

# DecoyAuth:

## Authentication with Compromise Detection

**Mathy Vanhoef**

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*Funded by NGI Sargasso under the DecoyAuth project.*

# Stolen credentials still a big issue

Verizon 2024 data breach report (30,458 security incidents)

- › Stolen credentials still the top cause of breaches



## Solution: decoy tokens

- › Act as reverse honeypot
- › Use of a decoy token means a breach occurred

# Problem

## Zero-Knowledge Authentication (ZK-Auth)

- › Counterparty *only* learns if token was correct
- › Downside: **can't use decoy tokens!**



We **add support of decoy tokens** to ZK protocols

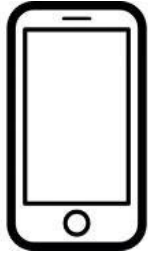
- › Decoy token is indistinguishable from a real token
- › If decoy token is used: take appropriate measures

# Objective: next-gen security and identity

1. Design the DecoyAuth protocol.
  - Based on Dragonfly.
2. Make a reference implementation
  - Will be open-sourced. Integrate into EAP authentication framework.
3. Create an open specification

**Open standardization is core goal**

# Dragonfly



Pick random  $r_A$  and  $m_A$

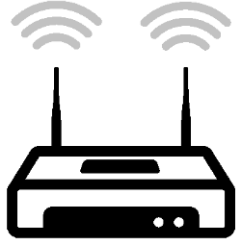
$$s_A = (r_A + m_A) \bmod q$$

$$E_A = -m_A \cdot P$$

Pick random  $r_B$  and  $m_B$

$$s_B = (r_B + m_B) \bmod q$$

$$E_B = -m_B \cdot P$$



# Dragonfly



Pick random  $r_A$  and  $m_A$

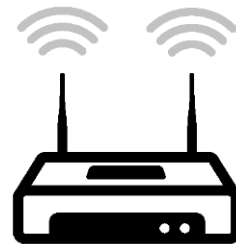
$$s_A = (r_A + m_A) \bmod q$$

$$E_A = -m_A \boxed{P}$$

Pick random  $r_B$  and  $m_B$

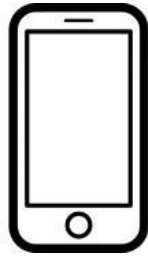
$$s_B = (r_B + m_B) \bmod q$$

$$E_B = -m_B \boxed{P}$$



**Password is hashed to  
group element P**  
(Simplified Shallue Woestijne-Ulas)

# Dragonfly



Pick random  $r_A$  and  $m_A$   
 $s_A = (r_A + m_A) \bmod q$   
 $E_A = -m_A \cdot P$

1

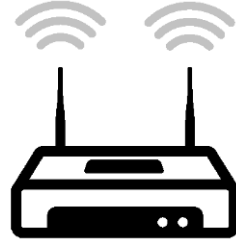
Commit( $s_A, E_A$ )



Pick random  $r_B$  and  $m_B$   
 $s_B = (r_B + m_B) \bmod q$   
 $E_B = -m_B \cdot P$

2

Commit( $s_B, E_B$ )



# Dragonfly

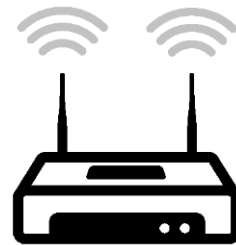


Pick random  $r_A$  and  $m_A$   
 $s_A = (r_A + m_A) \bmod q$   
 $E_A = -m_A \cdot P$

1 → Commit( $s_A, E_A$ )

Pick random  $r_B$  and  $m_B$   
 $s_B = (r_B + m_B) \bmod q$   
 $E_B = -m_B \cdot P$

← Commit( $s_B, E_B$ ) 2



Could also have design without **scalar  $s$** ,  
it was added to avoid patent issues...



