

COMP3308

Introduction to Artificial Intelligence

A dark blue diagonal gradient bar that starts from the bottom left and extends towards the top right, covering the lower half of the slide.

About me

Tina Ngo

PhD Candidate

Graduated Bachelor of Adv. Comp.

Research area: Machine Learning for Healthcare

About You

Introduce yourself:

1. Name
2. Degree, Year
3. Do you have a partner for A1 yet? If not, say **what you're looking for**, or your **preferred approach**. For examples:
 - Achieving HD / Distinction
 - Complete fast, relax later
 - Go with the flow :)
 - ~~Partner does all the works~~

Content

Uninformed Search Strategies:

- **BFS** (Breadth-First Search)
- **UCS** (Uniform Cost Search)
- **DFS** (Depth-First Search)
- **IDS** (Iterative Deepening Search)

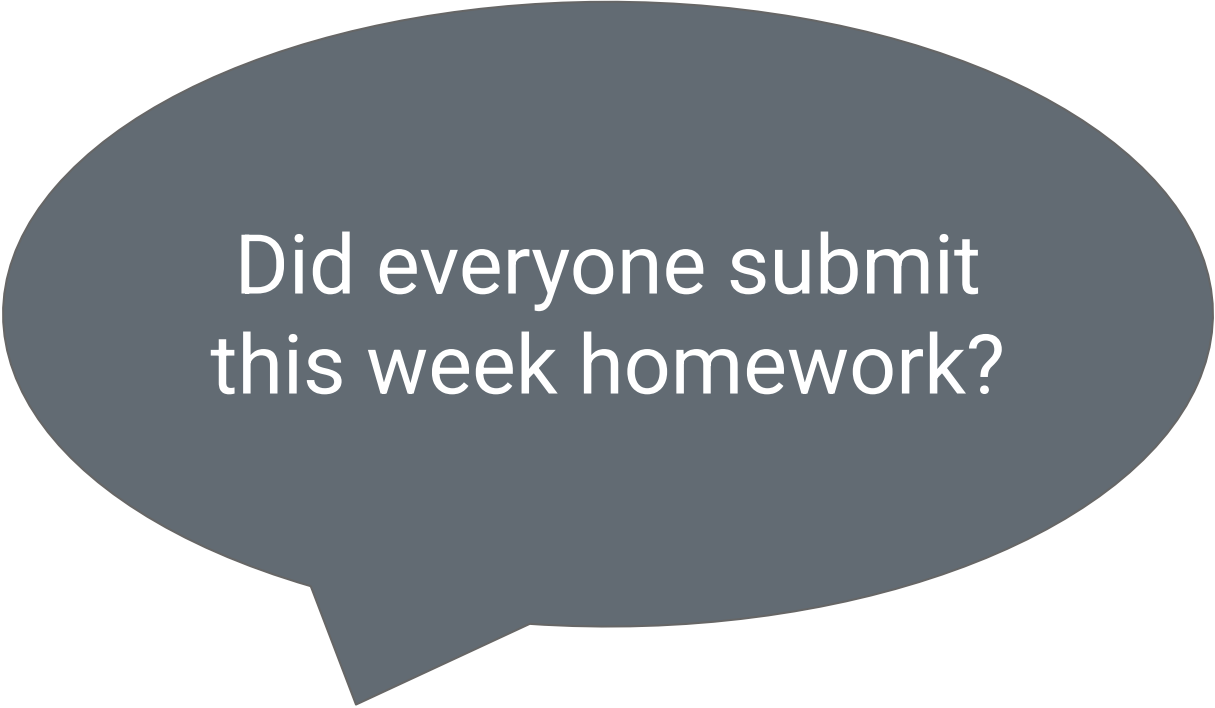
Do not use **heuristic** knowledge

Informed Search Strategies:

- **Greedy**
- **A*** (Next week)

Use **heuristic** knowledge

=> Typically more efficient



Did everyone submit
this week homework?

Due on Tuesday 3pm every week!

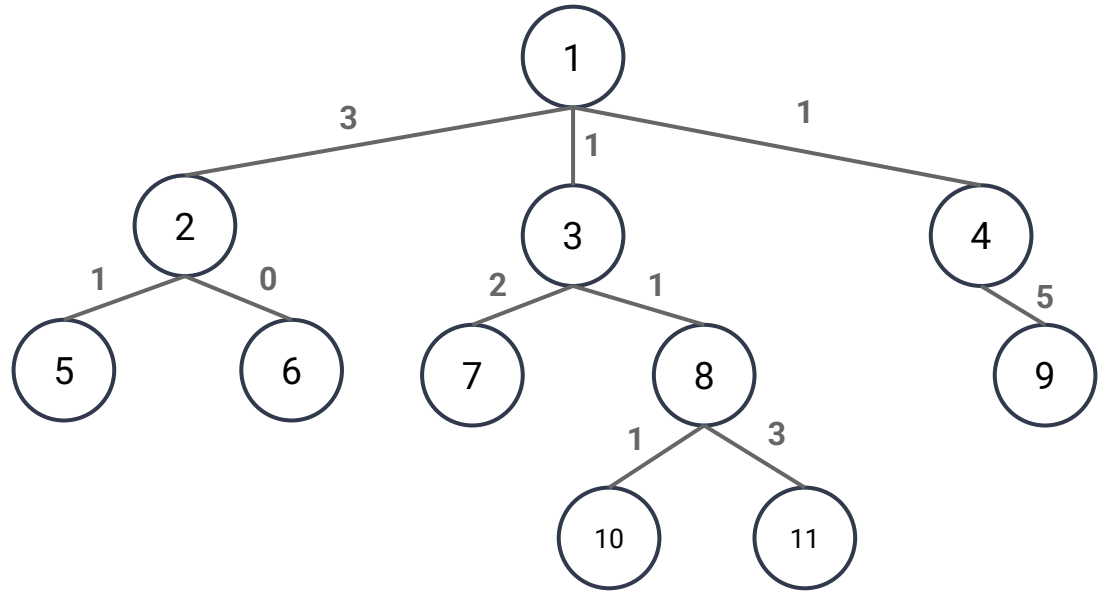
Next: Exercise 1a

Breadth-First Search

- Expands the shallowest unexpanded node
- Insert children **at the end** of the **fringe**
- **Complete - Yes**
- **Optimal - No** (only Yes when step cost is the same)

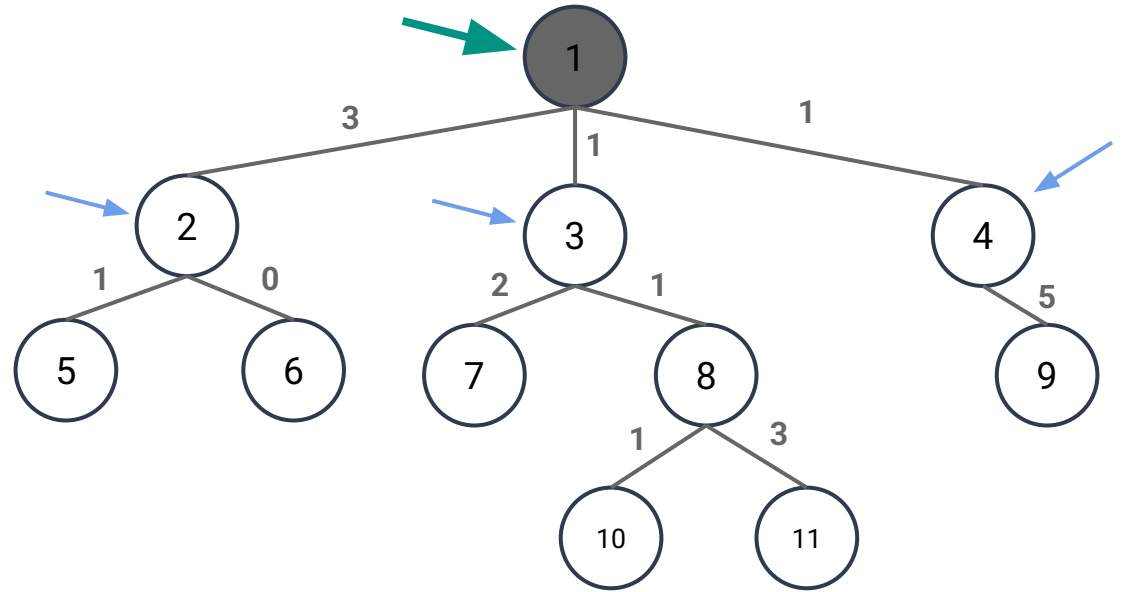
Exercise 1 – a

Fringe: 1
Expanded:



