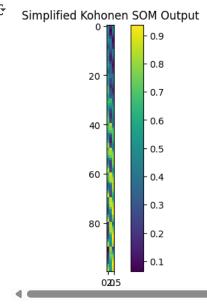
```
#Practical 1 Write a program to implement logical gates AND,OR and NOT with McCulloch-Pitts
def McCulloch_Pitts(inputs, weights, threshold):
    net_input = sum([i * w for i, w in zip(inputs, weights)])
    return 1 if net_input >= threshold else 0
# AND Gate
print("AND Gate")
for x1 in [0, 1]:
    for x2 in [0, 1]:
        print(f"Input: \{x1\}, \{x2\} \rightarrow Output: \{McCulloch\_Pitts([x1, x2], [1, 1], 2)\}")
# OR Gate
print("\nOR Gate")
for x1 in [0, 1]:
    for x2 in [0, 1]:
        print(f"Input: \{x1\}, \{x2\} \rightarrow Output: \{McCulloch\_Pitts([x1, x2], [1, 1], 1)\}")
# NOT Gate
print("\nNOT Gate")
for x in [0, 1]:
    print(f"Input: \{x\} \rightarrow Output: \{McCulloch\_Pitts([x], [-1], 0)\}")
→ AND Gate
     Input: 0, 0 \rightarrow Output: 0
     Input: 0, 1 \rightarrow Output: 0
     Input: 1, 0 \rightarrow \text{Output: } 0
     Input: 1, 1 \rightarrow \text{Output: } 1
     OR Gate
     Input: 0, 0 \rightarrow Output: 0
     Input: 0, 1 \rightarrow \text{Output: } 1
     Input: 1, 0 \rightarrow \text{Output: 1}
     Input: 1, 1 \rightarrow Output: 1
     NOT Gate
     Input: 0 → Output: 1
     Input: 1 → Output: 0
x1 = [0, 0, 1, 1]
x2 = [0, 1, 0, 1]
w1 = [1, 1, 1, 1]
w2 = [1, 1, 1, 1]
t = 2 # threshold
print("x1 x2 w1 w2 t o") # header row
for i in range(len(x1)):
    net_input = x1[i] * w1[i] + x2[i] * w2[i]
    output = 1 if net_input >= t else 0
    print(x1[i], x2[i], w1[i], w2[i], t, output)
 → x1 x2 w1 w2 t o
     001120
     0 1 1 1 2 0
     101120
     1 1 1 1 2 1
#Practical 2 Write a program to implement Hebb"s rule
import numpy as np
# Input patterns
x1 = np.array([1, 1, 1, -1, 1, -1, 1, 1, 1]) # First input
x2 = np.array([1, 1, 1, 1, -1, 1, 1, 1, 1]) # Second input
# Target outputs
y = np.array([1, -1])
# Initial weights and bias
wt_old = np.zeros((9,), dtype=int)
b = 0
# ---- FIRST INPUT ----
print("First input with target = 1")
for i in range(9):
    wt_old[i] = wt_old[i] + x1[i] * y[0]
```

```
wt new = wt old.copy()
b = b + y[0]
print("Old weight =", wt_old)
print("Bias value =", b)
print("\n")
# ---- SECOND INPUT ----
print("Second input with target = -1")
for i in range(9):
   wt_new[i] = wt_old[i] + x2[i] * y[1]
b = b + y[1]
print("New weight =", wt_new)
print("Bias value =", b)
First input with target = 1
     Old weight = [ 1 1 1 -1 1 -1 1 1]
     Bias value = 1
     Second input with target = -1
     New weight = [0 \ 0 \ 0 \ -2 \ 2 \ -2 \ 0 \ 0]
     Bias value = 0
#Practical 3 Implement Kohonen Self organizing map
import numpy as np
import matplotlib.pyplot as plt
# Step 1: Generate random input data (100 samples with 3 features)
data = np.random.rand(100, 3)
# Step 2: Initialize SOM grid (10x10 neurons), each with 3 weights
som_x, som_y = 10, 10
input len = 3
weights = np.random.rand(som x, som y, input len)
# Step 3: Set training parameters
learning_rate = 0.5
radius = max(som_x, som_y) / 2
radius_decay = 0.99
learning_rate_decay = 0.99
num_iterations = 1000
# Step 4: Train the SOM
for iteration in range(num_iterations):
    # Pick a random sample
    sample = data[np.random.randint(0, len(data))]
    # Find Best Matching Unit (BMU)
    distances = np.linalg.norm(weights - sample, axis=-1)
    bmu_index = np.unravel_index(np.argmin(distances), (som_x, som_y))
    # Update weights of BMU and its neighbors
    for i in range(som_x):
        for j in range(som_y):
            dist_to_bmu = np.linalg.norm(np.array([i, j]) - np.array(bmu_index))
            if dist_to_bmu <= radius:</pre>
                influence = np.exp(-dist_to_bmu**2 / (2 * (radius**2)))
                weights[i, j] += influence * learning_rate * (sample - weights[i, j])
    # Decay learning rate and radius
    learning_rate *= learning_rate_decay
    radius *= radius_decay
# Step 5: Visualize SOM as color grid
flat_weights = weights.reshape(som_x * som_y, input_len)
plt.imshow(flat_weights, cmap='viridis')
plt.colorbar()
plt.title("Simplified Kohonen SOM Output")
plt.show()
```



```
#Practical 4 Solve the Hamming network given the exemplarvectors
import numpy as np
# Step 1: Define the exemplar vectors (pre-defined inputs)
exemplar_vectors = np.array([
    [1, 0, 1, 0, 1, 1, 0, 1],
    [0, 1, 0, 1, 0, 0, 1, 0],
    [1, 1, 1, 1, 0, 1, 0, 0]
])
# Step 2: Define the input vector
input_vector = np.array([1, 0, 1, 1, 0, 1, 0, 1])
# Step 3: Hamming distance function
def hamming_distance(v1, v2):
    Compute the Hamming distance between two binary vectors.
