## Thesis

October 24, 2024

#### 1 Master Thesis Notebook

#### 1.1 Setup

```
[1]: # Importation of the classes and methods associated from classes import *
```

#### 1.2 GPR VWC Analysis

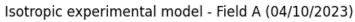
#### 1.2.1 Choosing the variogram model (field A)

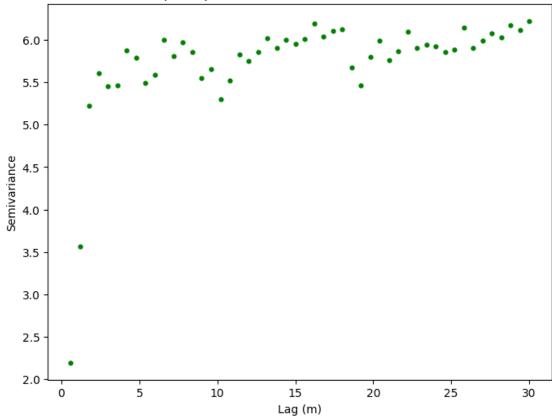
A variogram, also known as a semivariogram, is a measure of spatial variability or spatial dependence of a variable across different locations in a spatial domain. It quantifies how the variance of a variable changes with distance and direction. The variogram is crucial in kriging because it defines the spatial structure or dependence of the variable being estimated.

```
experimental_vario_a = Variogram(resolution=1, field_letter="A", sample_number=6)

experimental_vario_a.determ_experimental_vario();

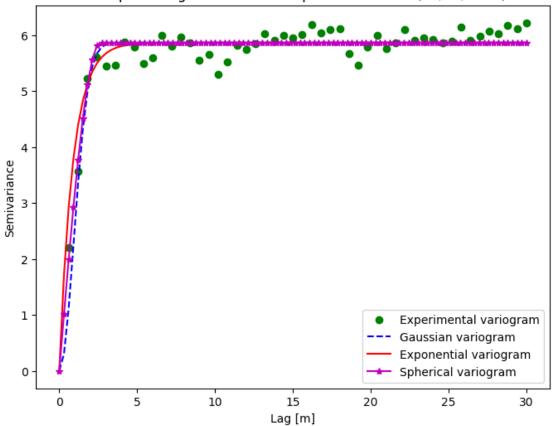
# ; hide output of the cell
```



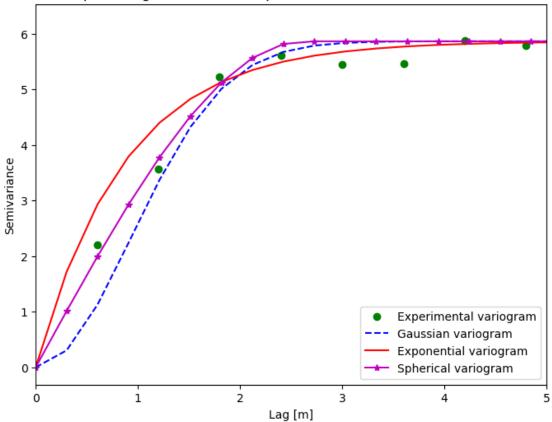


# [3]: experimental\_vario\_a.fit\_models()







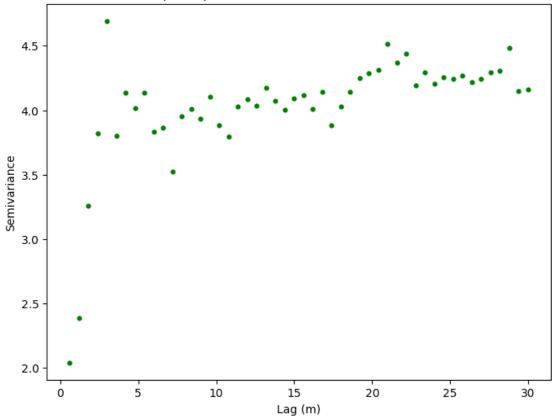


### 1.2.2 Choosing the variogram model (field B)

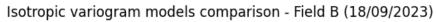
```
[4]: experimental_vario_b = Variogram(resolution=1, field_letter="B", sample_number=5)

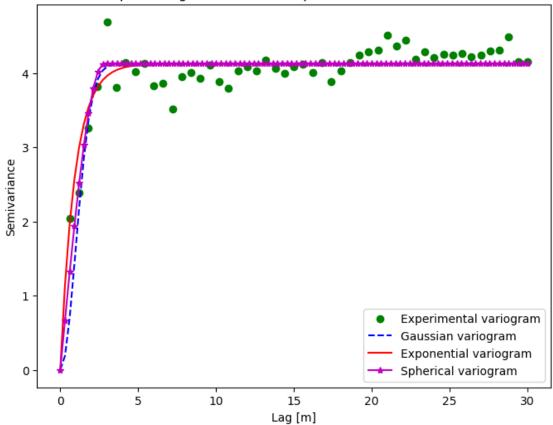
experimental_vario_b.determ_experimental_vario();
```



