

1. InputConnection (P \rightarrow G) [0, 1]:

global parameters: lr, α, β

pre:

$$I_{\text{post}} \neq w$$

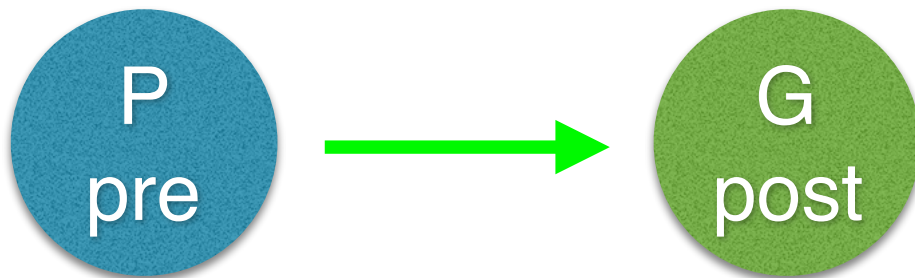
$$a_{\text{pre}} \neq 1 / (\alpha \text{ num_G})$$

$$\Theta_{\text{pre}} \neq 1 / (\beta \text{ num_G})$$

post:

$$\Delta w = -\text{decay} + lr (a_{\text{pre}} - \Theta_{\text{pre}})$$

$$w = \text{clip}(w + \Delta w, 0, 1)$$



diff_pre \ diff_post	>0	<0
>0	<p>+</p> <p>Both spike frequently, high correlation</p>	<p>-</p> <p>Pre spikes frequently, Post spikes rarely. Pre starts to have negative connection, high usage of negative weights</p>
<0	<p>-</p> <p>Pre spikes rarely, Post spikes frequently. Pre starts to have negative connection, low usage of negative weights</p>	<p>+</p> <p>Both spike rarely</p>

2. NegativeConnection ($G \rightarrow G$) $[-1, 0]$:

global parameters: lr_{neg}

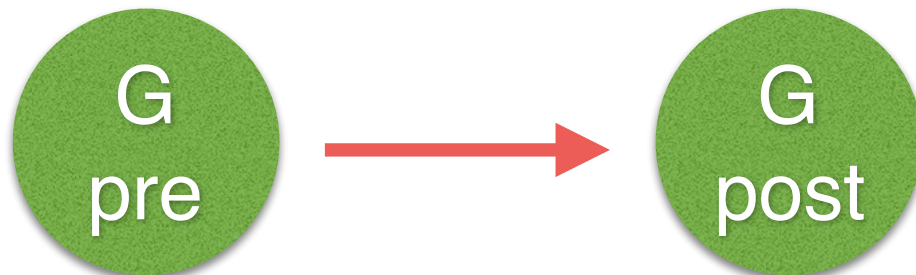
pre:

$$I_{post} += w_{neg}$$

$$\Delta w_{neg} = decay + lr_{neg} (a_{post} - \Theta_{post})(a_{pre} - \Theta_{pre})$$

$$w_{neg} = clip(w_{neg} + \Delta w_{neg}, -1, 0)$$

post:



3. OutputConnection (G→H) [0, 1]:

global parameters: lr, lr_{rev} , α , β .

pre:

$$I_{post} += w$$

$$a_{pre} += 1 / (\alpha \text{ num_H})$$

$$\Theta_{pre} += 1 / (\beta \text{ num_H})$$

post:

$$a_{post} += 1 / (\alpha \text{ num_G})$$

$$\Theta_{post} += 1 / (\beta \text{ num_G})$$

$$\Delta w = -\text{decay} + lr (a_{pre} - \Theta_{pre})$$

$$w = \text{clip}(w + \Delta w, 0, 1)$$

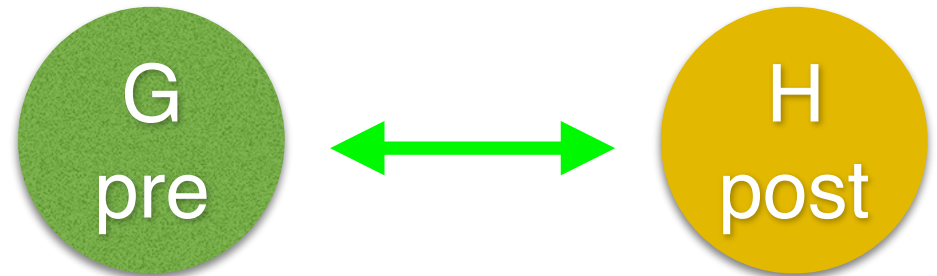
Reverse part:

$$I_{pre} += w_{rev}$$

$$\Delta w_{rev} = -\text{decay} + lr_{rev} w (a_{pre} - \Theta_{pre})$$

$$w_{rev} = \text{clip}(w_{rev} + \Delta w_{rev}, 0, 1)$$

everywhere: G - pre neuron, H - post neuron



4. NegativeConnection (H→H) $[-1, 0]$:

global parameters: lr_{neg}

pre:

$$I_{post} += w_{neg}$$

post:

$$\Delta w_{neg} = -lr_{neg}(a_{pre} - \Theta_{pre})$$

$$w_{neg} = \text{clip}(w_{neg} + \Delta w_{neg}, -1, 0)$$

