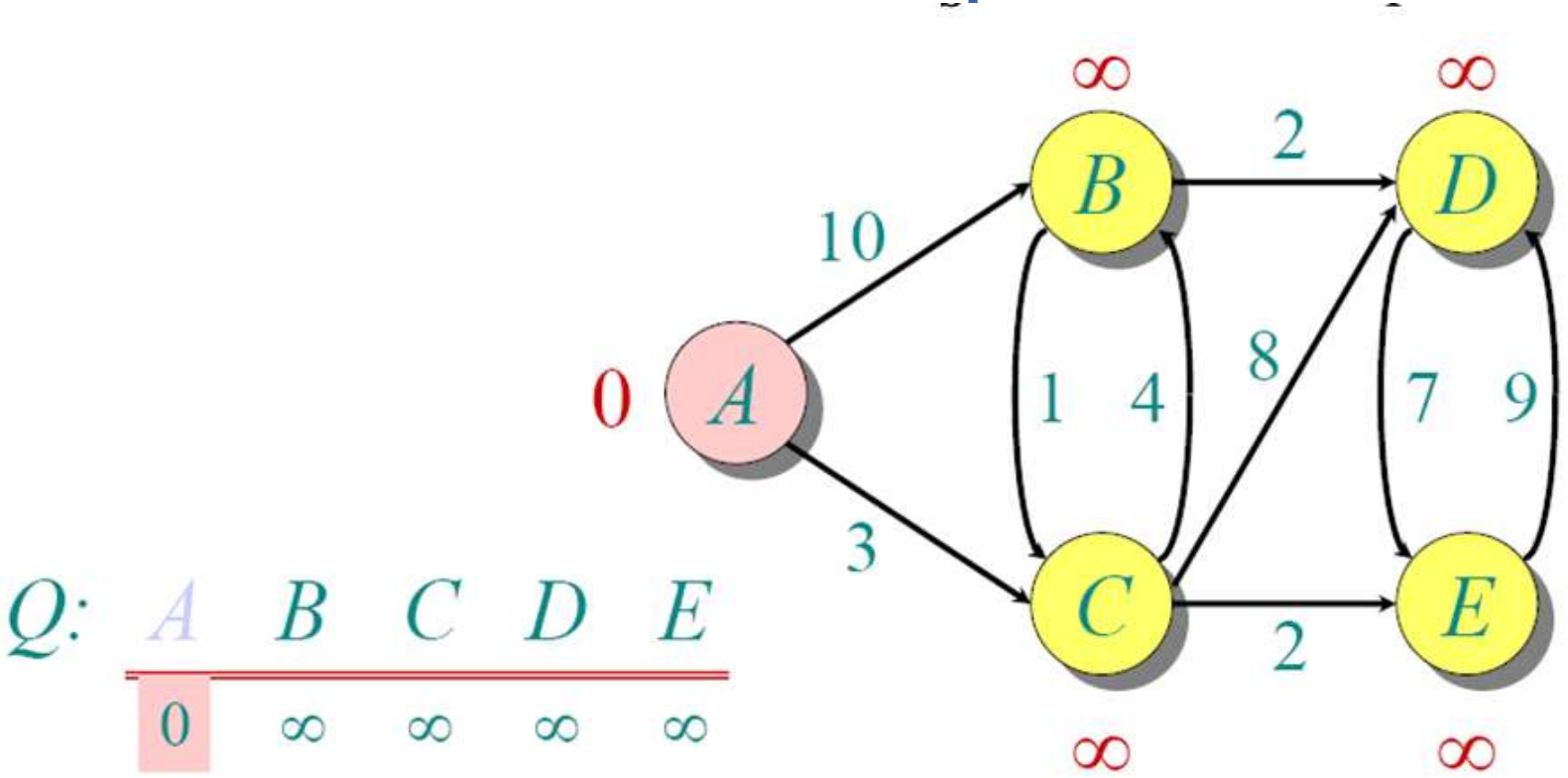
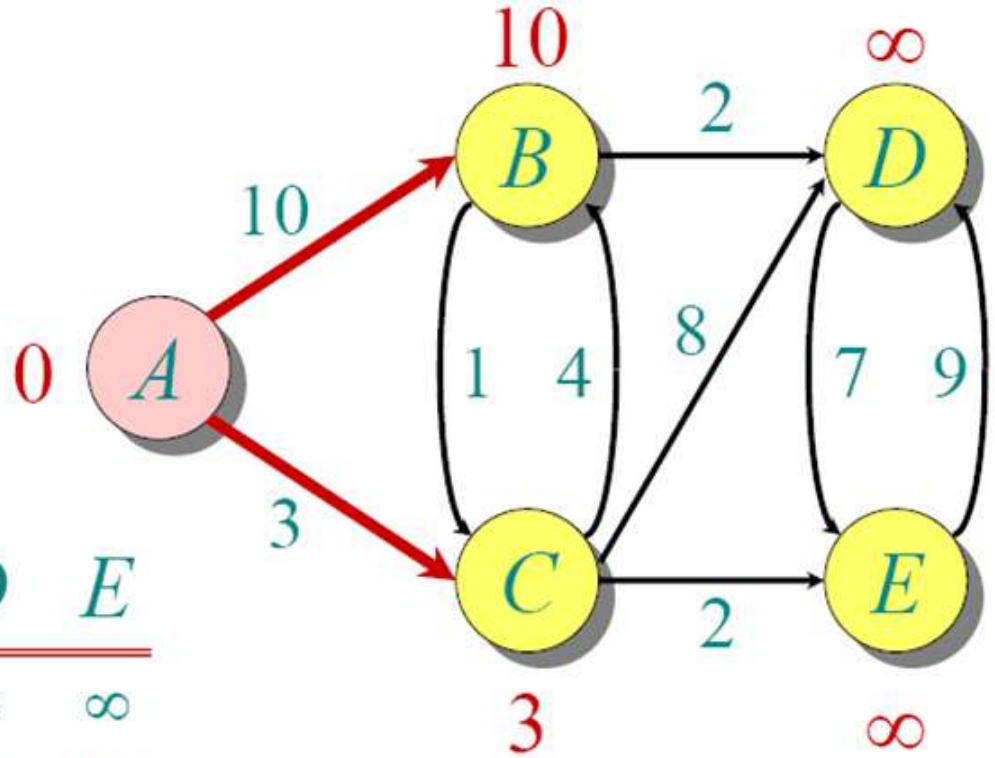
An Example



