

# Detecting Financial Fraud Using Graph Neural Networks

Julien Schmidt, Dimosthenis Pasadakis, Madan Sathe\*, Olaf Schenk

\*Ernst and Young (EY)

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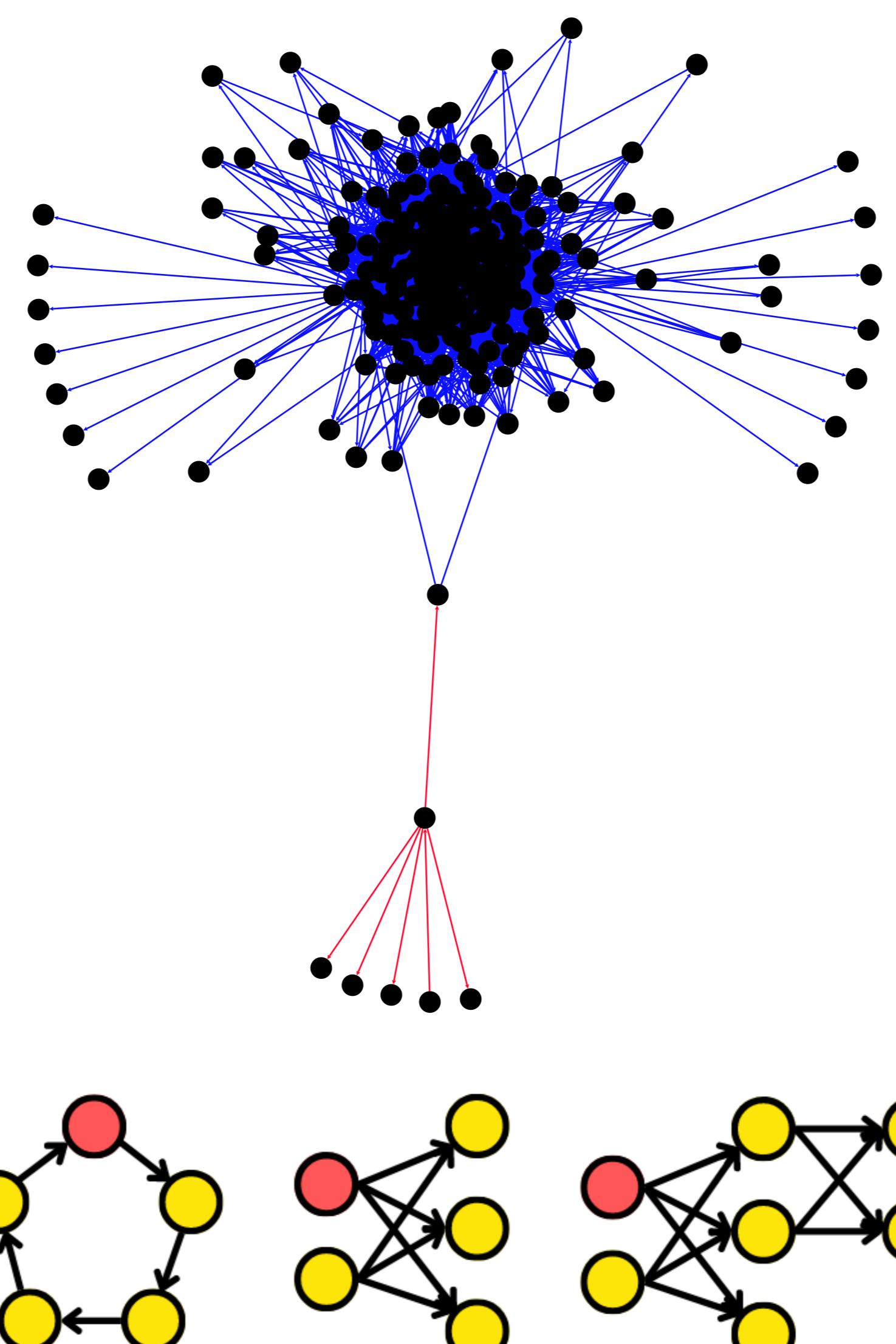
## Problem Description

In this study we tackle the problem of money laundering detection in large-scale financial networks. We generate synthetic graph-structured data emulating a financial system with embedded money laundering topologies. We employ various Graph Deep Learning techniques and compare their effectiveness in detecting fraudulent accounts.

