

Logical Reasoning & Knowledge Based System

Practice3

실습 1. Python Library

■ Numpy

- Rank, Zeros, Ones, Identity, Random
- Array Indexing
- Data type
- Array Math

■ Pandas

- Object creation
- Viewing Data
- Import csv dataset
- Selection
- Setting
- Operation
- merge

■ Matplotlib

- pyplot

Pandas Exercise

1. Load Packages

In [1]:

2. Import DataSet

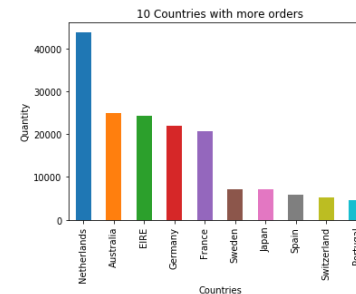
In [2]:

Out[2]:	InvoiceNo	StockCode	Description	Quantity	InvoiceDate	UnitPrice	CustomerID	Country
0	536365	85123A	WHITE HANGING HEART T-LIGHT HOLDER	6	12/1/10 8:26	2.55	17850.0	United Kingdom
1	536365	71053	WHITE METAL LANTERN	6	12/1/10 8:26	3.39	17850.0	United Kingdom
2	536365	844068	CREAM CUPID HEARTS COAT HANGER	8	12/1/10 8:26	2.75	17850.0	United Kingdom
3	536365	84029G	KNITTED UNION FLAG HOT WATER BOTTLE	6	12/1/10 8:26	3.39	17850.0	United Kingdom
4	536365	84029E	RED WOOLLY HOTTIE WHITE HEART.	6	12/1/10 8:26	3.39	17850.0	United Kingdom

3. Create a bar graph with the 10 countries that have the most 'Quantity' ordered except UK

In [3]:

```
# group by the Country  
  
# sort the value and get the first 10 after UK  
  
# create the plot  
  
# Set the title and labels  
  
# show the plot
```



실습 2. KNN (scikit-learn)

■ Iris data set classification



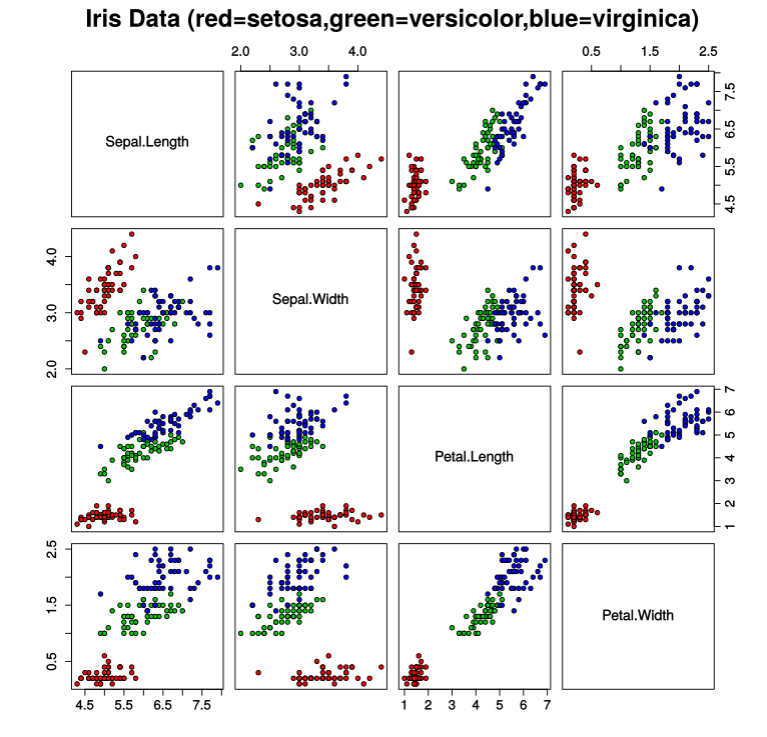
[setosa]



[versicolor]

