Build 3 Stuff 5



Johnny Hooyberghs Quantum Computing Deep Dive

involved





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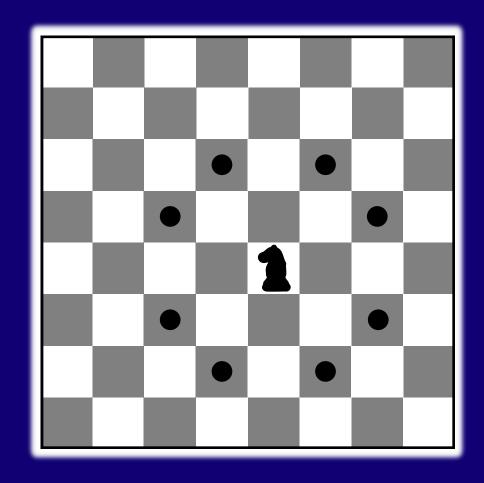
johnny.hooyberghs@involved-it.be

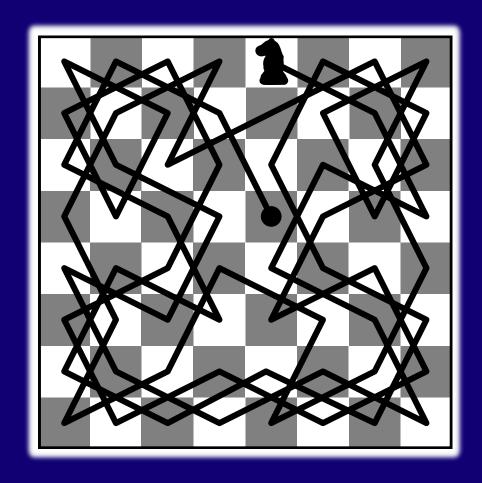
www.cvoantwerpen.be



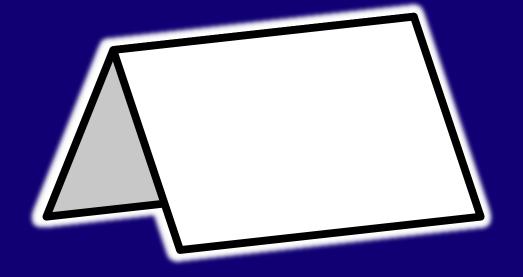
- There are still a lot of problems that cannot be solved by computers
- CPU's have their physical limits
- Current classical computing architectures already have issues with unwanted quantum side effects because of their scale
- Why try to simulate a complex quantum world using classical computers?







