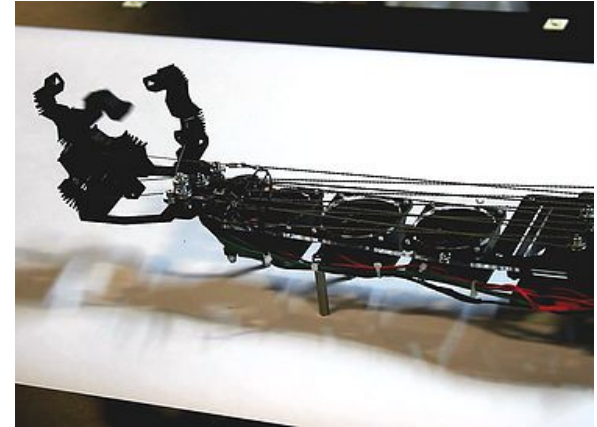
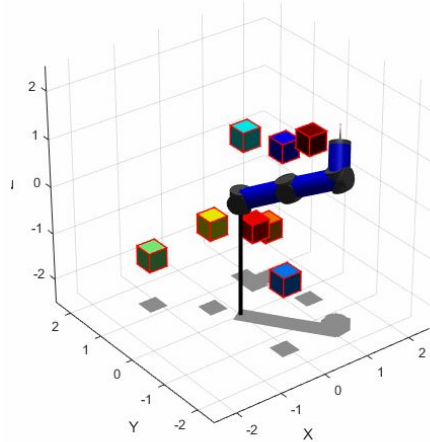


Online Model Learning and Control from Streaming Data using Gaussian Processes for Robot Teleoperation

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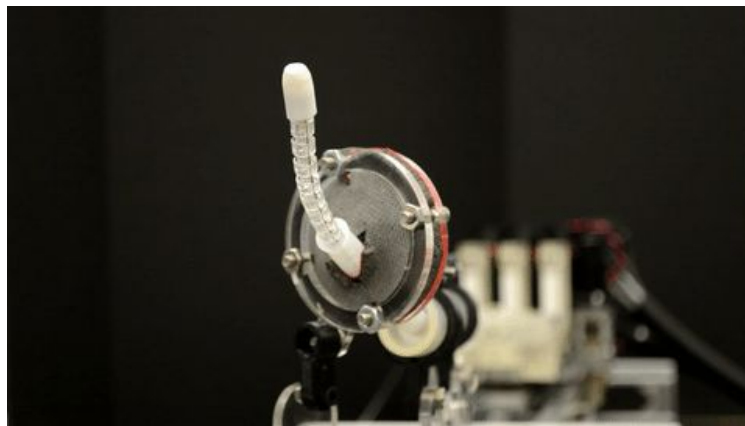
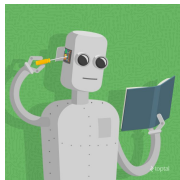
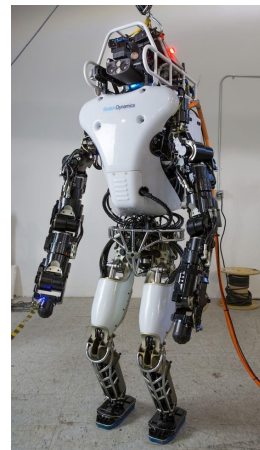
Motivation: UCSD ARCLab

- Advanced Robotics and Control Laboratory at UC San Diego



Motivation: Learning to Manipulate

- Many complex robotic systems have:
 - Inaccurate or unknown system models
 - Unknown environment dynamics
 - Non-stationary behavior
- Through machine learning, we can *learn* a model of very complex systems, however, there remain many challenges such as:
 - Large Training Time
 - Data Availability
 - Deterministic Models
 - Appropriate model selection



Motivation: Teleoperation

- In **teleoperation tasks**, both sensor readings and motor commands come in *streams* of data
- For a data-driven controller, the robot model (mapping from state to actuator) should be *learned* and *adapt* to these streams of data, while also making accurate *predictions* about the desired actuator inputs
- In a nutshell, need a controller which is:
 - Robust
 - Adaptive
 - Real-Time
 - Data-efficient



My Research

Aim: Online model-learning and control for a teleoperation task

Plan: Sparse Online Local Gaussian Process Regression (SOLGPR) to infer a local function mapping of robot sensor states to joint states and perform a prediction of the teleoperation command for joint control.