Exercise 1 – a

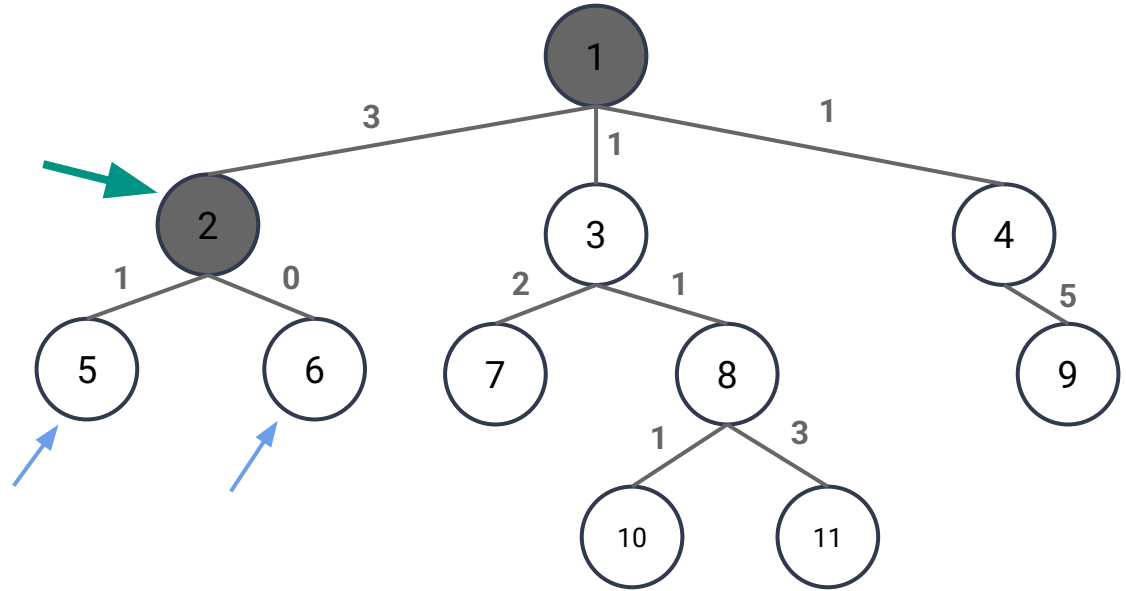
Fringe: 2, 3, 4
Expanded: 1



Exercise 1 – a

Fringe: 3, 4, 5, 6

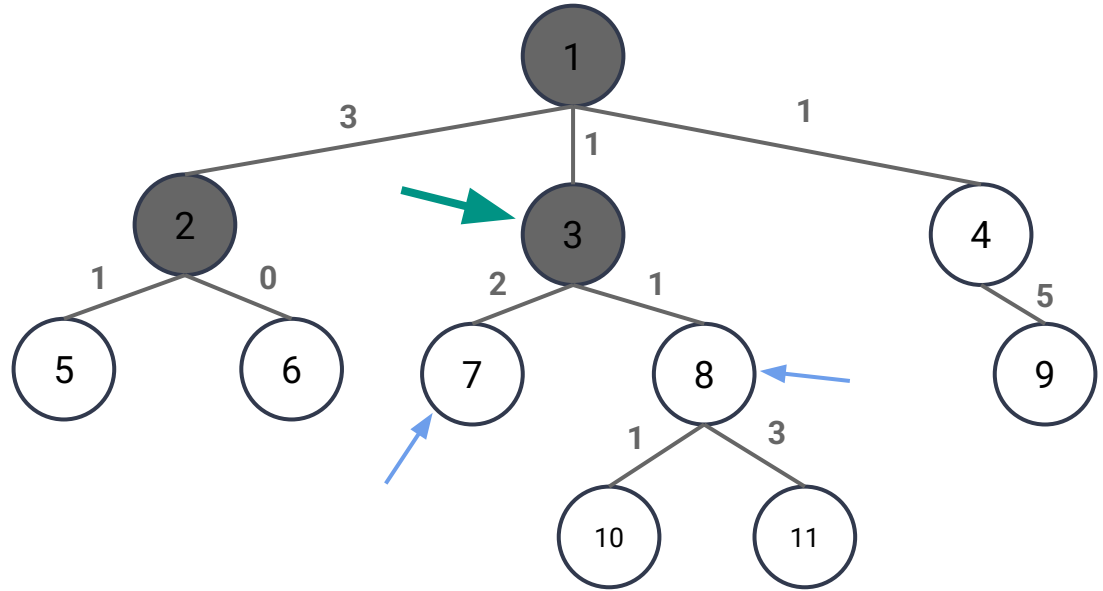
Expanded: 1, 2



Exercise 1 – a

Fringe: 4, 5, 6, 7, 8

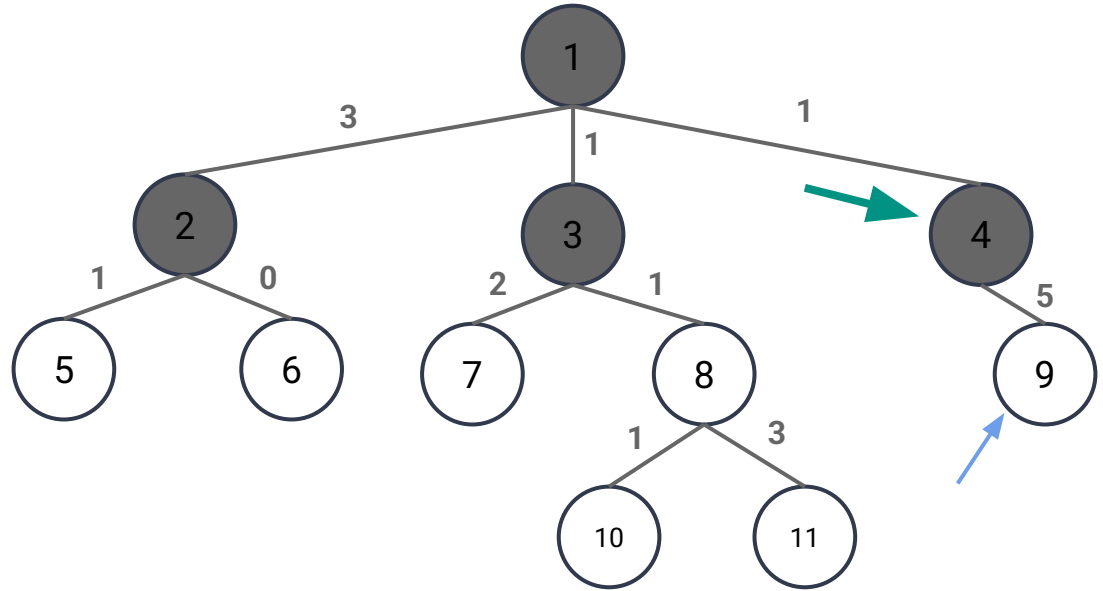
Expanded: 1, 2, 3



Exercise 1 – a

Fringe: 5, 6, 7, 8, 9

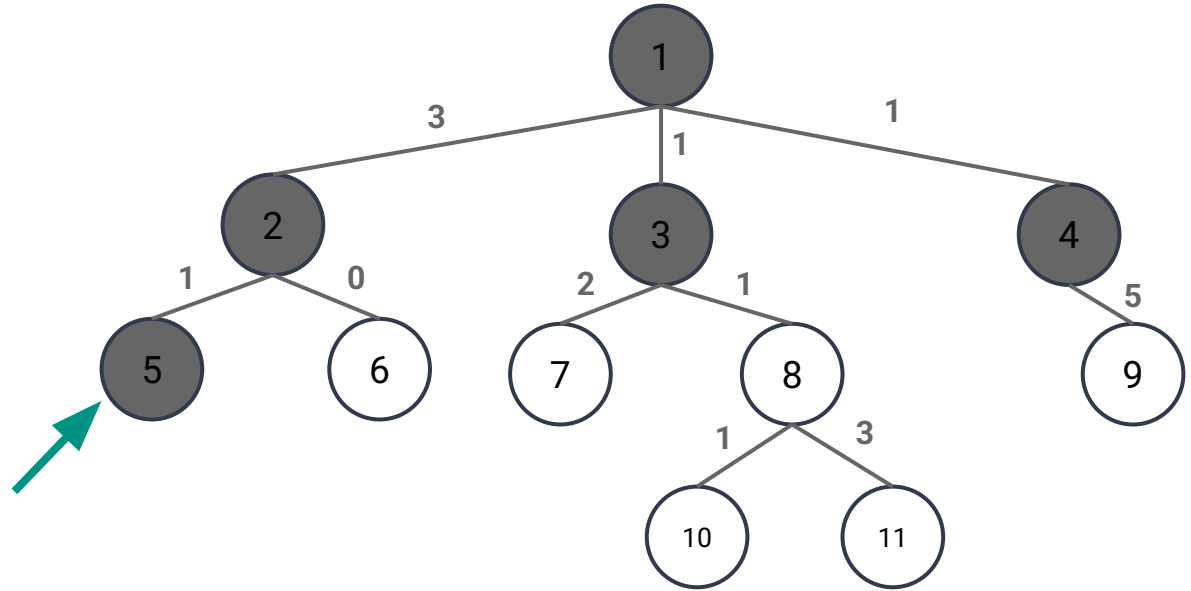
Expanded: 1, 2, 3, 4



Exercise 1 – a

Fringe: 6, 7, 8, 9

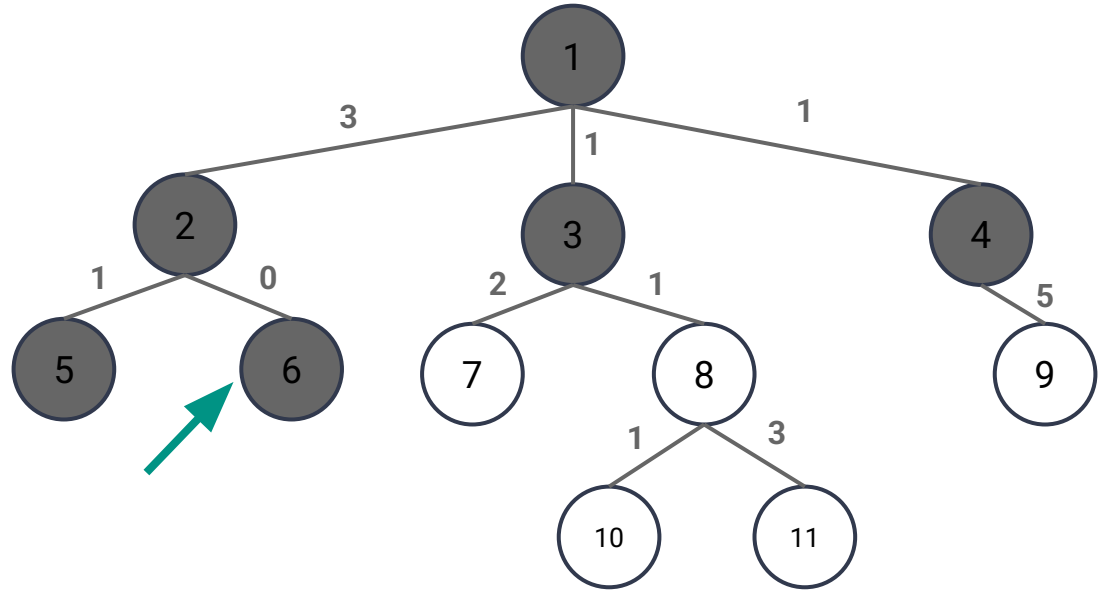
Expanded: 1, 2, 3, 4, 5



Exercise 1 – a

Fringe: 7, 8, 9

Expanded: 1, 2, 3, 4, 5, 6

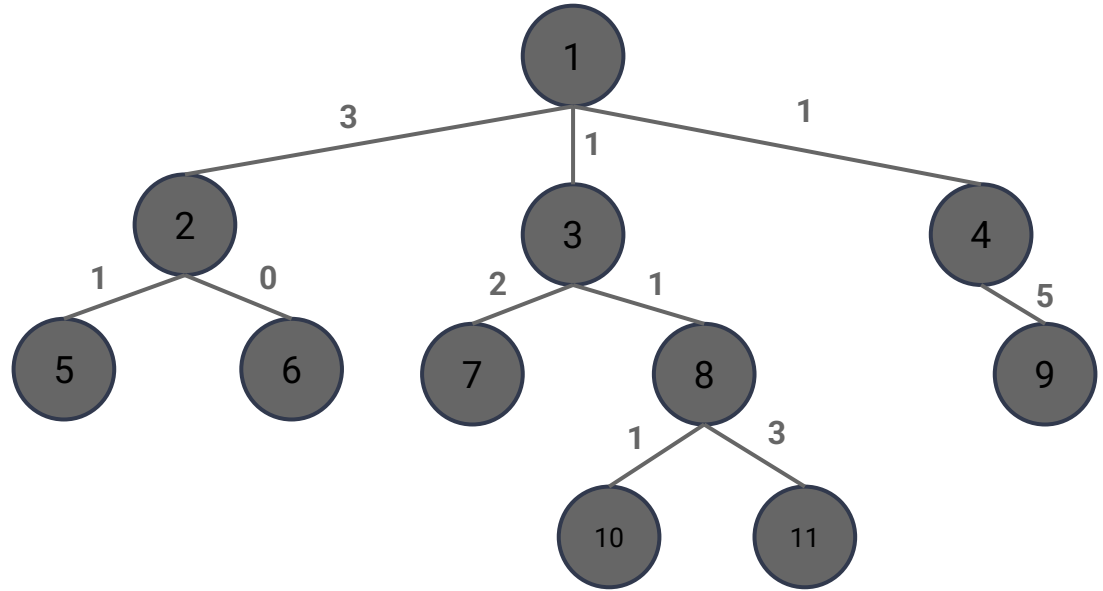


Continue until expanded all nodes

Exercise 1 – a

Solution

Expanded: 1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11



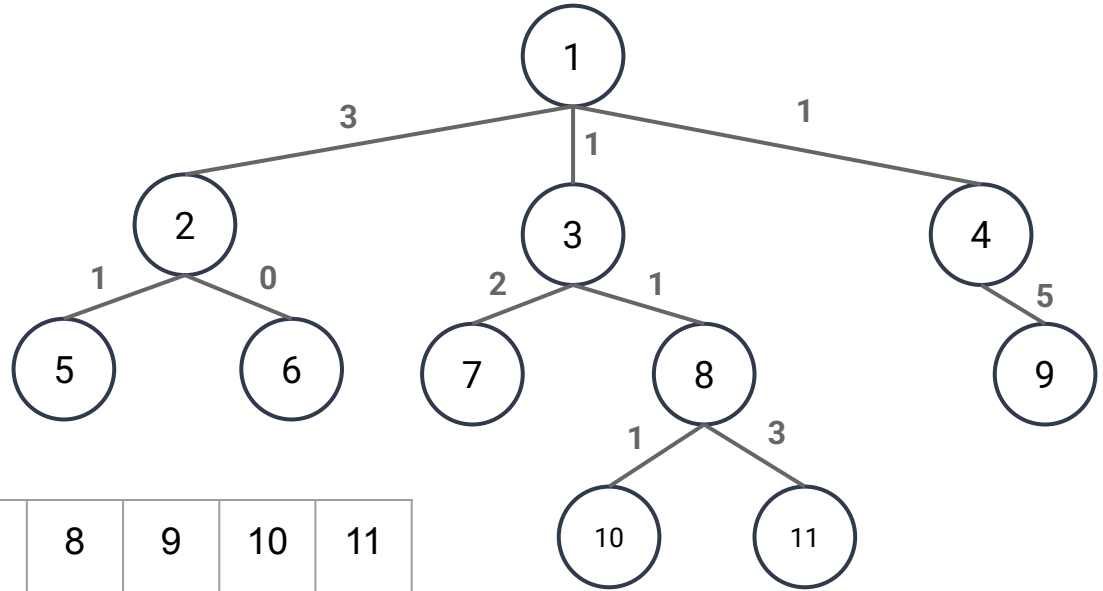
Next: Exercise 1b

Uniform Cost Search

- Expands the **least-cost** (lowest path cost **from root**) unexpanded node
- Insert nodes in the **fringe** in order of increasing path cost **from root**
- **Complete - Yes**
- **Optimal - Yes**

Exercise 1 – b

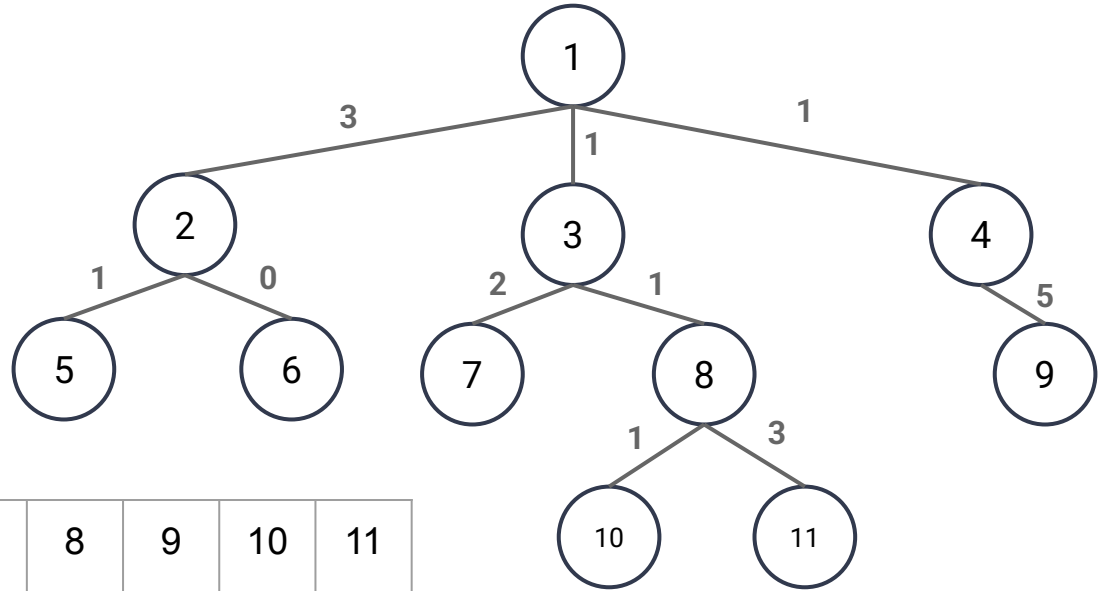
Fringe: 1
Expanded:



node	2	3	4	5	6	7	8	9	10	11
g(n)	3	1	1	?						