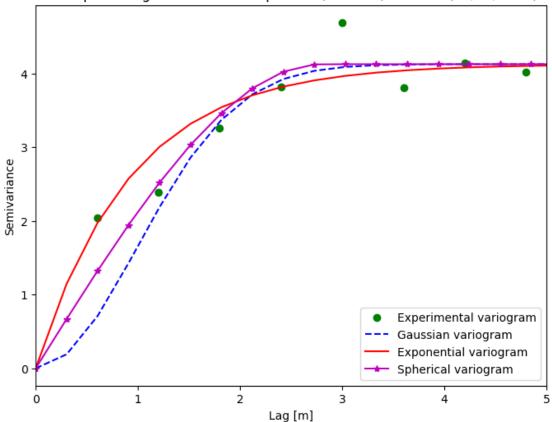


[5]: experimental\_vario\_b.fit\_models()



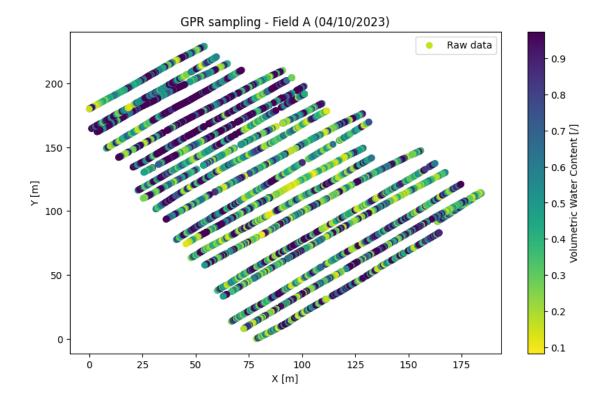


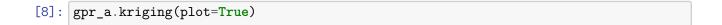


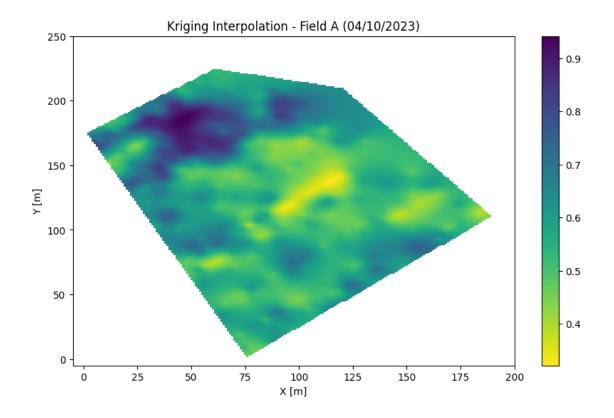


### 1.2.3 Raw data to Kriged data

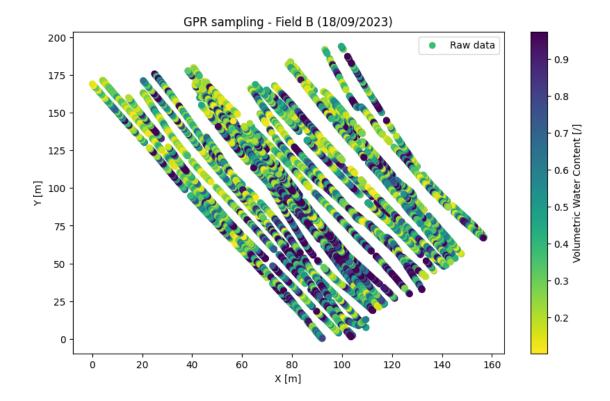
```
[7]: # Raw Sample gpr_a.plot_raw_data()
```