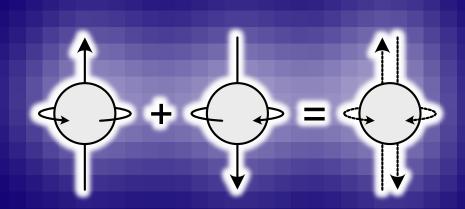


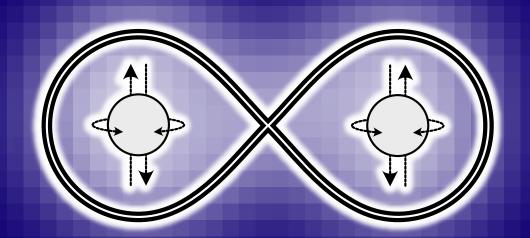


Superposition and Entanglement

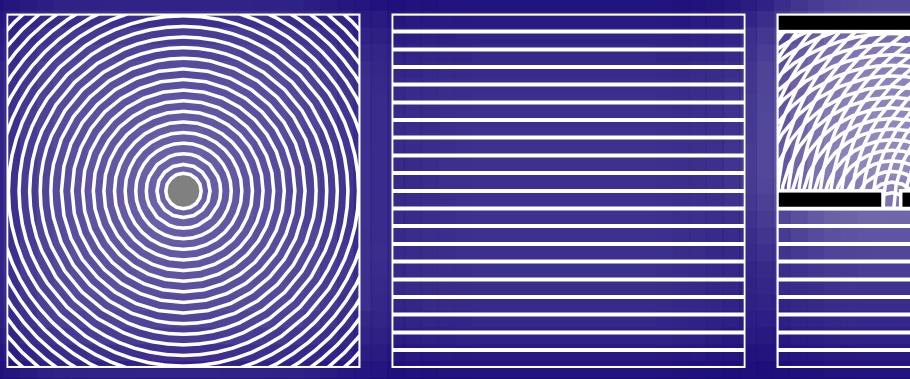


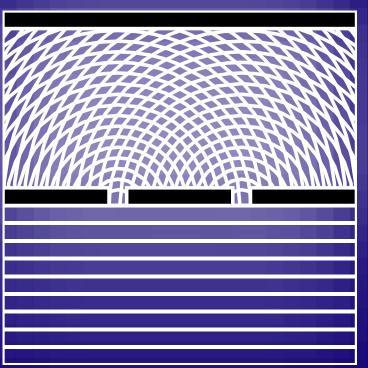
- Quantum mechanics describes superposition and entanglement of quantum particles
- Quantum Computing can use these phenomenon to its advantage