# Dragonfly



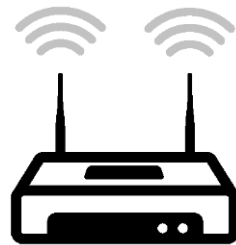
Pick random  $r_A$  and  $m_A$   
 $s_A = (r_A + m_A) \bmod q$   
 $E_A = -m_A \cdot P$

1  $\xrightarrow{\text{Commit}(s_A, E_A)}$

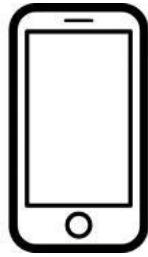
$K = r_A \cdot (s_B \cdot P + E_B)$   
 $= r_A \cdot (r_B \cdot P + m_B \cdot P - m_B \cdot P)$   
 $= r_A \cdot r_B \cdot P$   
 $\kappa = \text{Hash}(K)$   
 $tr = (s_A, E_A, s_B, E_B)$   
 $c_A = \text{HMAC}(\kappa, tr)$

Pick random  $r_B$  and  $m_B$   
 $s_B = (r_B + m_B) \bmod q$   
 $E_B = -m_B \cdot P$

$\xleftarrow{\text{Commit}(s_B, E_B)}$  2



# Dragonfly



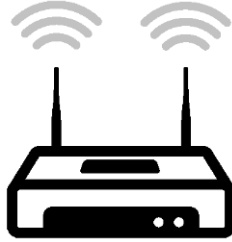
Pick random  $r_A$  and  $m_A$   
 $s_A = (r_A + m_A) \bmod q$   
 $E_A = -m_A \cdot P$

1

Commit( $s_A, E_A$ )

$K = r_A \cdot (s_B \cdot P + E_B) = \mathbf{r_A \cdot r_B \cdot P}$   
 $\kappa = \text{Hash}(K)$   
 $tr = (s_A, E_A, s_B, E_B)$   
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Pick random  $r_B$  and  $m_B$   
 $s_B = (r_B + m_B) \bmod q$   
 $E_B = -m_B \cdot P$



2

Commit( $s_B, E_B$ )

# Dragonfly



Pick random  $r_A$  and  $m_A$   
 $s_A = (r_A + m_A) \bmod q$   
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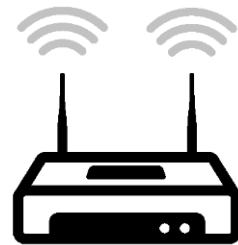
1  $\xrightarrow{\text{Commit}(s_A, E_A)}$

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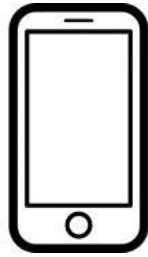
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$\xleftarrow{\text{Commit}(s_B, E_B)}$  2

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# Dragonfly



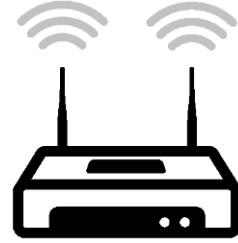
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**Negotiate shared key. Similar to SPEKE (expired patent) but using a mask and scalar.**

# Dragonfly

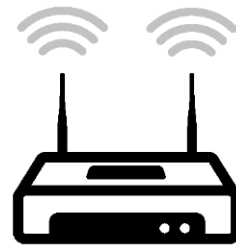


Pick random  $r_A$  and  $m_A$   
 $s_A = (r_A + m_A) \bmod q$   
 $E_A = -m_A \cdot P$

①  $\xrightarrow{\text{Commit}(s_A, E_A)}$

$K = r_A \cdot (s_B \cdot P + E_B) = \mathbf{r_A \cdot r_B \cdot P}$   
 $\kappa = \text{Hash}(K)$   
 $tr = (s_A, E_A, s_B, E_B)$   
 $c_A = \text{HMAC}(\kappa, tr)$

③  $\xrightarrow{\text{Confirm}(c_A)}$



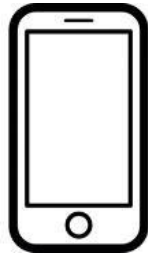
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 $s_B = (r_B + m_B) \bmod q$   
 $E_B = -m_B \cdot P$

$\xleftarrow{\text{Commit}(s_B, E_B)}$  ②

$K = r_B \cdot (s_A \cdot P + E_A) = \mathbf{r_A \cdot r_B \cdot P}$   
 $\kappa = \text{Hash}(K)$   
 $tr = (s_B, E_B, s_A, E_A)$   
 $c_B = \text{HMAC}(\kappa, tr)$