Exercise 1 – b

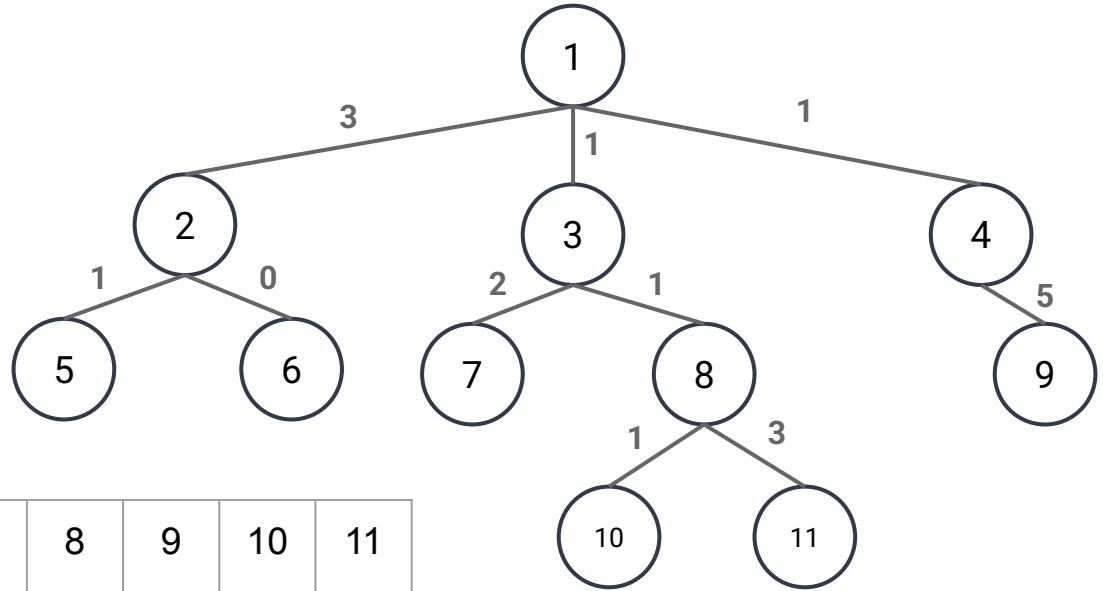
Fringe: 1
Expanded:



node	2	3	4	5	6	7	8	9	10	11
g(n)	3	1	1	4	?					

Exercise 1 – b

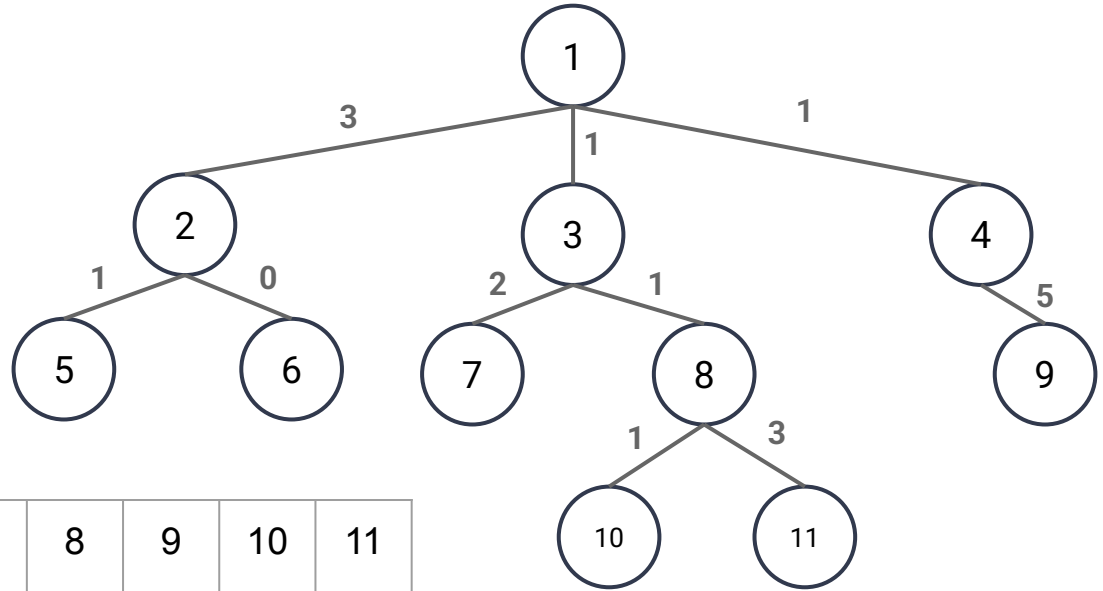
Fringe: 1
Expanded:



node	2	3	4	5	6	7	8	9	10	11
g(n)	3	1	1	4	3	?				

Exercise 1 – b

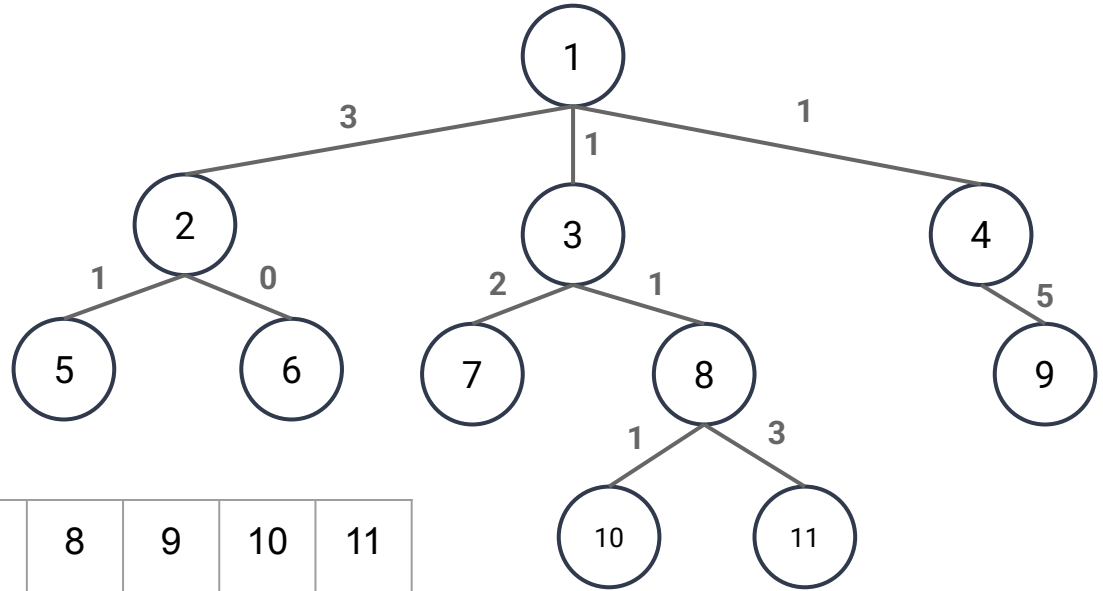
Fringe: 1
Expanded:



node	2	3	4	5	6	7	8	9	10	11
g(n)	3	1	1	4	3	3				

Exercise 1 – b

Fringe: 1
Expanded:

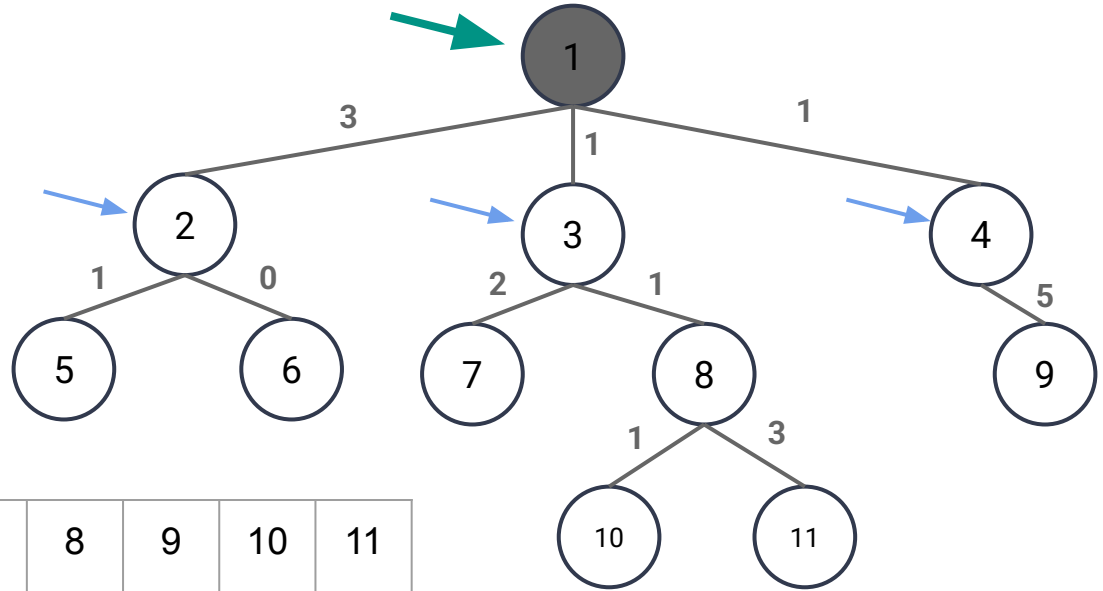


node	2	3	4	5	6	7	8	9	10	11
g(n)	3	1	1	4	3	3	2	6	3	5

Exercise 1 – b

Fringe: (3, 1), (4, 1), (2, 3)

Expanded: 1

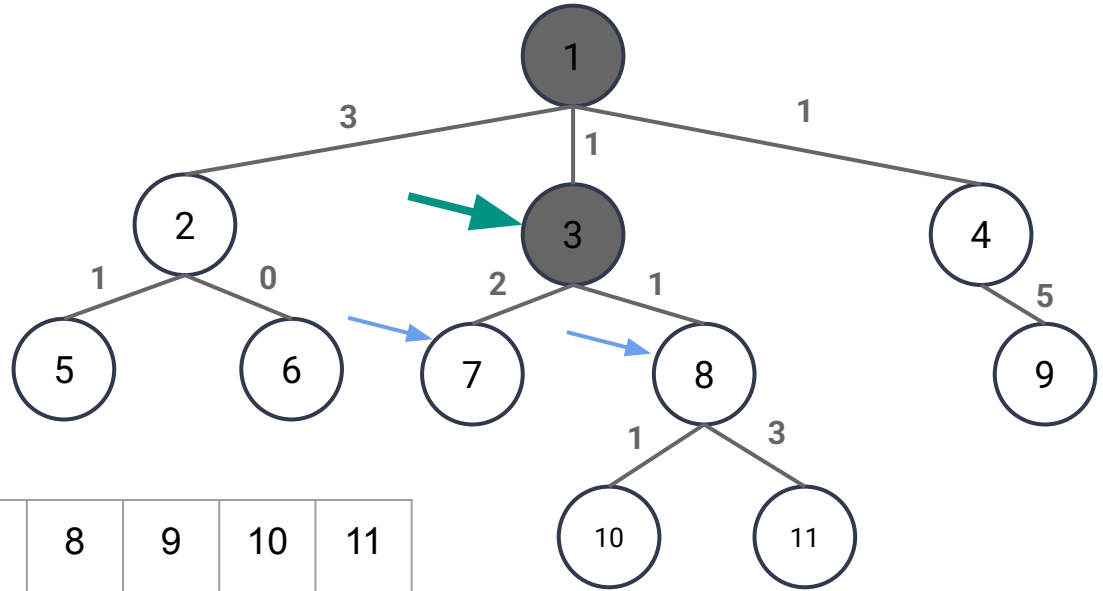


node	2	3	4	5	6	7	8	9	10	11
g(n)	3	1	1	4	3	3	2	6	3	5

Exercise 1 – b

Fringe: (4, 1), (8, 2), (2, 3), (7, 3)

Expanded: 1, (3, 1)

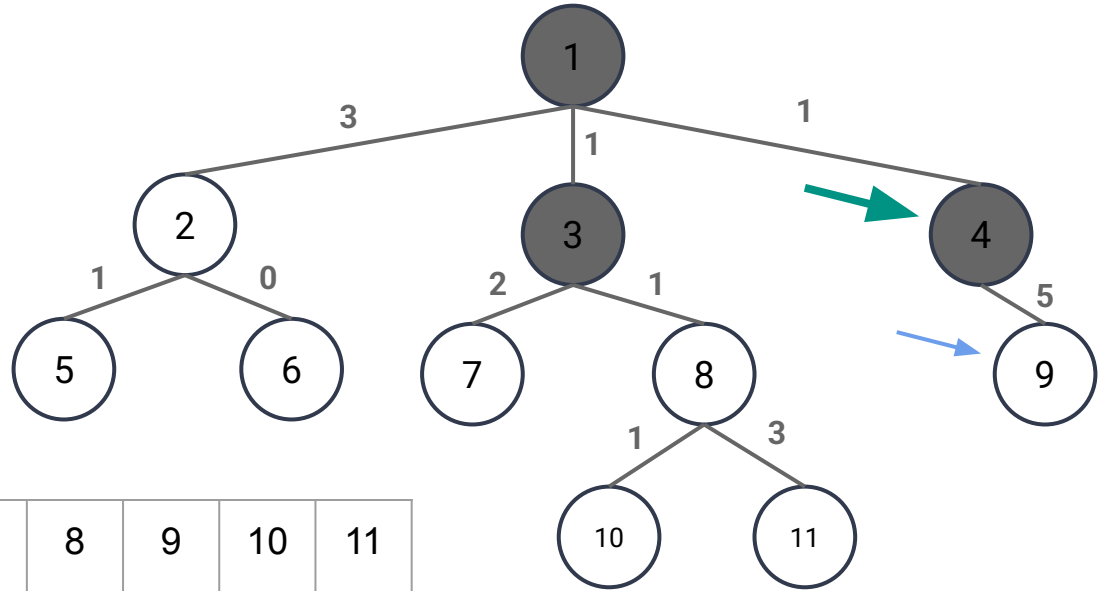


node	2	3	4	5	6	7	8	9	10	11
g(n)	3	1	1	4	3	3	2	6	3	5

Exercise 1 – b

Fringe: (8, 2), (2, 3), (7, 3), (9, 6)

Expanded: 1, (3, 1), (4, 1)