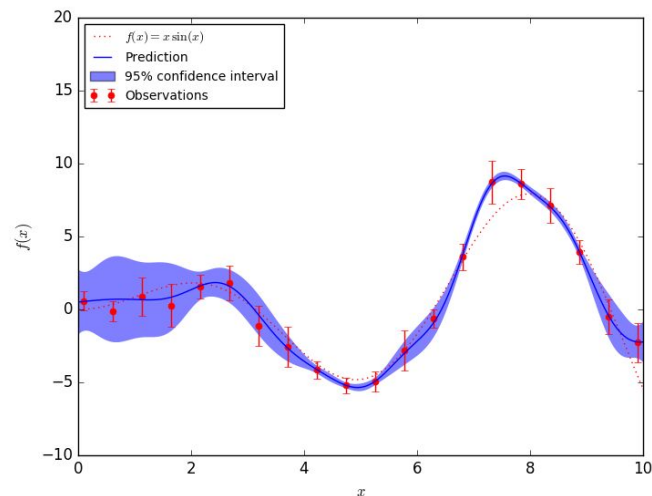
Application: Teleoperation of remote robotic catheter for catheter ablation in minimally invasive surgery

Methods: Sparse Online Local Gaussian Processes

- Gaussian Process is a **distribution over functions** (Rasmussen & Williams '06)
- GP is characterized by a **mean function**, m , and **covariance function**, k
- In regression, we want to infer the function output for test inputs, f^*
- We *learn* by optimizing the hyperparameters of the covariance function

$$f(\mathbf{x}) \sim \mathcal{GP}(m(\mathbf{x}), k(\mathbf{x}, \mathbf{x}'))$$

$$m(\mathbf{x}) = \mathbb{E}[f(\mathbf{x})],$$
$$k(\mathbf{x}, \mathbf{x}') = \mathbb{E}[(f(\mathbf{x}) - m(\mathbf{x}))(f(\mathbf{x}') - m(\mathbf{x}'))]$$



Methods: Sparse Online Local Gaussian Processes

- **Variational Inference for GP** (Titsias '09) is a method to find the optimal **$M \ll N$ inducing points** which will maximize the similarity between the induced posterior distribution and the full posterior distribution via the KL divergence
- The **computational complexity can be reduced** from $O(N^3)$ *inversion operation* to $O(NM^2)$
- minimize $KL(q(\mathbf{f}, \mathbf{f}_m) || p(\mathbf{f}, \mathbf{f}_m | \mathbf{y}))$



Variational Inference

(in three easy steps...)

1. Choose a family of variational distributions $Q(H)$.
2. Use Kullback-Leibler divergence $KL(Q||P)$ as a measure of 'distance' between $P(H|D)$ and $Q(H)$.
3. Find Q which **minimizes** divergence.

Methods: Sparse Online Local Gaussian Processes

- A local model of the robot system should allow for adaptive behaviors in the region of our workspace
- In GP, can find **K local models** of our dataset, each with D local points (Nguyen-Tuong et al. '08)

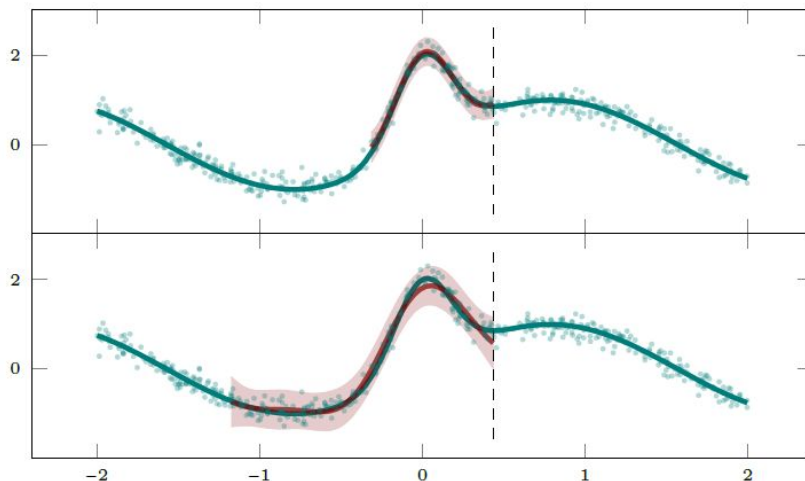
$$w_k = \exp\left(-\frac{1}{2}(x - c_k)^T W (x - c_k)\right)$$

