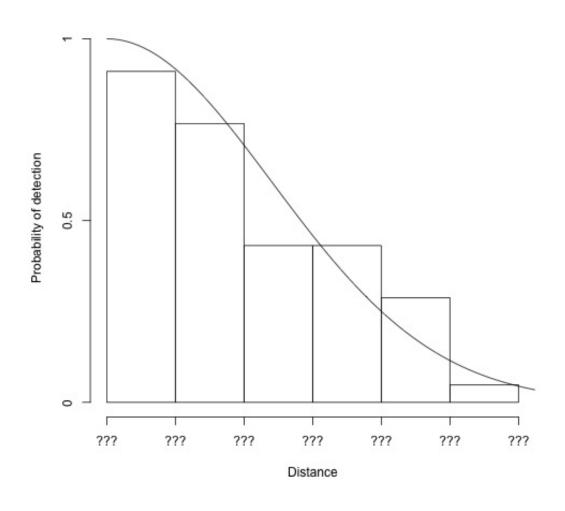
- When transects follow features
- Difficult to work out detectability vs. distribution

On the line, detection is certain



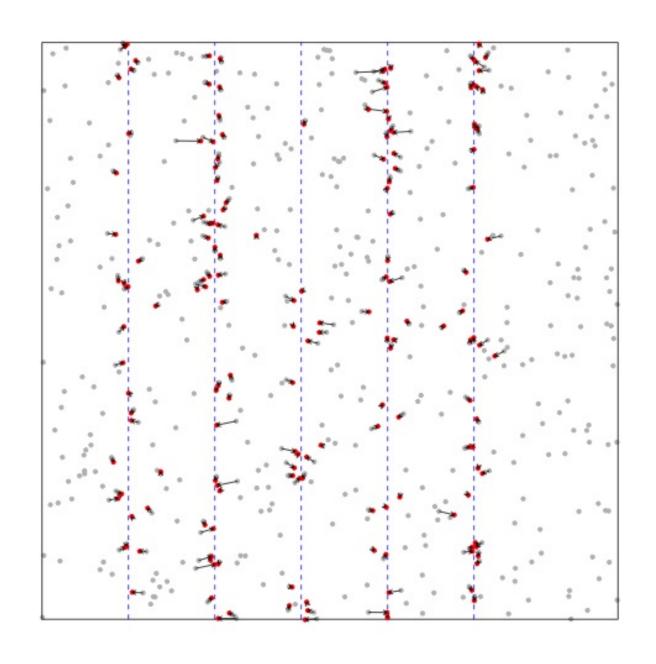
- Perception bias
- Availability bias
- Don't know y axis scale

Distances are recorded correctly



- Measurement error
- Don't know x axis scale
- This can be systematic

Animals don't move before detection



- Animals can be attracted or repelled
- Problems with distribution wrt line and/or measurement error

Detection functions

What are detection functions?

- Model \mathbb{P} (detection I animal at distance x)
- (Hence the integration)
- Many different forms, depending on the data
- All share some characteristics

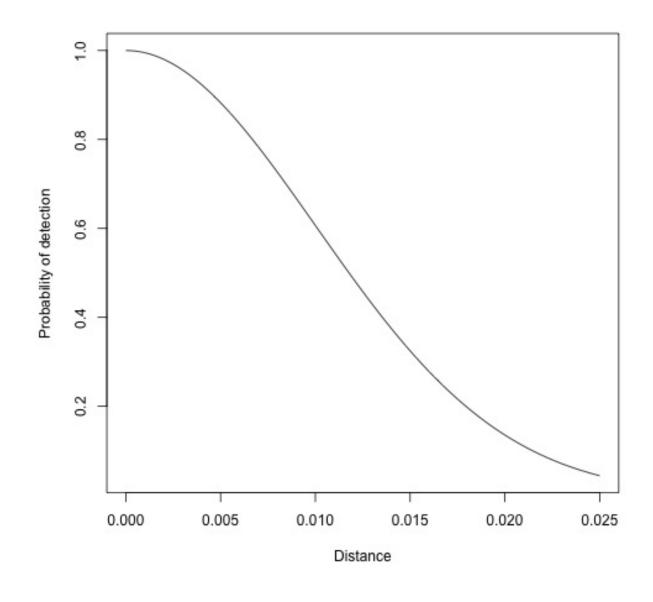
Detection function assumptions

- Have a "shoulder"
 - we see things nearby easily
- Monotonic decreasing
 - never increasing with increasing distance
- "Model robust"
 - lots of forms/flexible models
- "Pooling robust"
 - individual heterogeneity averages out
- "Efficient"
 - models don't need lots of parameters

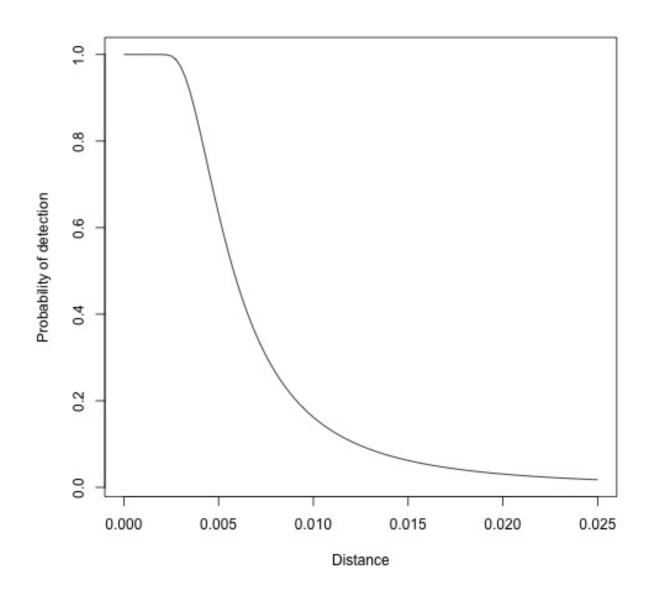
Possible detection functions

- There are many options
- A restricted set we'll cover in this course...
 - Half-normal
 - Hazard-rate
 - adjustments to the above