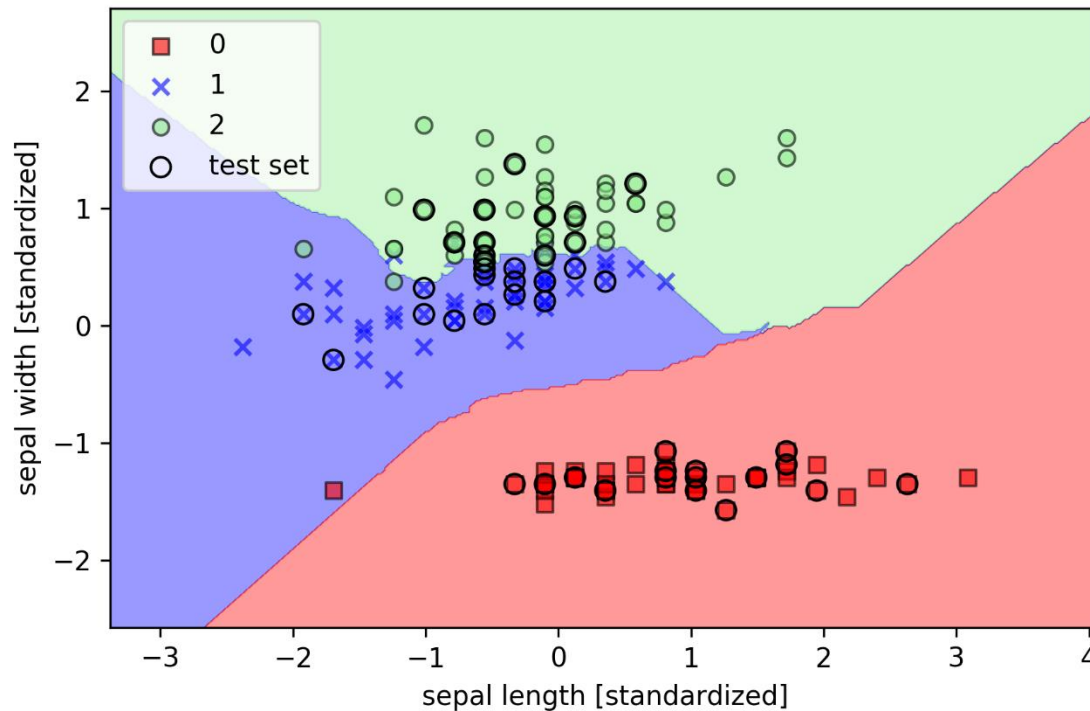


[virginica]



실습 2. KNN (scikit-learn)

- Plot Decision Regions



실습 3. Weighted KNN Implementation

■ k-Nearest Neighbor method

1. Define distance functions

■ Example

- $d_{\text{sex}}(A, B) = |A - B|$ (female:0, male:1)
- $d_{\text{age}}(A, B) = |A - B| / \text{max difference}$
- $d = d_{\text{sex}} + d_{\text{age}}$

- $d_{\text{sum}}(c5, c1) = |0 - 1| + |20 - 40| / 20 = 2.0$
- $d_{\text{sum}}(c5, c2) = |0 - 1| + |20 - 20| / 20 = 1.0$
- $d_{\text{sum}}(c5, c3) = |0 - 0| + |20 - 30| / 20 = 0.5$
- $d_{\text{sum}}(c5, c4) = |0 - 1| + |20 - 30| / 20 = 1.5$

실습 3. Weighted KNN Implementation

2. Predict value from neighbors

- Weighted average of neighbor values f_i ($Y = +1$, $N = -1$)

$$\text{Let } w_i = \frac{1}{d_{ij}}, \quad W = \sum w_i$$

$$f_j = \sum f_i \cdot \frac{w_i}{W}$$

■ Example

- 3-NN \rightarrow c3, c2, c4

$$\text{c3: } f_3 = -1(N), d_{35} = 0.5, w_3 = 2.0$$

$$\text{c2: } f_2 = +1(Y), d_{25} = 1.0, w_2 = 1.0$$

$$\text{c4: } f_4 = +1(Y), d_{45} = 1.5, w_4 = 0.67$$

- $f_5 = [(-1 \cdot 2.0) + (1 \cdot 1.0) + (1 \cdot 0.67)] / 3.67 = -0.09 \rightarrow N$

실습 3. Weighted KNN Implementation

```
def getPredictionsWeightedKNN(trainingSet, testSet, k):
    predictions = []
    # for each instances(vectors) in testSet
    for i in range(len(testSet)):
        # get K neighbors from trainingSet
        neighbors = getNeighbors(trainingSet, testSet[i], k, distance=distance)

        # Weighted KNN
        # get W & # get f_j
        weights = []
        fi_wi = []
        for neighbor in neighbors:
            # set d_ij(distance)
            d_ij = neighbor[1]
            label = neighbor[2]
            f_i = function_i(label)

            # (1) Let  $w_i = (1 / d_{ij})$ 

            # (2)  $f_i * w_i$ 

            # (3)  $W = \text{Sum}([w_i])$ 

            # (4)  $f_j = \text{Sum}(f_i w_i) / W$ 

        # determine label by f_j
        if f_j <= 0:
            prediction = 0
        elif f_j > 0:
            prediction = 1

        # put result in the predictions
        predictions.append(prediction)

    return predictions
```