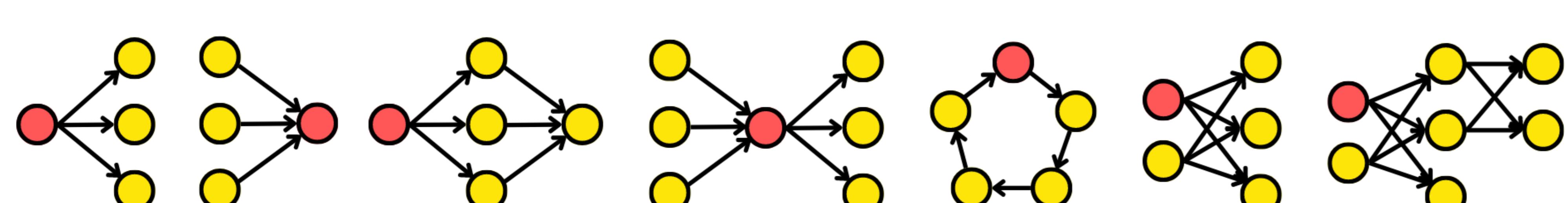
## Synthetic Dataset Generation

Graph  $G(V, E)$  directed-multigraph with  $n$  vertices and  $m$  edges.

- Vertices ( $V$ ): Bank accounts
- Edges ( $E$ ): Transactions between accounts
- Financial graph-structured dataset generated using AMLsim. We specify number of normal and anomalous accounts, types of money laundering topologies, and the duration of simulation.
- Post-processing of generated dataset. Using edge-level features (transaction amount as weights of the edges), and node connectivity metrics, we compute node-level features used for training GNN models.



## Money Laundering Topologies



## Feature Generation

A set of node-level features are generated for each account.

- GAW:** geometric average of weights. For weight  $w_j^i$  of neighbors of node  $i$  of total degree  $d_t(i)$ .  

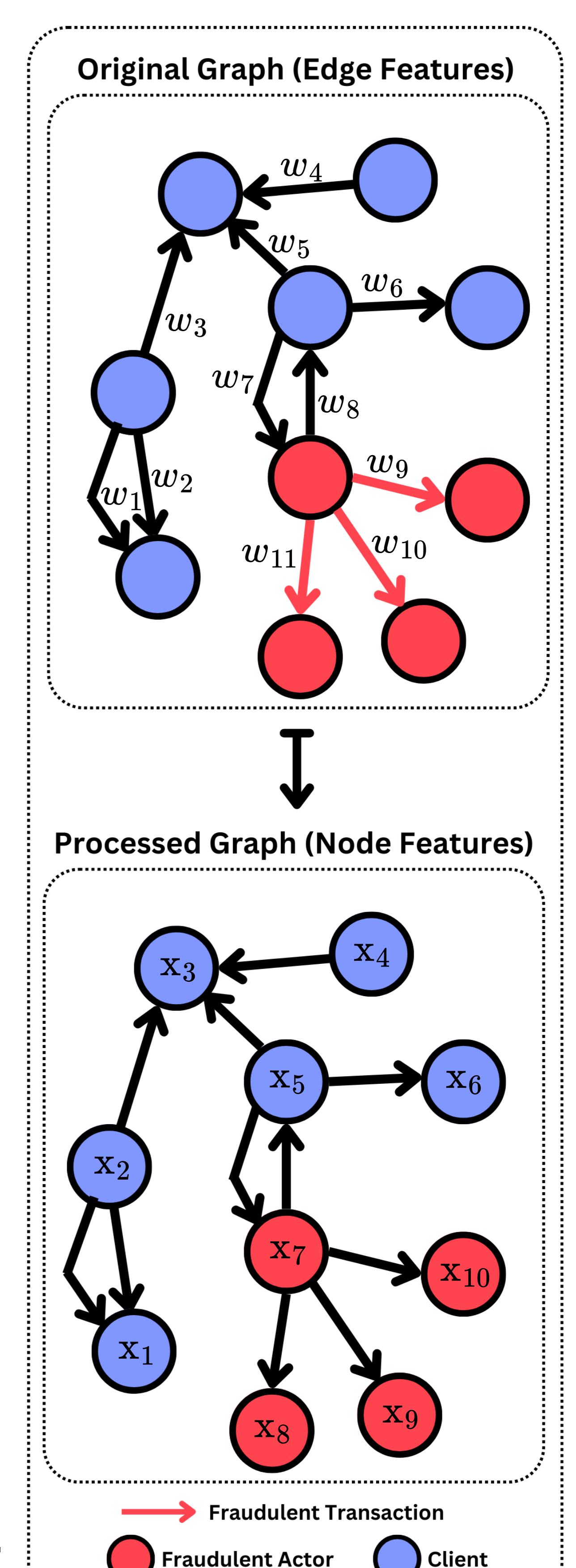
$$\text{GAW}(i) = \left( \prod_{j=1}^{d_t(i)} w_j^i \right)^{d_t(i)^{-1}}$$
- GAW10 and GAW20:** The GAW of each node computed for the largest 10% and 20% of its connected edge weights respectively.
- Standardized Node Degree:** Where  $d_t$  is a vector of all node total degrees in graph  $G$ .  