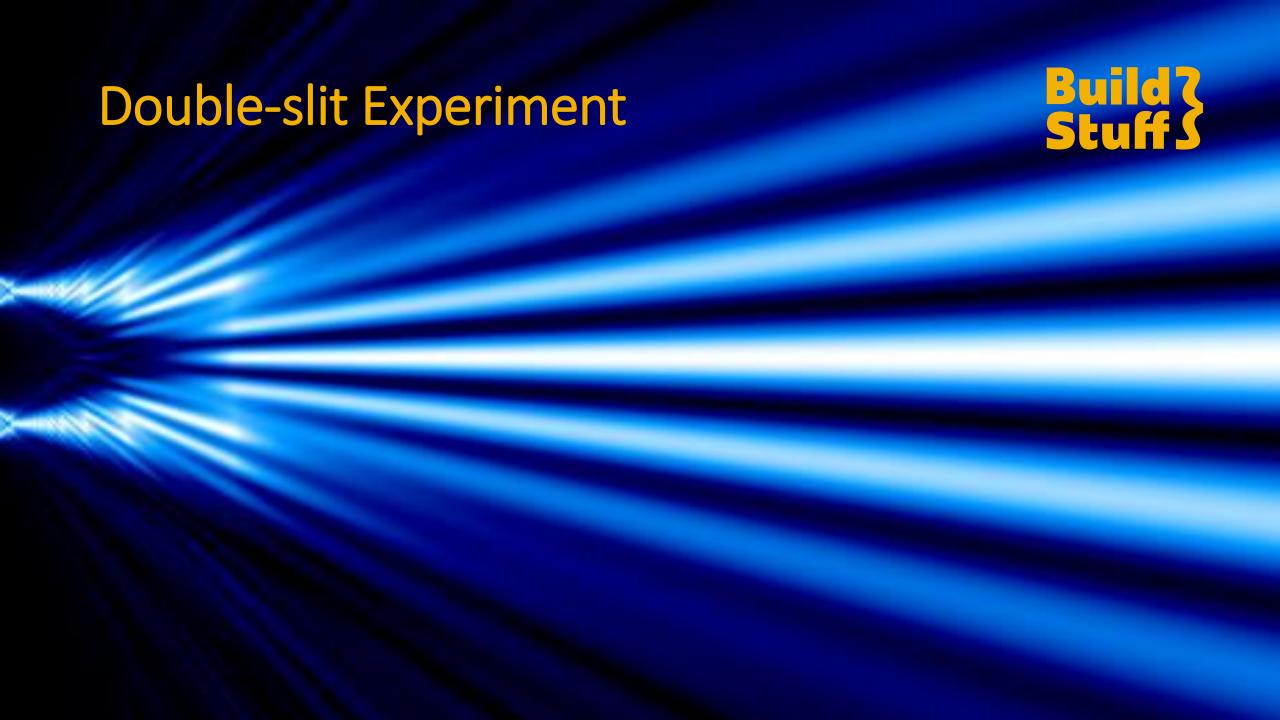




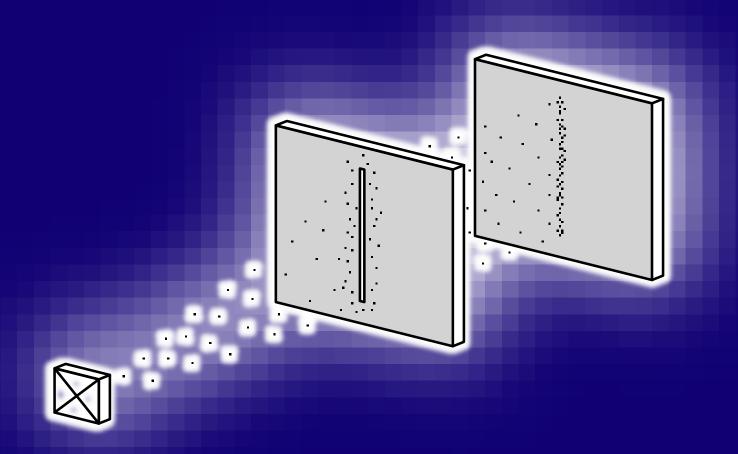




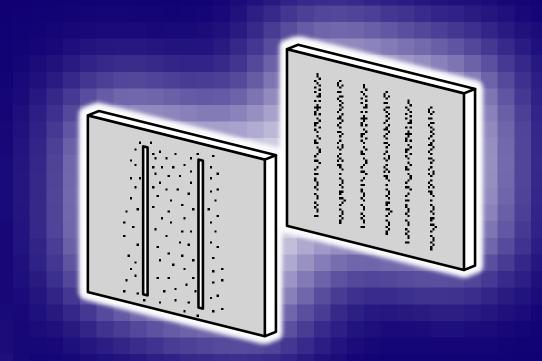






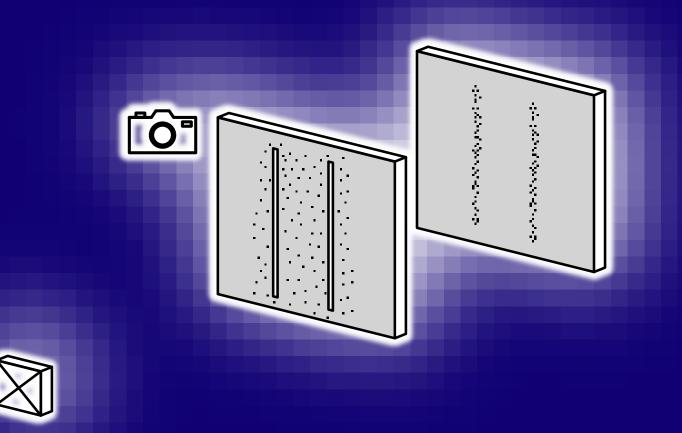


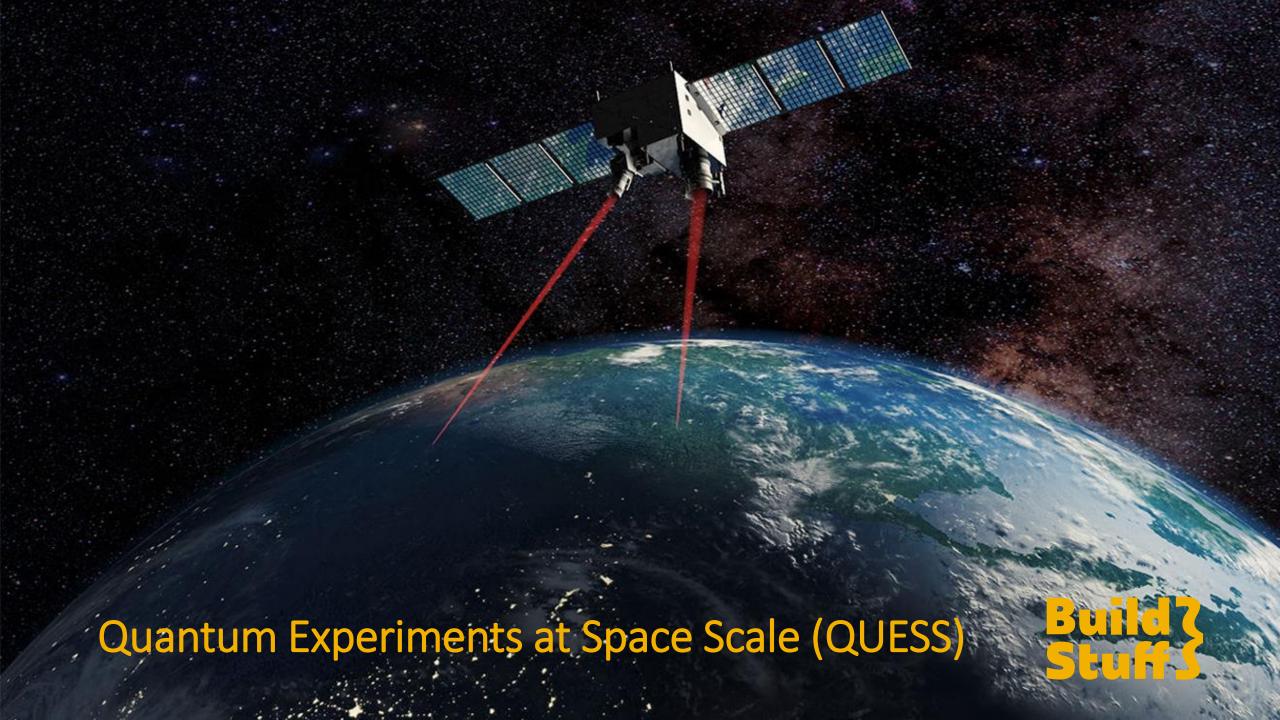














- Security
 - Public/private key encryption?
 - Could make current RSA encryption obsolete
 - QKD (Quantum Key Distribution)

 $3.167 \times 6.301 = 19.955.267$



