

CS315: DATABASE SYSTEMS SCHEDULES

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Tue 10:30-11:45, Thu 12:00-13:15

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- Commit and abort statements may be omitted if obvious
- A schedule is **serial** if all operations of a transaction finish before any other operation of another transaction

Example

- T1 transfers 50 from A to B and then T2 transfers 10% of A to B
- A **serial** schedule

$r_1(A); A := A - 50; w_1(A); r_1(B); B := B + 50; w_1(B);$

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 - At least one of them is a **write**
- Intuitively, a conflict enforces a *logical temporal order* on the instructions
- Consequently, if two instructions do *not* conflict, they can be interchanged

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- A serial schedule is conflict serializable
- A conflict serializable schedule need not be serial

Example

- $S : r_1(a)w_1(a)r_2(a)w_2(a)r_1(b)w_1(b)r_2(b)w_2(b)$

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 - It is not required to be conflict equivalent to $T_2 T_1$ as well
- $r_1(a)w_2(a)w_1(a)$
is *not* conflict serializable as
 - It is not conflict equivalent to either of the two serial schedules $T_1 T_2$ or $T_2 T_1$

Restrictions of Conflict Serializability

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- This leads to **view serializability**

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 - 2 For each data item x , if a transaction T writes the final value of x in S , it writes the final value of x in S' as well
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- A schedule S is **view serializable** if it is view equivalent to a serial schedule

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 - Blind writes: writes to a data item without reading it
- Every view serializable schedule that is not conflict serializable *must* have blind writes

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but is neither conflict nor view serializable
- Determining such equivalence requires *semantic* analysis of operations other than read and write

Testing for Serializability

- Create a **precedence graph** for the schedule
- Directed graph where each transaction is a vertex
- A directed edge is from transaction T_i to T_j if I_i is *before* I_j and they *conflict*
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- *Depth-first search* can detect cycles in $O(n + m)$ time
- *Topological sorting* produces an equivalent serial order
- Testing for view serializability is *NP-complete*
- Practical algorithms
 - Catches all non view serializable schedules
 - But can miss a view serializable schedule

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- If T_2 commits just after $r_2(a)$, i.e., if the schedule is $r_1(a)w_1(a)r_2(a)c_2r_1(b)a_1$, then it is *not* recoverable
 - If T_1 crashes, then $w_1(a)$ is undone, but T_2 has already read a wrong value of a and committed

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- Therefore, to make it recoverable, the schedule should be

Recoverability

- Conflict and view serializability do not address failures
- Order of commits and aborts are important for **recoverability**
- A schedule is called a **recoverable schedule** if
 - A transaction T_i reads a data item previously written by T_j , and
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- Not preferable as lot of work is undone

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