$$\text{SND}(i) = \frac{d_t(i) - \text{mean}(d_t)}{\text{std}(d_t)}$$
- Node (In/Out) Degree and (In/Out) Unique Node Degree** when Graph  $G$  is reduced to Digraph and only one edge between nodes is permitted.
- Degree Frequency:** Node's Total Unique Degree  $d_{ut}(i)$  divided by Nodes Total Degree  $d_t(i)$ .  

$$d_f(i) = \frac{d_{ut}(i)}{d_t(i)}$$
- Node's Community Edge Density:** Communities  $C(i)$  of a node  $i$  are computed using the Louvain Algorithm [Blondel et al., 2008]. Nodes are given their respective communities' edge density.  

$$\text{ED}(i) = \frac{2 \cdot |E_{C(i)}|}{|V_{C(i)}| \cdot (|V_{C(i)}| - 1)}$$
- Scaled Node's Community Edge Density** divided by Community Size.  

$$\text{SED}(i) = \frac{\text{ED}(i)}{|V_{C(i)}|}$$
- A node's (min/max/mean/std./total) transaction amount in.
- A node's (min/max/mean/std./total) transaction amount out.

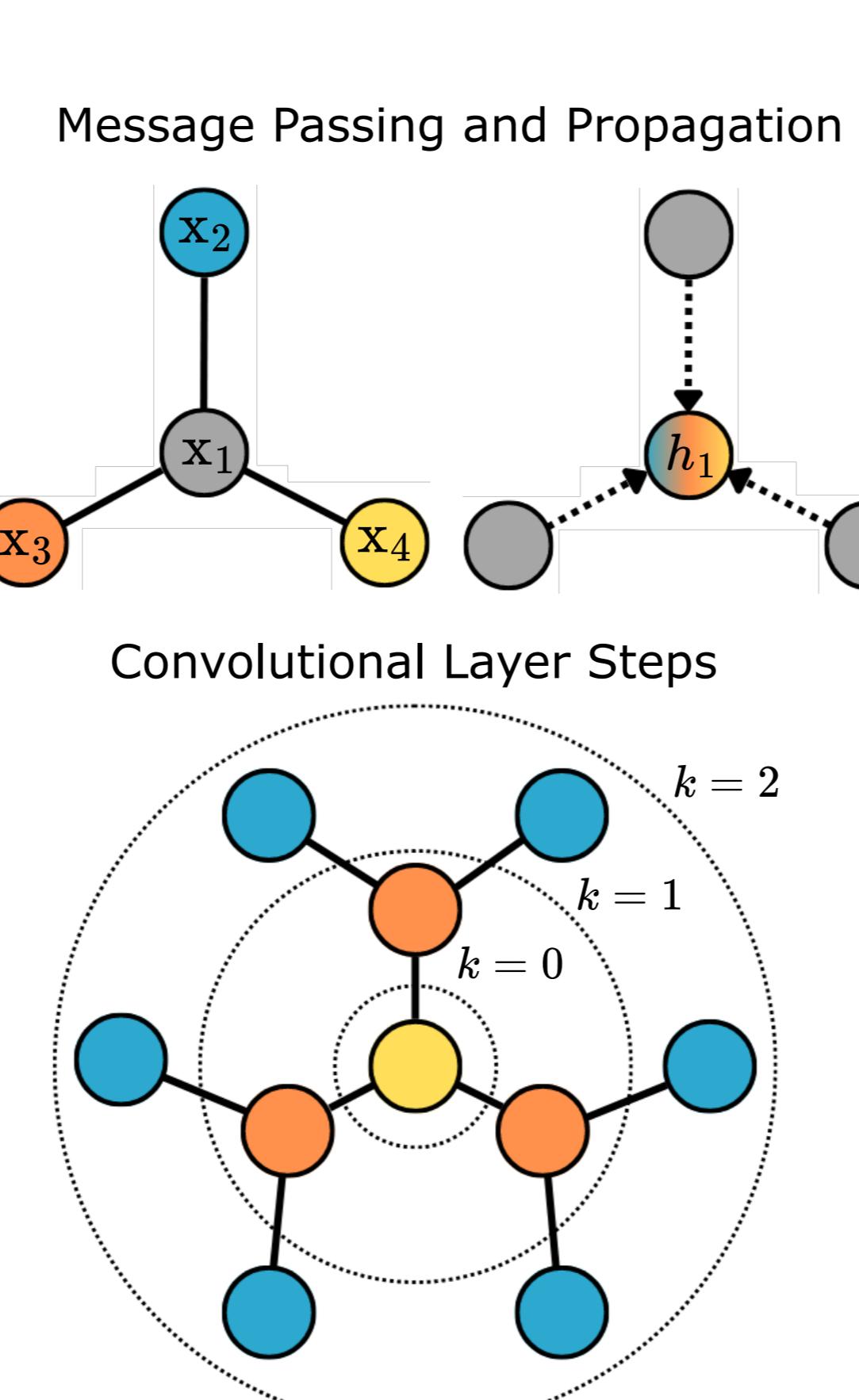


