<u>Further Stats 1</u>

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Probability Distributions

<u>Poisson</u>

The Poisson distribution is used to model a situation where an event occurs at a fixed rate.

You can model X as a Poisson distribution if:

- The events must occur independently
- They must occur singly in space or time
- The events must occur at a constant average rate

If
$$X \sim \text{Po}(\lambda)$$
, then
$$P(X = x) = \frac{e^{-\lambda}\lambda^x}{x!} \qquad (x \ge 0)$$

Geometric

The Geometric distribution is used to model a situation where you try an event several times until a success occurs, and you want to know how many tries it will take.

You can model X as a Geometric distribution if:

- Each attempt is independent
- Each attempt has the same probability

If
$$X \sim \text{Geo}(p)$$
, then $P(X = x) = p(1-p)^{x-1}$ $(x > 0)$

Remember
$$P(X \le x) = 1 - (1 - p)^x \qquad P(X \ge x) = (1 - p)^{x - 1}$$

$$P(X > x) = (1 - p)^x \qquad P(X < x) = 1 - (1 - p)^{x - 1}$$