Half-normal detection functions



Hazard-rate detection functions



Adjustment terms

- These models are flexible
- What about adding more flexibilty by "adjusting" them
- Options:
 - Cosine series
 - Polynomials
 - Hermite polynomials
- Add extra flexibility

Okay, but how can we actually do this?

Modelling strategy

- 1. Pick some formulations, fit models
- 2. Check assumptions are violated
- 3. Goodness of fit
- 4. Select models
- 5. Estimate \hat{N} (and uncertainty!)

Distance sampling data

- Need to have data setup a certain way
 - a data. frame with one row per observation
 - at least 2 columns, named "object" and "distance"

Fitting detection functions (in R!)

- Using the package Distance
- Function ds() does most of the work

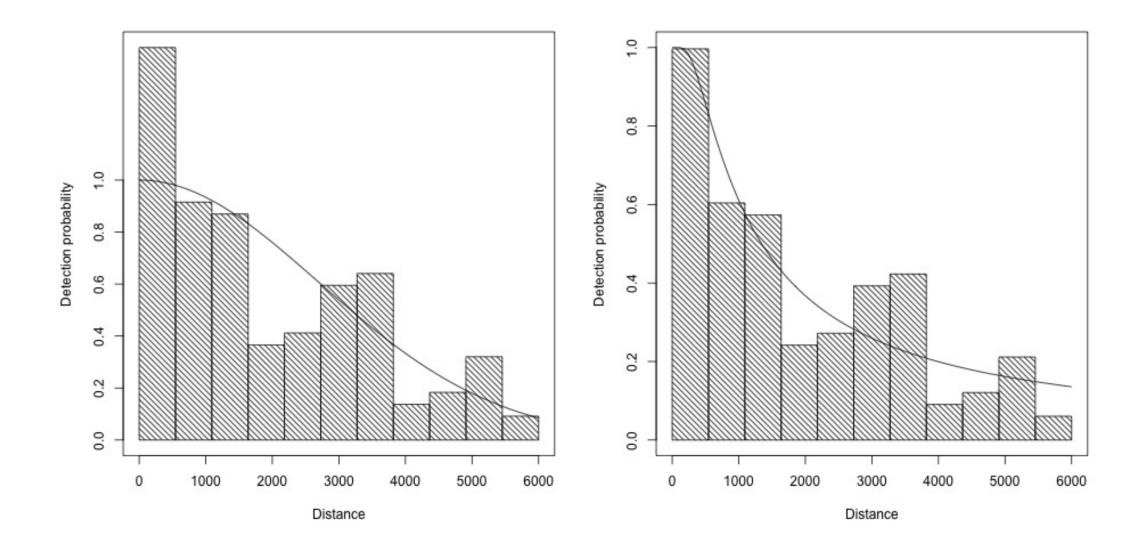
```
library(Distance)
df_hn <- ds(distdata, truncation=6000, adjustment = NULL)
df_hr <- ds(distdata, truncation=6000, key="hr", adjustment = NULL)</pre>
```

Model summary

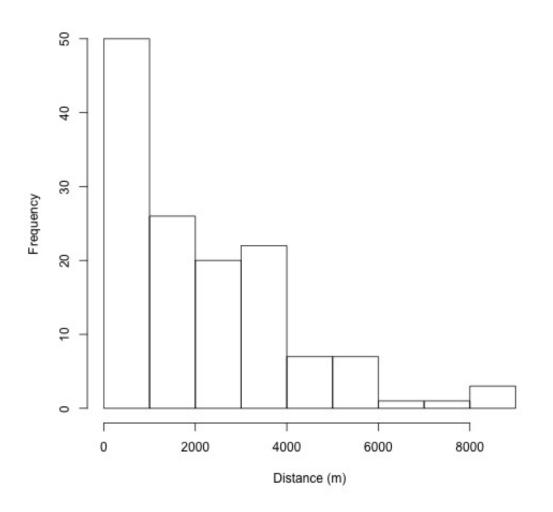
summary(df_hn)

```
Summary for distance analysis
Number of observations: 132
Distance range : 0 - 6000
Model: Half-normal key function
AIC : 2252.06
Detection function parameters
Scale Coefficients:
           estimate se
(Intercept) 7.900732 0.07884776
                     Estimate
                                     SE
                                               \mathsf{CV}
            0.5490484 0.03662569 0.06670757
Average p
N in covered region 240.4159539 21.32287580 0.08869160
```

Plotting models



Truncation



- We set truncation=6000, why?
- Remove observations in the tail of the distribution
- Care about g near 0!
- Trade-off! (Here we use
 ~96% of the data)
- Len Thomas suggests $g(w) \approx 0.15$

Recap

Distance sampling

- More efficient sampling
 - No census
- Collect additional information
 - Distances
- Estimate detection
- Use $\mathbb{P}(\text{detection})$ to correct counts

What's next?

- Model checking and selection
- Estimating abundance in R
- Stratification
- What else affects detectability?