- Drug development
 - It takes a quantum system to simulate a quantum system
 - Interactions between molecules
 - Gene sequencing
 - Protein folding



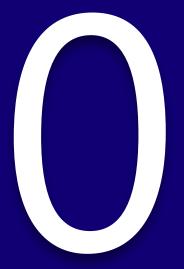
- Machine Learning
 - Analyze large quantities of data
 - Fast feedback
 - Emulate human mind











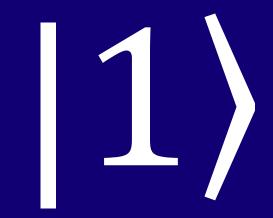




100110



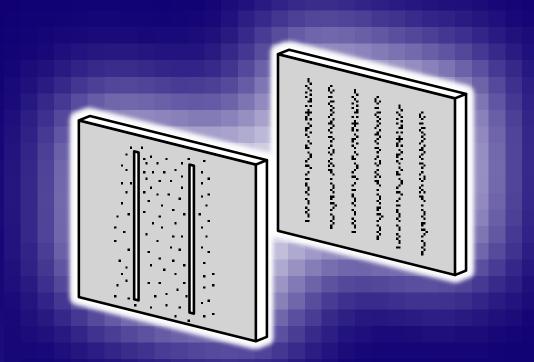






100110)