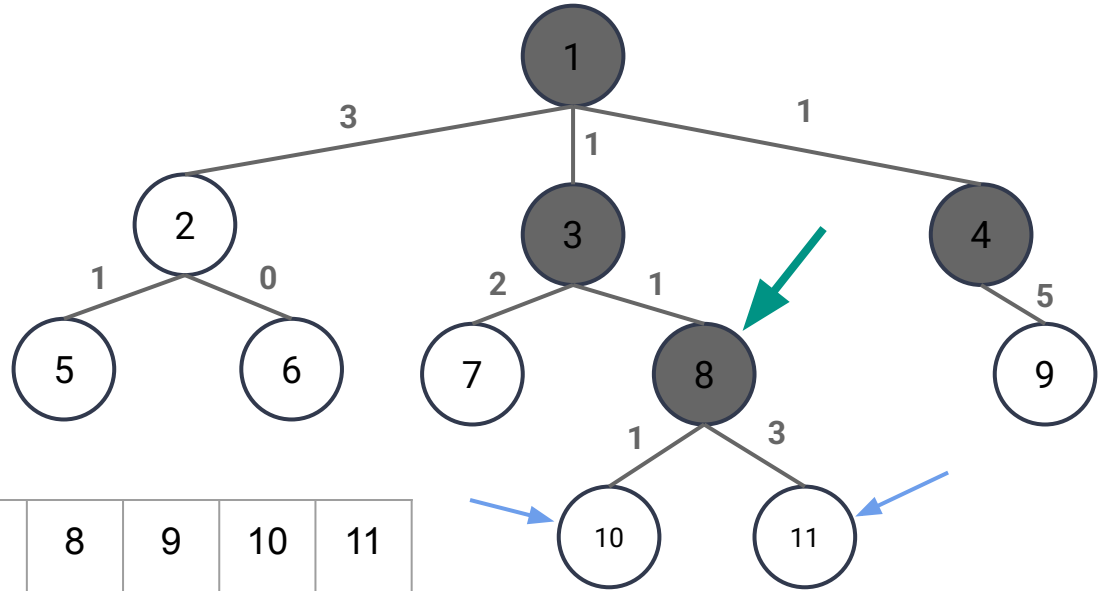


node	2	3	4	5	6	7	8	9	10	11
g(n)	3	1	1	4	3	3	2	6	3	5

Exercise 1 – b

Fringe: (2, 3), (10, 3), (7, 3), (11, 5), (9, 6)

Expanded: 1, (3, 1), (4, 1), (8, 2)



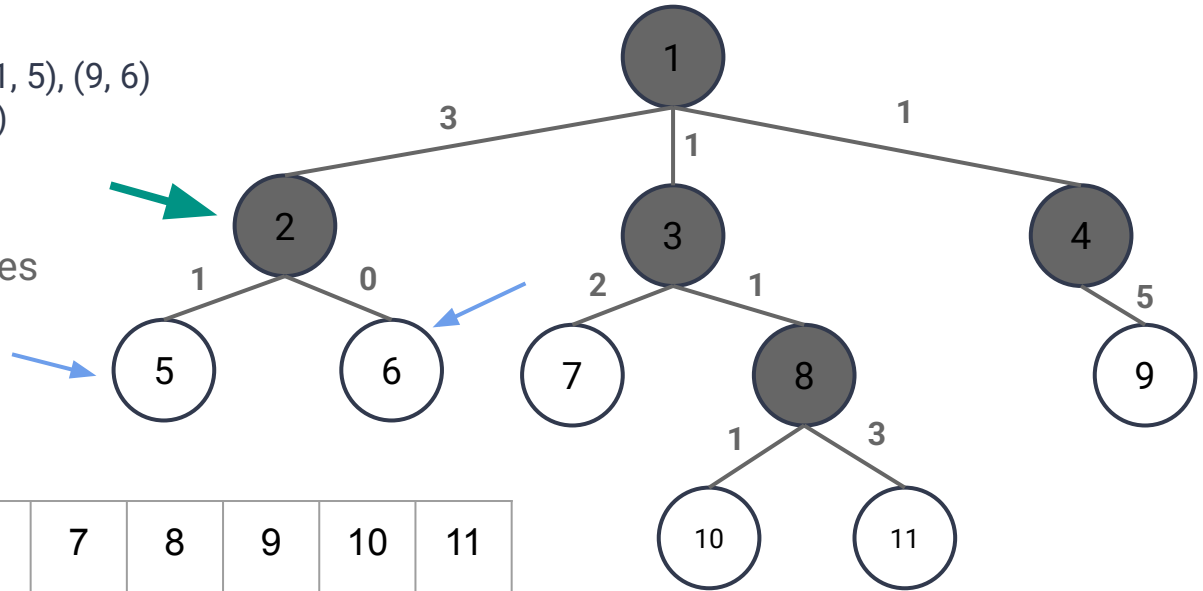
node	2	3	4	5	6	7	8	9	10	11
g(n)	3	1	1	4	3	3	2	6	3	5

Exercise 1 – b

Fringe: (6, 3), (10, 3), (7, 3), (**5, 4**), (11, 5), (9, 6)

Expanded: 1, (3, 1), (4, 1), (8, 2), (2, 3)

Continue until expanded all nodes

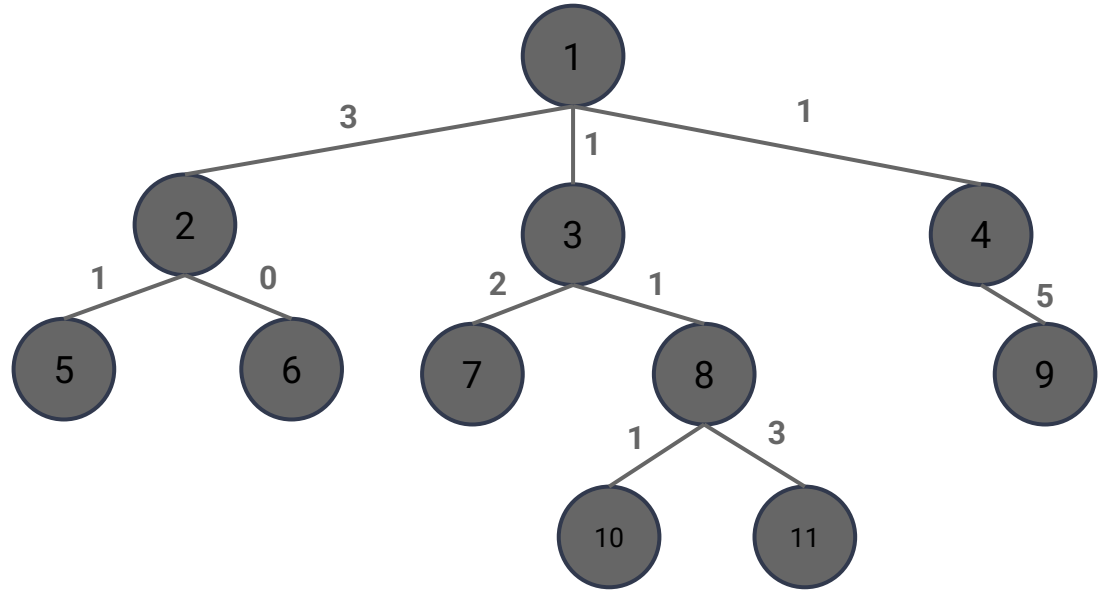


node	2	3	4	5	6	7	8	9	10	11
g(n)	3	1	1	4	3	3	2	6	3	5

Exercise 1 – b

Solution

Expanded: 1, 3, 4, 8, 2, 6, 7, 10, 5, 11, 9



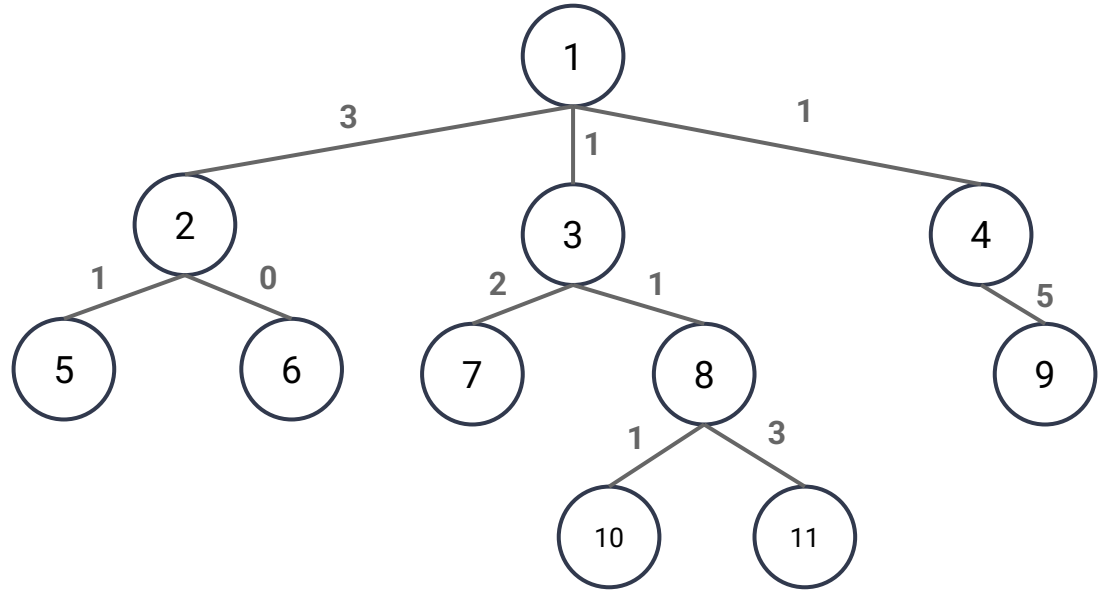
Next: Exercise 1c

Depth-First Search

- Expands the **deepest** unexpanded node
- Insert children **at the front** of the **fringe**
- **Complete** - **No** (in infinite space), **Yes** (in finite space)
- **Optimal** - **No**

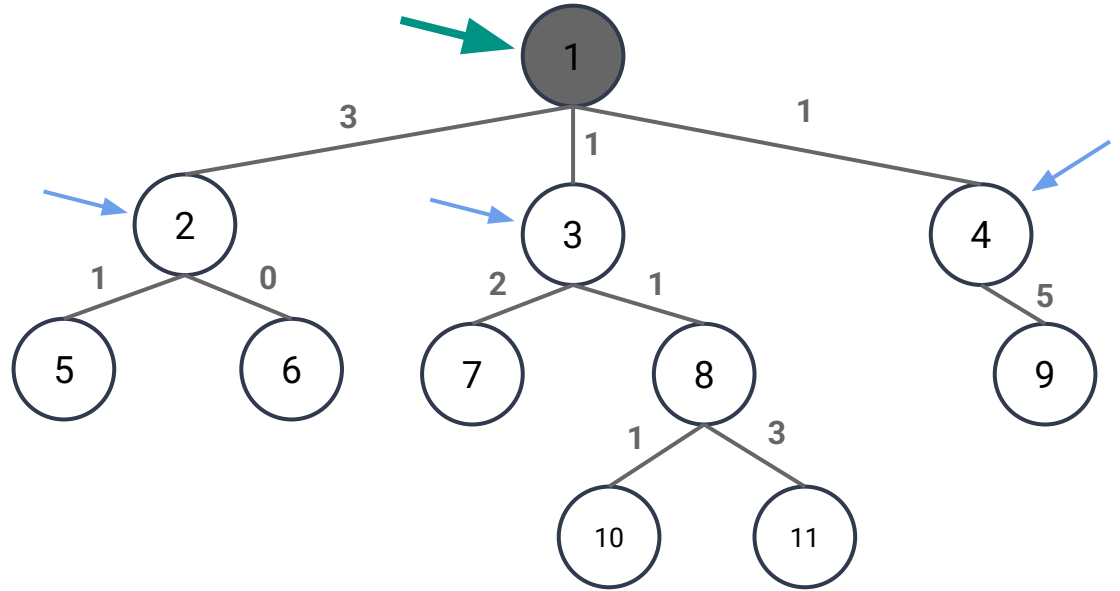
Exercise 1 – c

Fringe: 1
Expanded:



Exercise 1 – c

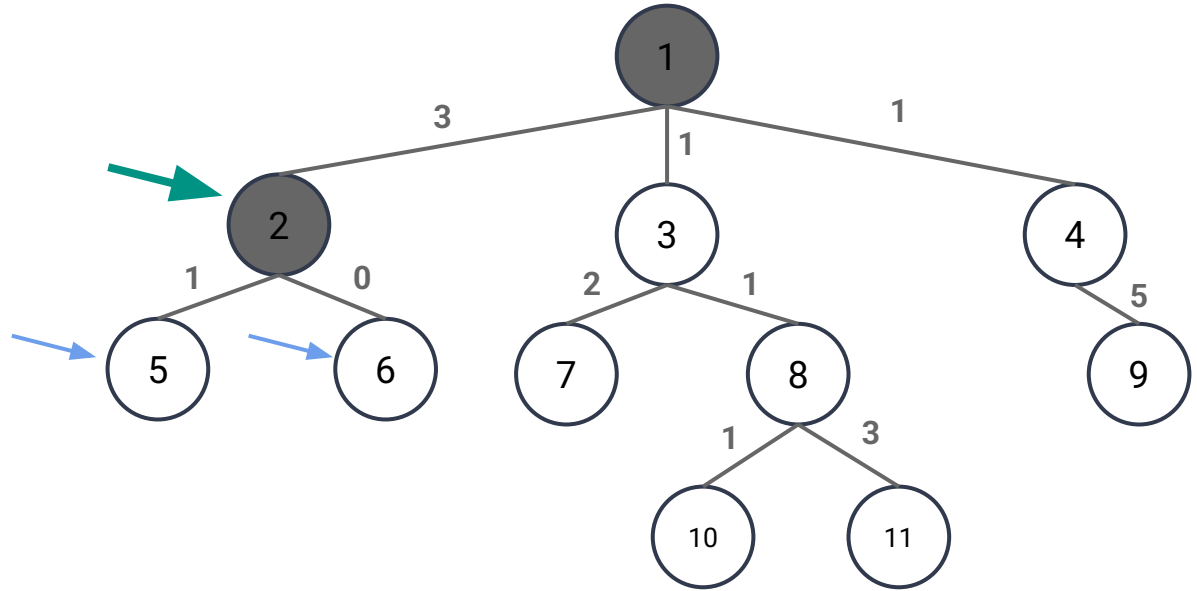
Fringe: 2, 3, 4
Expanded: 1



Exercise 1 – c

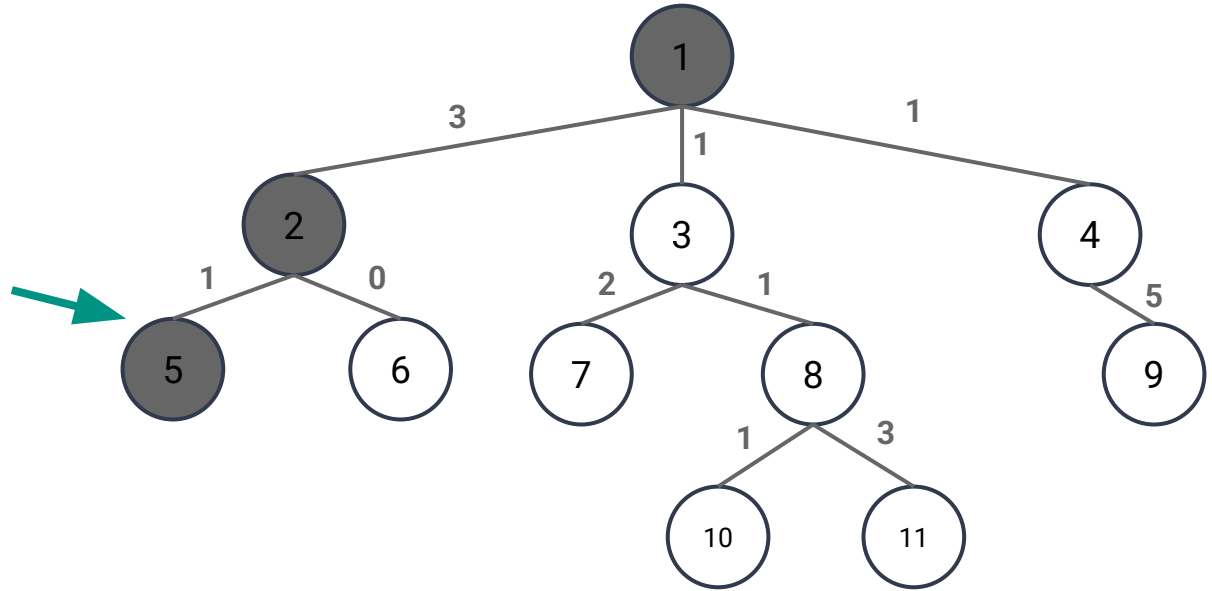
Fringe: 5, 6, 3, 4

Expanded: 1, 2



Exercise 1 – c

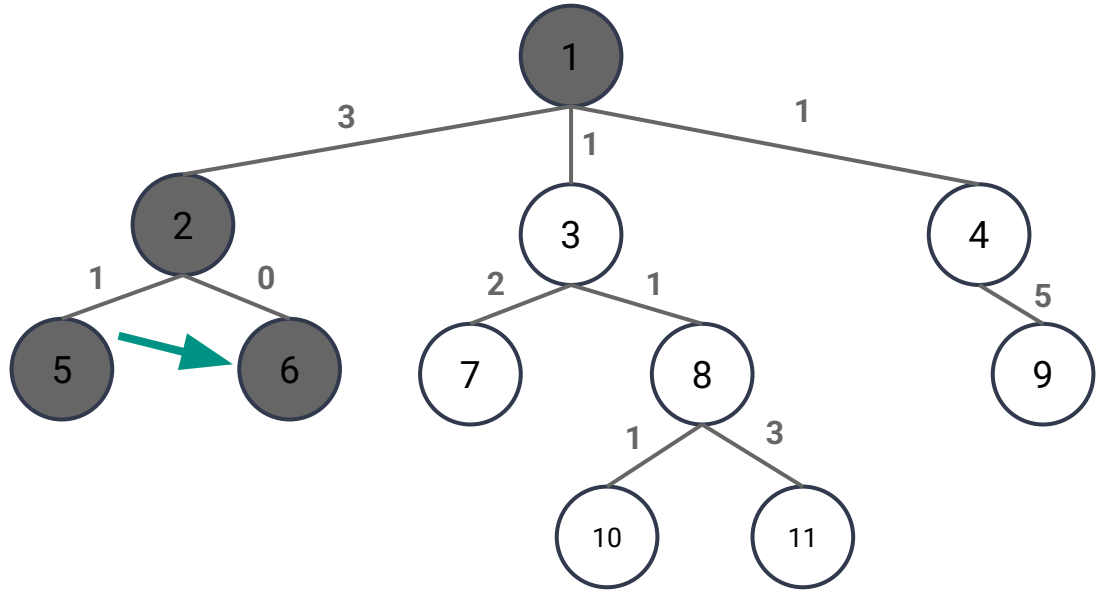
Fringe: 6, 3, 4
Expanded: 1, 2, 5



Exercise 1 – c

Fringe: 3, 4

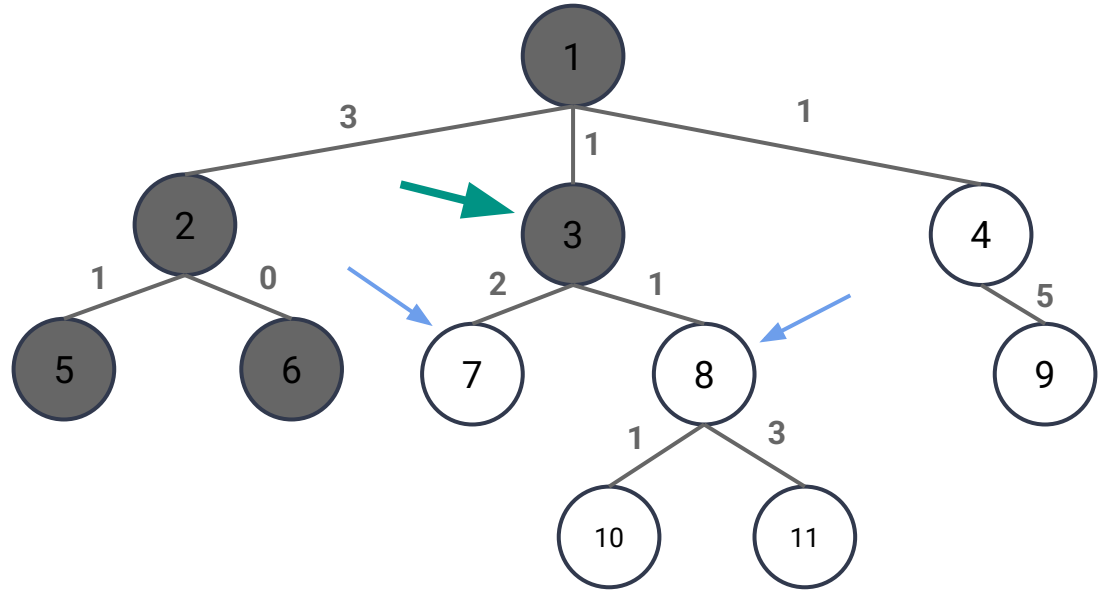
Expanded: 1, 2, 5, 6



Exercise 1 – c

Fringe: 7, 8, 4

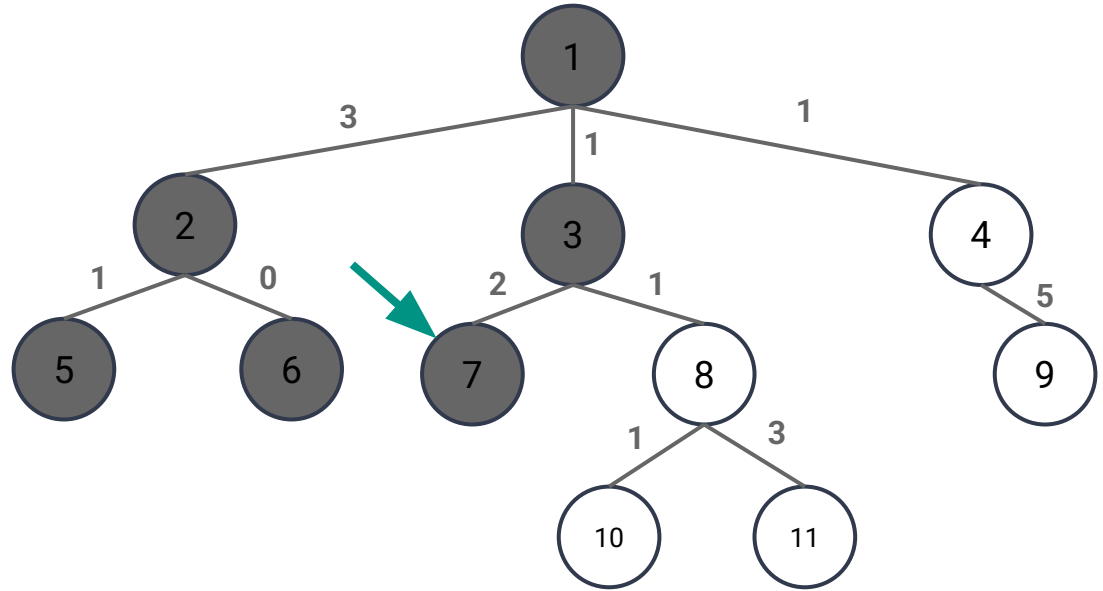
Expanded: 1, 2, 5, 6, 3



Exercise 1 – c

Fringe: 8, 4

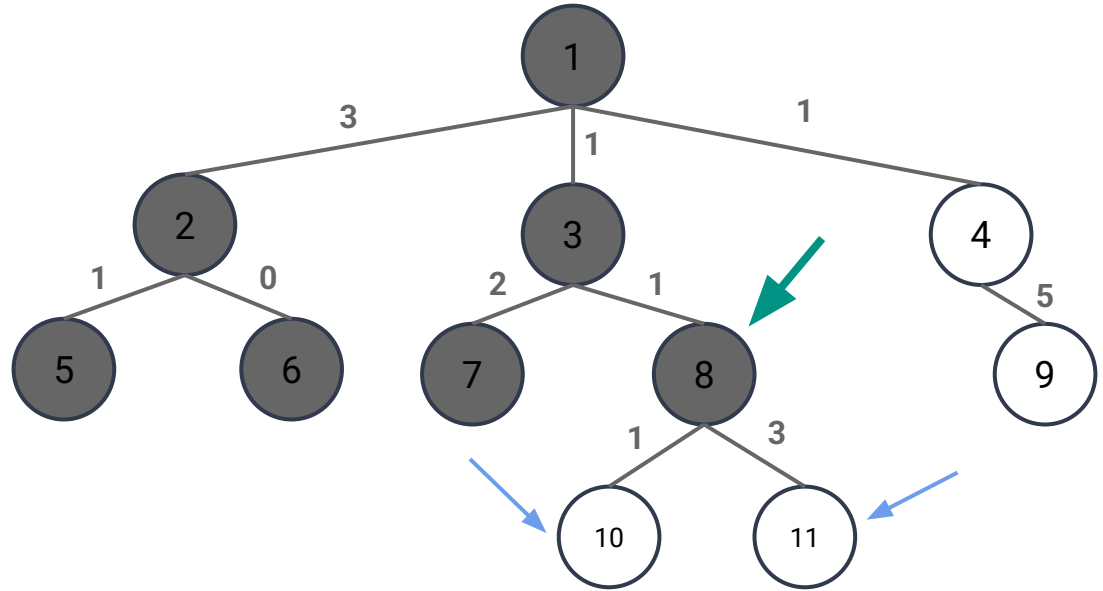
Expanded: 1, 2, 5, 6, 3, 7



Exercise 1 – c

Fringe: 10, 11, 4

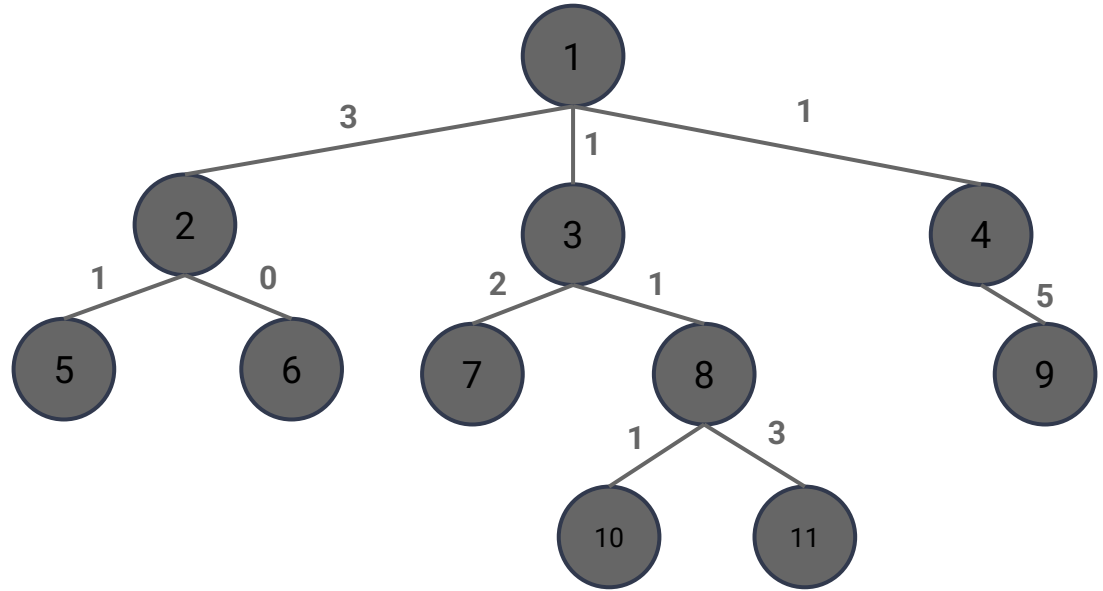
Expanded: 1, 2, 5, 6, 3, 7



Exercise 1 – c

Solution

Expanded: 1, 2, 5, 6, 3, 7, 8, 10, 11, 4, 9



Next: Exercise 1d

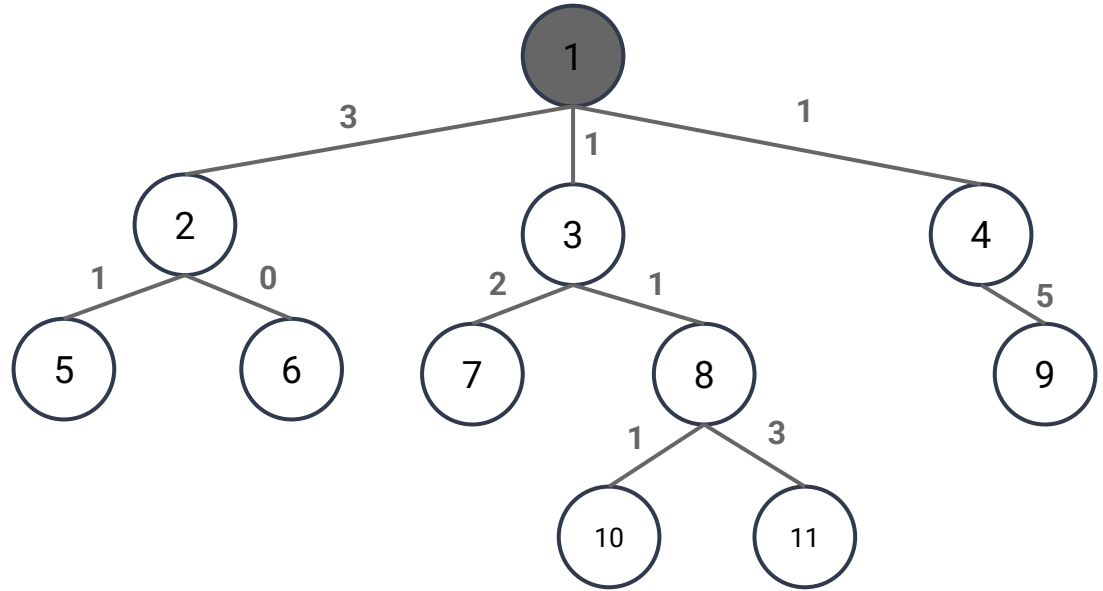
Iterative Deepening Search

- DFS with a depth limit ℓ
- Complete - Yes
- Optimal - No

Exercise 1 – d

- $\ell = 0$

Expanded: 1



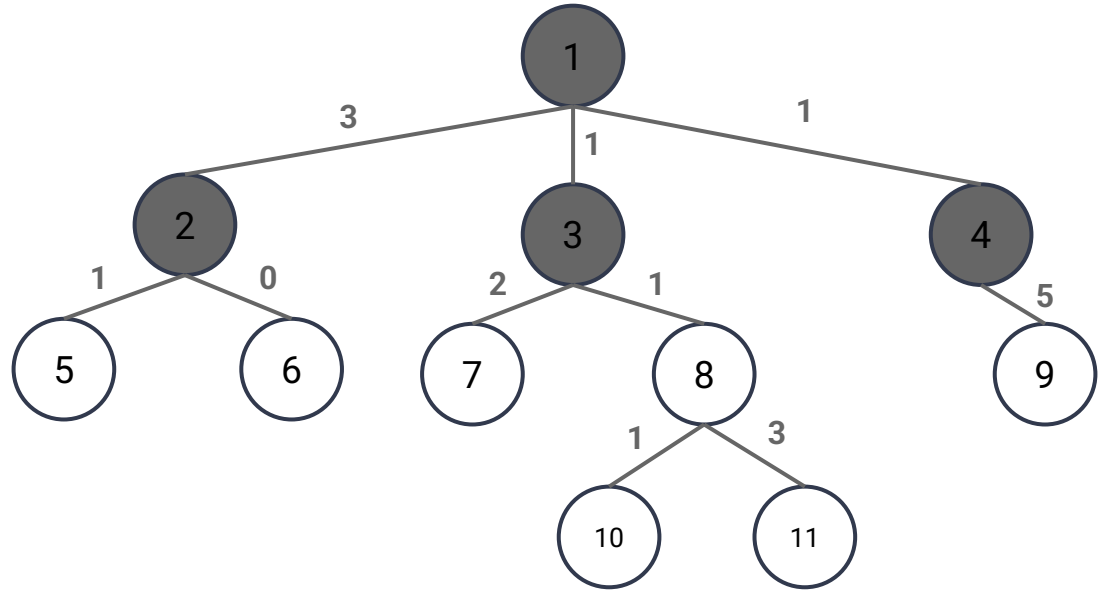
Exercise 1 – d

- $\ell = 0$

Expanded: 1

- $\ell = 1$

Expanded: 1, 2, 3, 4



Exercise 1 – d

- $\ell = 0$

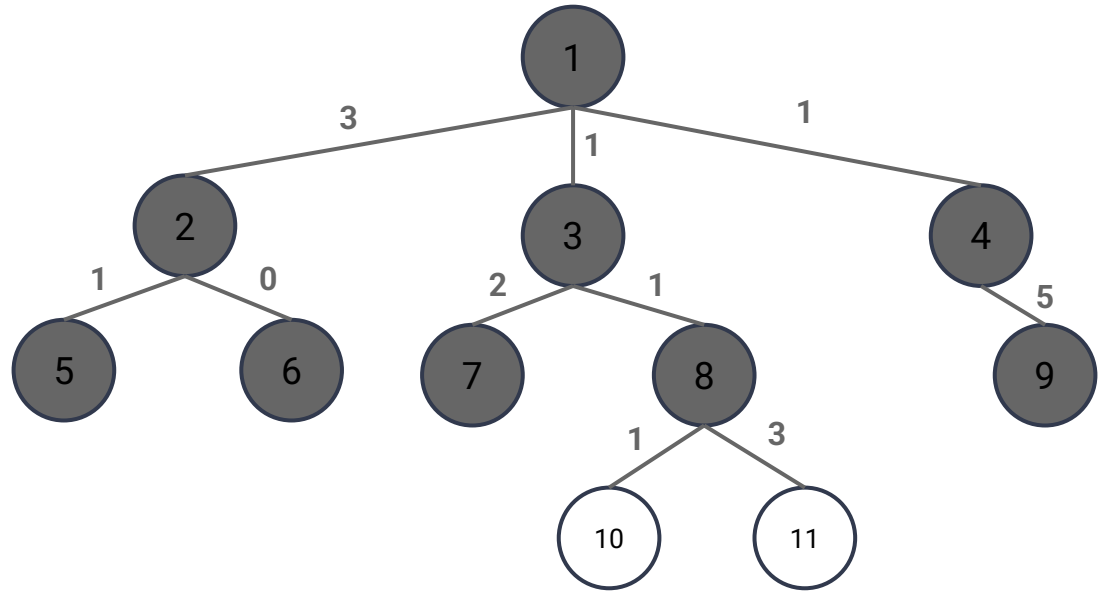