$\xleftarrow{\text{Confirm}(c_B)}$  ④

# Dragonfly

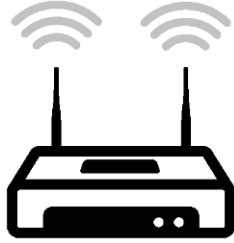


Pick random  $r_A$  and  $m_A$   
 $s_A = (r_A + m_A) \bmod q$   
 $E_A = -m_A \cdot P$

①  $\xrightarrow{\text{Commit}(s_A, E_A)}$

$K = r_A \cdot (s_B \cdot P + E_B) = \mathbf{r_A \cdot r_B \cdot P}$   
 $\kappa = \text{Hash}(K)$   
 $tr = (s_A, E_A, s_B, E_B)$   
 $c_A = \text{HMAC}(\kappa, tr)$

③  $\xrightarrow{\text{Confirm}(c_A)}$



Pick random  $r_B$  and  $m_B$   
 $s_B = (r_B + m_B) \bmod q$   
 $E_B = -m_B \cdot P$

$\xleftarrow{\text{Commit}(s_B, E_B)}$  ②

$K = r_B \cdot (s_A \cdot P + E_A) = \mathbf{r_A \cdot r_B \cdot P}$   
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 $tr = (s_B, E_B, s_A, E_A)$   
 $c_B = \text{HMAC}(\kappa, tr)$

$\xleftarrow{\text{Confirm}(c_B)}$  ④

**Confirm peer negotiated same key**

# What do people seem to want?

- › Solution should support any key type including passwords
- › **Ideally same security guarantees** as normal Dragonfly
- › Avoid DoS attacks, in particular against the server
- › *“Ideally minimal changes to Dragonfly to ease implementation”*
- › *“Ideally support tens of **thousands of decoy keys**”*

# Naïve: do $n$ parallel Dragonfly executions

- › Has obvious overhead:
  - ›› All packets sent  $n$  times, all computations done  $n$  times
- › We can do better: adapt O-PAKE or SweetPAKE <sup>[1,2]</sup>



# Adapting O-PAKE

O-PAKE can turn any PAKE into an *oblivious* PAKE

- › Oblivious = client can try  $n$  keys at once
- › Authentication succeeds if any of out  $n$  keys is valid
- › Server sends encoding of points to the client
- › Client recovers the right message using its key

