```
Help
#include "kou1d_pad.h"
#include "enums.h"
#include "pnl/pnl cdf.h"
#if defined(PremiaCurrentVersion) && PremiaCurrentVersion <</pre>
     (2009+2) //The "#else" part of the code will be freely av
    ailable after the (year of creation of this file + 2)
static int CHK_OPT(MC_Kou_Fixed)(void *Opt, void *Mod)
  return NONACTIVE;
int CALC(MC Kou Fixed)(void*Opt,void *Mod,PricingMethod *
    Met)
  return AVAILABLE IN FULL PREMIA;
}
#else
static int Kou Mc Fixed(double s maxmin, NumFunc 2*P, double
    SO, double T, double r, double divid, double sigma, double lambd
    a, double lambdap, double lambdam, double p, int generator, int
    n points,long n paths,double *ptprice,double *ptdelta,
    double *priceerror,double *deltaerror)
{
  double *s,s1,s2,*s3,**s4,s5,s6;
  double pas,sup,inf,supw,infw,exp_sup,exp_inf,exp_supw,exp
    infw, beta;
  double *t,*jump_size_vect,*jump_time_vect,sup0,temp,nu,
    discount,*cov payoff control;
  double var payoff,**var control,cor payoff control,*coef
    control,var_proba,determinant_control;
  double *X,*W,payoff,*control,proba,s0,u0,s_shift,e1,e2,e3
    ,expect control 0,K;
  int i,j,k,l,jump_number,*N;
  K=P->Par[0].Val.V_DOUBLE;
  k=0;
  beta=0.5826;
  nu=((r-divid)-sigma*sigma/2-lambda*(p*lambdap/(lambdap-1)
```

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+(1-p)*lambdam/(lambdam+1)-1));
discount=exp(-r*T);
pas=T/n_points;
X=malloc((n points+1)*sizeof(double));
W=malloc((n points+1)*sizeof(double));
t=malloc((n points+1)*sizeof(double));
N=malloc((n points+1)*sizeof(int));
control=malloc((2)*sizeof(double));
s=malloc((2)*sizeof(double));
cov_payoff_control=malloc((2)*sizeof(double));
coef control=malloc((2)*sizeof(double));
s3=malloc((2)*sizeof(double));
var control=(double**) malloc((2)*sizeof(double));
s4=(double**) malloc((2)*sizeof(double));
for(i=0;i<=1;i++)
 var control[i]=malloc((2)*sizeof(double));
 s4[i]=malloc((2)*sizeof(double));
jump size vect=malloc((int)(1000*lambda*T)*sizeof(double)
jump_time_vect=malloc((int)(1000*lambda*T)*sizeof(double)
  );
X[0]=0;
s[0]=0;
s[1]=0;
s3[0]=0;
s3[1]=0;
s4[0][0]=0;
s4[0][1]=0;
s4[1][0]=0;
s4[1][1]=0;
N[O]=0;
s1=0;
s2=0;
s5=0;
s6=0;
for(k=0;k<=n_points;k++)</pre>
t[k]=k*pas;
```

```
pnl rand init(generator,1,n paths);
//Put options case
if ((P->Compute) == &Put_OverSpot2)
  {
      s maxmin=MIN(s maxmin,K);
      s shift=exp(beta*sigma*sqrt(T/n points))*s maxmin;
      e1=(log(s_maxmin/S0)*(S0>s_maxmin)-(nu+sigma*sigma)
  *T)/(sigma*sqrt(T));
      e2=e1+sigma*sqrt(T);
      e3=(log(s_maxmin/S0)*(S0>s_maxmin)+nu*T)/(sigma*sq
  rt(T));
      //first control variable's expected value : it's th
  e exponential of the infimum of the continuous part of the
  Levy process
      if(S0>=s maxmin)
        expect_control_0=exp(beta*sigma*sqrt(T/n_points))
  *(discount*s maxmin+S0*exp((sigma*sigma/2+nu-r)*T)*cdf nor
  (e1)-s_maxmin*discount*cdf_nor(e2)+S0*discount*(1/(1+2*nu/
  (sigma*sigma)))*(-pow(S0/s_maxmin,-(2*nu/(sigma*sigma)+1))
  *cdf nor(e3)+exp((nu+sigma*sigma/2)*T)*cdf nor(e1)));
      else
        expect_control_0=exp(beta*sigma*sqrt(T/n_points))
  *(S0*exp(sigma*sigma/2+nu-r)*(1+1/(2*nu/(sigma*sigma)))*
  cdf nor(e1)+S0*exp(-r*T)*cdf nor(e3)/(1+sigma*sigma/(2*nu)))
      for(i=1;i<=n paths;i++)</pre>
        jump number=pnl rand poisson(lambda*T,generator);
  // number of jumps
        W[0]=0;
        // simulation of the continuous part of the Levy
  process : Brownian motion part
        for(j=1;j<=n_points;j++)</pre>
        {
          W[j]=sigma*pnl rand normal(generator)*sqrt(pas)
  +nu*pas+W[j-1];
        }
        // simulation of the jump's times and the size of
   the jumps
       jump_time_vect[0]=0;
     for(j=1;j<=jump_number;j++)</pre>
```

