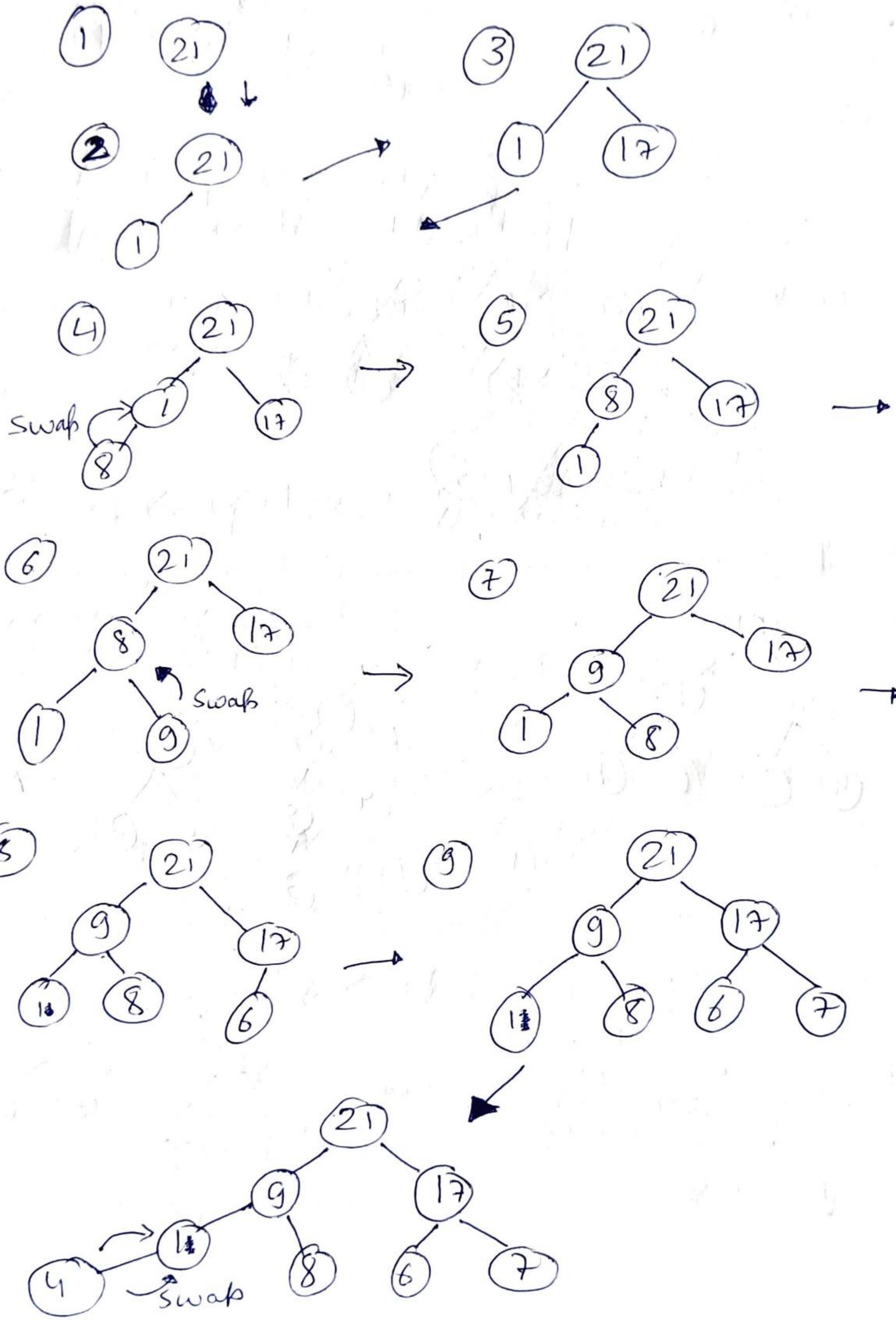
Ans1) 21, 1, 17, 8, 9, 6, 7, 4, 3, 8, 5



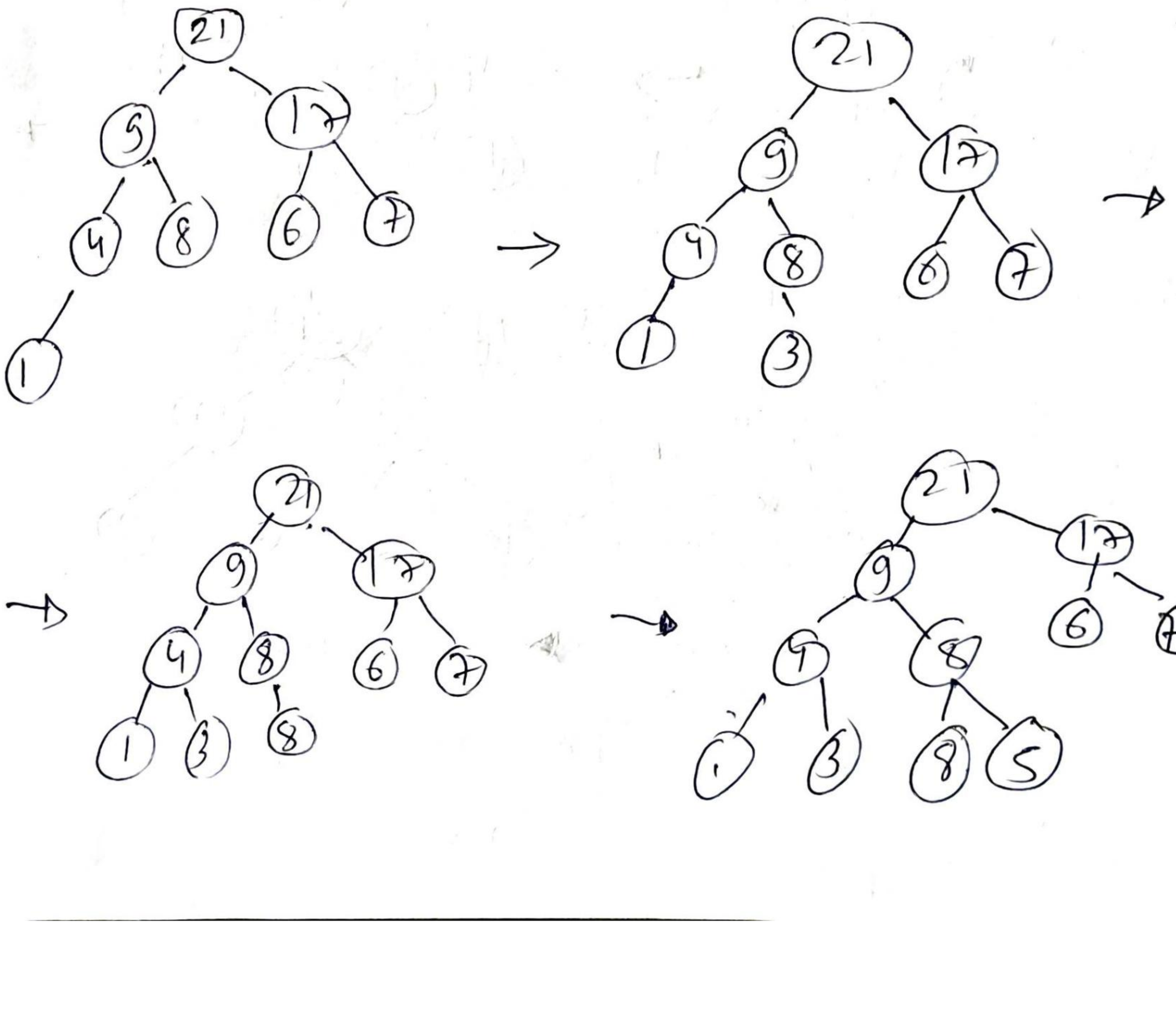
Ankit Raj DAA - Test 1906534

(1) Max-Heap (A)
{
A-heap-size = A-length
for (i = floor(A.length(2) to 1)
{ max-heapify (A, i);

Time Complexity = O(n log n)

Procedure

(1) Create a new node in the heap.
(2) Assign value to node
(3) Compare values of child node with parent node
If parent < child then swap
(4) If parent > child, then normally we increase string with first left and then right.
(5) Repet Steps (3) (4) until heap property holds.



②ⓐ PARTITION (A, P, r)

```
x = A [r]
i = p - 1
for  j = p to r - 1
     if  A[j] <= x
          i = i + 1
          exchange A[i] with A[j]
exchange A[i+1] with A[r]
return i+1
```

when all are equal then loop terminate
k = r - 1, So value of q = k + 1 = r.

- PARTITION'(A, P, r) //modified

```
x = A [r]
k = p - 1
l = p - 1
for j = p to r - 1
     if A[j] < x
          K = K + 1
          exchange A[j] with A[k]
          l = l + 1
```

else if $A[j] = x$

$l = l + 1$

exchange $A[j]$ with $A[l]$

exchange $A[l+1]$ with $A[r]$

return $(A, [(l+k)/2] + 1)$

(b) The basic idea of the greedy approch is to calculate the ratio value weight of each item and sort the item on basis of this ratio . Then take the item with height ratio & add them until, the condition reaches of weight or other Condition.