
```
clear;
%%% Authors-cum-Engineers %%%
```

MWONGELA D MATHINA: F19/1707/2013

WANJALA N KOTOCHAI: F19/1717/2013

```
%%% we get going %%%
```

```
%%% photo coordinates of photo 1 %%%
```

```
photo1=[0.966 -88.738
        -0.798 1.403
        -2.511 92.055
        92.337 -88.145
        96.602 3.491
        85.136 90.647];
```

```
%%% photo coordinates of photo 2 %%%
```

```
photo2=[-91.627 -86.419
        -89.994 4.162
        -88.824 95.641
        -1.022 -89.392
        0.818 2.564
        2.595 90.518];
```

```
%%% model coordinates of the 6 conjugate image points %%%
```

```
model=[0 0 -152
        200 0 -152
        0 187.5 -152
        200 187.5 -152
        0 -187.5 -152
        200 -187.5 -152];
```

```
X=model(:,1);
```

```
Y=model(:,2);
```

```
ZA=model(:,3);
```

```
Z=(200/92)*ZA;
```

```
f=152; %%% focal length %%%
```

```
%%%extracting photo coordinates %%%
```

```
xa1=photo1(:,1);
```

```
ya1=photo1(:,2);
```

```
xa2=photo2(:,1);
```

```
ya2=photo2(:,2);
```

```
%%% initial values %%%
```

```
om=0;phi=0;K=0;
```

```
BY=0;BZ=0;BX=200;
```

```
%%%%%%%% column matrices to aid in formation of the A matrix %%%
```

```
M=[1;1;1;1;2;2;2;2;3;3;3;3;4;4;4;4;5;5;5;5;6;6;6;6];%%%%%%%% column matrix helps pi
```

```
T=[1;1;1;1;3;3;3;3;5;5;5;5;7;7;7;7;9;9;9;9;11;11;11;11];%%%%%%%% column matrix plac
```

```
%%%%%%%% Functions of the three rotations omega,phi and kappa %%%
```

```

r11=cos(phi)*cos(K);
r12=((cos(om)*sin(K))+(sin(om)*sin(phi)*cos(K)));
r13=(sin(om)*sin(K))-(cos(om)*sin(phi)*cos(K));
r21=-cos(phi)*sin(K);
r22=(cos(om)*cos(K))-(sin(om)*sin(phi)*sin(K));
r23=(sin(om)*cos(K))+(cos(om)*sin(phi)*sin(K));
r31=sin(phi);
r32=-sin(om)*cos(phi);
r33=cos(om)*cos(phi);

for i=1:100 %%%%% iterations loop %%%%%

%%%%% for loop to form the A matrix %%%%%
for i=1:24;
    m=M(i);
    k=T(i);
    i=2*k-1;
    j=3*m;

    %%%%%%%%%%%%% differential matrix w.r.t omega %%%%%%%%%%

    A(i,1)=0;
    A(i+1,1)=0;
    dom1=((-ya2(m)*sin(om)*sin(K)+ya2(m)*cos(om)*sin(phi)*cos(K)-f*cos(om)*sin(K)
    dom2=((-ya2(m)*cos(om)*cos(phi)+f*sin(om)*cos(phi))*(X(m)-200));
    A(i+2,1)=dom1-dom2;
    dom3=((-ya2(m)*sin(om)*cos(K)-ya2(m)*cos(om)*sin(phi)*sin(K))-(f*cos(om)*cos(phi)
    dom4=(-ya2(m)*cos(om)*cos(phi)+f*sin(om)*cos(phi))*(Y(m)-BY);
    A(i+3,1)=dom3-dom4;

    %%%%%%%%%%%%% differential matrix w.r.t phi %%%%%%%%%%

    A(i,2)=0;
    A(i+1,2)=0;
    dphi1=(-xa2(m)*sin(phi)*cos(K)+ya2(m)*sin(om)*cos(phi)*cos(K)+f*cos(om)*cos(phi)
    dphi2=(xa2(m)*cos(phi)+ya2(m)*sin(om)*sin(phi)+f*cos(om)*sin(phi))*(X(m)-200);
    A(i+2,2)=dphi1-dphi2;
    dphi3=(xa2(m)*sin(phi)*sin(K)-ya2(m)*sin(om)*cos(phi)*sin(K)-f*cos(om)*cos(phi)
    dphi4=(xa2(m)*cos(phi)-ya2(m)*sin(om)*sin(phi)+f*cos(om)*sin(phi))*(Y(m)-BY);
    A(i+3,2)=dphi3-dphi4;

    %%%%%%%%%%%%% differential matrix w.r.t kappa %%%%%%%%%%

    A(i,3)=0;
    A(i+1,3)=0;
    A(i+2,3)=(-xa2(m)*cos(phi)*sin(K)+ya2(m)*cos(om)*cos(K)-ya2(m)*sin(om)*sin(phi)
    A(i+3,3)=(-xa2(m)*cos(phi)*cos(K)-ya2(m)*cos(om)*sin(K)-ya2(m)*sin(om)*sin(phi)

    %%%%%%%%%%%%% differential matrix w.r.t base component BY %%%%%%%%%%

    A(i,4)=0;
    A(i+1,4)=0;

