Codeforces Round #468 (Div. 2, based on Technocup 2018 Final Round)

A. Friends Meeting

time limit per test: 1 second
memory limit per test: 256 megabytes
input: standard input
output: standard output

Two friends are on the coordinate axis Ox in points with integer coordinates. One of them is in the point $x_1 = a$, another one is in the point $x_2 = b$.

Each of the friends can move by one along the line in any direction unlimited number of times. When a friend moves, the tiredness of a friend changes according to the following rules: the first move increases the tiredness by 1, the second move increases the tiredness by 2, the third — by 3 and so on. For example, if a friend moves first to the left, then to the right (returning to the same point), and then again to the left his tiredness becomes equal to $1 + 2 + 3 = 6$.

The friends want to meet in a integer point. Determine the minimum total tiredness they should gain, if they meet in the same point.

Input

The first line contains a single integer a ($1 \le a \le 1000$) — the initial position of the first friend.

The second line contains a single integer b ($1 \le b \le 1000$) — the initial position of the second friend.

It is guaranteed that $a \ne b$.

Output

Print the minimum possible total tiredness if the friends meet in the same point.

Examples

input
3 4

output
1

input
101 99

output
2

input
5 10

output
9

Note

In the first example the first friend should move by one to the right (then the meeting happens at point 4), or the second friend should move by one to the left (then the meeting happens at point 3). In both cases, the total tiredness becomes 1.

In the second example the first friend should move by one to the left, and the second friend should move by one to the right. Then they meet in the point 100, and the total tiredness becomes $1 + 1 = 2$.

In the third example one of the optimal ways is the following. The first friend should move three times to the right, and the second friend — two times to the left. Thus the friends meet in the point 8, and the total tiredness becomes $1 + 2 + 3 + 1 + 2 = 9$.

B. World Cup

time limit per test: 1 second
memory limit per test: 256 megabytes
input: standard input
output: standard output

The last stage of Football World Cup is played using the play-off system.

There are n teams left in this stage, they are enumerated from 1 to n. Several rounds are held, in each round the remaining teams are sorted in the order of their ids, then the first in this order plays with the second, the third — with the fourth, the fifth — with the sixth, and so on. It is guaranteed that in each round there is even number of teams. The winner of each game advances to the next round, the loser is eliminated from the tournament, there are no draws. In the last round there is the only game with two remaining teams: the round is called the Final, the winner is called the champion, and the tournament is over.

Arkady wants his two favorite teams to play in the Final. Unfortunately, the team ids are already determined, and it may happen that it is impossible for teams to meet in the Final, because they are to meet in some earlier stage, if they are strong enough. Determine, in which round the teams with ids a and b can meet.

Input

The only line contains three integers n, a and b ($2 \le n \le 256$, $1 \le a, b \le n$) — the total number of teams, and the ids of the teams that Arkady is interested in.

It is guaranteed that n is such that in each round an even number of team advance, and that a and b are not equal.

Output

In the only line print "Final!" (without quotes), if teams a and b can meet in the Final.

Otherwise, print a single integer — the number of the round in which teams a and b can meet. The round are enumerated from 1.

Examples

input
4 1 2
output
1

input
8 2 6
output
Final!

input
8 7 5
output
2

Note

In the first example teams 1 and 2 meet in the first round.

In the second example teams 2 and 6 can only meet in the third round, which is the Final, if they win all their opponents in earlier rounds.

In the third example the teams with ids 7 and 5 can meet in the second round, if they win their opponents in the first round.

C. Laboratory Work

time limit per test: 1 second
memory limit per test: 256 megabytes
input: standard input
output: standard output

Anya and Kirill are doing a physics laboratory work. In one of the tasks they have to measure some value n times, and then compute the average value to lower the error.

Kirill has already made his measurements, and has got the following integer values: $x_1, x_2, ..., x_n$. It is important that the values are close to each other, namely, the difference between the maximum value and the minimum value is **at most 2**.

Anya does not want to make the measurements, however, she can't just copy the values from Kirill's work, because the error of each measurement is a random value, and this coincidence will be noted by the teacher. Anya wants to write such integer values $y_1, y_2, ..., y_n$ in her work, that the following conditions are met:

- the average value of $x_1, x_2, ..., x_n$ is equal to the average value of $y_1, y_2, ..., y_n$;
- all Anya's measurements are in the same bounds as all Kirill's measurements, that is, the maximum value among Anya's values is not greater than the maximum value among Kirill's values, and the minimum value among Anya's values is not less than the minimum value among Kirill's values;
- the number of equal measurements in Anya's work and Kirill's work is as small as possible among options with the previous conditions met. Formally, the teacher goes through all Anya's values one by one, if there is equal value in Kirill's work and it is not strike off yet, he strikes off this Anya's value and one of equal values in Kirill's work. The number of equal measurements is then the total number of **strike off** values in Anya's work.