$$\alpha | 0 \rangle + \beta | 1 \rangle$$



$$\alpha | 0 \rangle + \beta | 1 \rangle$$
 $|\alpha|^2 + |\beta|^2 = 1$



$$\alpha |0\rangle + \beta |1\rangle$$

$$|\alpha|^2 + |\beta|^2 = 1$$

$$\alpha = a + bi$$

$$\beta = c + di$$



$$\frac{1}{\sqrt{2}} |0\rangle + \frac{1}{\sqrt{2}} |1\rangle$$

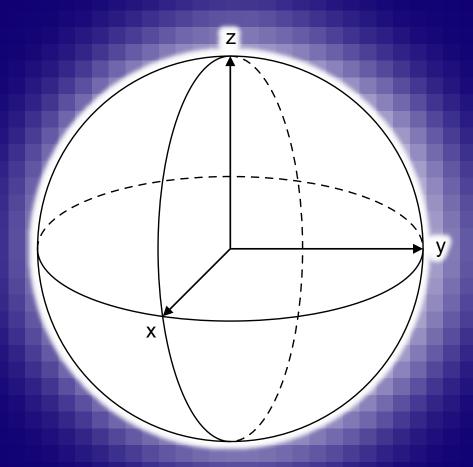


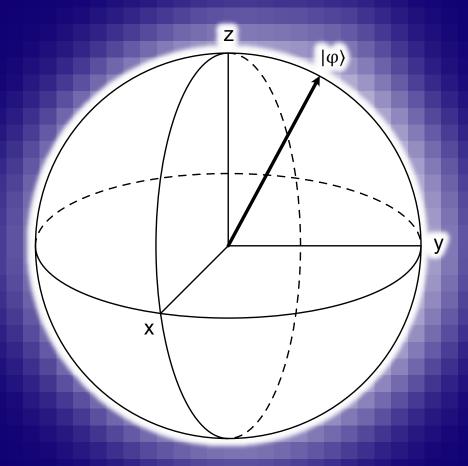
- Classical bit 0, Quantum bit $|0\rangle$
- Classical bit 1, Quantum bit $|1\rangle$
- Quantum bit in superposition

$$|\alpha|0\rangle + \beta|1\rangle$$
 where $|\alpha|^2 + |\beta|^2 = 1$

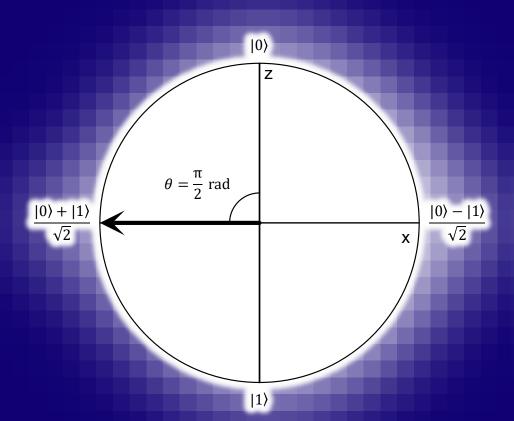
- α and β are complex numbers (ai + b)
- Value known after measurement
- Collapses to $|0\rangle$ with probability $|\alpha|^2$ or $|1\rangle$ with probability $|\beta|^2$

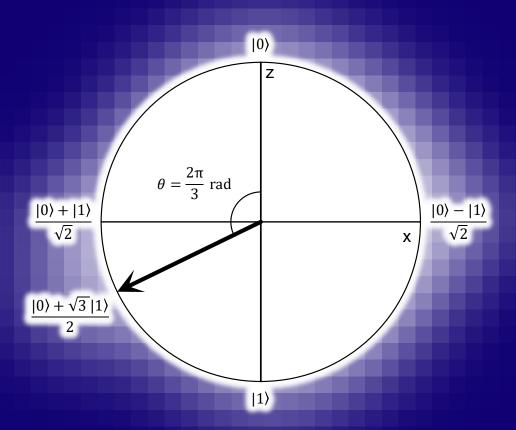














2 Qubit system (4 values):

$$\alpha |00\rangle + \beta |01\rangle + \gamma |10\rangle + \delta |11\rangle$$

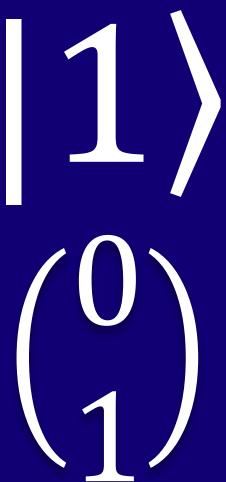
3 Qubit system (8 values):

$$\alpha|000\rangle + \beta|001\rangle + \gamma|010\rangle + \delta|011\rangle + \varepsilon|100\rangle + \epsilon|110\rangle + \zeta|101\rangle + \eta|111\rangle$$

