

# THERMAL PHYSICS

## 3.1 THERMAL CONCEPTS

### THE PARTICLE MODEL OF MATTER.

Solids	Liquids	Gases
<p>↳ <u>springs</u> join neighbouring particles &amp; <u>represent</u> particles bonds between them.</p>	<p>↳ Particles are able to move around in the volume but the bonds are strong enough such that they cannot move far away.</p>	<p>↳ inter-particle forces are negligible. Significant force exists between <u>only</u> particles <u>during</u> <u>collisions</u>.</p>

### TEMPERATURE:

↳ A measure of the average kinetic energy of the particles of a substance.

↓  
The direct proportionality between temperature & the average kinetic energy is only true for the absolute or the kelvin scale.

$$T(K) = T(^{\circ}C) + 273$$

The magnitude of a kelvin scale is the same as that of a degree celsius.

### Measuring Temperature - Thermometer.

The thermometer is kept in contact with the body whose temperature is to be measured.

A thermal interaction takes place. Energy is transferred until thermal equilibrium is attained.

**HEAT** → Energy that is transferred from one body to another as a result of difference in temperatures.

Heating increasing increases the internal energy of a body.



total random kinetic energy  
of the particles

Increasing separation requires work to be done → energy of the particles.

This work goes into increasing the potential energy of the particles.

**Specific heat capacity (c)** is the energy required to increase the temperature of a unit mass of a body by one kelvin.

$$Q = mc\Delta T$$

### **LATENT HEAT:**

Heat supplied does work on particles to increase separation so there is a gain in  $E_p$  not  $E_k$ , so temperature is constant.

**Latent Heat** is the amount of energy required to change the phase of a unit mass at constant temperature.

$$Q = mL$$



$L_v > L_f$ : Because the increase in separation of the molecules is much larger when going from liquid to vapour than from solid to liquid. So more work is required to achieve the greater separation & therefore more energy is required.

### Method of Mixtures (to measure specific heat capacity).

- A solid is put in a container of hot water.
- After thermal equilibrium is reached, temperature is recorded & the solid is transferred to a calorimeter of known temperature & specific heat capacity. It contains water & is insulated.
- After thermal equilibrium is reached, the final temperature is noted.

$$E_{\text{lost}} = E_{\text{gained}}.$$

### 3.2 MODELLING A GAS:

#### MOLE:

One mole of a substance is a quantity of the substance that contains a number of particles equal to the Avogadro constant ( $6.023 \times 10^{23}$ ) & whose mass in grams is equal to the molar mass of the substance.

If a substance contains  $N$  particles & the no. of particles in one mole is  $6.023 \times 10^{23}$  ( $N_A$ ), then the no. of moles is:

$$n = \frac{N}{N_A}$$

**Atomic mass unit (u):**  $1/12$  of the mass of one atom of carbon-12.

**Atomic mass (in u):** A grams of  $\frac{1}{12}$  of the mass of one atom of carbon-12.  
For monoatomic substances, 1 mole of the substance = quantity of substance whose mass in grams is atomic mass.

**Molar mass:** For monoatomic substances  
For molecules  $\rightarrow$  sum of atomic masses of the atoms making up the molecule. ( $\text{CO}_2 = 12 + (2 \times 16) = 44 \text{ gm}$ ).

The no. of moles in a quantity of  $m$  grams of a substance with molar mass  $\mu$  is:

$$n = \frac{m}{\mu}$$

**PRESSURE:** normal force applied per unit area.

$$P = \frac{F}{A}$$

**IDEAL GAS**  $\rightarrow$  Theoretical model of a gas.

Assumptions:

• All molecules are point particles with negligible volume.

Molecules have a range of speeds & move randomly.

The duration of collisions are negligible compared to the time between collisions.

They obey laws of mechanics.

$\rightarrow$  there are no forces between molecules,

except when they collide.

the collisions are elastic (with each other & walls).

$\rightarrow$  No loss of E.

✓ Just Ask



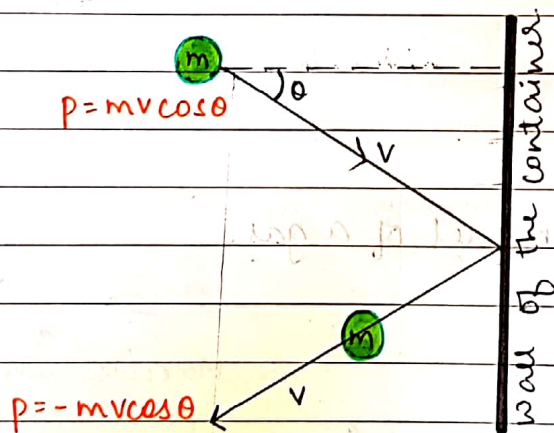
An ideal gas cannot be liquified or solidified.