## Graph Neural Network Models And Datasets

### Message Passing Neural Network (MPNN) [J. Gilmer et al., 2017]

$$h_i^{l+1} = \tanh \left( h_i^l \Theta_1^l + \sum_{j \in N(i)} \tilde{a}_{ji} \cdot h_j^l \Theta_2^l \right)$$

Where  $h_i^l$  is the  $l^{\text{th}}$  convolutional layer for node  $i$ ,  $\Theta_1^l$  and  $\Theta_2^l$  are learnable parameter matrices,  $\tilde{a}_{ji}$  is an element of the graph shift operator for nodes  $j$  and  $i$ , and  $\sum_{j \in N(i)}$  is the aggregator function for neighborhood of node  $i$ .  $\Theta_1^l$  and  $\Theta_2^l$  learnt with linear layer of size  $Z$ .



### GraphSAGE [Hamilton et al., 2017]

### Graph Convolutional Network (GCN) [Kipf and Welling, 2017]

### Graph Attention Network (GAT) [Veličković et al., 2018]

### Graph Isomorphism Network (GIN) [Xu et al., 2019]

#### Datasets

Four datasets generated with varying number of anomalous nodes  $|V_A|$ , number of normal nodes  $|V_N|$ , and ratios of anomalous to normal nodes. Number of nodes remains constant across all datasets. Only the number of anomalous accounts and number of edges changes.