4 Qubit system (16 values):

•••

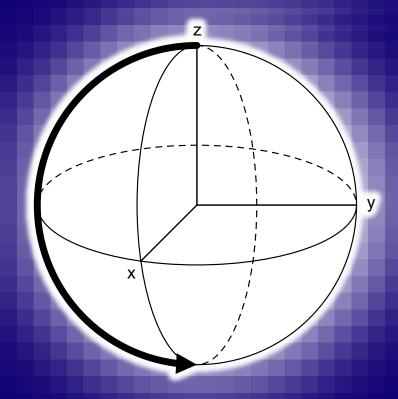


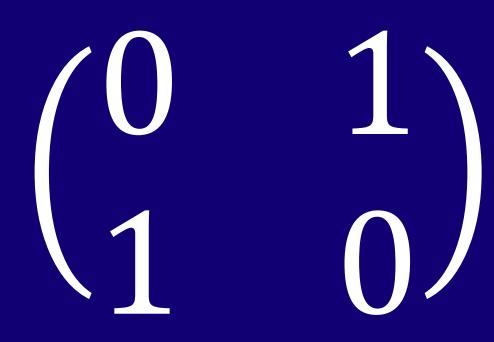


X-gate





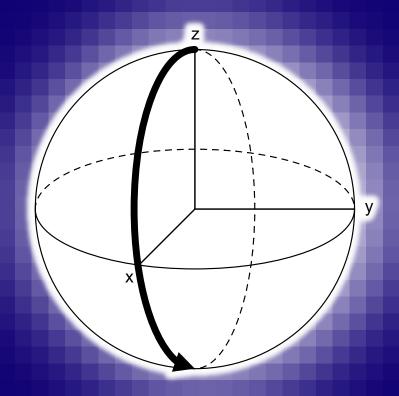




Y-gate



Build? Stuffs

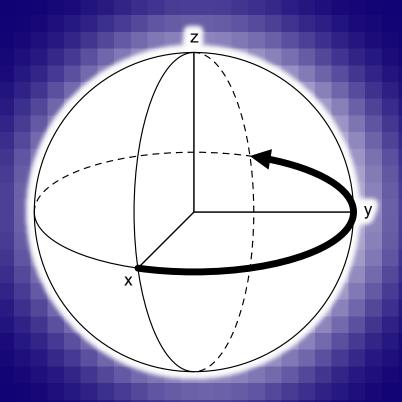


$$(0)$$
 $-i$ 0

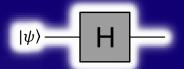
Z-gate



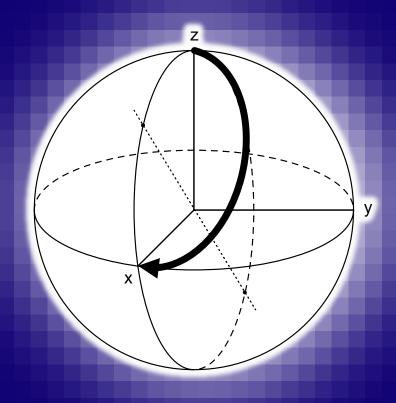




H-gate

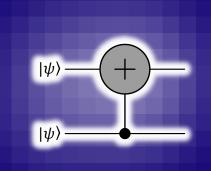


Build? Stuffs



$$\begin{pmatrix} 1 & 1 \\ \sqrt{2} & \sqrt{2} \\ 1 & 1 \\ \sqrt{2} & \sqrt{2} \end{pmatrix}$$

CNOT-gate





IBM Q Experience



https://quantum-computing.ibm.com



Microsoft Q#



https://www.microsoft.com/en-us/quantum/development-kit



Azure Quantum



- Quantum in the cloud
 - Optimization
 - Machine Learning
 - Quantum Simulation
- Access to quantum hardware
 - Microsoft (Topological)
 - IonQ & Honeywell (Ion Traps)
 - QCI (Superconducting)
- Q# & QDK
 - Quantum Intermediate Representation (QIR)