Q:	A	B	C	D	E
	0	∞	∞	∞	∞

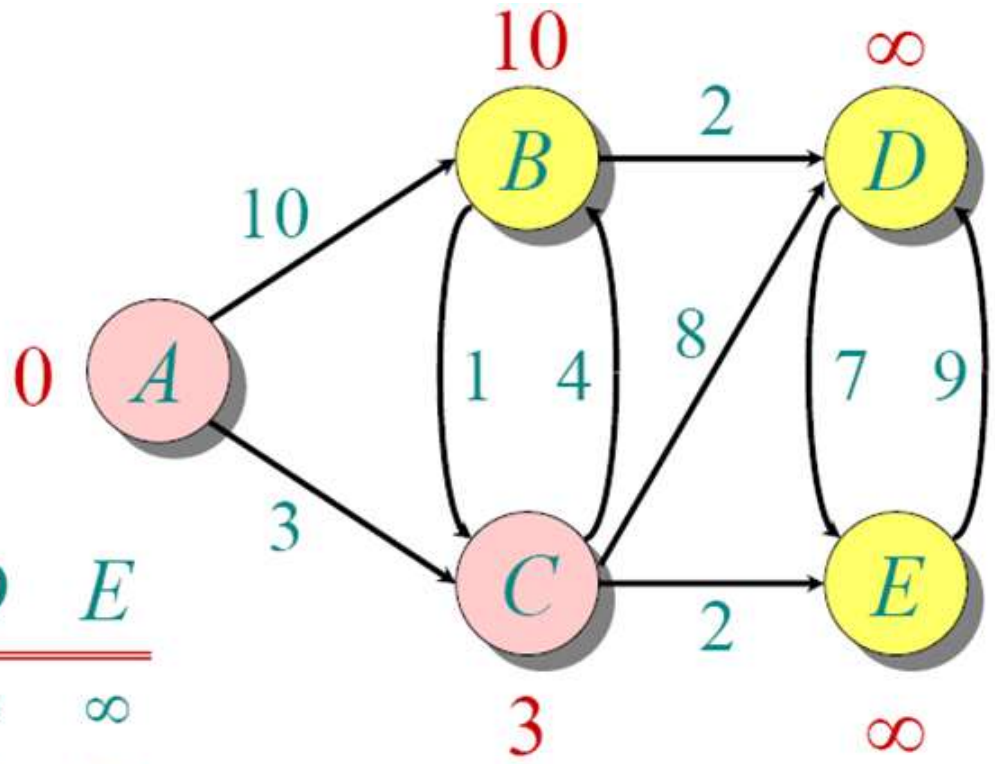
An Example



Q:	A	B	C	D	E
	0	∞	∞	∞	∞
		10	3	∞	∞

$S: \{ A \}$

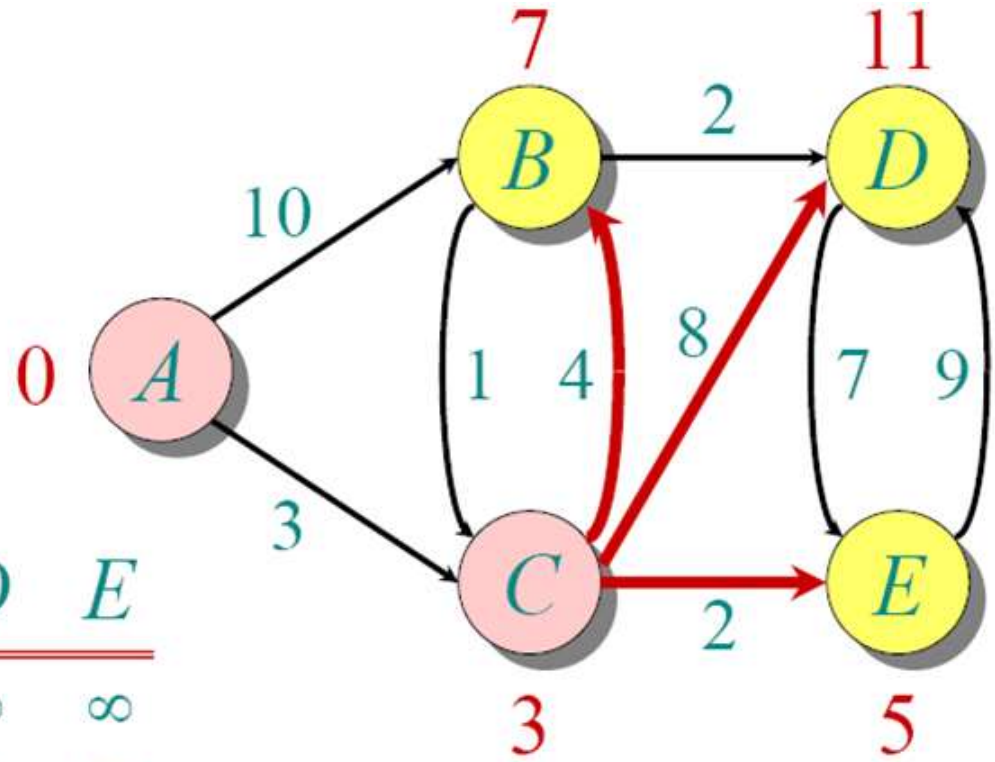
An Example



Q:	A	B	C	D	E
	0	∞	∞	∞	∞
		10	3	∞	∞

$S: \{ A, C \}$

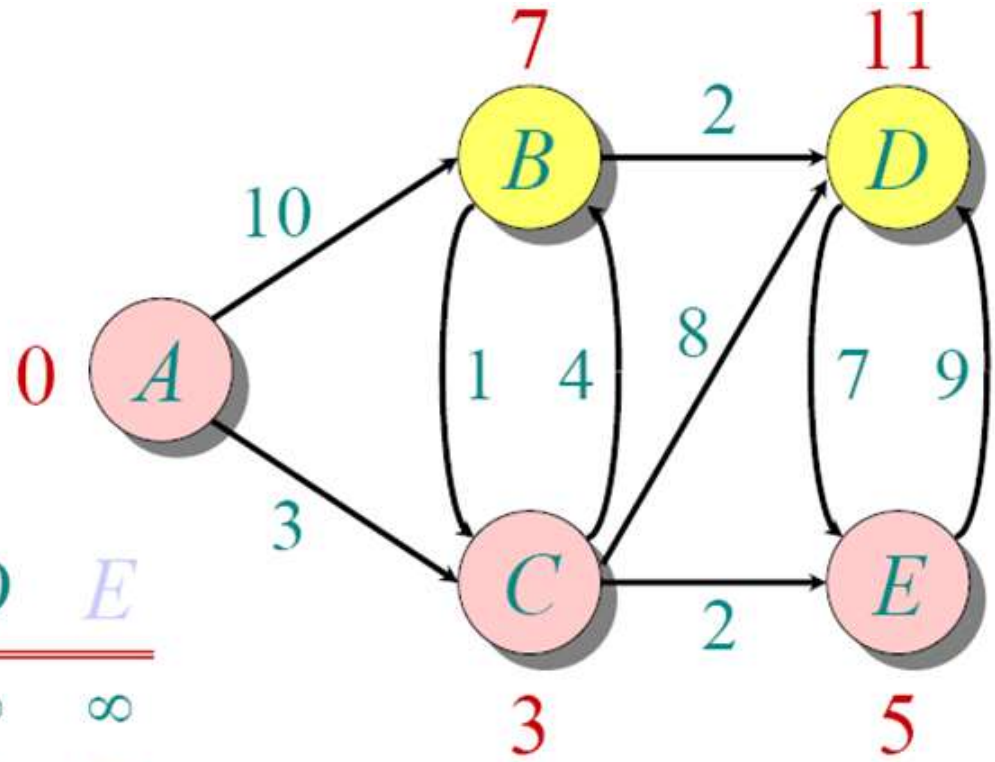