Dataset	Balance (Anom./Normal)	Datasets			
		$ V $	$ V_A $	$ V_N $	$ E $
1	55%/45%	60,215	32,877	27,338	1,076,063
2	11%/89%	60,215	6,581	53,634	1,001,080
3	5%/95%	60,215	3,279	56,936	992,675
4	2%/98%	60,215	1,288	58,927	986,789

## Data Processing and Model Training Pipeline

### Algorithm 1 Node and Edge Feature Generation

```

Input:  $G(V, E)$                                      ▷ generated dataset from AMLsim
Output:  $A_V, A_E, \text{el}, y$                       ▷ node attributes, edge attributes, edge list, target
1:  $A_V \leftarrow \text{empty}(|V|, 1)$                   ▷ GAW, Std. Degree
2:  $A_V.\text{append}(\text{BasicNodeTests}(G(V, E)))$     ▷ Louvain Method
3:  $A_V.\text{append}(\text{CommunityDetection}(G(V, E)))$  ▷ total amount in, ect...
4:  $A_V.\text{append}(\text{TransactionStatistics}(G(V, E)))$  ▷ transfer amount
5:  $A_E \leftarrow E.\text{weights}$                       ▷ [source, target] of shape  $(|E| \times 2)$ 
6:  $\text{el} \leftarrow E.\text{edge\_list}$                    ▷ boolean  $\{0, 1\}$ 
7:  $y \leftarrow \text{node class label}$ 
8: return  $A_V, A_E, \text{el}, y$ 

```

### Algorithm 2 GNN Model Training Pipeline

```

Input:  $A_V, A_E, \text{el}, y$                          ▷ number of convolutional layers
Output: model                                       ▷ number of node features
1:  $k \leftarrow 2$                                    
2:  $\text{hidden\_size} \leftarrow A_V.\text{num\_features}$ 
3:  $\text{model} = \text{GNNModel}(\text{hidden\_size}, k)$ 
4:  $\text{train, valid, test} \leftarrow \text{train\_test\_split}(A_V, A_E, \text{el}, y)$  ▷ indices with [35%, 15%, 50%] split
5: for epoch do
6:    $\text{model}.\text{train}(A_V, A_E, \text{el}, y, \text{train})$ 
7:    $\text{model}.\text{valid}(A_V, A_E, \text{el}, y, \text{valid})$ 
8: end for
9: return model

```

## Numerical Results

### Performance of GNN Models Across Datasets

Dataset 1 55% anomalous, 45% normal					
Model	Precision ↑	Recall ↑	F1-Score ↑	AUC ↑	
MPNN, k=5, z=64	.95	.95	.95	.94	
SAGE, k=3, z=64	.97	.95	.96	.95	
GCN, k=5, z=64	.88	.94	.91	.90	
GAT, k=3, z=32	.90	.92	.91	.89	
GIN, k=3, z=32	.95	.90	.92	.92	

Dataset 2 11% anomalous, 89% normal					
Model	Precision ↑	Recall ↑	F1-Score ↑	AUC ↑	
MPNN, k=4, z=8	.87	.80	.84	.89	
SAGE, k=5, z=64	.97	.71	.86	.88	
GCN, k=3, z=32	.83	.69	.75	.84	
GAT, k=3, z=16	.93	.65	.77	.82	
GIN, k=2, z=32	.98	.76	.86	.88	