```
{
  jump_time_vect[j]=pnl_rand_uni_ab(0.,T,generator);
        u0=pnl_rand_uni(generator);
        if(1-p \le u0)
           jump size vect[j]=-log(1-(u0-1+p)/p)/lambdap;
        else
          jump_size_vect[j]=log(u0/(1-p))/lambdam;
}
      //rearranging jump's times in ascending order
for(l=0;1<jump_number;1++)</pre>
  sup0=jump time vect[0];
  for(j=0;j<jump_number+1-1;j++)</pre>
    if(jump_time_vect[j]>sup0)
       sup0=jump_time_vect[j];
       k=j;
    }
  }
  if(k!=jump number-1)
     temp=jump_time_vect[jump_number-1];
     jump_time_vect[jump_number-1]=jump_time_vect[k];
     jump_time_vect[k]=temp;
  }
}
      // simulation of one Levy path
for(k=1;k<=n points;k++)</pre>
  N[k]=0;
  for(j=1;j<=jump number;j++)</pre>
    if(jump_time_vect[j]<=t[k])</pre>
      N[k]++;
  }
  s0=0;
  for (j=N[k-1]+1; j \le N[k]; j++)
    s0+=jump size vect[j];
  X[k]=X[k-1]+(W[k]-W[k-1])+s0;
}
```

```
//computation of the supremum and the infimum of
the Levy path and its continuous parts
     inf=X[0];
     \sup=X[0];
     infw=W[0];
     supw=W[0];
     for(j=1;j<=n_points;j++)</pre>
       if(inf>X[j])
         inf=X[j];
       if(sup<X[j])</pre>
         sup=X[j];
       if(infw>W[j])
         infw=W[j];
       if(supw<W[j])</pre>
         supw=W[j];
     }
     proba=0;
     exp_inf=S0*exp(inf);
     exp infw=S0*exp(infw);
     if(exp_inf>s_shift)
      exp_inf=s_shift;
      proba=1.;
     if(exp_infw>s_shift)
      exp_infw=s_shift;
     payoff=exp_inf;
     control[0] = exp_infw;
     exp inf=S0*exp(X[n points]-sup);//antithetic
variable associated with the exponential of the Levy infimum
     exp_infw=S0*exp(W[n_points]-supw);//antithetic
variable associated with the first control variate
     if(exp inf>s shift)
     {
      exp_inf=s_shift;
      proba+=1.;
     if(exp_infw>s_shift)
```