    return np.sum(v1 != v2)
# Step 4: Hamming network to find closest exemplar
def hamming_network(input_vector, exemplar_vectors):
    Find the exemplar vector with the smallest Hamming distance to the input vector.
    distances = np.array([hamming_distance(input_vector, ev) for ev in exemplar_vectors])
    min_distance_index = np.argmin(distances)
    return min_distance_index, distances[min_distance_index]
# Step 5: Run the network
index, distance = hamming_network(input_vector, exemplar_vectors)
# Step 6: Output the result
print(f"The input vector is closest to exemplar vector at index {index} with a Hamming distance of {distance}.")
\overline{\Sigma} The input vector is closest to exemplar vector at index 0 with a Hamming distance of 2.
#Practical 5 Write a program for implementing BAM network
import numpy as np
# Defining BAM class
class BAM:
    def __init__(self):
        self.weights = None
    def train(self, patterns_A, patterns_B):
        Train weights using Hebbian learning rule.
        num_features_A = patterns_A.shape[1]
```

```
num_features_B = patterns_B.shape[1]
       self.weights = np.zeros((num_features_A, num_features_B))
       for a, b in zip(patterns_A, patterns_B):
            self.weights += np.outer(a, b)
   def recall_A(self, pattern_B):
       Recall pattern A given pattern B.
       result = np.dot(pattern_B, self.weights.T)
       return np.sign(result)
   def recall B(self, pattern A):
       Recall pattern B given pattern A.
       result = np.dot(pattern_A, self.weights)
       return np.sign(result)
# Example usage
if __name__ == "__main__":
   # Step 1: Define the training patterns
   patterns_A = np.array([
       [1, 1, -1],
       [-1, 1, 1],
       [-1, -1, -1]
   ])
   patterns_B = np.array([
       [1, -1],
       [-1, 1],
        [1, 1]
   ])
   # Step 2: Initialize and train BAM
   bam = BAM()
   bam.train(patterns_A, patterns_B)
   # Step 3: Test recall for pattern B
   test_pattern_B = np.array([1, -1])
   recalled_pattern_A = bam.recall_A(test_pattern_B)
   print("Recalled Pattern A for test pattern B", test_pattern_B, "is:", recalled_pattern_A)
   # Step 4: Test recall for pattern A
   test_pattern_A = np.array([1, 1, -1])
   recalled pattern B = bam.recall B(test pattern A)
   print("Recalled Pattern B for test pattern A", test_pattern_A, "is:", recalled_pattern_B)
    Recalled Pattern A for test pattern B [ 1 -1] is: [ 1. 0. -1.]
    Recalled Pattern B for test pattern A [ 1 1 -1] is: [ 1. -1.]