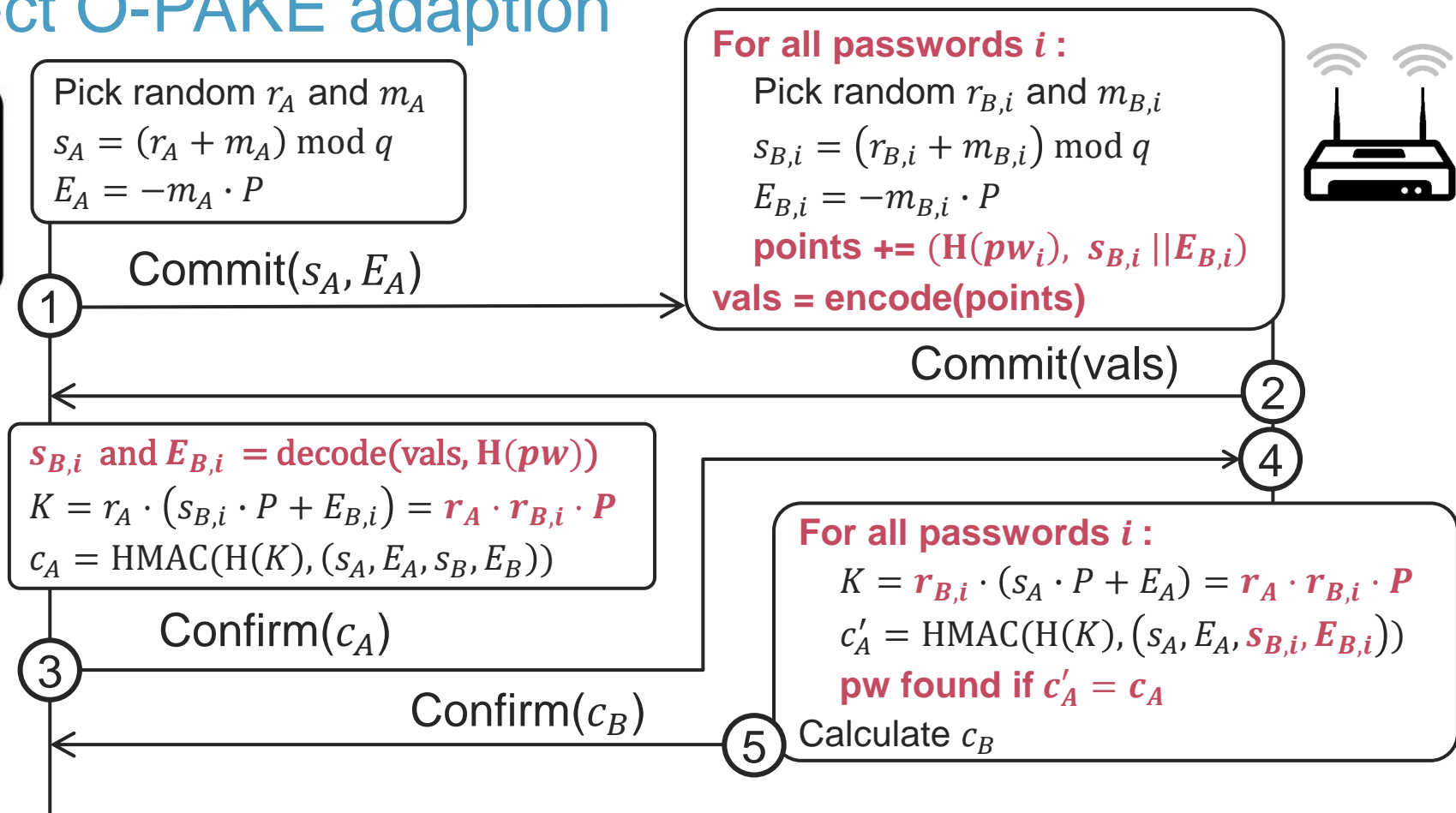
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→ We reverse direction & apply to Dragonfly

# Direct O-PAKE adaption



# Decoy-Dragonfly

- › Data overhead is  $O(c n)$  where  $n = \text{\#keys}$ 
  - › This seems hard to avoid...
  - › ...unless we can reuse data across handshakes?
  - › ...unless decoy keys are generated or have structure?
- › First: can we **reduce the value of  $c$  in  $O(c n)$** ?
  - › Reuse the same scalar for all keys!
  - › Note: what comes next are fresh ideas without any proofs...

# Direct O-PAKE adaption



Pick random  $r_A$  and  $m_A$   
 $s_A = (r_A + m_A) \bmod q$   
 $E_A = -m_A \cdot P$

Commit( $s_A, E_A$ )

1

For all passwords  $i$  :

Pick random  $r_{B,i}$  and  $m_{B,i}$

$s_{B,i} = (r_{B,i} + m_{B,i}) \bmod q$

$E_{B,i} = -m_{B,i} \cdot P$

points += (H( $pw_i$ ),  $s_{B,i} || E_{B,i}$ )

vals = encode(points)



# Reuse scalar



Pick random  $r_A$  and  $m_A$   
 $s_A = (r_A + m_A) \bmod q$   
 $E_A = -m_A \cdot P$

Commit( $s_A, E_A$ )

1

**Pick random  $s_B$**

For all passwords  $i$ :

Pick random  $r_{B,i}$  and  $m_{B,i}$

$s_{B,i} = (r_{B,i} + m_{B,i}) \bmod q$

$E_{B,i} = -m_{B,i} \cdot P$

points += (H( $pw_i$ ),  $s_{B,i} || E_{B,i}$ )

vals = encode(points)



# Reuse scalar



Pick random  $r_A$  and  $m_A$   
 $s_A = (r_A + m_A) \bmod q$   
 $E_A = -m_A \cdot P$

Commit( $s_A, E_A$ )

1

**Pick random  $s_B$**

For all passwords  $i$ :

Pick random  $r_{B,i}$  and  $m_{B,i}$

$s_{B,i} = (r_{B,i} + m_{B,i}) \bmod q$

$E_{B,i} = -m_{B,i} \cdot P$

points += (H( $pw_i$ ),  $s_{B,i} || E_{B,i}$ )

vals = encode(points)



