



MODULE 4

COMPUTATIONAL APPROACHES TO PROBLEM-SOLVING

COMPUTATIONAL APPROACHES TO PROBLEM-SOLVING

- Computational problem-solving is a systematic approach to formulating, analyzing, and solving problems through algorithms, logic, and computational power.
- It is a cornerstone of computer science and engineering, offering structured methods to handle challenges in a variety of fields.
- Computational approaches to problem-solving involve using structured methods and algorithms to tackle problems efficiently.

WHY DIFFERENT APPROACHES ?

- The diversity of computational approaches allows us to adapt problem-solving strategies to the specific nature of the problem, constraints, and desired outcomes.
- Using the right approach not only ensures efficiency but also balances resource utilization and practical feasibility.
- This flexibility is crucial in both theoretical and real-world applications.

BRUTE-FORCE APPROACH TO PROBLEM SOLVING

“ To solve any problem, you need to start with a clear definition of the problem and then look at all possible solutions.”

– John McCarthy



BRUTE-FORCE APPROACH

- The **brute force approach** is one of the most basic and intuitive methods for solving computational problems.
- It involves systematically trying all possible solutions or combinations to find the correct or optimal one.
- This approach is guaranteed to work for any problem where a solution exists, but it may not be practical for larger or more complex problems due to its inefficiency.
- This method is known as brute force. Brute force algorithms take advantage of a computer's speed, allowing us to rely less on sophisticated techniques.

BRUTE-FORCE APPROACH

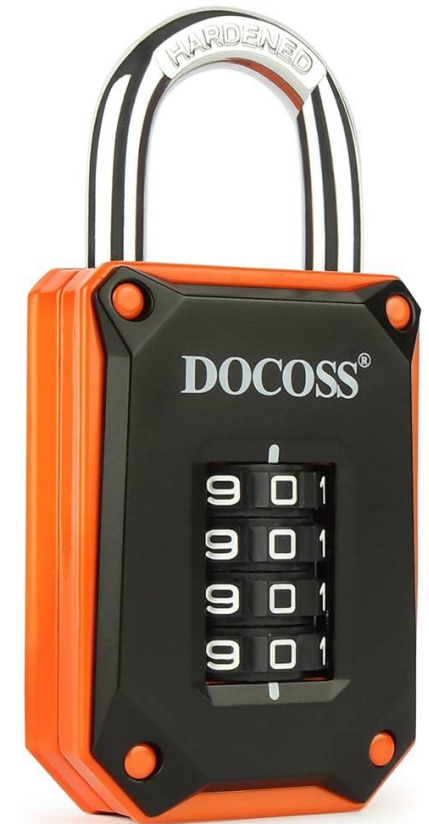
- The brute-force approach, also known as exhaustive search, operates by checking all possible solutions systematically, without employing any sophisticated strategies to narrow down the search space.



EXAMPLES OF BRUTE-FORCE APPROACH

Padlock

- If you come across a padlock with a four-digit numeric code, the brute-force approach would require trying every possible combination from "0000" to "9999" in sequence until the correct code is found.
- While this method is straightforward and ensures the correct combination is eventually discovered, it can be slow.



EXAMPLES OF BRUTE-FORCE APPROACH

Password Guessing

- In cybersecurity, brute-force attacks are employed to break passwords by methodically trying every possible combination of characters until the correct one is found.
- This method works well against weak passwords that are short or lack complexity.
- For example, attacking a six-character password made up of letters and digits would require testing all 2.18 billion (36^6) potential combinations to find the right one.



EXAMPLES OF BRUTE-FORCE APPROACH

Cryptography: Cracking Codes

- In cryptography, brute-force attacks are used to break codes or encryption keys by exhaustively testing every possible combination until the correct one is discovered.
- For instance, decrypting a simple substitution cipher involves trying all possible shifts in the alphabet until the plaintext message is revealed.



EXAMPLES OF BRUTE-FORCE APPROACH

Sudoku Solving

- Brute-force methods can be applied to solve puzzles like Sudoku by systematically filling in each cell with possible values and backtracking when contradictions arise.
- This method guarantees finding a solution but may require significant computational resources, especially for complex puzzles.



CHARACTERISTICS OF BRUTE-FORCE SOLUTIONS

- Exhaustive Search - Every possible solution is examined without any optimization.
- Simplicity - Easy to understand and implement.
- Inefficiency - Often slow and resource-intensive due to the large number of possibilities.
- Guaranteed Solution - If a solution exists, the brute-force method will eventually find it

SOLVING COMPUTATIONAL PROBLEMS USING BRUTE-FORCE APPROACH

To solve computational problems using the brute-force approach:

- **Define the problem clearly:** Understand the problem and its requirements.
- **Generate all possible solutions:** Consider every potential candidate for the solution.
- **Evaluate each solution:** Check each candidate against the problem's criteria
- **Identify the correct solution:** Once a valid solution is found, it is selected as the answer.