Expanded: 1

- $\ell = 1$

Expanded: 1, 2, 3, 4

- $\ell = 2$

Expanded: 1, 2, 5, 6, 3, 7, 8, 4, 9



Exercise 1 – d

- $\ell = 0$

Expanded: 1

- $\ell = 1$

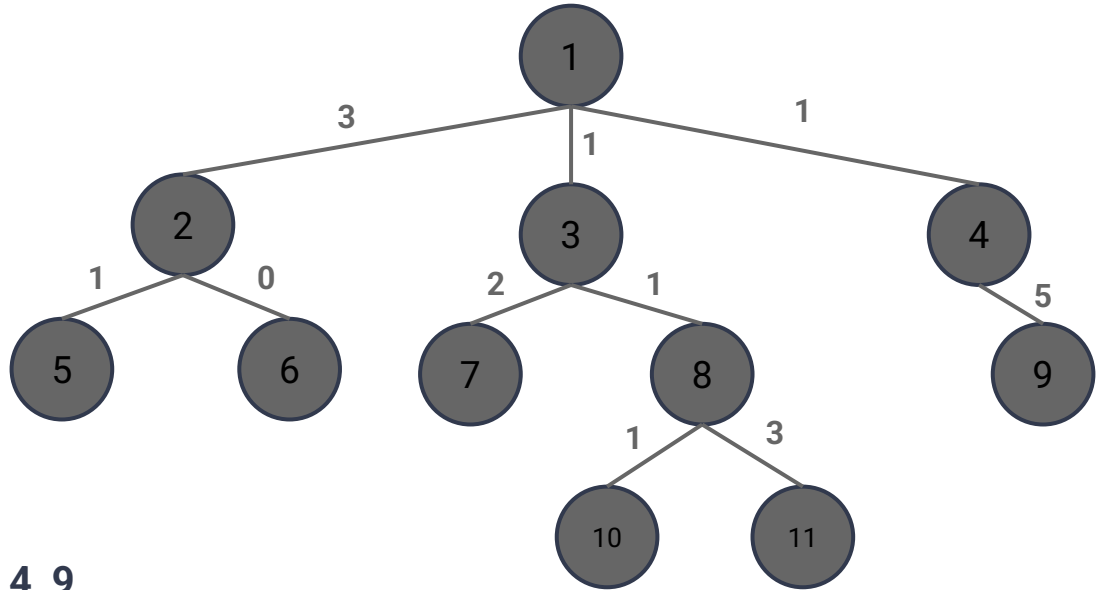
Expanded: 1, 2, 3, 4

- $\ell = 2$

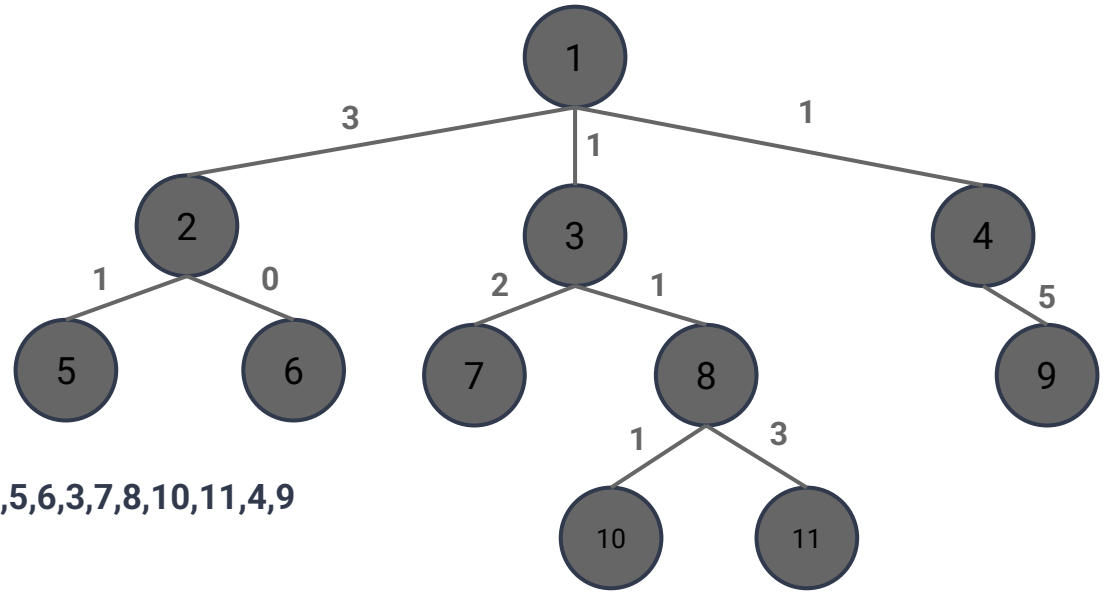
Expanded: 1, 2, 5, 6, 3, 7, 8, 4, 9

- $\ell = 3$

Expanded: 1, 2, 5, 6, 3, 7, 8, 10, 11, 4, 9



Exercise 1 - d



Solution

Expanded: 1, 1,2,3,4, 1,2,5,6,3,7,8,4,9, 1,2,5,6,3,7,8,10,11,4,9

Next: Exercise 2

Exercise 2

Solution

a) **BFS:** 1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13

b) **UCF:** 1, 4, 3, 9, 2, 7, 8, 6, 11, 12, 5, 10, 13

c) **DFS:** 1, 2, 5, 6, 10, 11, 3, 7, 12, 13, 4, 8, 9

d) **IDS:** 1, 1, 2, 3, 4, 1, 2, 5, 6, 3, 7, 4, 8, 9 1, 2, 5, 6, 10, 11, 3, 7, 12, 13, 4, 8, 9

Next: Exercise 3

Greedy Search

- Use heuristic value - $h(n)$
- $h(n)$ is the estimated cost from n to a goal node
- **Expand node with the smallest h value**
- **Optimal - No**
- **Complete - Yes** (in finite space), **No** (in infinite space)

Exercise 3

Greedy Search

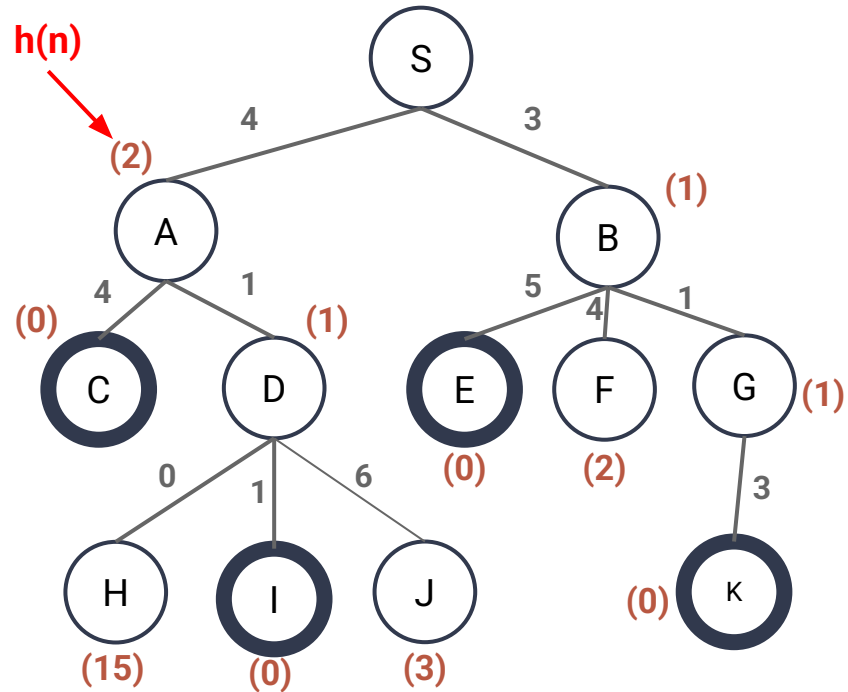
Show:

1. List of expanded nodes
2. Solution path
3. Path Cost

*Same priority -> Expand last added

Fringe: S

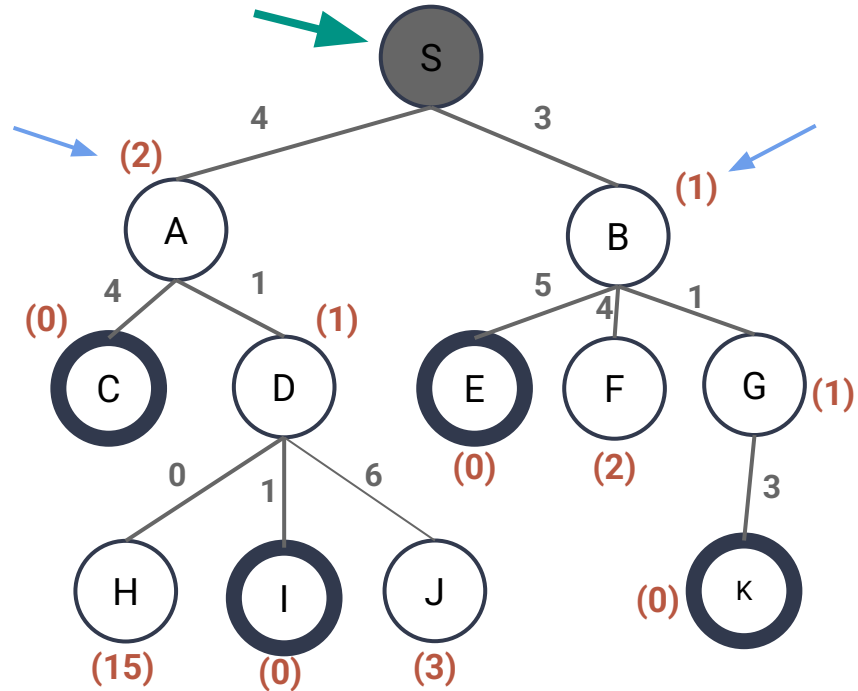
Expanded:



Exercise 3

Fringe: (B, 1), (A, 2)

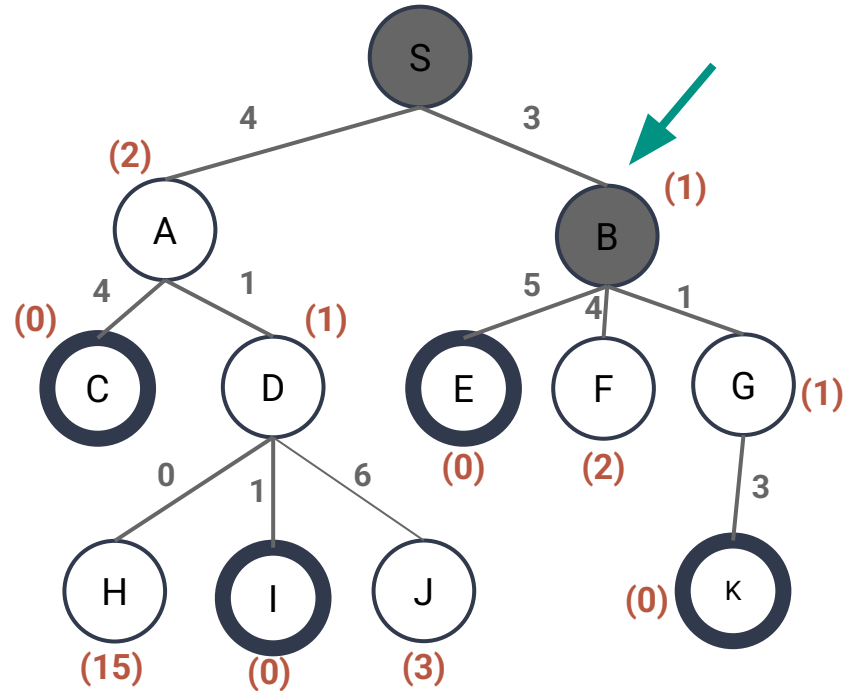
Expanded: S



Exercise 3

Fringe: (E, 0), (G, 1), (F, 2), (A, 2)

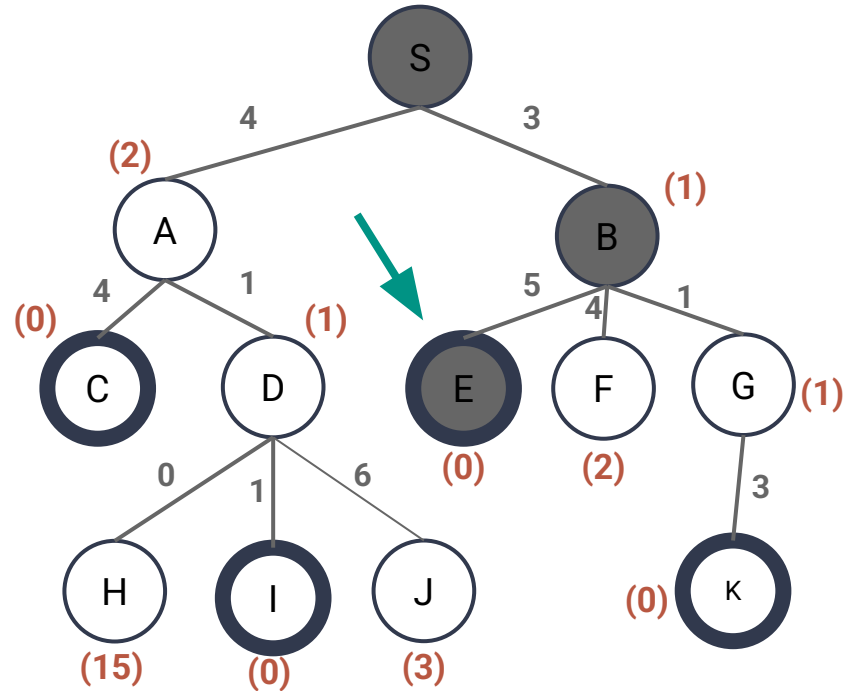
Expanded: S, (B, 1)



Exercise 3

Fringe: (G, 1), (F, 2), (A, 2)

Expanded: S, (B, 1), (E, 0)

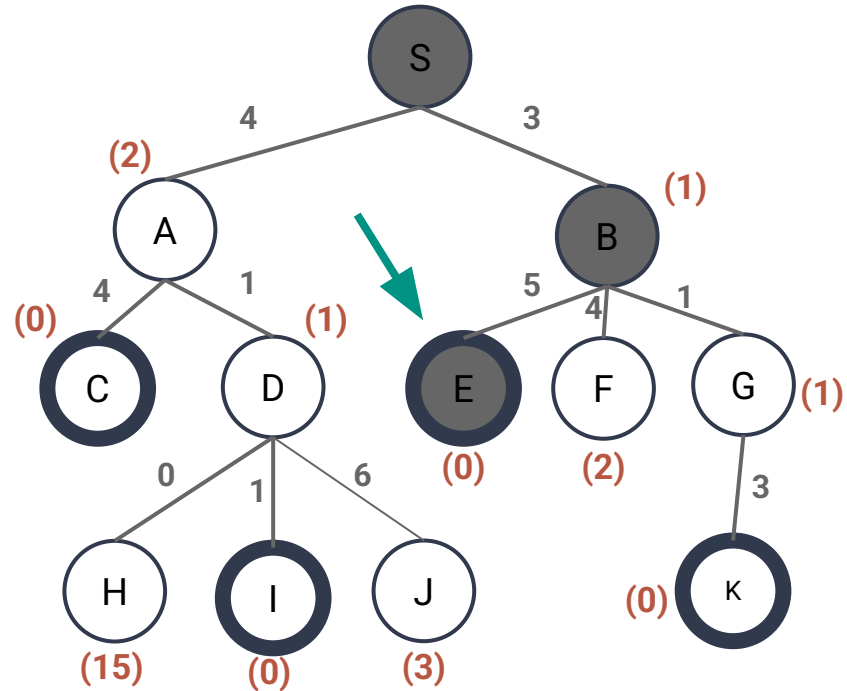


Exercise 3

Fringe: (G, 1), (F, 2), (A, 2)

Expanded: S, (B, 1), (E, 0)

Do we stop?



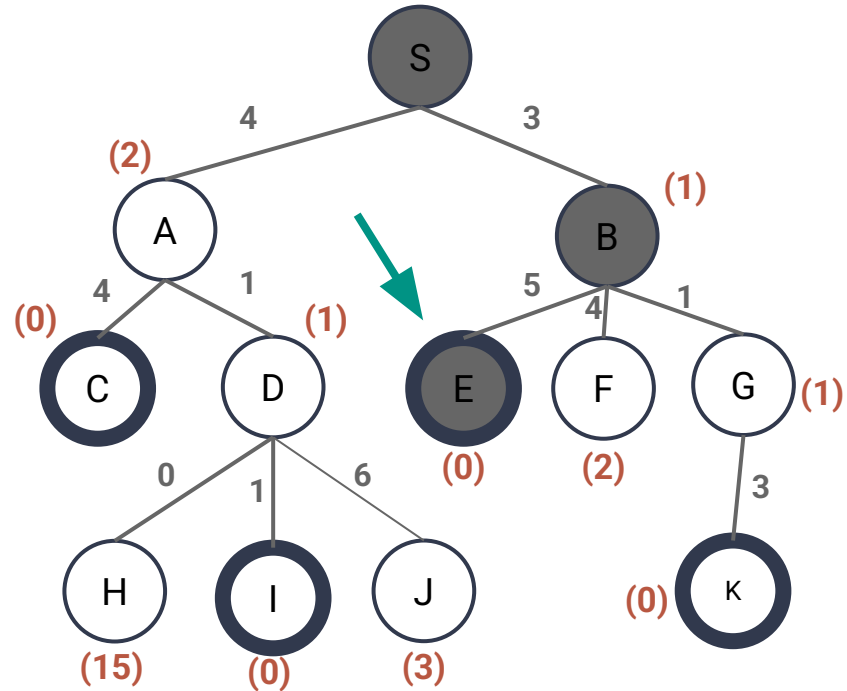
Exercise 3

Fringe: (G, 1), (F, 2), (A, 2)

Expanded: S, (B, 1), (E, 0)

Do we stop?

YES (because E is a goal node)

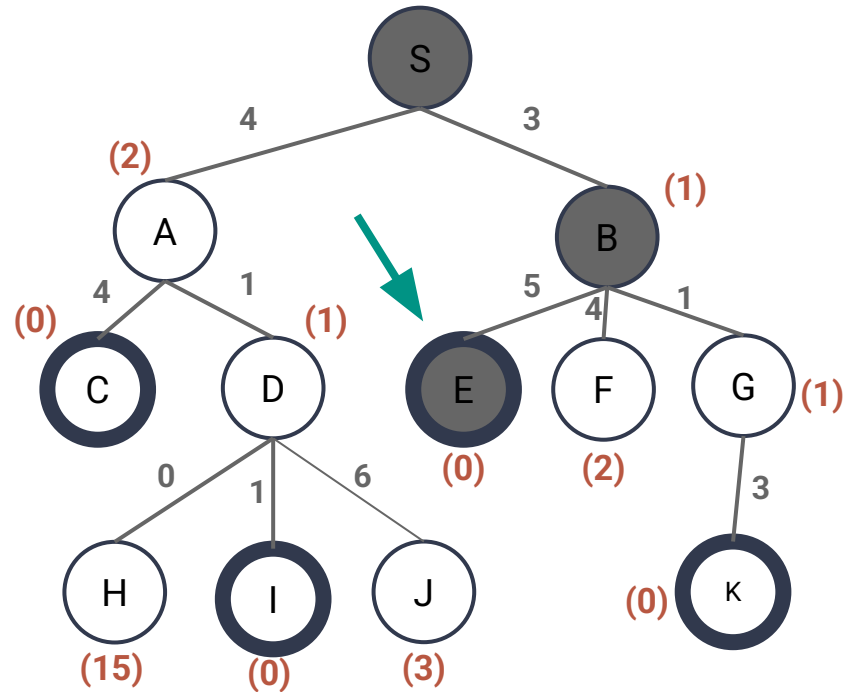


Exercise 3

What nodes were **expanded**?

What is the **path found**?

What is the **cost of the path found**?



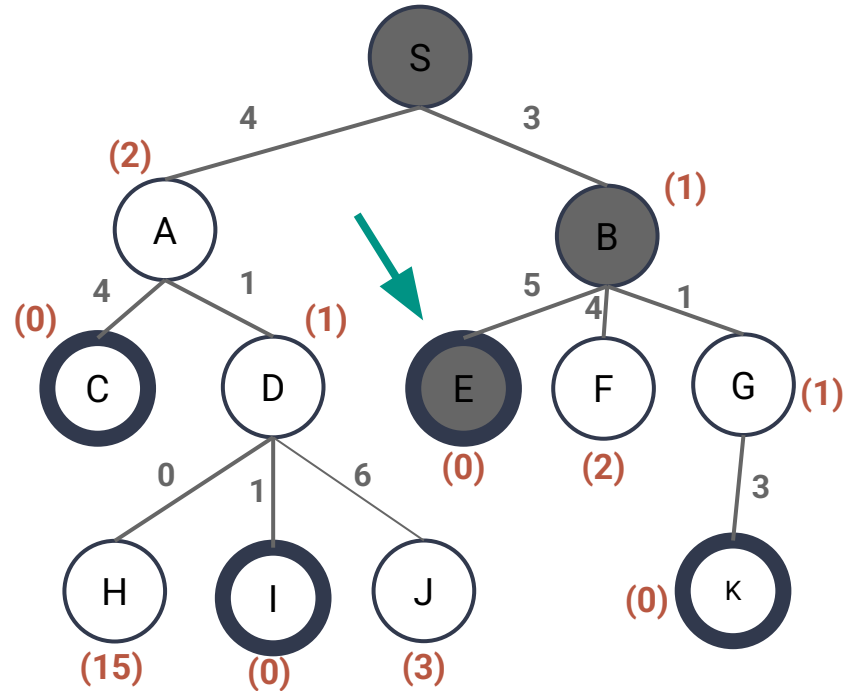
Exercise 3

What nodes were **expanded**?