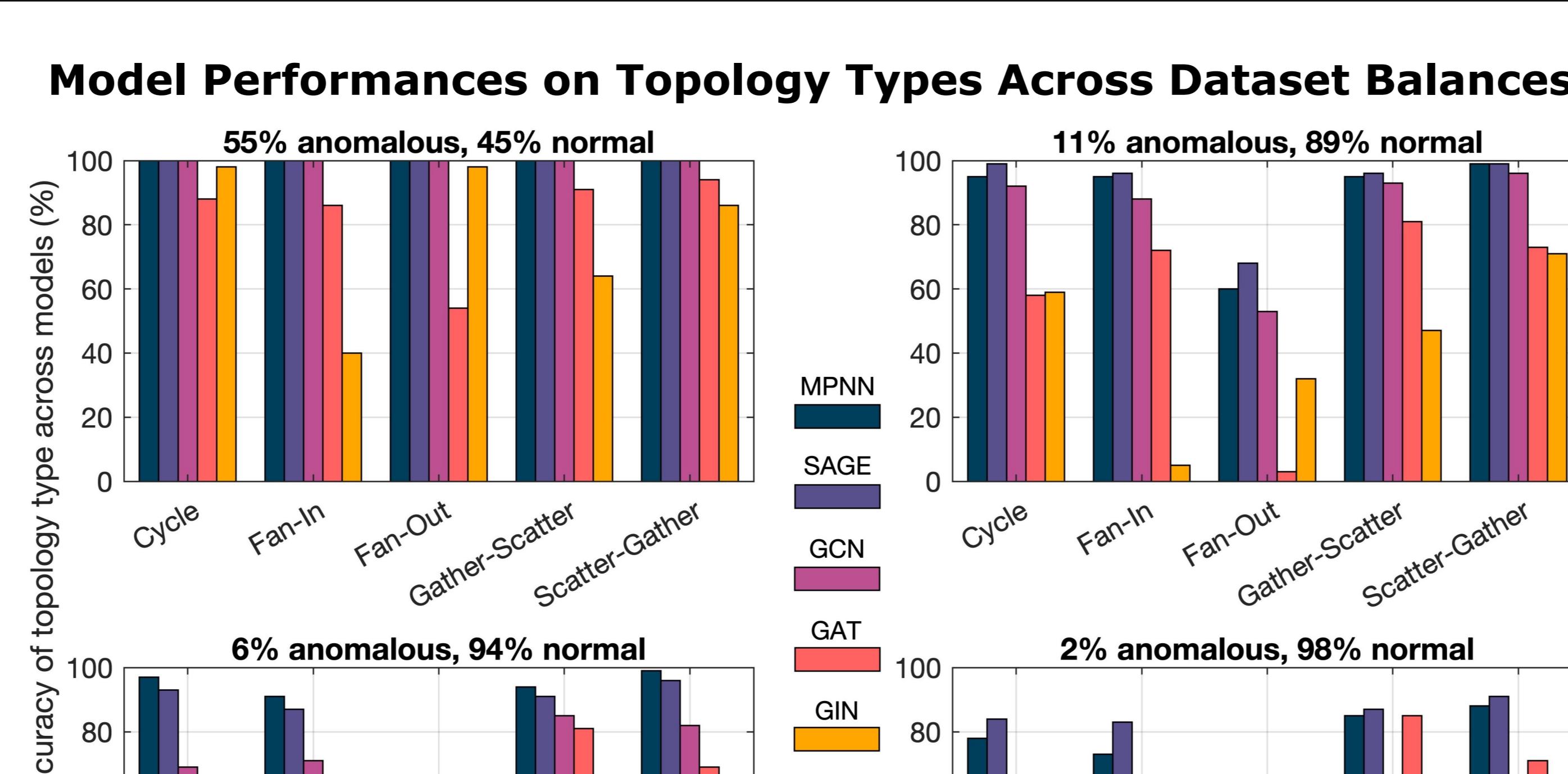
  

Dataset 3 5% anomalous, 95% normal					
Model	Precision ↑	Recall ↑	F1-Score ↑	AUC ↑	
MPNN, k=5, z=64	.93	.75	.83	.87	
SAGE, k=6, z=8	.97	.81	.88	.90	
GCN, k=2, z=8	.85	.68	.76	.84	
GAT, k=3, z=16	.94	.65	.77	.82	
GIN, k=2, z=16	.98	.72	.83	.86	