```
{
      exp infw=s shift;
     proba=proba/2;
     payoff=discount*(payoff+exp inf)/2;
     control[0] = discount*((control[0] + exp infw)/2);
     control[1]=discount*S0*exp(X[n_points]);
     s1+=payoff;
     s2+=payoff*payoff;
     for(j=0;j<=1;j++)
      s[j]+=control[j];
      s3[j]+=control[j]*payoff;
      for(k=0;k<=1;k++)
       s4[j][k]+=control[j]*control[k];
     s5+=proba;
     s6+=proba*proba;
    for(j=0;j<=1;j++)
     cov_payoff_control[j]=(s3[j]-s1*s[j]/((double)n_
paths))/(n_paths-1);
     for(k=0;k<=1;k++)
      var\_control[j][k]=(s4[j][k]-s[j]*s[k]/((double)n\_
paths))/(n paths-1);
    }
    determinant_control=var_control[0][0]*var_control[1
[1]-var control[0][1]*var control[1][0];//determinant of
the var control matrix
    coef_control[0]=(cov_payoff_control[0]*var_control[
1][1]-cov_payoff_control[1]*var_control[0][1])/determinant
_control;
    coef_control[1] = (cov_payoff_control[1] *var_control[
0][0]-cov_payoff_control[0]*var_control[1][0])/determinant
_control;
    var payoff=(s2-s1*s1/((double)n paths))/(n paths-1)
    cor_payoff_control=sqrt((coef_control[0]*cov_payo
```

```
ff control[0]+coef control[1]*cov payoff control[1])/var pay
      var_proba=(s6-s5*s5/((double)n_paths))/(n_paths-1);
      *ptprice=-exp(-beta*sigma*sqrt(T/n points))*(s1/n
  paths-coef control[0]*(s[0]/n_paths-expect_control_0)-coef_
  control[1]*(s[1]/n paths-S0*exp(-divid*T)))+K*exp(-r*T);
      *priceerror=exp(-beta*sigma*sqrt(T/n_points))*1.96*
  sqrt(var payoff*(1-cor payoff control*cor payoff control))/
  sqrt(n paths);
      *ptdelta=(*ptprice+(S0*exp(-divid*T)-K*exp(-r*T))+
  discount*s maxmin*s5/n paths)/S0-exp(-divid*T);
      *deltaerror=(*priceerror+discount*s maxmin*1.96*sq
  rt(var proba)/sqrt((double)n paths))/S0;
else//Call
   if ((P->Compute) == &Call OverSpot2)
     {
        s_maxmin=MAX(s_maxmin,K);
        s_shift=exp(-beta*sigma*sqrt(T/n_points))*s_maxmi
  n;
        e1=(log(S0/s maxmin)*(S0<s maxmin)+(nu+sigma*si
  gma)*T)/(sigma*sqrt(T));
        e2=e1-sigma*sqrt(T);
        e3=(log(S0/s maxmin)*(S0<s maxmin)-nu*T)/(sigma*
  sqrt(T));
        //first control variable's expected value : it's
  the exponential of the supremum of the continuous part of
  the Levy process
        if(S0<=s maxmin)</pre>
          expect_control_0=exp(-beta*sigma*sqrt(T/n_po
  ints))*(discount*s maxmin+S0*exp((sigma*sigma/2+nu-r)*T)*cdf
  nor(e1)-s maxmin*discount*cdf nor(e2)+ S0*discount*(1/(1+2*
  nu/(sigma*sigma)))*(-pow(S0/s maxmin,-(2*nu/(sigma*sigma)+1)
  )*cdf_nor(e3)+exp((nu+sigma*sigma/2)*T)*cdf_nor(e1)));
        else
          expect control 0=exp(-beta*sigma*sqrt(T/n po
  ints))*(S0*exp(sigma*sigma/2+nu-r)*(1+1/(2*nu/(sigma*sigma)))
  *cdf_nor(e1)+S0*exp(-r*T)*cdf_nor(e3)/(1+sigma*sigma/(2*
  nu)))+S0*exp(-divid*T);
        for(i=0;i<n paths;i++)</pre>
        {
```

