A. Blocked Points

time limit per test: 2 seconds
memory limit per test: 256 megabytes
input: standard input
output: standard output

Imagine you have an infinite 2D plane with Cartesian coordinate system. Some of the integral points are blocked, and others are not. Two integral points A and B on the plane are 4-connected if and only if:

- the Euclidean distance between A and B is one unit and neither A nor B is blocked;
- or there is some integral point C, such that A is 4-connected with C, and C is 4-connected with B.

Let's assume that the plane doesn't contain blocked points. Consider all the integral points of the plane whose Euclidean distance from the origin is no more than n, we'll name these points special. Chubby Yang wants to get the following property: no special point is 4-connected to some non-special point. To get the property she can pick some integral points of the plane and make them blocked. What is the minimum number of points she needs to pick?

Input

The first line contains an integer n $(0 \le n \le 4 \cdot 10^7)$.

Output

Print a single integer — the minimum number of points that should be blocked.

Sample test(s)

input
1

output
4

input
2

output
8

input
3

output
16

B. Tower of Hanoi

time limit per test: 1 second
memory limit per test: 256 megabytes
input: standard input
output: standard output

The Tower of Hanoi is a well-known mathematical puzzle. It consists of three rods, and a number of disks of different sizes which can slide onto any rod. The puzzle starts with the disks in a neat stack in ascending order of size on one rod, the smallest at the top, thus making a conical shape.

The objective of the puzzle is to move the entire stack to another rod, obeying the following simple rules:

1. Only one disk can be moved at a time.
2. Each move consists of taking the upper disk from one of the stacks and placing it on top of another stack i.e. a disk can only be moved if it is the uppermost disk on a stack.
3. No disk may be placed on top of a smaller disk.

With three disks, the puzzle can be solved in seven moves. The minimum number of moves required to solve a Tower of Hanoi puzzle is $2^n - 1$, where n is the number of disks. (c) Wikipedia.

SmallY's puzzle is very similar to the famous Tower of Hanoi. In the Tower of Hanoi puzzle you need to solve a puzzle in minimum number of moves, in SmallY's puzzle each move costs some money and you need to solve the same puzzle but for minimal cost. At the beginning of SmallY's puzzle all n disks are on the first rod. Moving a disk from rod i to rod j $(1 \le i, j \le 3)$ costs t_{ij} units of money. The goal of the puzzle is to move all the disks to the third rod.

In the problem you are given matrix t and an integer n. You need to count the minimal cost of solving SmallY's puzzle, consisting of n disks.

Input

Each of the first three lines contains three integers — matrix t. The j-th integer in the i-th line is t_{ij} $(1 \le t_{ij} \le 10000;\ i \ne j)$. The following line contains a single integer n $(1 \le n \le 40)$ — the number of disks.

It is guaranteed that for all i $(1 \le i \le 3)$, $t_{ii} = 0$.

Output

Print a single integer — the minimum cost of solving SmallY's puzzle.

Sample test(s)

input
```
0 1 1
1 0 1
1 1 0
3
```
output
```
7
```

input
```
0 2 2
1 0 100
1 2 0
3
```
output
```
19
```

input
```
0 2 1
1 0 100
1 2 0
5
```
output
```
87
```

C. Yet Another Number Sequence

time limit per test: 1 second
memory limit per test: 256 megabytes
input: standard input
output: standard output

Everyone knows what the Fibonacci sequence is. This sequence can be defined by the recurrence relation:

$$F_1 = 1, F_2 = 2, F_i = F_{i-1} + F_{i-2} \ (i > 2).$$

We'll define a new number sequence $A_i(k)$ by the formula:

$$A_i(k) = F_i \times i^k \ (i \geq 1).$$

In this problem, your task is to calculate the following sum: $A_1(k) + A_2(k) + \ldots + A_n(k)$. The answer can be very large, so print it modulo $1000000007 \ (10^9 + 7)$.

Input

The first line contains two space-separated integers $n, k \ (1 \leq n \leq 10^{17}; \ 1 \leq k \leq 40)$.

Output

Print a single integer — the sum of the first n elements of the sequence $A_i(k)$ modulo $1000000007 \ (10^9 + 7)$.

Sample test(s)

input
```
1 1
```
output
```
1
```

input
```
4 1
```
output
```
34
```

input
```
5 2
```
output
```
316
```

input
```
7 4
```
output
```
73825
```

D. Three Arrays

time limit per test: 1 second
memory limit per test: 256 megabytes
input: standard input
output: standard output

There are three arrays a, b and c. Each of them consists of n integers. SmallY wants to find three integers u, v, w $(0 \leq u, v, w \leq n)$ such that the following condition holds: each number that appears in the union of a, b and c, appears either in the first u elements of a, or in the first v elements of b, or in the first w elements of c. Of course, SmallY doesn't want to have huge numbers u, v and w, so she wants sum $u + v + w$ to be as small as possible.

Please, help her to find the minimal possible sum of $u + v + w$.

Input

The first line contains a single integer n $(1 \leq n \leq 10^5)$. The second line contains n space-separated integers $a_1, a_2, ..., a_n$ — array a. The third line contains the description of array b in the same format. The fourth line contains the description of array c in the same format. The following constraint holds: $1 \leq a_i, b_i, c_i \leq 10^9$.

Output

Print a single integer — the minimum possible sum of $u + v + w$.

Sample test(s)

input

```
3
1 1 101
1 2 1
3 2 1
```

output

```
5
```

input

```
5
1 1 2 2 3
2 2 4 3 3
3 3 1 1 1
```

output

```
5
```

Note

In the first example you should choose $u = 3$, $v = 0$, $w = 2$.

In the second example you should choose $u = 1$, $v = 3$, $w = 1$.

E. Deleting Substrings

time limit per test: 1 second
memory limit per test: 256 megabytes
input: standard input
output: standard output

SmallR likes a game called "Deleting Substrings". In the game you are given a sequence of integers w, you can modify the sequence and get points. The only type of modification you can perform is (unexpected, right?) deleting substrings. More formally, you can choose several contiguous elements of w and delete them from the sequence. Let's denote the sequence of chosen elements as $w_l, w_{l+1}, ..., w_r$. They must meet the conditions:

- the equality $|w_i - w_{i+1}| = 1$ must hold for all i $(l \leq i < r)$;
- the inequality $2 \cdot w_i - w_{i+1} - w_{i-1} \geq 0$ must hold for all i $(l < i < r)$.

After deleting the chosen substring of w, you gain v_{r-l+1} points. You can perform the described operation again and again while proper substrings exist. Also you can end the game at any time. Your task is to calculate the maximum total score you can get in the game.

Input

The first line contains a single integer n $(1 \leq n \leq 400)$ — the initial length of w. The second line contains n integers $v_1, v_2, ..., v_n$ $(0 \leq |v_i| \leq 2000)$ — the costs of operations. The next line contains n integers $w_1, w_2, ..., w_n$ $(1 \leq w_i \leq 10^9)$ — the initial w.

Output

Print a single integer — the maximum total score you can get.

Sample test(s)

input

```
3
0 0 3
1 2 1
```

output

```
3
```

input

```
6
1 4 5 6 7 1000
2 1 1 2 2 3
```

output

```
12
```