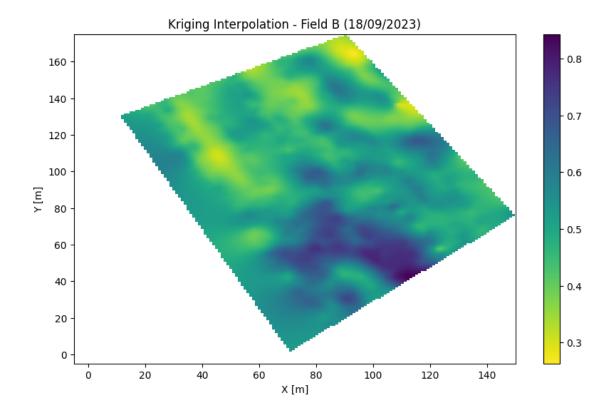




[3]: gpr\_b.plot\_raw\_data()

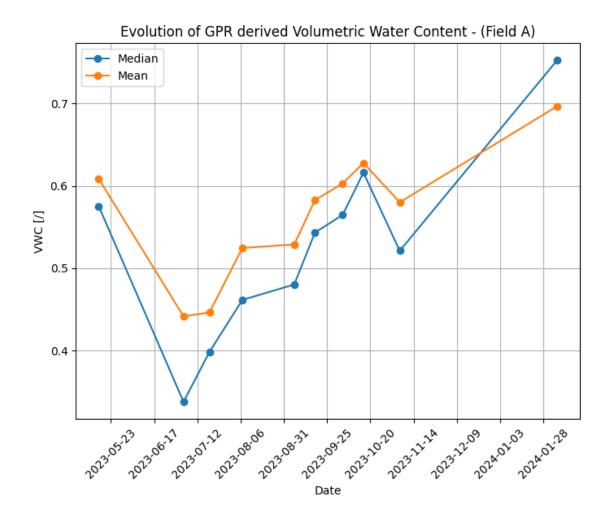


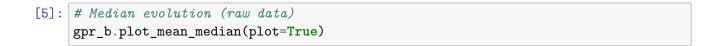
[4]: gpr\_b.kriging(plot=True)

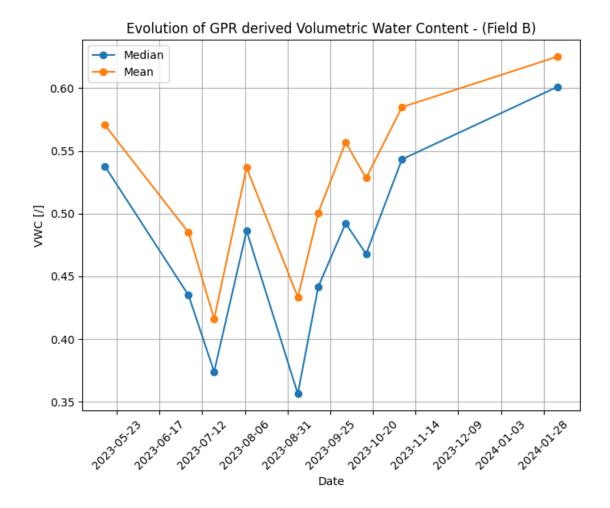


## 1.2.4 GPR derived VWC evolution

```
[4]: # Mean and median evolution (raw data)
gpr_a.plot_mean_median(plot=True)
```