- For prediction, uses a **modified* weighted prediction**

$$y_p = \frac{\sum_{k=1}^M w_k y_k e^{-V_k}}{\sum_{k=1}^M w_k e^{-V_k}}$$

Methods: Sparse **Online** Local Gaussian Processes

- For online, we want to **deal with minibatches** or an incremental update
- In *addition* to local models and sparsity, we use a **Drifting Gaussian Process** to speed up performance for online:
 - “Drifting” minibatches of data, where older/non-rich data points deleted as new data added (Meier & Schaal ‘16)
 - An optimization of the model is performed after a set interval
 - Increases adaptability to sudden changes



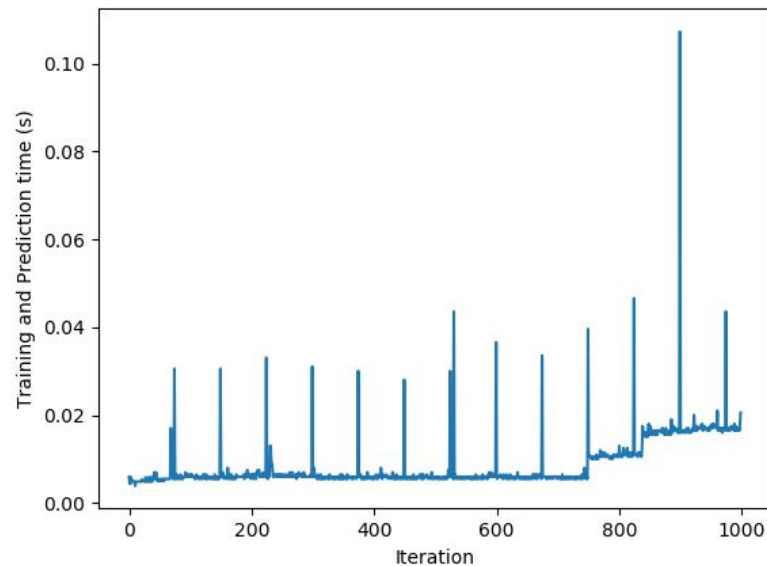
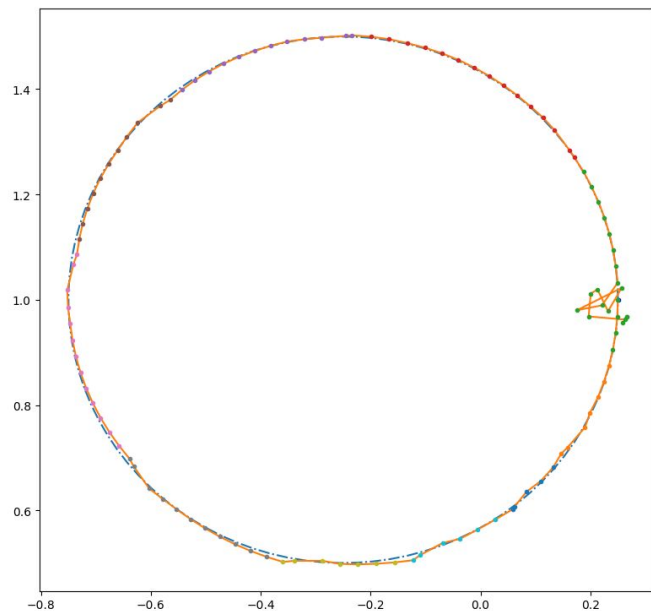
The Algorithm Summary

Summary of SOLGPR procedure:

- 1) **Initialize:** jitter robot to create initial GP models
- 2) **Teleoperate:** receive current command signal
- 3) **Control:** predict joint command and control robot
- 4) **Experience:** receive current robot state
- 5) **Partition:** Partition new experience into local regions
- 6) **Train:** Update and train sparse local models
- 7) **Learn:** Optimize drifting GP
- 8) **Loop:** Repeat 2-7