An Example



Q:	A	B	C	D	E
	0	∞	∞	∞	∞
		10	3	∞	∞
		7		11	5

$S: \{ A, C \}$

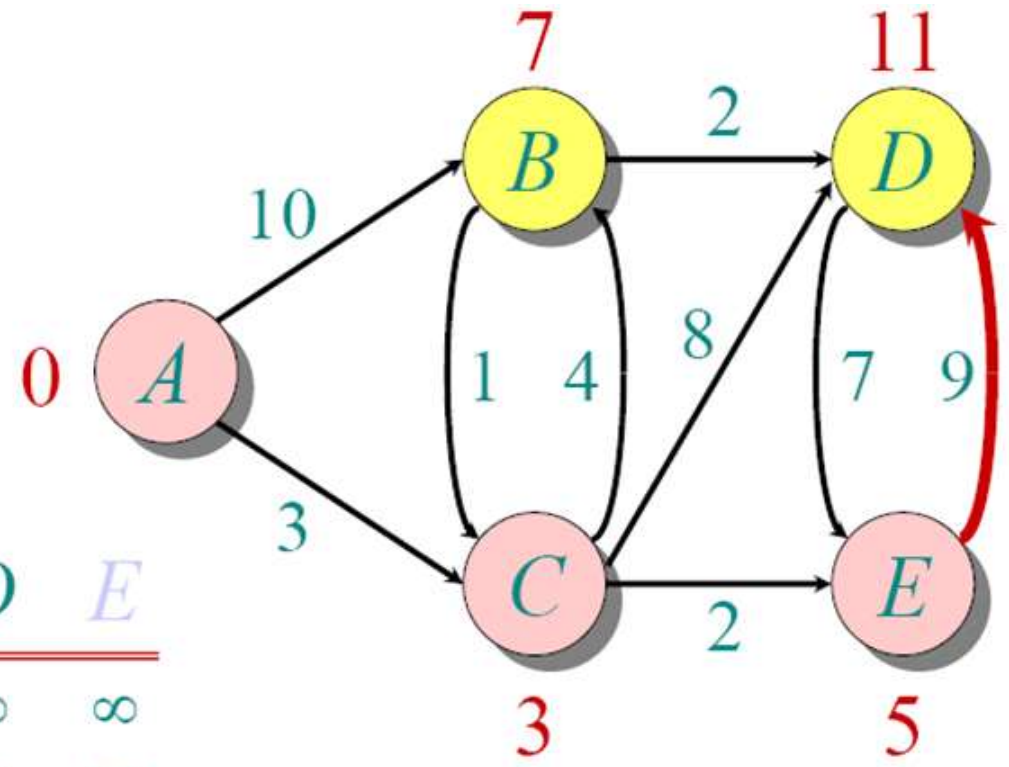
An Example



Q:	A	B	C	D	E
	0	∞	∞	∞	∞
		10	3	∞	∞
		7		11	5

$S: \{ A, C, E \}$

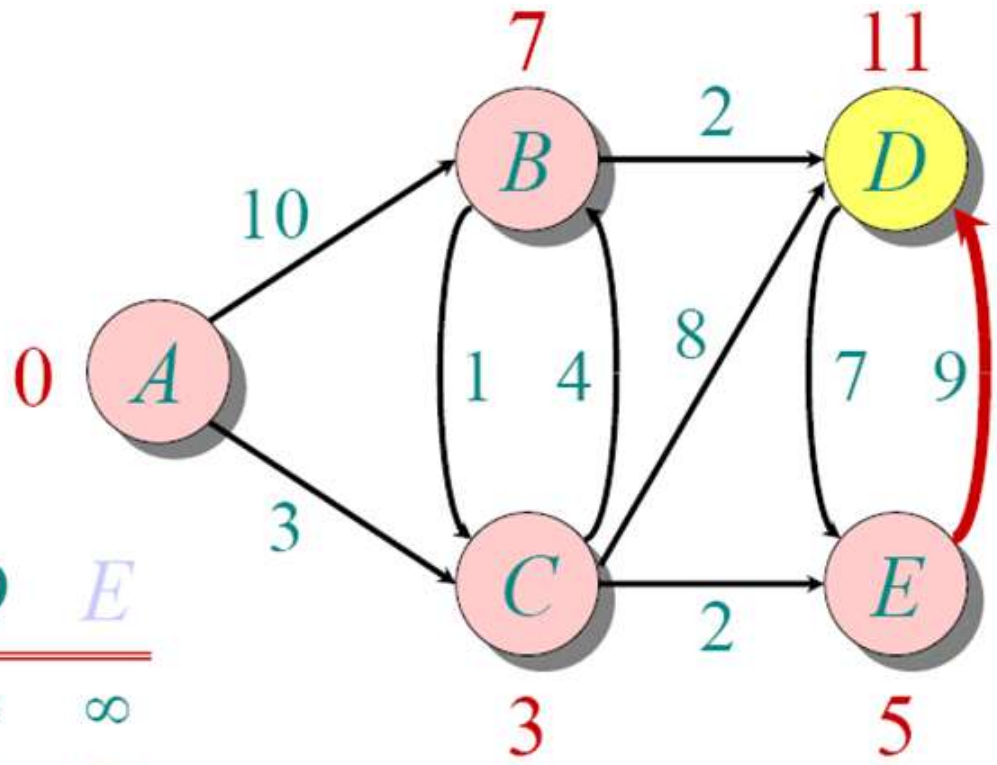
An Example



Q:	A	B	C	D	E