# Reuse scalar



Pick random  $r_A$  and  $m_A$   
 $s_A = (r_A + m_A) \bmod q$   
 $E_A = -m_A \cdot P$

Commit( $s_A, E_A$ )

1

Pick random  $s_B$

For all passwords  $i$ :

Pick random  $r_{B,i}$  and  $m_{B,i}$

$r_{B,i} = (s_B - m_{B,i}) \bmod q$

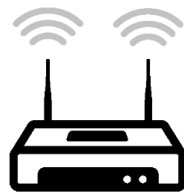
$E_{B,i} = -m_{B,i} \cdot P$

points += (H( $pw_i$ ),  $s_{B,i} || E_{B,i}$ )

vals = encode(points)

Commit(vals)

2





# Reuse scalar



Pick random  $r_A$  and  $m_A$   
 $s_A = (r_A + m_A) \bmod q$   
 $E_A = -m_A \cdot P$

Commit( $s_A, E_A$ )

1

Pick random  $s_B$

For all passwords  $i$ :

Pick random  $r_{B,i}$  and  $m_{B,i}$

$r_{B,i} = (s_B - m_{B,i}) \bmod q$

$E_{B,i} = -m_{B,i} \cdot P$

points += (H( $pw_i$ ),  $s_{B,i} || E_{B,i}$ )

vals = encode(points)

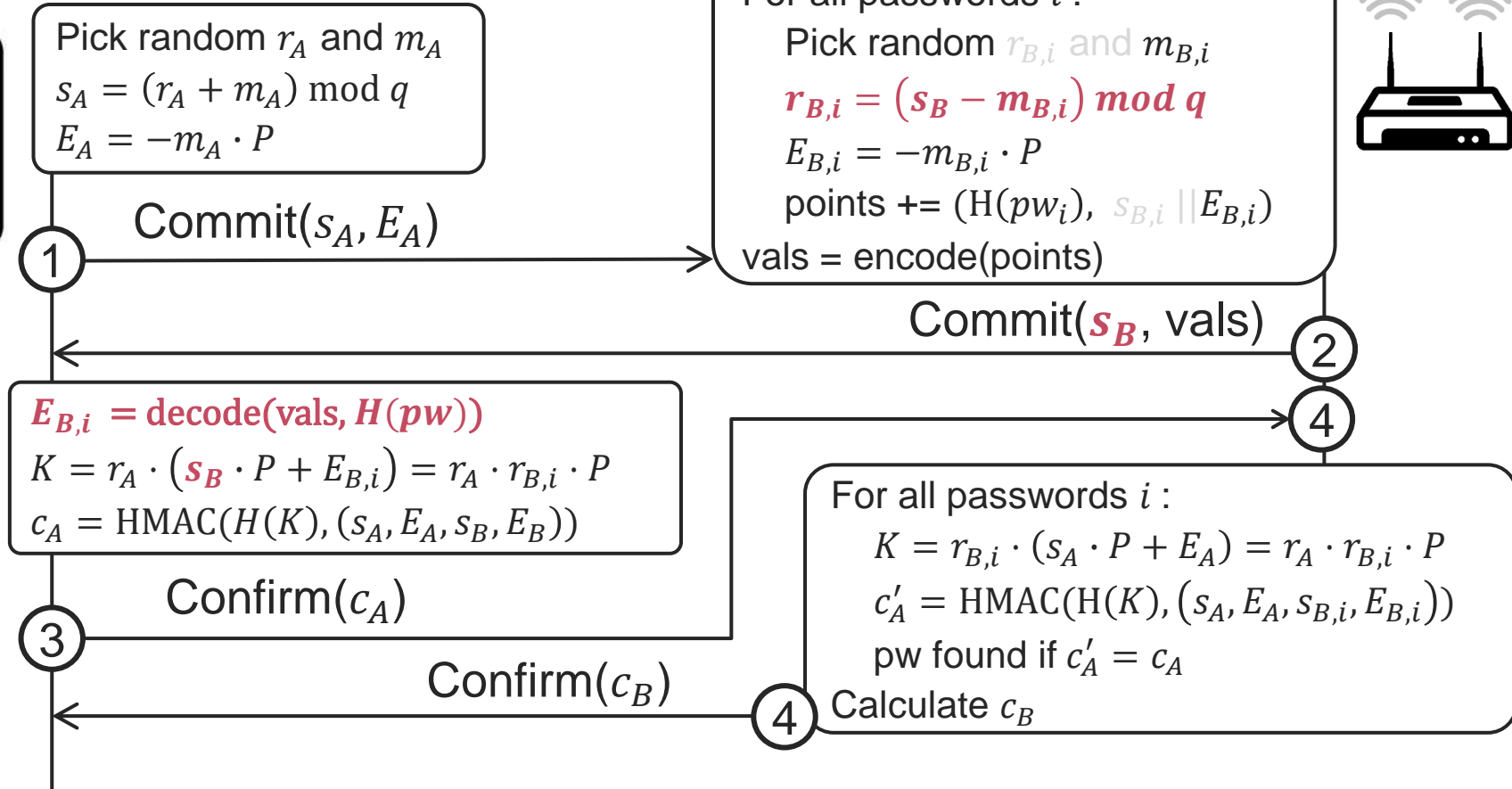
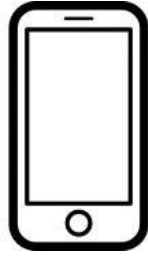
Commit( $s_B$ , vals)