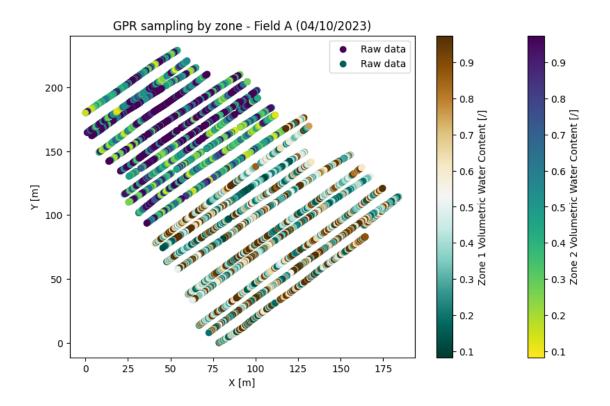


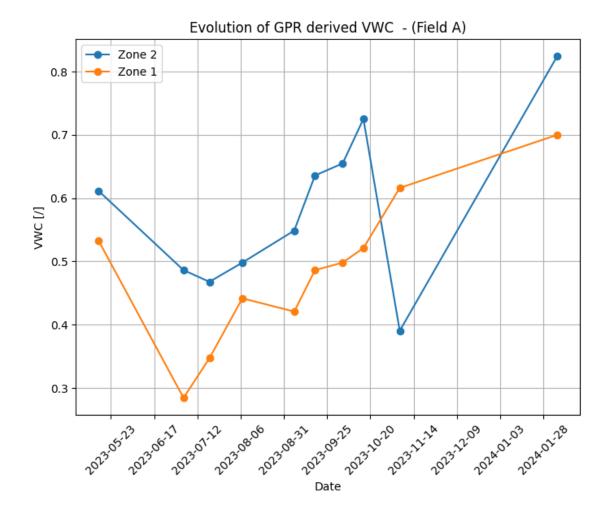




## 1.2.5 Zonal tendencies (field A)

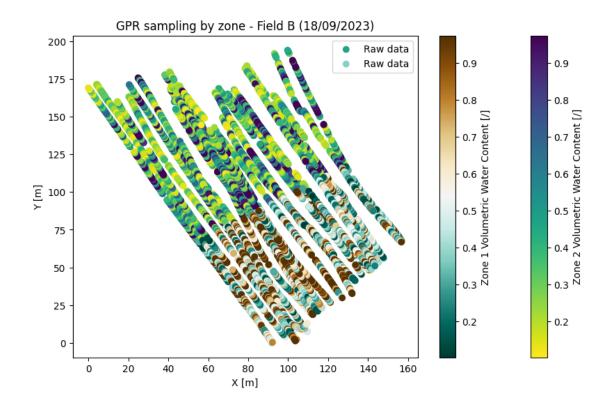
[6]: gpr\_a.zonal\_check()

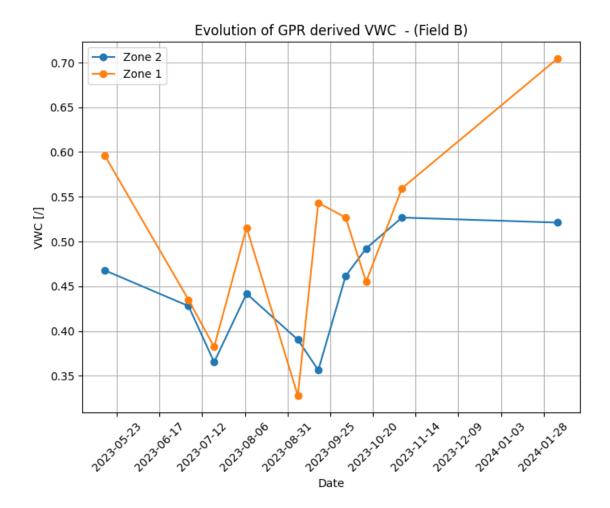




## 1.2.6 Zonal tendencies (field B)

[7]: gpr\_b.zonal\_check()