### REAL GAS

- There are always forces between molecules (even when they are not in contact).
- A real gas will behave like an ideal gas when the density is low (so that molecules are far apart with negligible inter-molecular forces between them), & when the temperature is not too low (otherwise the gas might liquify or solidify).

A real gas may be approximated by an ideal gas at:

1. low pressure
2. low density
3. High temperature
4. High volume



$$\Delta p = 2mv \cos \theta$$

The fact that momentum has changed means that a force acted on the molecule (from the wall).

According to Newton's 3<sup>rd</sup> law:

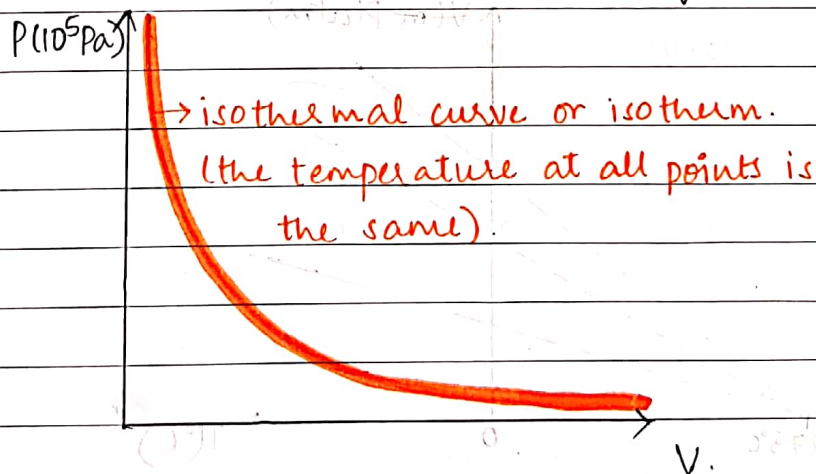
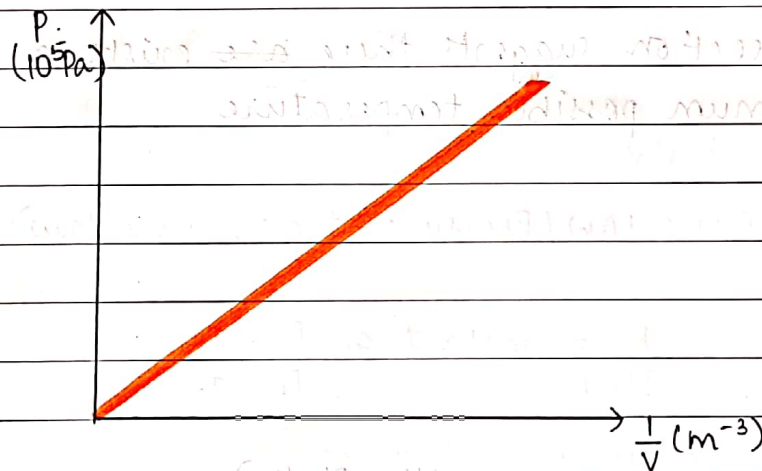
molecule exerted an equal & opposite force on the wall

All the forces due to all the collisions with the walls result in a force & hence pressure on walls.

### BOYLE'S LAW (The pressure - volume law)

At constant temperature & with a fixed quantity of gas, pressure is inversely proportional to volume, that is:

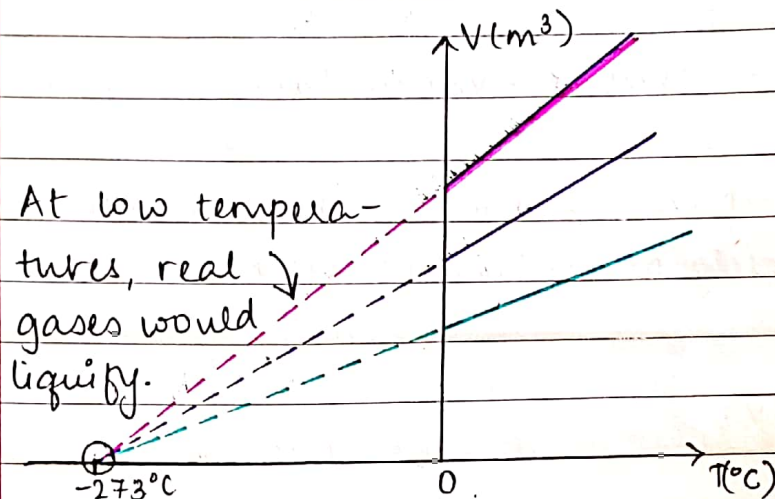
$$P \propto \frac{1}{V} \quad \text{or} \quad PV = \text{constant} \quad \text{or} \quad P_1 V_1 = P_2 V_2$$