2

$s_{B,i}$  and  $E_{B,i} = \text{decode}(\text{vals}, H(pw))$   
 $K = r_A \cdot (s_{B,i} \cdot P + E_{B,i}) = r_A \cdot r_{B,i} \cdot P$   
 $c_A = \text{HMAC}(H(K), (s_A, E_A, s_B, E_B))$



# Reuse scalar (final)



# Decoy-Dragonfly

- › Data overhead is now lower!
- › But still requires point encoding in every handshake
  - › Can optimize with precomputation if keys remain identical<sup>[3]</sup>
  - › But still  $O(n^2)$  in number of the keys
- › Do point encoding once and **reuse the encoded values**?
  - › We can easily change the scalar  $s_B$  while keeping all  $m_{B,i}$  the same
  - › Would what this look like? Let's explore...

# Reuse scalar (final)



Pick random  $r_A$  and  $m_A$   
 $s_A = (r_A + m_A) \bmod q$   
 $E_A = -m_A \cdot P$

Commit( $s_A, E_A$ )

1

Pick random  $s_B$

For all passwords  $i$ :

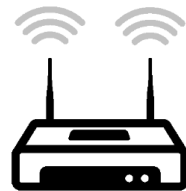
Pick random  $m_{B,i}$

$r_{B,i} = (s_B - m_{B,i}) \bmod q$

$E_{B,i} = -m_{B,i} \cdot P$

points += (H( $pw_i$ ),  $E_{B,i}$ )

vals = encode(points)



# Reuse values



Pick random  $r_A$  and  $m_A$   
 $s_A = (r_A + m_A) \bmod q$   
 $E_A = -m_A \cdot P$

Commit( $s_A, E_A$ )

1

**Pick random  $s_B$**

For all passwords  $i$ :

Pick random  $m_{B,i}$

**$r_{B,i} = (s_B - m_{B,i}) \bmod q$**

$E_{B,i} = -m_{B,i} \cdot P$

points += (H( $pw_i$ ),  $E_{B,i}$ )

vals = encode(points)



# Reuse values



Pick random  $r_A$  and  $m_A$   
 $s_A = (r_A + m_A) \bmod q$   
 $E_A = -m_A \cdot P$

Commit( $s_A, E_A$ )

1

For all passwords  $i$  :

Pick random  $m_{B,i}$

$$E_{B,i} = -m_{B,i} \cdot P$$

points += (H( $pw_i$ ),  $E_{B,i}$ )

vals = encode(points)

**Pick random  $s_B$**

$$\forall i: r_{B,i} = (s_B - m_{B,i}) \bmod q$$



# Reuse values



Pick random  $r_A$  and  $m_A$   
 $s_A = (r_A + m_A) \bmod q$   
 $E_A = -m_A \cdot P$

Commit( $s_A, E_A$ )

1

For all passwords  $i$  :