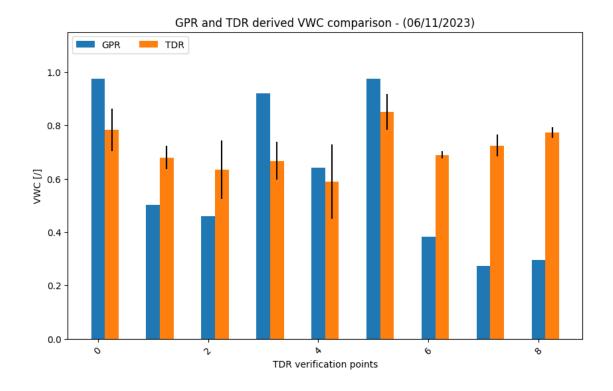


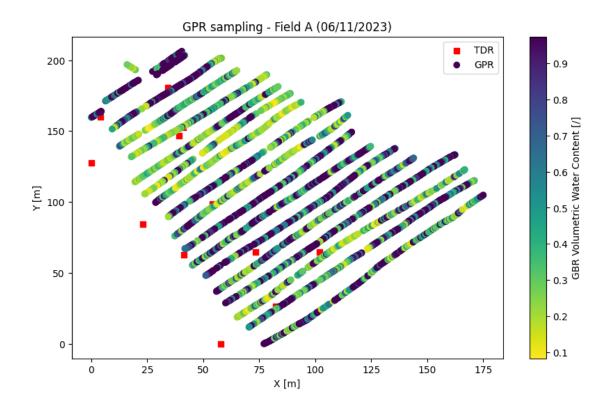


## 1.3 TDR Verification

#### 1.3.1 Field A

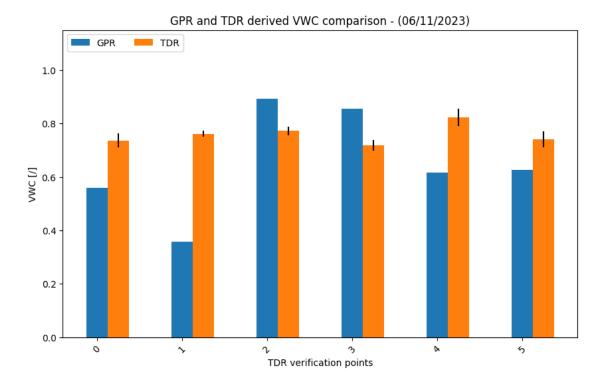
[8]: GprAnalysis(field\_letter="A", sample\_number=8).tdr\_verification(10)

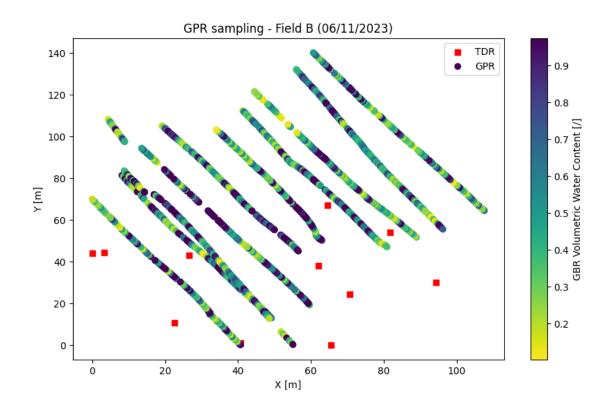




1.3.2 Field B

[9]: GprAnalysis(field\_letter="B", sample\_number=8).tdr\_verification(10)

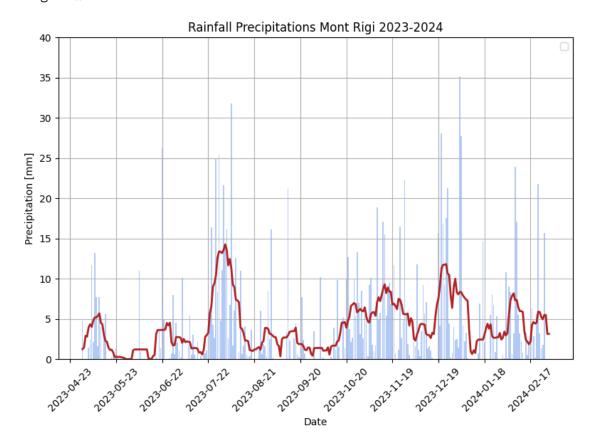




### 1.4 Rainfall Analysis

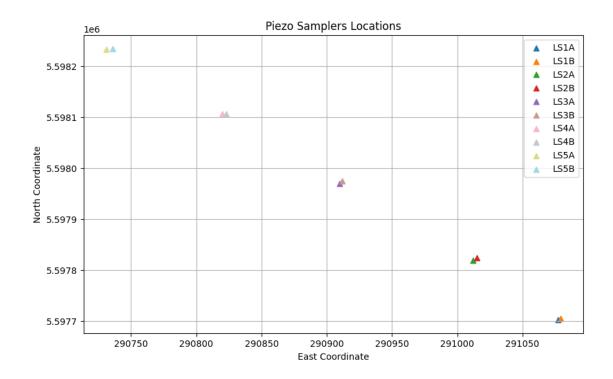
```
[10]: rf_mr = Rainfall()
rf_mr.plot_data()
```

d:\Coding\Python\Master-Thesis\classes.py:565: UserWarning: No artists with
labels found to put in legend. Note that artists whose label start with an
underscore are ignored when legend() is called with no argument.
 ax.legend()