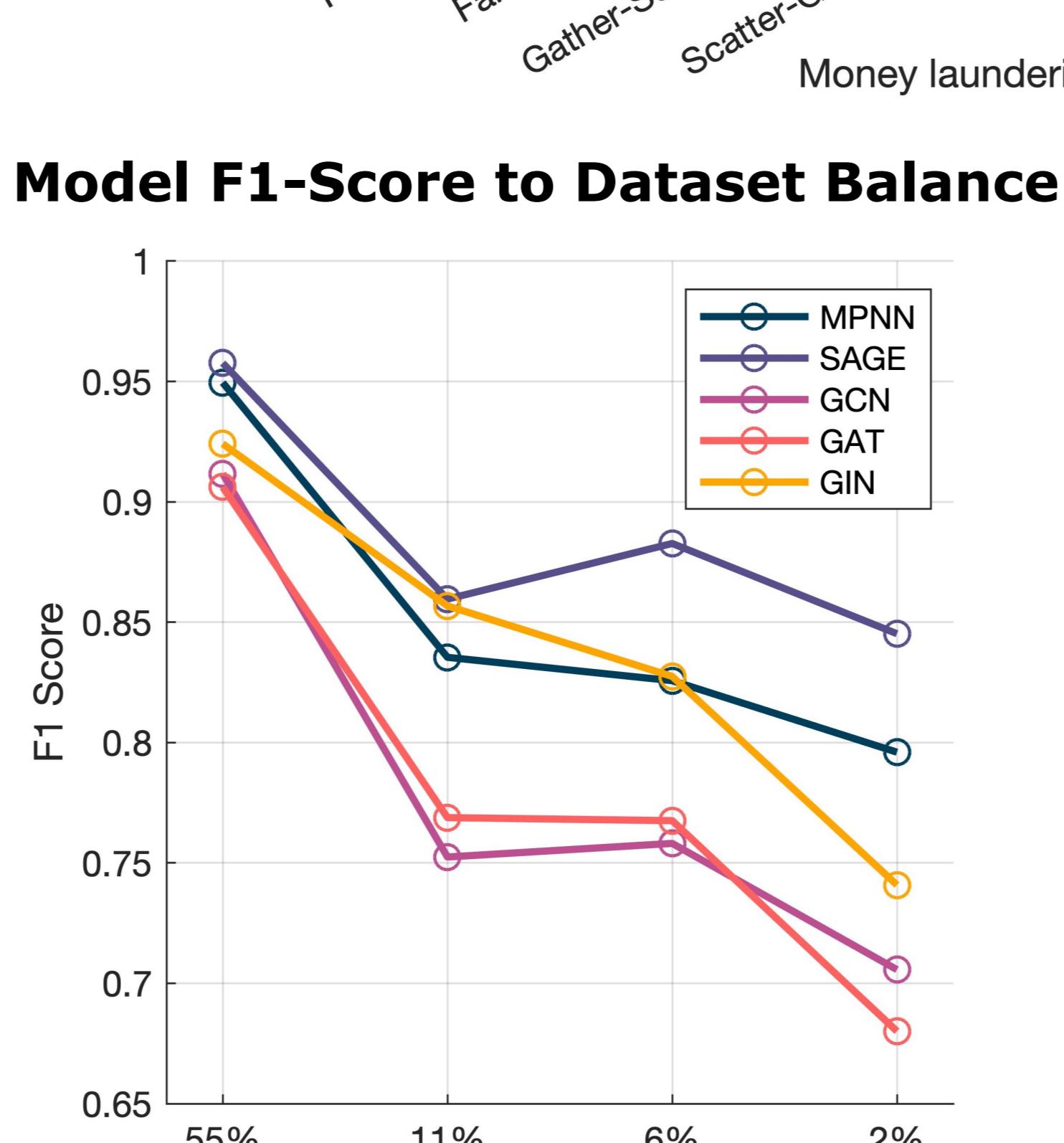
  

Dataset 4 2% anomalous, 98% normal					
Model	Precision ↑	Recall ↑	F1-Score ↑	AUC ↑	
MPNN, k=5, z=64	.92	.70	.80	.85	
SAGE, k=6, z=8	.95	.76	.85	.88	
GCN, k=2, z=8	.86	.60	.71	.80	
GAT, k=5, z=16	.92	.54	.68	.77	
GIN, k=2, z=32	.98	.60	.74	.80	

