

Exercise 33

Let \mathfrak{A} be a *DWBA* and \mathfrak{W} be a deterministic Staiger-Wagner automaton and $\alpha \in \Sigma^\omega$. Let the \mathcal{F} of the Staiger-Wagner automaton be constructed as follows.

Proof.

- \mathfrak{A} accepts α
- \Leftrightarrow from some point i the run $\rho(i)$ on α stays in a SSC S' with accepting states only
- \Leftrightarrow all loops in the S' are accepting

□

Exercise 34

Given

- closed under co-reachable loops* and for all loops $S, S', S \rightsquigarrow S', S \in \mathcal{F} \rightarrow S' \in \mathcal{F}$
- \Leftrightarrow All *strongly connected components* $U \subseteq Q$ are completely in \mathcal{F}
or there is no state $s \in U$ with $s \in S, S \in \mathcal{F}$, where S is a loop

Exercise 35