Pick random  $m_{B,i}$

$E_{B,i} = -m_{B,i} \cdot P$

points += ( $H(pw_i), E_{B,i}$ )

vals = encode(points)

**Pick random  $s_B$**

**$\forall i: r_{B,i} = (s_B - m_{B,i}) \bmod q$**

Commit( $s_B, \text{vals}$ )

2



$E_{B,i} = \text{decode}(\text{vals}, H(pw))$   
 $K = r_A \cdot (s_B \cdot P + E_{B,i}) = r_A \cdot r_{B,i} \cdot P$   
 $c_A = \text{HMAC}(H(K), (s_A, E_A, s_B, E_B))$

Confirm( $c_A$ )

3

Confirm( $c_B$ )

For all passwords  $i$  :

$K = r_{B,i} \cdot (s_A \cdot P + E_A) = r_A \cdot r_{B,i} \cdot P$

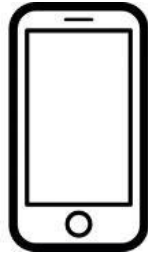
$c'_A = \text{HMAC}(H(K), (s_A, E_A, s_{B,i}, E_{B,i}))$

pw found if  $c'_A = c_A$

4 Calculate  $c_B$

4

# Reuse values (final)



Pick random  $r_A$  and  $m_A$   
 $s_A = (r_A + m_A) \bmod q$   
 $E_A = -m_A \cdot P$

Commit( $s_A, E_A$ )

1

For all passwords  $i$  :

Pick random  $m_{B,i}$

$E_{B,i} = -m_{B,i} \cdot P$

points += ( $H(pw_i), E_{B,i}$ )

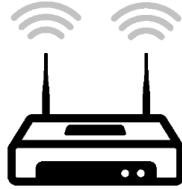
vals = encode(points)

Pick random  $s_B$

$\forall i: r_{B,i} = (s_B - m_{B,i}) \bmod q$

Commit( $s_B, \text{vals}$ )

2



$E_{B,i} = \text{decode}(\text{vals}, H(pw))$   
 $K = r_A \cdot (s_B \cdot P + E_{B,i}) = \mathbf{r_A \cdot r_{B,i} \cdot P}$   
 $c_A = \text{HMAC}(H(K), (s_A, E_A, s_B, E_B))$

Confirm( $c_A$ )

3

Confirm( $c_B$ )

For all passwords  $i$  :