Help Anya to write such a set of measurements that the conditions above are met.

Input

The first line contains a single integer n ($1 \le n \le 100\,000$) — the numeber of measurements made by Kirill.

The second line contains a sequence of integers x_1, x_2, ..., x_n ($- 100\,000 \le x_i \le 100\,000$) — the measurements made by Kirill. It is guaranteed that the difference between the maximum and minimum values among values x_1, x_2, ..., x_n does not exceed 2.

Output

In the first line print the minimum possible number of equal measurements.

In the second line print n integers y_1, y_2, ..., y_n — the values Anya should write. You can print the integers in arbitrary order. Keep in mind that the minimum value among Anya's values should be not less that the minimum among Kirill's values, and the maximum among Anya's values should be not greater than the maximum among Kirill's values.

If there are multiple answers, print any of them.

Examples

input
6
-1 1 1 0 0 -1

output
2
0 0 0 0 0 0

input
3
100 100 101

output
3
101 100 100

input
7
-10 -9 -10 -8 -10 -9 -9

output
5
-10 -10 -9 -9 -9 -9 -9

Note

In the first example Anya can write zeros as here measurements results. The average value is then equal to the average value of Kirill's values, and there are only two equal measurements.

In the second example Anya should write two values 100 and one value 101 (in any order), because it is the only possibility to make the average be the equal to the average of Kirill's values. Thus, all three measurements are equal.

In the third example the number of equal measurements is 5.

D. Peculiar apple-tree

time limit per test: 1 second
memory limit per test: 256 megabytes
input: standard input
output: standard output

In Arcady's garden there grows a peculiar apple-tree that fruits one time per year. Its peculiarity can be explained in following way: there are n inflorescences, numbered from 1 to n. Inflorescence number 1 is situated near base of tree and any other inflorescence with number i ($i > 1$) is situated at the top of branch, which bottom is p_i-th inflorescence and $p_i < i$.

Once tree starts fruiting, there appears exactly one apple in each inflorescence. The same moment as apples appear, they start to roll down along branches to the very base of tree. Each second all apples, except ones in first inflorescence simultaneously roll down one branch closer to tree base, e.g. apple in a-th inflorescence gets to p_a-th inflorescence. Apples that end up in first inflorescence are gathered by Arcady in exactly the same moment. Second peculiarity of this tree is that once two apples are in same inflorescence they **annihilate**. This happens with each pair of apples, e.g. if there are 5 apples in same inflorescence in same time, only one will not be annihilated and if there are 8 apples, all apples will be annihilated. Thus, there can be no more than one apple in each inflorescence in each moment of time.

Help Arcady with counting number of apples he will be able to collect from first inflorescence during one harvest.

Input

First line of input contains single integer number n ($2 \le n \le 100\,000$) — number of inflorescences.

Second line of input contains sequence of n - 1 integer numbers p_2, p_3, ..., p_n ($1 \le p_i < i$), where p_i is number of inflorescence into which the

apple from i-th inflorescence rolls down.

Output

Single line of output should contain one integer number: amount of apples that Arcady will be able to collect from first inflorescence during one harvest.

Examples

input
3 1 1

output
1

input
5 1 2 2 2

output
3

input
18 1 1 1 4 4 3 2 2 2 10 8 9 9 9 10 10 4

output
4

Note

In first example Arcady will be able to collect only one apple, initially situated in 1st inflorescence. In next second apples from 2nd and 3rd inflorescences will roll down and annihilate, and Arcady won't be able to collect them.

In the second example Arcady will be able to collect 3 apples. First one is one initially situated in first inflorescence. In a second apple from 2nd inflorescence will roll down to 1st (Arcady will collect it) and apples from 3rd, 4th, 5th inflorescences will roll down to 2nd. Two of them will annihilate and one not annihilated will roll down from 2-nd inflorescence to 1st one in the next second and Arcady will collect it.