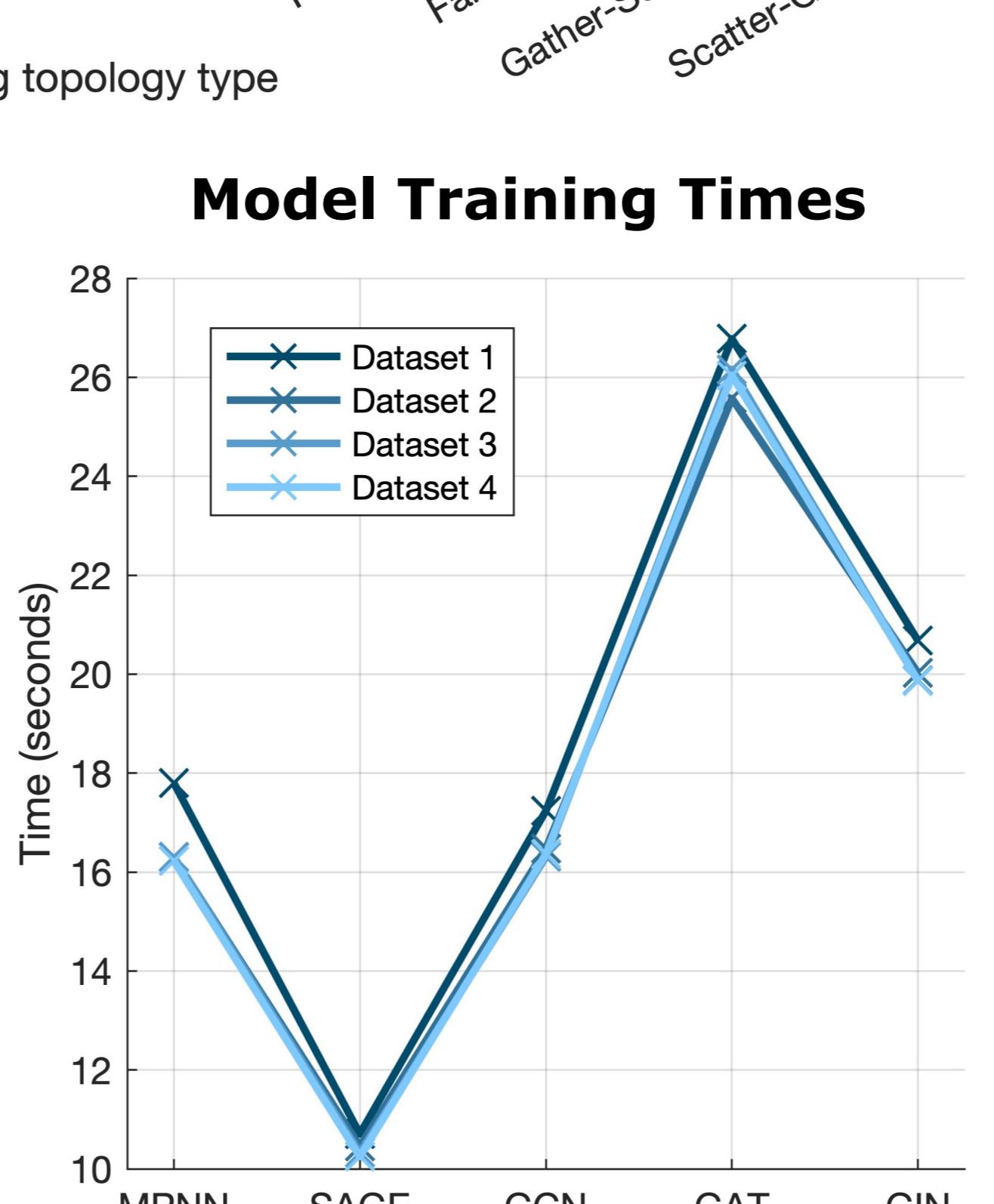
### Model Performances on Topology Types Across Dataset Balances



### Model F1-Score to Dataset Balance



### Model Training Times



### GraphSAGE Node Classification Results for Dataset 4 (2% anomalous, 98% normal)