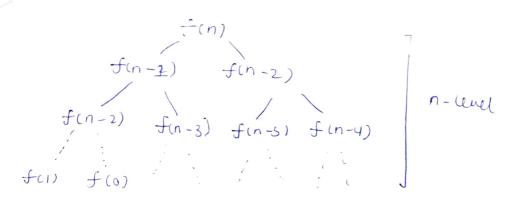
```
Tutorial - 2
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  Section - F
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 Of what is the time complexity of selow code and how?
     void fun (int n)
     \begin{cases} \text{ int } j=1, i=0 \end{cases}
      unile (i <n)
{
    i+=j;
    j++;
}
 for (i)
     1 1+2+3 + .... +<n
     :1+2+3+m < n
      m(m+1) < n
   5y summation method
   Ten 1= Vn - du
Or write recurance relation for function that prints
  fibonacci series salveit to get the time complexity
" what will be the space complexity and uny?
  -> For Fibonacci series
      f(n) = f(n-1) + f(n-2)
     By Forming a tree f(0)=6
```



: At every function call we get = Function calls : for n levels we have = 2x2....ntimes

$$T(n) = 2^n$$

MAXIMUM SPACE

Considering Recursive

Stack: no of calls maximum = n

For each call we have space complexity 0(1)

each call we have time complexity O(1)

1. T(n1=00)

03 write program which have complexity: n(logn), n3, kog(logn)

void quicksort (int arres, int low rint high)

{ if (low < high) { int pi = partition (arr, low, high); quicksort (arr, low, pi-1); quicksort (arr, pi+1, high);

7

```
int partition (int arres, int low, int high)
    { int pivat = arrchigh];
        int i = (10w-1);
      for (int j=low; j = high -1, j++)
      ¿ if (grrci) (pivat)
        { i++;
         Swap (SarrEi], 8 arrEjj);
      swap (Sarr [i+1], Sarr [high])
       return (i+1);
2 n3 -> muttiplication of 2 square number matrix
       for (int i=0; ich; i++)
{
    for (j=0; j<cz; j++)
           { for (k=0; k < c1; k++)
             { rus ciscjs+= aciseks * beksejs;
```

3) (og (log n)

for (i=2 i icn; i=i*i)

{ count++;
}

O4 Same the fallowing recurrence relation

7(n) = T(n/4) + T(n/2) + (n/2)

T(n/4) T(n/2) -1

T(n/4) T(n/4) T(n/8) -2

At level

$$0 \to cn^{2}$$
 $1 \to \frac{n^{2}}{4^{2}} + \frac{n^{2}}{2^{2}} = \frac{(sn^{2})^{2}}{16}$
 $2 \to \frac{n^{2}}{8^{2}} + \frac{n^{2}}{16^{2}} + \frac{n^{2}}{4^{2}} + \frac{n^{2}}{8^{2}} = \left(\frac{s}{16}\right)^{2}n^{2}c$
 $= k = (og_{2}n)$
 $T(n) = ((n^{2} + s/16))n^{2} + (s/16)^{2}n^{2} + \cdots + (s/16)(og_{n}n^{2})$
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- 96,8n2,7n3,5n

0