$K = r_{B,i} \cdot (s_A \cdot P + E_A) = \mathbf{r_A \cdot r_{B,i} \cdot P}$

$c'_A = \text{HMAC}(H(K), (s_A, E_A, s_{B,i}, E_{B,i}))$

pw found if  $c'_A = c_A$

4 Calculate  $c_B$

4



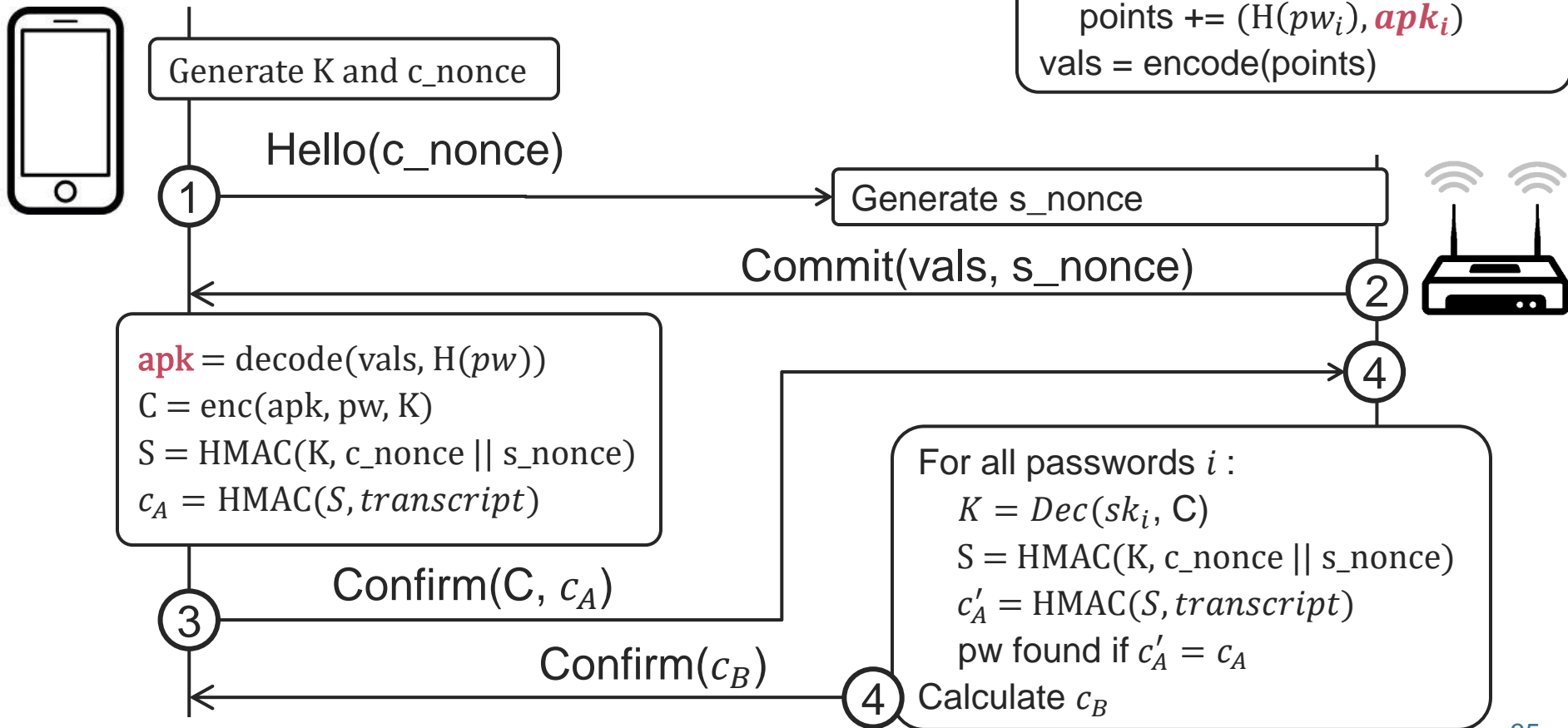
# Advantages

- › Can broadcast the encoded values to all clients at once
  - › Can even be sent outside the handshake...
  - › ...this makes supporting many keys more feasible
- › Reduces computational burden on the AP
  - › AP still loops over all keys, but seems hard to avoid

## Other directions

- › Can also do similar things like SweetPAKE [2]
  - ›› Based on Password-Authenticated Public-Key Encryption (PAPKE)
  - ›› Not based on Dragonfly, IEEE 802.11 might be more hesitant to adopt
  - ›› But also seems worth exploring!
- › Could even combine point encoding with PAPKE
  - ›› Happy to discuss, see backup slides
- › Post-quantum? Currently not (yet) a focus in Wi-Fi...

# O-PAKE + PAPKE



# Future extensions

## Multi-password Wi-Fi feature

- › Implemented by practically **all vendors for WPA2!**
- › Nice alternative to have per-user credentials...
- › ...but without the hassle of certificates/username
- › No longer possible with WPA3, because it uses Dragonfly...
- › ...we are looking into adding this feature as well

# Advantage of multi-password WPA3

A single network name but multiple passwords

- › Better user experience + less airtime overhead
- › Use case: **guests get a different password**
  - › Devices connect to same network, but are put in different VLANs
- › Use case: **all users or devices get a different password**
  - › Infer identity from used password, can again have different VLANs
  - › Revoke/change individual passwords, e.g., hotels, employees,...
  - › **Malicious insider** can't create rogue clone of the network

# Conclusion

- › Supporting decoy keys is feasible
- › **Help needed to optimize solutions!**
  - › Security analysis, optimizations, ideas...
  - › Eternal fame awaits! 😊

→ <https://github.com/DistriNet/decoyauth>

# References

1. F. Kiefer and M. Manulis. Oblivious PAKE: Efficient handling of password trials. In Springer International Conference on Information Security, 2015.
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3. D. Harkins. Simultaneous authentication of equals: A secure, password-based key exchange for mesh networks. In IEEE SensorComm, 2008.