SBE

What is the **path found**?

What is the **cost of the path found**?



Exercise 3

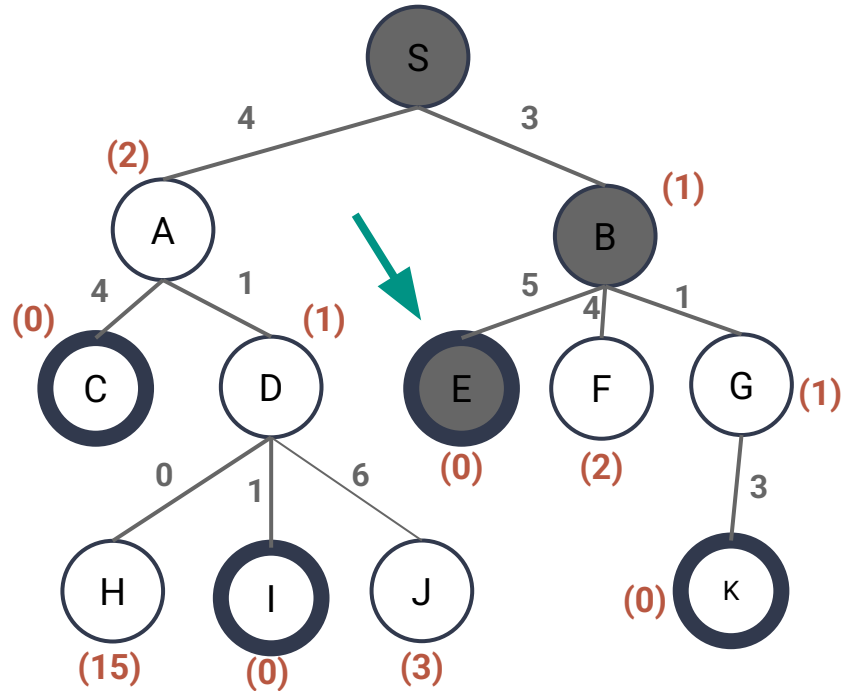
What nodes were **expanded**?

SBE

What is the **path found**?

SBE

What is the **cost of the path found**?



Exercise 3

What nodes were **expanded**?

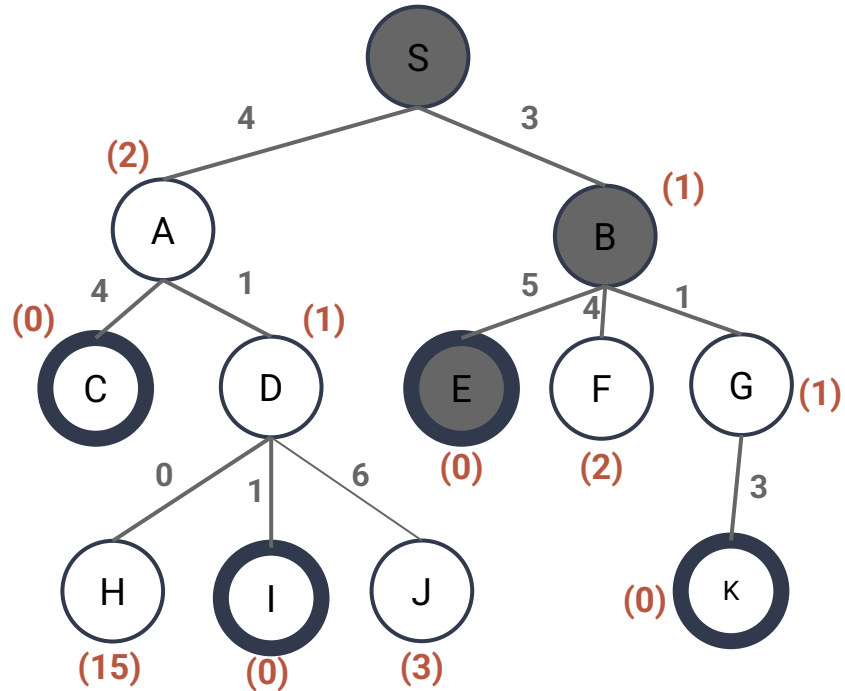
SBE

What is the **path found**?

SBE

What is the **cost of the path found**?

$3 + 5 = 8$



Exercise 3

What nodes were expanded?

SBE

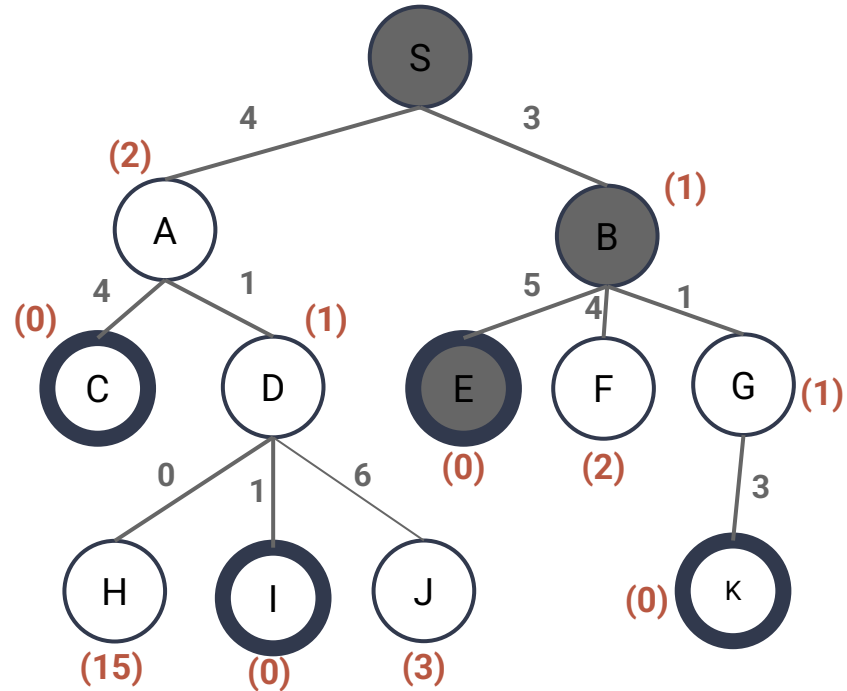
What is the path found?

SBE

What is the cost of the path found?

$3 + 5 = 8$

Is this solution optimal (lowest path cost)?



Exercise 3

What nodes were expanded?

SBE

What is the path found?

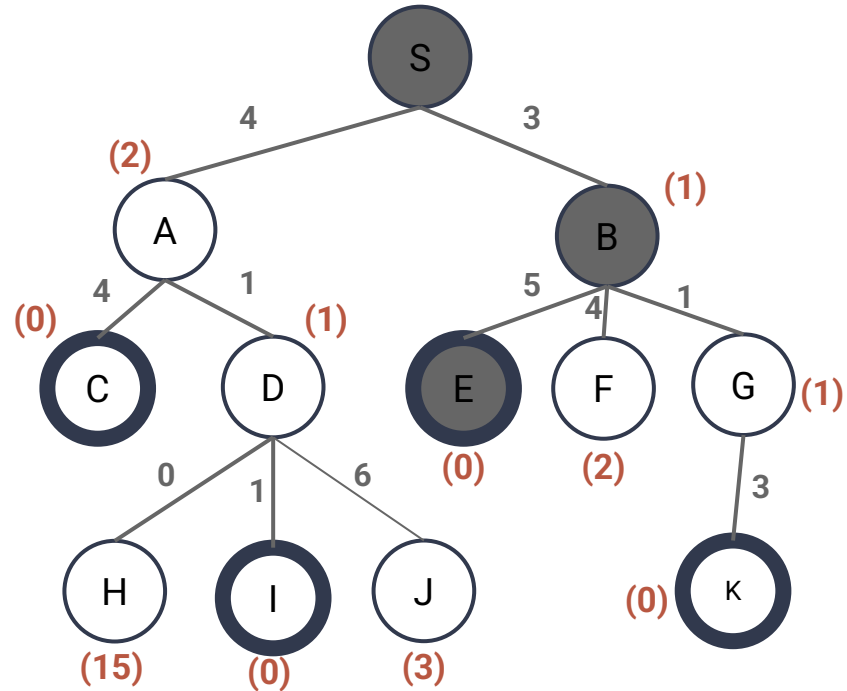
SBE

What is the cost of the path found?

$3 + 5 = 8$

Is this solution optimal (lowest path cost)?

NO



Exercise 3

What nodes were expanded?

SBE

What is the path found?

SBE

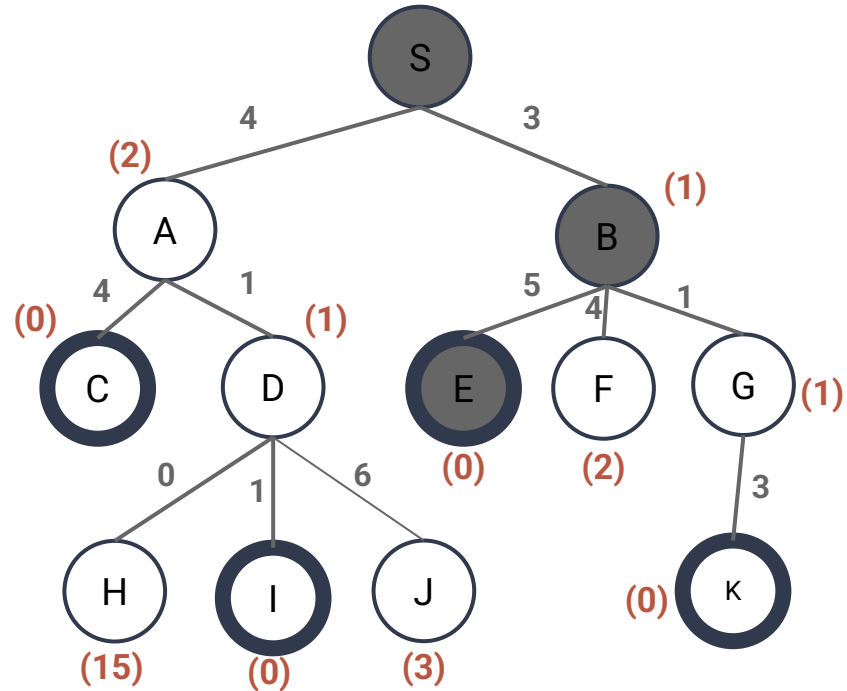
What is the cost of the path found?

$3 + 5 = 8$

Is this solution optimal (lowest path cost)?

NO

What is the optimal solution?



Exercise 3

What nodes were expanded?

SBE

What is the path found?

SBE

What is the cost of the path found?

$3 + 5 = 8$

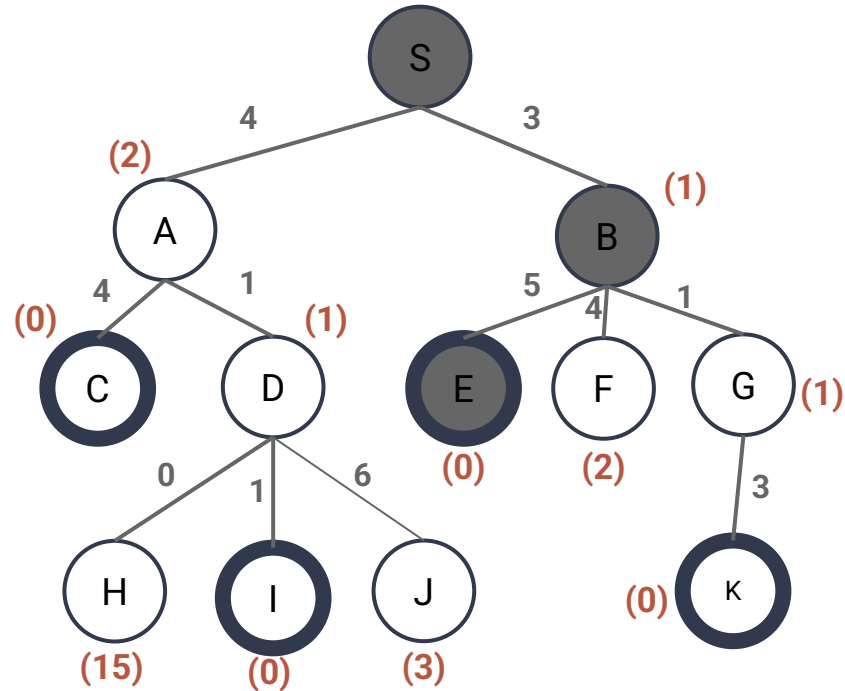
Is this solution optimal (lowest path cost)?

NO

What is the optimal solution?

Path: **SADI**

Cost: $4 + 1 + 1 = 6$



Next: Exercise 4

Hint: Start by listing the expanded nodes

Next: Exercise 5

Rook

Move vertically or horizontally.

N rooks problem

Given a empty $n \times n$ board:

1. Place 1 rook at left most column
2. Place 1 rook at the left most **(safe)** column, make sure its is **not attacked** by another rook
3. Repeat step 2 until all columns are filled

Show that there are $n!$ goal state