## CHARLE'S LAW (Volume - temperature law)

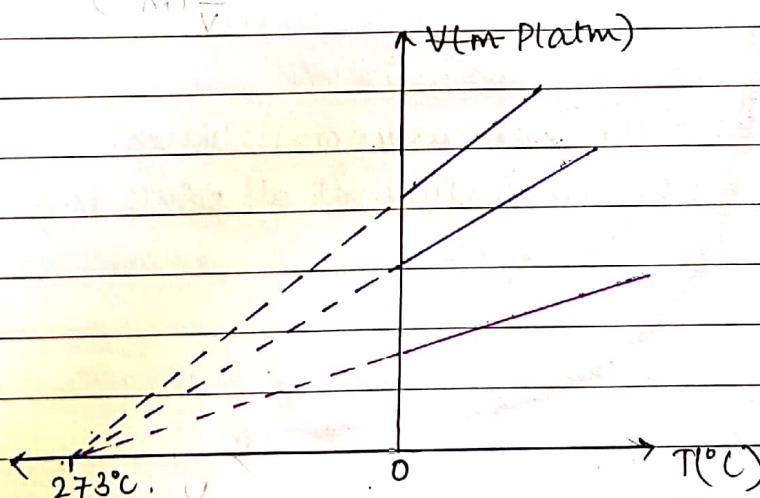
$$\frac{V}{T(K)} = \text{constant} \quad \text{or} \quad \frac{V_1}{T_1} = \frac{V_2}{T_2}$$



Intersection suggests there exists a minimum possible temperature

## AMONTON'S LAW (Pressure - temperature law)

$$\frac{P}{T(K)} = \text{constant} \quad \text{or} \quad \frac{P_1}{T_1} = \frac{P_2}{T_2}$$

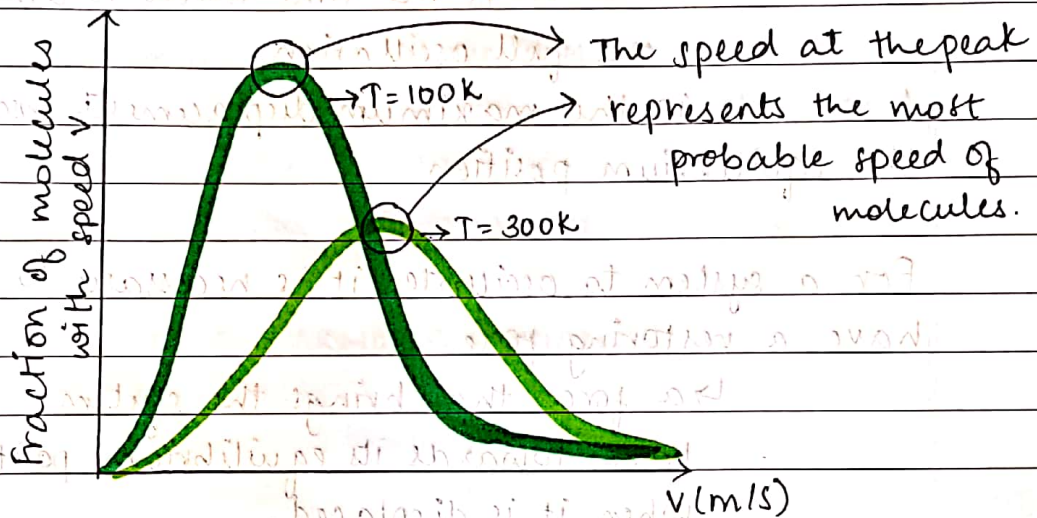


## STATE OF AN IDEAL GAS EQUATION.

$$PV = nRT$$

$n$  → no. of moles  
 $R$  → gas constant ( $8.31 \text{ J K}^{-1} \text{ mol}^{-1}$ )  
 $T$  → temperature in Kelvin.

## THE BOLTZMANN EQUATION.



$$E_k = \frac{3}{2} \left[ \frac{R}{N_A} \right] T$$

Boltzmann's Constant:  $k_B = \frac{R}{N_A} = 1.38 \times 10^{-23} \text{ J K}^{-1}$

$E_k = \frac{3}{2} k_B T$  → This expression can be used to for the internal energy of an ideal gas since molecules of an ideal gas don't have potential energy.

Suppose a gas has  $N$  molecules,

$$U = \frac{3}{2} N \cdot R \cdot T$$

$$U = \frac{3}{2} n R T$$

$$U = \frac{3}{2} PV$$