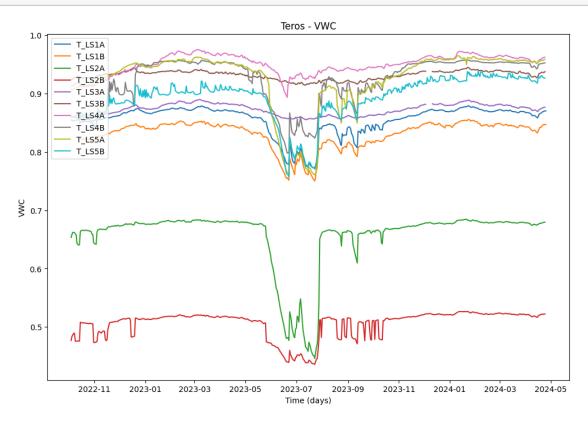


## 1.5 VWC continuous Analysis

```
[11]: teros = Teros()
teros.plot_piezo_sampler_locations()
```

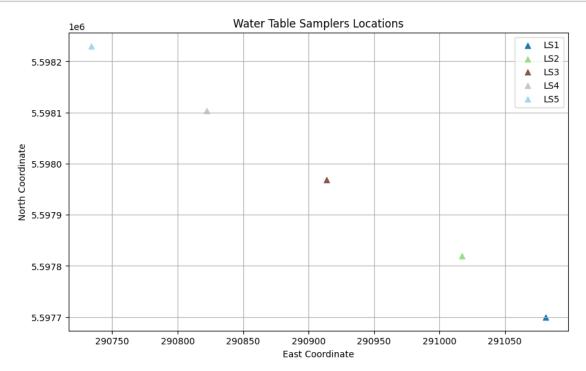


# [12]: teros.plot\_vwc\_evolution()

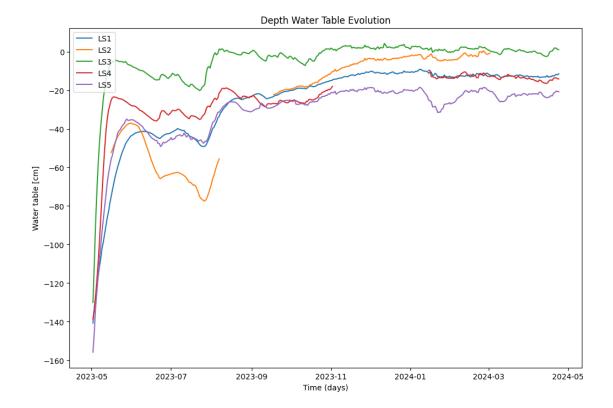


# 1.6 Water table depth Analysis

```
[13]: wt = WaterTable()
wt.plot_wt_sampler_locations()
```



[14]: wt.plot\_wt\_evolution()



#### 1.7 Multispectral analysis

#### 1.7.1 TVDI

The formula used for the Temperature Vegetation Dryness Index (TVDI) calculation is:

$$\text{TVDI} = \frac{\text{LST} - T_{\text{min}}(\text{NDVI})}{T_{\text{max}}(\text{NDVI}) - T_{\text{min}}(\text{NDVI})}$$

Where: - LST is the Land Surface Temperature for a given pixel. - T max NDVI is the maximum temperature for a given NDVI value, typically represented as a linear function:

$$T_{\max}(\text{NDVI}) = a \cdot \text{NDVI} + b$$

- T min NDVI is the minimum temperature for a given NDVI value, typically represented as a linear function:

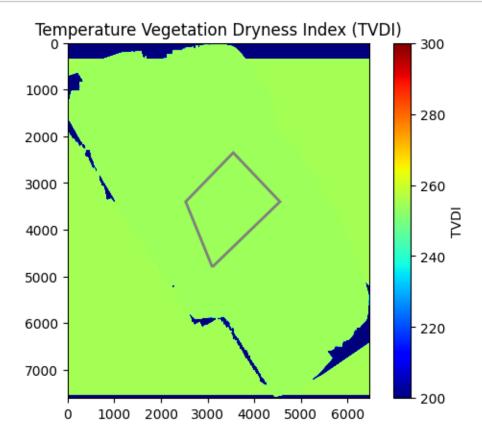
$$T_{\min}(\text{NDVI}) = c \cdot \text{NDVI} + d$$

Here the specific linear functions used were:

$$T_{\text{max}}(\text{NDVI}) = 40 \cdot \text{NDVI} + 300$$

$$T_{\min}(\text{NDVI}) = 20 \cdot \text{NDVI} + 250$$

```
[15]: multi_a = MultispecAnalysis(field_letter="A")
multi_a.calculate_tvdi()
```



```
[16]: multi_b = MultispecAnalysis(field_letter="B")
multi_b.calculate_tvdi()
```

