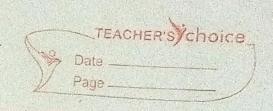
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G1	Show that 1-22 c cax & xce IR
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92	Show that the function of defined by \[\begin{align*} & = & & & & & & & & & & & & & & & & & &
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1,710	The Control of the Co
	is not analytic at $x = 0$.
	O
03	Consider the Harmonic Series Wa given by Ha = $\sum_{n=1}^{\infty} \frac{1}{n}$
	given by Ha = \[\frac{1}{2}
	Show Hot the server diverges
Q4	What is the radius of convergence of
	following series ?
	$\begin{array}{cccccccccccccccccccccccccccccccccccc$
05	Con'l Ha some 22 222
QQ	Consider the sequence 0.2, 0.22, 0.222, 0.222,



sums of a series and find its limit

Section 2

has been been as a common who

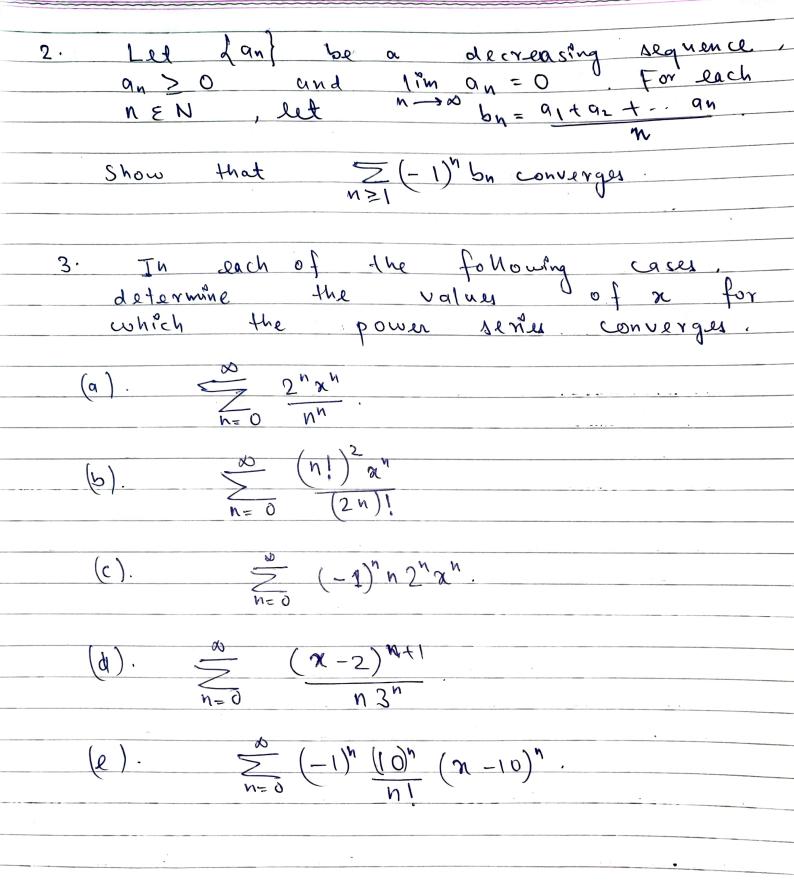
Otherwise the values of a for which the series $\frac{2}{n_{c}^{2}}$ converges obstitute.

Show the convergence of Maclauren series of InCIAX) in OEXXI.

Shore that every sequence is a sequence of partial parentes.

1. Using Taylor's theorem, for any KEN and for all n >0, show that

 $\frac{x-1}{2}x^2+\frac{1}{2}x^{2k} < \log(1+x) < \frac{1}{2}$



4. that Show show that Let an > 0. Then both the series \(\sigma_n \gamma 1 and Santl or diverge together. Converge 6. Let $a_0 \in (a, b)$ and $n \ge 2$. Suppose f', f'', f'' ourse continuous on (a, b) and $f'(x_0) = f^{(n-1)}(x_0) = 0$ Then if n is even and fin(no) >0. then f has a local minimum at no. Similarily, if n is even and for (no) (0, then of has a local maximum at no.

h=1