	0	∞	∞	∞	∞
		10	3	∞	∞
		7		11	5
		7		11	

$S: \{ A, C, E \}$

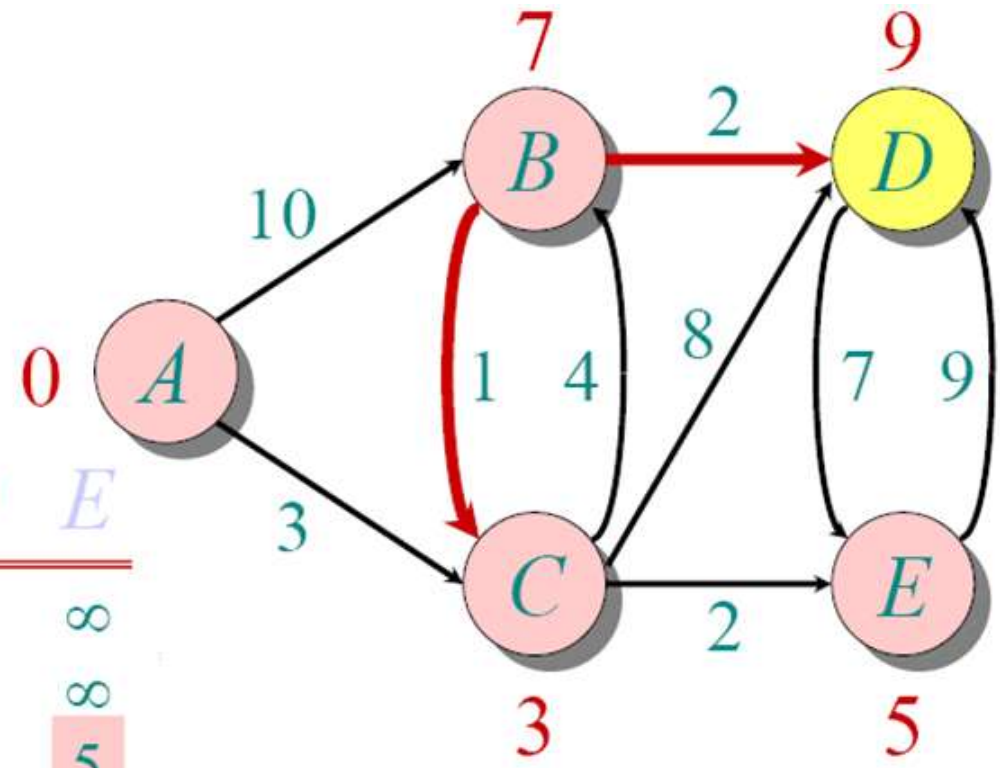
An Example



Q:	A	B	C	D	E
	0	∞	∞	∞	∞
		10	3	∞	∞
		7		11	5
		7		11	

S: { A, C, E, B }

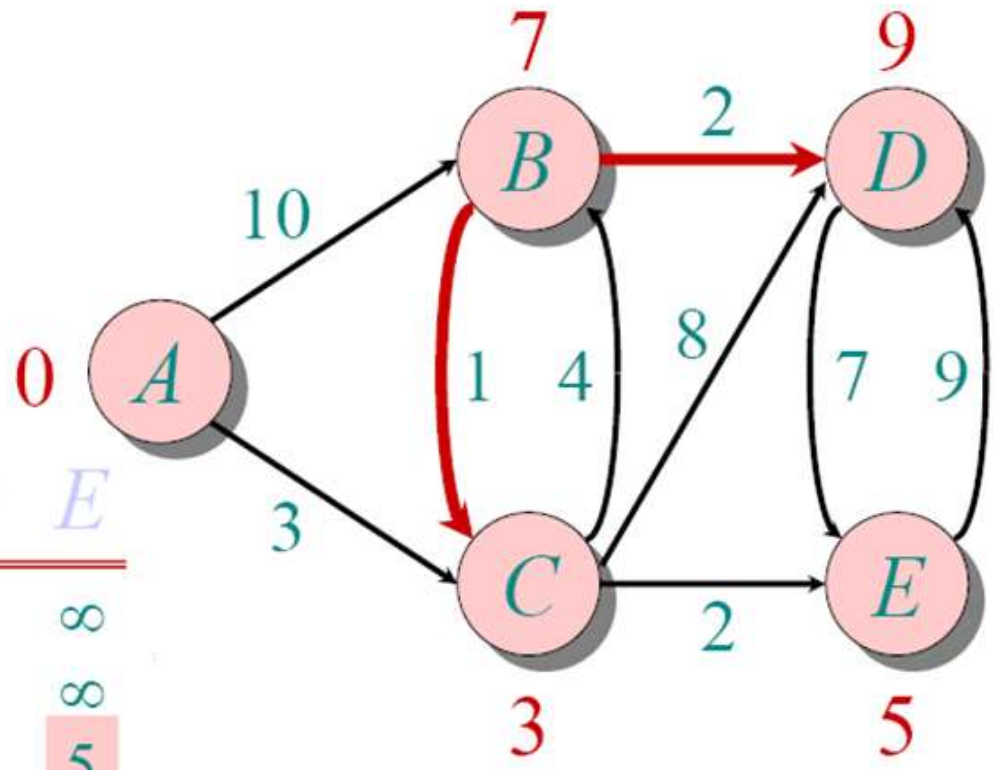
An Example



Q:	A	B	C	D	E
	0	∞	∞	∞	∞
		10	3	∞	∞
		7		11	5
		7		11	
				9	

S: { A, C, E, B }

An Example



Q:	A	B	C	D	E
	0	∞	∞	∞	∞
		10	3	∞	∞
		7		11	5
		7		11	
				9	

S: { A, C, E, B, D }

Dijkstra's Pseudo Code

- Graph *G*, weight function *w*, root *s*

```
DIJKSTRA(G, w, s)
 1 for each v ∈ V
 2       do d[v] ← ∞
 3 d[s] ← 0
 4 S ← ∅   ▷ Set of discovered nodes
 5 Q ← V
 6 while Q ≠ ∅
 7       do u ← EXTRACT-MIN(Q)
 8          S ← S ∪ {u}
 9          for each v ∈ Adj[u]
10              do if d[v] > d[u] + w(u, v)
11                    then d[v] ← d[u] + w(u, v)
```

relaxing edges