E. Game with String

time limit per test: 2 seconds
memory limit per test: 256 megabytes
input: standard input
output: standard output

Vasya and Kolya play a game with a string, using the following rules. Initially, Kolya creates a string s, consisting of small English letters, and uniformly at random chooses an integer k from a segment $[0, len(s) - 1]$. He tells Vasya this string s, and then shifts it k letters to the left, i. e. creates a new string $t = s_{k+1}s_{k+2}... s_n s_1 s_2... s_k$. Vasya does not know the integer k nor the string t, but he wants to guess the integer k. To do this, he asks Kolya to tell him the first letter of the new string, and then, after he sees it, open one more letter on some position, which Vasya can choose.

Vasya understands, that he can't guarantee that he will win, but he wants to know the probability of winning, if he plays optimally. He wants you to compute this probability.

Note that Vasya wants to know the value of k uniquely, it means, that if there are at least two cyclic shifts of s that fit the information Vasya knowns, Vasya loses. Of course, at any moment of the game Vasya wants to maximize the probability of his win.

Input

The only string contains the string s of length l ($3 \le l \le 5000$), consisting of small English letters only.

Output

Print the only number — the answer for the problem. You answer is considered correct, if its absolute or relative error does not exceed 10^{-6}.

Formally, let your answer be a, and the jury's answer be b. Your answer is considered correct if $\frac{|a-b|}{\max(1,|b|)} \le 10^{-6}$

Examples

input
technocup

output
1.000000000000000

input
tictictactac

input
bbaabaabbb

output
0.100000000000000

Note

In the first example Vasya can always open the second letter after opening the first letter, and the cyclic shift is always determined uniquely.

In the second example if the first opened letter of t is "t" or "c", then Vasya can't guess the shift by opening only one other letter. On the other hand, if the first letter is "i" or "a", then he can open the fourth letter and determine the shift uniquely.

F. Teodor is not a liar!

time limit per test: 1 second
memory limit per test: 256 megabytes
input: standard input
output: standard output

Young Teodor enjoys drawing. His favourite hobby is drawing segments with integer borders inside his huge $[1;m]$ segment. One day Teodor noticed that picture he just drawn has one interesting feature: there doesn't exist an integer point, that belongs each of segments in the picture. Having discovered this fact, Teodor decided to share it with Sasha.

Sasha knows that Teodor likes to show off so he never trusts him. Teodor wants to prove that he can be trusted sometimes, so he decided to convince Sasha that there is no such integer point in his picture, which belongs to each segment. However Teodor is lazy person and neither wills to tell Sasha all coordinates of segments' ends nor wills to tell him their amount, so he suggested Sasha to ask him series of questions 'Given the integer point x_i, how many segments in Fedya's picture contain that point?', promising to tell correct answers for this questions.

Both boys are very busy studying and don't have much time, so they ask you to find out how many questions can Sasha ask Teodor, that having only answers on his questions, Sasha can't be sure that Teodor isn't lying to him. Note that Sasha doesn't know amount of segments in Teodor's picture. Sure, Sasha is smart person and never asks about same point twice.

Input

First line of input contains two integer numbers: n and m ($1 \leq n, m \leq 100\,000$) — amount of segments of Teodor's picture and maximal coordinate of point that Sasha can ask about.

ith of next n lines contains two integer numbers l_i and r_i ($1 \leq l_i \leq r_i \leq m$) — left and right ends of ith segment in the picture. Note that that left and right ends of segment can be the same point.

It is guaranteed that there is no integer point, that belongs to all segments.

Output

Single line of output should contain one integer number k – size of largest set $(x_i, cnt(x_i))$ where all x_i are different, $1 \leq x_i \leq m$, and $cnt(x_i)$ is amount of segments, containing point with coordinate x_i, such that one can't be sure that there doesn't exist point, belonging to all of segments in initial picture, if he knows only this set(and doesn't know n).

Examples

input
2 4
1 2
3 4

output
4

input
4 6
1 3
2 3
4 6
5 6

output
5

Note

First example shows situation where Sasha can never be sure that Teodor isn't lying to him, because even if one knows $cnt(x_i)$ for each point in segment $[1;4]$, he can't distinguish this case from situation Teodor has drawn whole $[1;4]$ segment.

In second example Sasha can ask about 5 points e.g. $1, 2, 3, 5, 6$, still not being sure if Teodor haven't lied to him. But once he knows information about all points in $[1;6]$ segment, Sasha can be sure that Teodor haven't lied to him.