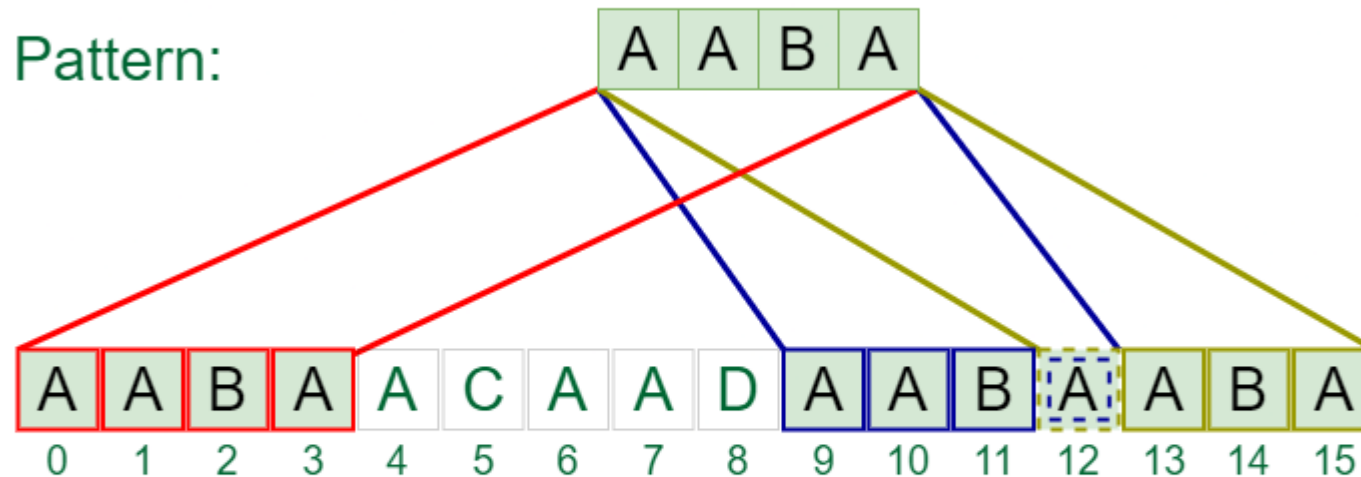


SOLVING COMPUTATIONAL PROBLEMS USING BRUTE-FORCE APPROACH APPROACH

PROBLEM-I (STRING MATCHING)

Text: A A B A A C A A D A A B A A B A

Pattern:



Pattern found at index 0, 9, 12

PROBLEM-I (STRING MATCHING)

- The brute-force string matching algorithm is a simple method for finding all occurrences of a pattern within a text.

How it works?

- **Start at the beginning of the text:** Align the pattern with the first character of the text.
- **Check for a match:** Compare the pattern with the substring of the text starting at the current position. If it matches, record the position.
- **Move to the next position:** Shift the pattern one character to the right and repeat the comparison.
- **Finish:** Continue checking all positions in the text until the end is reached.

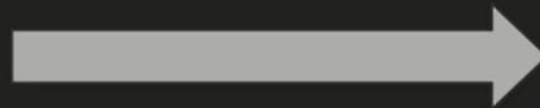
PROBLEM-I (STRING MATCHING)

txt

0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15
A	A	B	A	A	C	A	A	D	A	A	B	A	A	B	A

pattern

0	1	2	3
A	A	B	A



Window size : 4

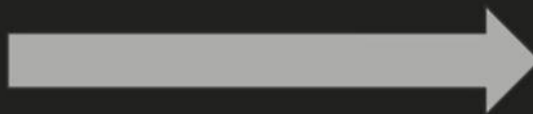
PROBLEM-I (STRING MATCHING)

txt

0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15
A	A	B	A	A	C	A	A	D	A	A	B	A	A	B	A

pattern

0	1	2	3
A	A	B	A



Window size : 4

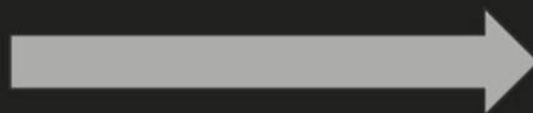
PROBLEM-I (STRING MATCHING)

txt → 16

0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15
A	A	B	A	A	C	A	A	D	A	A	B	A	A	B	A

pattern → 4

0	1	2	3
A	A	B	A



Window size : 4

PYTHON - IMPLEMENTATION

```
def brute_force_string_match(text, pattern):  
    n = len(text) # Length of the text  
    m = len(pattern) # Length of the pattern  
    # Loop over each possible starting index in  
    # the text  
    for i in range(n - m + 1):  
        substring = text[i : i + m] # Extract the  
                                     substring of the  
                                     text from the current  
                                     position
```

```
        # Compare the substring with the  
        # pattern
```

```
        if substring == pattern:
```

```
            print(f"Pattern found at index {i}")
```

```
# Example usage
```

```
text = "ABABDABACDABABCABAB"
```

```
pattern = "ABABCABAB"
```

```
brute_force_string_match(text, pattern)  
OUTPUT:
```

```
Pattern found at index 10
```