```
jump number=pnl rand poisson(lambda*T,
                                                   generator);// number of jum
       W[O] = 0;
       //simulation of the continuous part of the Levy
: Brownian motion part
       for(j=1;j<=n points;j++)</pre>
        W[j]=sigma*pnl_rand_normal(generator)*sqrt(pas)
+nu*pas+W[j-1];
       }
       jump_time_vect[0]=0;
       // simulation of the jump's times and the size
of the jumps
 for(j=1;j<=jump_number;j++)</pre>
   jump_time_vect[j]=pnl_rand_uni_ab(0.,T,generator);
         u0=pnl_rand_uni(generator);
         if(1-p \le u0)
           jump_size_vect[j] = -log(1-(u0-1+p)/p)/lambd
ap;
         else
           jump size vect[j]=log(u0/(1-p))/lambdam;
 }
       //rearranging jump's times in ascending order
   for(l=0;1<jump number;1++)</pre>
   sup0=jump time vect[0];
   for(j=0;j<jump number+1-1;j++)</pre>
      if(jump_time_vect[j]>sup0)
        sup0=jump_time_vect[j];
        k=j;
   }
   if(k!=jump number-1)
     temp=jump_time_vect[jump_number-1];
     jump_time_vect[jump_number-1]=jump_time_vect[k];
           jump time vect[k]=temp;
   }
       }
```

```
// simulation of one Levy path
for(k=1;k<=n points;k++)</pre>
{
  N[k]=0;
  for(j=1;j<=jump_number;j++)</pre>
  {
     if(jump_time_vect[j]<=t[k])</pre>
     N[k]++;
  }
  s0=0;
  for (j=N[k-1]+1; j \le N[k]; j++)
    s0+=jump size vect[j];
  X[k]=X[k-1]+(W[k]-W[k-1])+s0;
}
      //computation of the supremum and the infimum of
the Levy path and its continuous parts
      \sup=X[0];
      inf=X[0];
      infw=W[0];
      supw=W[0];
      for(j=1;j<=n_points;j++)</pre>
         if(inf>X[j])
           inf=X[j];
         if(sup<X[j])</pre>
           sup=X[j];
         if(infw>W[j])
           infw=W[j];
         if(supw<W[j])</pre>
           supw=W[j];
      }
      proba=0;
      exp_sup=S0*exp(sup);
      exp_supw=S0*exp(supw);
      if(exp sup<s shift)</pre>
        exp_sup=s_shift;
       proba=1.;
      if(exp_supw<s_shift)</pre>
      {
```

```
exp supw=s shift;
       payoff=exp_sup;
       control[0] = exp supw;
       exp sup=S0*exp(X[n points]-inf);//antithetic
variable associated with the exponential of the Levy supremum
       exp_supw=S0*exp(W[n_points]-infw);//antithetic
variable associated with the first control variable
       if(exp sup<s shift)</pre>
        exp_sup=s_shift;
        proba+=1.;
       if(exp_supw<s_shift)</pre>
        exp_supw=s_shift;
       proba=proba/2.;
       payoff=discount*(payoff+exp_sup)/2;
       control[0]=discount*(control[0]+exp supw)/2;
       control[1]=discount*S0*exp(X[n points]);
       s1+=payoff;
       s2+=payoff*payoff;
       for(j=0;j<=1;j++)
         s[j]+=control[j];
         s3[j]+=control[j]*payoff;
         for(k=0;k<=1;k++)
           s4[j][k]+=control[j]*control[k];
       s5+=proba;
       s6+=proba*proba;
      for(j=0;j<=1;j++)
        cov payoff control[j]=(s3[j]-s1*s[j]/((double)
n_paths))/(n_paths-1);
        for(k=0;k<=1;k++)
          var_control[j][k]=(s4[j][k]-s[j]*s[k]/((
double)n_paths))/(n_paths-1);
```

```
}
      determinant_control=var_control[0][0]*var_contro
1[1][1]-var_control[0][1]*var_control[1][0];//determinant
of the var control matrix
      coef control[0]=(cov payoff control[0]*var contro
1[1][1]-cov_payoff_control[1]*var_control[0][1])/determina
nt control;
      coef_control[1]=(cov_payoff_control[1]*var_contro
1[0][0]-cov_payoff_control[0]*var_control[1][0])/determina
nt control;
      var payoff=(s2-s1*s1/((double)n paths))/(n paths-
1);
      cor payoff control=sqrt((coef control[0]*cov payo
ff_control[0]+coef_control[1]*cov_payoff_control[1])/var_pay
off);
      var proba=(s6-s5*s5/((double)n paths))/(n paths-1
);
      *ptprice=exp(beta*sigma*sqrt(T/n_points))*(s1/n_
paths-coef control[0]*(s[0]/n paths-expect control 0)-coef
control[1]*(s[1]/n paths-S0*exp(-divid*T)))-K*exp(-r*T);
      *priceerror=exp(beta*sigma*sqrt(T/n_points))*1.96
*sqrt(var_payoff*(1-cor_payoff_control*cor_payoff_control)
)/sqrt(n paths);
      *ptdelta=(*ptprice+(K*exp(-r*T)-S0*exp(-divid*T))
-discount*s maxmin*s5/n paths)/S0+exp(-divid*T);
      *deltaerror=(*priceerror+discount*s_maxmin*1.96*
sqrt(var proba)/sqrt((double)n paths))/S0;
 }
 free(X);
 free(W);
 free(t);
 free(N);
 free(coef_control);
 free(control);
 free(s):
 free(s3);
 free(cov_payoff_control);
 for(i=0;i<=1;i++)
   free(var_control[i]);
```