#Practical 6 Implement a program to find the winning neuron using MaxNet
import numpy as np
def maxnet(input_vector, epsilon=0.1, max_iterations=100):
   activations = np.copy(input_vector)
   for _ in range(max_iterations):
       # Compute inhibition from all other neurons
       inhibition = epsilon * (np.sum(activations) - activations)
       # Update activations
       activations = activations - inhibition
       # Set negative activations to zero
       activations[activations < 0] = 0</pre>
       # If only one neuron is left active, stop
       if np.count_nonzero(activations) == 1:
           break
   # Return the index of the winning neuron
   return np.argmax(activations)
# Example usage
input_vector = np.array([0.2, 0.5, 0.1, 0.7, 0.4])
```

```
winning_neuron = maxnet(input_vector)
print(f"The winning neuron is at index {winning_neuron} with activation {input_vector[winning_neuron]}")
→ The winning neuron is at index 3 with activation 0.7
#Practical 7 Implement De-Morgan"s Law
def de_morgans_law_1(A, B):
    Law 1: \neg(A \lor B) = \neg A \land \neg B
    not_A_or_B = not (A or B)
    not_A_and_not_B = (not A) and (not B)
    return not_A_or_B, not_A_and_not_B
def de_morgans_law_2(A, B):
    Law 2: \neg(A \land B) = \neg A \lor \neg B
    not_A_and_B = not (A and B)
    not_A_or_not_B = (not A) or (not B)
    return not_A_and_B, not_A_or_not_B
# Get inputs
A = input("Enter A (True/False): ").strip().capitalize()
B = input("Enter B (True/False): ").strip().capitalize()
# Convert to Boolean
A = A == "True"
B = B == "True"
# Law 1
result_1 = de_morgans_law_1(A, B)
print("\nDe Morgan's Law 1: \neg(A \lor B) = \neg A \land \neg B")
print(f"\neg({A} \lor {B}) = {result_1[0]}")
print(f"\neg\{A\} \land \neg\{B\} = \{result\_1[1]\}")
print(f"Law holds: {result_1[0] == result_1[1]}")
# Law 2
result_2 = de_morgans_law_2(A, B)
print("\nDe Morgan's Law 2: \neg(A \land B) = \neg A \lor \neg B")
print(f"\neg(\{A\} \land \{B\}) = \{result\_2[0]\}")
print(f"\neg\{A\} \lor \neg\{B\} = \{result\_2[1]\}")
print(f"Law holds: {result_2[0] == result_2[1]}")
Enter B (True/False): False
     De Morgan's Law 1: \neg(A \lor B) = \neg A \land \neg B
     ¬(True V False) = False
     ¬True ∧ ¬False = False
     Law holds: True
     De Morgan's Law 2: \neg(A \land B) = \neg A \lor \neg B
     ¬(True ∧ False) = True
     ¬True V ¬False = True
     Law holds: True
# Practical 8 Implement Union, Intersection, Complement and Difference operations on fuzzy sets
def fuzzy_union(A, B):
    return \{x: max(A.get(x, 0), B.get(x, 0)) \text{ for } x \text{ in } set(A).union(B)\}
# Intersection of Fuzzy Sets: min(A(x), B(x))
def fuzzy_intersection(A, B):
    return \{x: min(A.get(x, 0), B.get(x, 0)) \text{ for } x \text{ in } set(A).intersection(B)\}
# Complement of Fuzzy Set A: 1 - A(x)
def fuzzy_complement(A):
    return \{x: 1 - A[x] \text{ for } x \text{ in } A\}
# Difference of Fuzzy Sets: min(A(x), 1 - B(x))
def fuzzy_difference(A, B):
    return \{x: min(A.get(x, 0), 1 - B.get(x, 0)) \text{ for } x \text{ in } set(A).union(B)\}
# Example fuzzy sets
```

```
A = \{ 'x1': 0.1, 'x2': 0.4, 'x3': 0.7 \}
B = \{ 'x2': 0.5, 'x3': 0.2, 'x4': 0.8 \}
# Perform operations
union_result = fuzzy_union(A, B)
intersection_result = fuzzy_intersection(A, B)
complement_result_A = fuzzy_complement(A)
difference_result = fuzzy_difference(A, B)
# Display results
print("Fuzzy Set A:", A)
print("Fuzzy Set B:", B)
print("\nResults of operations on fuzzy sets:")
print("Union (A ∪ B):", union_result)
print("Intersection (A ∩ B):", intersection_result)
print("Complement (A'):", complement_result_A)
print("Difference (A - B):", difference_result)
Fuzzy Set A: {'x1': 0.1, 'x2': 0.4, 'x3': 0.7}
Fuzzy Set B: {'x2': 0.5, 'x3': 0.2, 'x4': 0.8}
     Results of operations on fuzzy sets:
     Union (A \cup B): {'x1': 0.1, 'x4': 0.8, 'x3': 0.7, 'x2': 0.5}