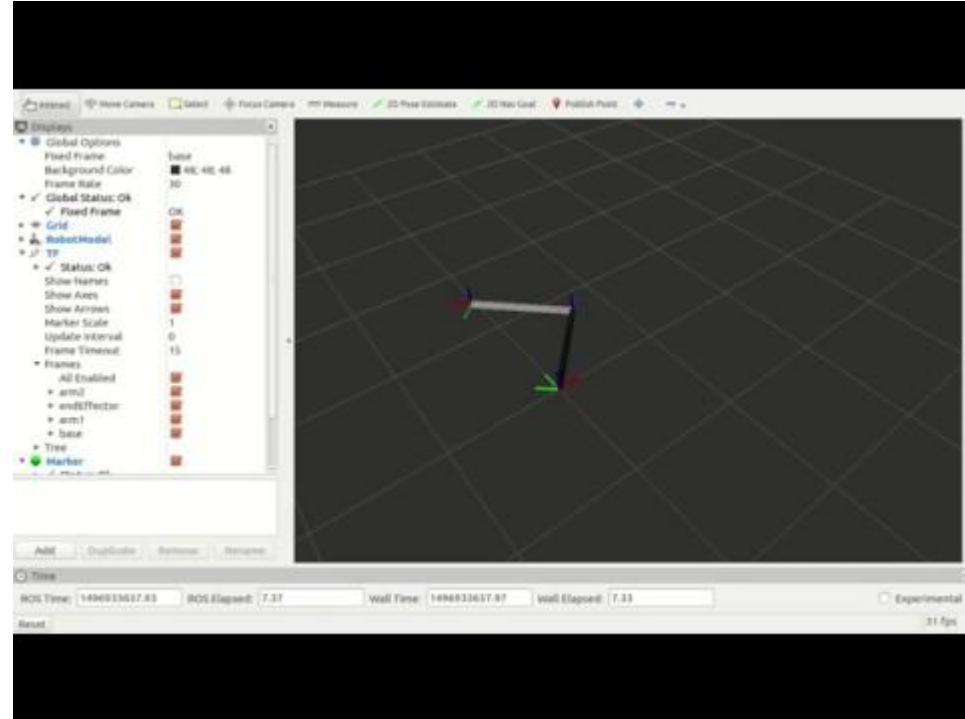
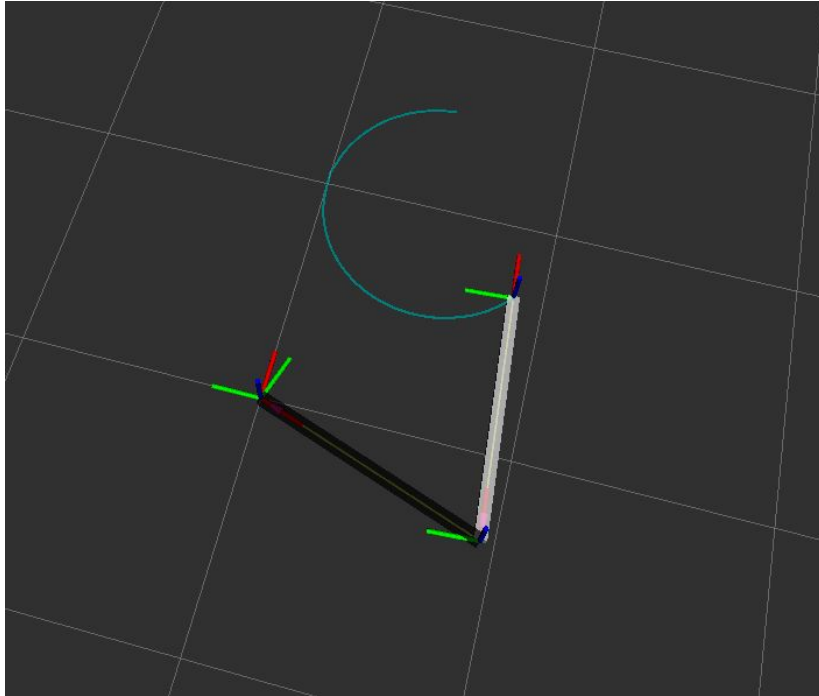
Results: Initial Test

- Control of two-link arm on circular trajectory



Results: ROS

- Robot Operating System (ROS) implementation of teleoperation



Looking Ahead

- Tune parameters for increased accuracy and adaptability
- *Faster, faster, faster* : take advantage of +1 data point incremental updates
- Optimize tradeoff of computational complexity and performance
- Incorporate algorithm into *model-based reinforcement learning*

THANK YOU. QUESTIONS?