```
free(s4[i]);
      free(var_control);
      free(s4);
      free(jump time vect);
      free(jump size vect);
      return OK;
}
int CALC(MC_Kou_Fixed)(void*Opt,void *Mod,PricingMethod *
    Met)
  TYPEOPT* ptOpt=(TYPEOPT*)Opt;
  TYPEMOD* ptMod=(TYPEMOD*)Mod;
  double r, divid;
  r=log(1.+ptMod->R.Val.V_DOUBLE/100.);
  divid=log(1.+ptMod->Divid.Val.V_DOUBLE/100.);
  return Kou Mc Fixed((ptOpt->PathDep.Val.V NUMFUNC 2)->
    Par[4].Val.V_PDOUBLE,ptOpt->PayOff.Val.V_NUMFUNC_2,ptMod->SO.
    Val.V_PDOUBLE,ptOpt->Maturity.Val.V_DATE-ptMod->T.Val.V_DA
    TE,r,divid,ptMod->Sigma.Val.V PDOUBLE,ptMod->Lambda.Val.V
    PDOUBLE,ptMod->LambdaPlus.Val.V_PDOUBLE,ptMod->LambdaMinus.
    Val.V PDOUBLE, ptMod->P.Val.V PDOUBLE, Met->Par[0].Val.V ENUM.
    value,Met->Par[1].Val.V PINT,Met->Par[2].Val.V LONG,&(Met->
    Res[0].Val.V DOUBLE),&(Met->Res[1].Val.V DOUBLE),&(Met->Res[
    2].Val.V DOUBLE),&(Met->Res[3].Val.V DOUBLE));
}
static int CHK OPT(MC Kou Fixed)(void *Opt, void *Mod)
  if ((strcmp(((Option*)Opt)->Name, "LookBackCallFixedEuro")
    ==0) || (strcmp( ((Option*)Opt)->Name," LookBackPutFixedEuro")==0) )
    return OK;
  return WRONG;
#endif //PremiaCurrentVersion
static int MET(Init)(PricingMethod *Met,Option *Mod)
```

```
{
  if (Met->init == 0)
   {
      Met->init=1;
      Met->Par[0].Val.V ENUM.value=0;
      Met->Par[0].Val.V ENUM.members=&PremiaEnumMCRNGs;
      Met->Par[1].Val.V_PINT=25;
      Met->Par[2].Val.V LONG=100000;
  return OK;
}
PricingMethod MET(MC_Kou_Fixed)=
  "MC Kou LookbackFixed",
  {{"RandomGenerator", ENUM, {100}, ALLOW},
   {"Number of discretization steps", LONG, {100}, ALLOW}, {"N
    iterations",LONG,{100},ALLOW},{" ",PREMIA_NULLTYPE,{0},FORBID}
    },
  CALC(MC Kou Fixed),
  {{"Price",DOUBLE,{100},FORBID},{"Delta",DOUBLE,{100},FORB
    ID},{"Price Error",DOUBLE,{100},FORBID},{"Delta Error",
    DOUBLE, {100}, FORBID}, {" ", PREMIA_NULLTYPE, {0}, FORBID}},
  CHK OPT(MC Kou Fixed),
  CHK ok,
  MET(Init)
} ;
```

## References