     Intersection (A n B): {'x2': 0.4, 'x3': 0.2}
     Complement (A'): {'x1': 0.9, 'x2': 0.6, 'x3': 0.300000000000000004}
     Difference (A - B): {'x1': 0.1, 'x4': 0, 'x3': 0.7, 'x2': 0.4}
# Practical 9 Create fuzzy relation by Cartesian product of any two fuzzy sets
def cartesian_product_fuzzy_relation(A, B):
    relation = {}
    for x in A:
        for y in B:
            relation[(x, y)] = min(A[x], B[y])
    return relation
# Example fuzzy sets
A = \{ 'x1': 0.7, 'x2': 0.4, 'x3': 0.9 \}
B = \{ 'y1': 0.6, 'y2': 0.8, 'y3': 0.5 \}
# Compute Cartesian product fuzzy relation
relation = cartesian_product_fuzzy_relation(A, B)
# Display the results
print("Fuzzy Set A:", A)
print("Fuzzy Set B:", B)
print("\nCartesian Product Fuzzy Relation:")
for (x, y), value in relation.items():
    print(f"({x}, {y}): {value}")
Fuzzy Set A: {'x1': 0.7, 'x2': 0.4, 'x3': 0.9}
     Fuzzy Set B: {'y1': 0.6, 'y2': 0.8, 'y3': 0.5}
     Cartesian Product Fuzzy Relation:
     (x1, y1): 0.6
     (x1, y2): 0.7
     (x1, y3): 0.5
     (x2, y1): 0.4
     (x2, y2): 0.4
     (x2, y3): 0.4
     (x3, y1): 0.6
     (x3, y2): 0.8
     (x3, y3): 0.5
# Practical 10 Perform max-min composition on any two fuzzyrelations
def cartesian_product_fuzzy_relation(A, B):
    relation = {}
    for x in A:
        for y in B:
            relation[(x, y)] = min(A[x], B[y])
    return relation
# Max-Min composition of two fuzzy relations
def max_min_composition(R, S):
    T = \{\}
```

```
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         x_{elements} = set(x for x, y in R)
         y_elements = set(y for x, y in R)
         z_{elements} = set(z for y, z in S)
         for x in x_elements:
             for z in z_elements:
                 min_values = []
                  for y in y_elements:
                      if (x, y) in R and (y, z) in S:
                          min_values.append(min(R[(x, y)], S[(y, z)]))
                  if min_values:
                      T[(x, z)] = max(min_values)
         return T
     # Example fuzzy sets
     A = \{ 'x1': 0.7, 'x2': 0.4, 'x3': 0.9 \}
    B = {'y1': 0.6, 'y2': 0.8, 'y3': 0.5}
C = {'z1': 0.5, 'z2': 0.9, 'z3': 0.3}
    # Compute fuzzy relations
    R = cartesian\_product\_fuzzy\_relation(A, B) # A \times B
    S = cartesian_product_fuzzy_relation(B, C) # B × C
    # Perform max-min composition
    T = max_min_composition(R, S)
    # Display the results
     print("Fuzzy Set A:", A)
    print("Fuzzy Set B:", B)
    print("Fuzzy Set C:", C)
    print("\nFuzzy Relation R (A × B):")
     for (x, y), value in R.items():
         print(f"({x}, {y}): {value}")
    print("\nFuzzy Relation S (B \times C):")
     for (y, z), value in S.items():
         print(f"({y}, {z}): {value}")
     print("\nMax-Min Composition (R o S):")
     for (x, z), value in T.items():
         print(f"({x}, {z}): {value}")
     Fuzzy Set A: {'x1': 0.7, 'x2': 0.4, 'x3': 0.9}
Fuzzy Set B: {'y1': 0.6, 'y2': 0.8, 'y3': 0.5}
Fuzzy Set C: {'z1': 0.5, 'z2': 0.9, 'z3': 0.3}
          Fuzzy Relation R (A \times B):
          (x1, y1): 0.6
          (x1, y2): 0.7
          (x1, y3): 0.5
          (x2, y1): 0.4
          (x2, y2): 0.4
          (x2, y3): 0.4
          (x3, y1): 0.6
          (x3, y2): 0.8
          (x3, y3): 0.5
          Fuzzy Relation S (B \times C):
          (y1, z1): 0.5
          (y1, z2): 0.6
          (y1, z3): 0.3
          (y2, z1): 0.5
          (y2, z2): 0.8
          (y2, z3): 0.3
          (y3, z1): 0.5
          (y3, z2): 0.5
          (y3, z3): 0.3
          Max-Min Composition (R o S):
          (x2, z2): 0.4
          (x2, z1): 0.4
          (x2, z3): 0.3
          (x1, z2): 0.7
          (x1, z1): 0.5
          (x1, z3): 0.3
          (x3, z2): 0.8
          (x3, z1): 0.5
          (x3, z3): 0.3
```

Start coding or generate with AI.