Entanglement



$$|0\rangle = \begin{pmatrix} 1\\0 \end{pmatrix}$$

$$|0\rangle = \begin{pmatrix} 1\\0 \end{pmatrix} \stackrel{\mathbf{H}}{\rightarrow} \begin{pmatrix} \frac{1}{\sqrt{2}} & \frac{1}{\sqrt{2}} \\ \frac{1}{\sqrt{2}} & \frac{-1}{\sqrt{2}} \end{pmatrix} \begin{pmatrix} 1\\0 \end{pmatrix} = \begin{pmatrix} \frac{1}{\sqrt{2}} \\ \frac{1}{\sqrt{2}} \end{pmatrix} \otimes \begin{pmatrix} 1\\0 \end{pmatrix} = \begin{pmatrix} \frac{1}{\sqrt{2}} \\ 0\\1\\\sqrt{2} \end{pmatrix} O \stackrel{\mathbf{CNOT}}{\rightarrow} \begin{pmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 1 & 0 \end{pmatrix} \begin{pmatrix} \frac{1}{\sqrt{2}} \\ 0\\1\\\sqrt{2} \end{pmatrix} = \begin{pmatrix} \frac{1}{\sqrt{2}} \\ 0\\0\\\frac{1}{\sqrt{2}} \end{pmatrix} = ?$$

Entanglement



If the product state of two qubits cannot be factored, they are entangled

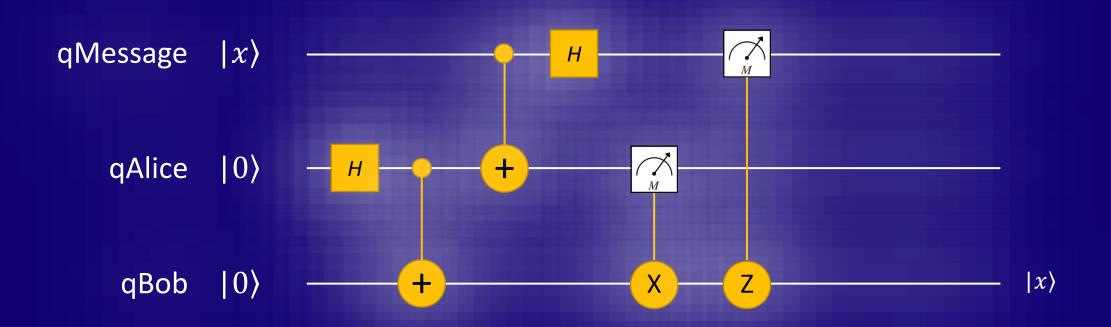
$$\begin{pmatrix} \frac{1}{\sqrt{2}} \\ 0 \\ 0 \\ 1 \\ \hline \sqrt{2} \end{pmatrix} = \begin{pmatrix} a \\ b \end{pmatrix} \otimes \begin{pmatrix} c \\ d \end{pmatrix} \rightarrow \begin{cases} ad = 0 \\ bc = 0 \\ bd = \frac{1}{\sqrt{2}} \end{cases}$$

$$bd = \frac{1}{\sqrt{2}}$$

• This set of two qubits has a 50% chance of collapsing to $|00\rangle$ and a 50% chance of collapsing to $|11\rangle$

Teleportation







- Deutch (1985)
 - Is there a problem that a Quantum Computer can solve faster than a Classical Computer?
 - Deterministic!



- Deutsch–Jozsa (1992)
 - Based on Deutch (for 1 bit), but applicable for n-bits
 - Deterministic!

Build? Stuffs

- Grover's algorithm (1996)
 - "Searching a database"
 - Probabilistic!



- Shor's algorithm (1994)
 - Prime factorization of integers
 - Combination of classical and quantum algorithm
 - Probabilistic!

Thank you, be professional, and have fun out there!



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https://github.com/Djohnnie/QuantumComputing-BuildStuff-2020