PROBLEM-2 (SUBSET SUM PROBLEM)

- The Subset Sum Problem involves determining if there exists a subset of a given set of numbers that sums up to a specified target value.
- The brute-force approach to solve this problem involves generating all possible subsets of the set and checking if the sum of any subset equals the target value.

10	0	5	8	6	2	4
----	---	---	---	---	---	---

sum = 15

10	0	5	8	6	2	4
		✓	✓		✓	

5 + 8 + 2 = 15

PROBLEM-2 (SUBSET SUM PROBLEM)

How the brute-force approach works?

- **Generate subsets:** Iterate over all possible subsets of the given set of numbers
- **Calculate sums:** For each subset, calculate the sum of its elements.
- **Check target:** Compare the sum of each subset with the target value.
- **Return result:** If a subset's sum matches the target, return that subset. Otherwise, conclude that no such subset exists

PROBLEM-2 (SUBSET SUM PROBLEM)

```
def subset_sum_brute_force(nums, target):
```

```
    n = len(nums)
```

```
    # Loop over all possible subsets
```

```
    for i in range(1 << n):
```

```
        subset = [nums[j] for j in range(n) if (i & (1 << j))] # Extract subset using the binary representation of i
```

```
        if sum(subset) == target:
```

```
            return subset
```

```
    return None # Return None if no subset with the target sum is found
```

```
# Example usage
```

```
nums = [3, 34, 4, 12, 5, 2]
```

```
target = 9
```

```
result = subset_sum_brute_force(nums, target)
```

```
if result:
```

```
    print(f"Subset with target sum {target} found: {result}")
```

```
else:
```

```
    print("No subset with the target sum found.")
```

EXPLANATION

- `nums = [3, 34, 4, 12, 5, 2]`
- `target = 9`
- The goal is to find a subset of `nums` that sums up to 9
- The number of subsets is 2^n where n is the length of the list.
- So, there are $2^6=64$ subsets in total.
- The subsets are generated by using all integers from 0 to 63 ((binary numbers from 000000 to 111111))
- Where each bit represents whether the corresponding element in `nums` is included in the subset

- We will iterate through all these 64 numbers and generate subsets by checking each bit of the number.

Iteration Details:

- **`i = 0 (binary 000000)`:**
 - No elements selected.
 - Subset:[], Sum=0, Not equal to 9
- **`i = 1 (binary 000001)`:**
 - Select element `nums[0] = 3`
 - Subset: [3], Sum: 3, Not equal to 9

....

PROBLEM-3 (SUDOKU SOLVER)

- The brute-force approach to solving a Sudoku puzzle involves trying every possible number in each empty cell until the puzzle is solved.
- **Find an empty cell:** Look for the first empty cell in the puzzle.
- **Try all numbers (1–9):** Place each number from 1 to 9 in the empty cell and check if it follows the Sudoku rules.
- **Check for validity:** The number is valid if it does not repeat in the same row, column, or 3x3 subgrid.
- **Move to the next empty cell:** If the number is valid, move to the next empty cell and repeat.
- **Backtrack if needed:** If placing a number leads to a conflict later, undo the previous step and try the next number.

SUDOKU SOLVER – PYTHON CODE

<https://colab.research.google.com/drive/1yjTaiFu998kaPWdfPLbRMq0FKKFyMIFi?usp=sharing>

ADVANTAGES AND LIMITATIONS OF BRUTE-FORCE APPROACH

- **Guaranteed Solution** - methods ensure finding a solution if one exists
- **Simplicity**: - Straightforward to implement and understand, requiring minimal algorithmic complexity.
- **Versatility**: - Applicable across various domains where an exhaustive search is feasible
- **Computational Intensity** - It can be highly resource-intensive, especially for problems with large solution spaces.
- **Time Complexity** - long execution times to find solutions.
- **Scalability Issues** - In scenarios with exponentially growing solution spaces, brute-force methods may become impractical or infeasible to execute within reasonable time constraints

OPTIMIZING BRUTE-FORCE SOLUTIONS

- Pruning: Eliminate certain candidates early if they cannot possibly be a solution.
- Heuristics: Use rules of thumb to guide the search and reduce the number of candidates.
- Divide and Conquer: Break the problem into smaller, more manageable parts.
- Dynamic Programming: Store the results of subproblems to avoid redundant computations.



THANK YOU