```

```

A(i+2,4)=0;
A(i+3,4)=r31*xa2(m)+r32*ya2(m)-r33*f;

%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%% differential matrix w.r.t base component BZ %%%%%%%%%%

A(i,5)=0;
A(i+1,5)=0;
A(i+2,5)=-(r11*xa2(m)+r12*ya2(m)-r13*f);
A(i+3,5)=-(r21*xa2(m)+r22*ya2(m)-r23*f);

%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%% differential matrices w.r.t model coordinates X,Y,Z %%%%%%%%%%

%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%% matrix as a result of X %%%%%%%%%%
A(i,3+j)=f;
A(i+1,3+j)=0;
A(i+2,3+j)=-(r31*xa2(m)+r32*ya2(m)-r33*f);
A(i+3,3+j)=0;

%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%% matrix as a result of Y %%%%%%%%%%

A(i,4+j)=0;
A(i+1,4+j)=f;
A(i+2,4+j)=0;
A(i+3,4+j)= -(r31*xa2(m)+r32*ya2(m)-r33*f);

%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%% matrix as a result of Z %%%%%%%%%%

A(i,5+j)=xa1(m);
A(i+1,5+j)=ya1(m);
A(i+2,5+j)=r11*xa2(m)+r12*ya2(m)-r13*f;
A(i+3,5+j)=r21*xa2(m)+r22*ya2(m)-r23*f;
end

%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%Formation of the matrix of constants;the L matrix %%%%%%%%%%

for i=1:24;
    c=M(i);
    g=T(i);
    i=2*g-1;
    L(i,1)=xa1(c)*Z(c)+f*X(c);
    L(i+1,1)=ya1(c)*Z(c)+f*Y(c);
    L(i+2,1)=((r11*xa2(c)+r12*ya2(c)-r13*f)*(Z(c)-BZ))-((r31*xa2(c)+r32*ya2(c)-r33*f)*X(c));
    L(i+3,1)=((r21*xa2(c)+r22*ya2(c)-r23*f)*(Z(c)-BZ))-((r31*xa2(c)+r32*ya2(c)-r33*f)*Y(c));
end

N=A'*A; %%%%Normal equation matrix %%%%%%%%%%
Qxx=inv(N); %%%%coffactor matrix %%%%%%%%%%
d=A'*-L; %%%% absolute vector %%%%%%%%%%
delta=Qxx*d; %%%% corrections %%%%%%%%%%

%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%updating the initial values %%%%%%%%%%

om=om+delta(1,1);

```

```

phi=phi+delta(2,1);
K=K+delta(3,1);
BY=BY+delta(4,1);
BZ=BZ+delta(5,1);
X(1,1)=X(1,1)+delta(6,1);
Y(1,1)=Y(1,1)+delta(7,1);
Z(1,1)=Z(1,1)+delta(8,1);
X(2,1)=X(2,1)+delta(9,1);
Y(2,1)=Y(2,1)+delta(10,1);
Z(2,1)=Z(2,1)+delta(11,1);
X(3,1)=X(3,1)+delta(12,1);
Y(3,1)=Y(3,1)+delta(13,1);
Z(3,1)=Z(3,1)+delta(14,1);
X(4,1)=X(4,1)+delta(15,1);
Y(4,1)=Y(4,1)+delta(16,1);
Z(4,1)=Z(4,1)+delta(17,1);
X(5,1)=X(5,1)+delta(18,1);
Y(5,1)=Y(5,1)+delta(19,1);
Z(5,1)=Z(5,1)+delta(20,1);
X(6,1)=X(6,1)+delta(21,1);
Y(6,1)=Y(6,1)+delta(22,1);
Z(6,1)=Z(6,1)+delta(23,1);

end %%% end of iteration loop %%%
%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%% relative orientation parameters and the model coordinates %%%
R_parameters_modelcoords=[om;phi;K;BY;BZ;X(1,1);Y(1,1);Z(1,1);X(2,1);Y(2,1);Z(2,1)

%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%% Accuracy assessment %%%%%%%%%
%%%%%%%% v=L-Ax %%%

R_parameters_modelcoords =

    0.3981
    0.0583
   -2.7210
    1.9855
   -8.9893
    2.2379
  -205.6113
  -352.1757
   -1.8552
    3.2807
  -353.4778
   -5.8263
   213.5754
  -352.6660
   210.8758
  -201.2892
  -347.1323
   207.0082
    7.4562
  -325.7200
   204.5202

```

217.7707
-365.1460

```
Ax=A*delta;  
v=L-Ax; %%% Residual vector %%%  
sigma=sqrt((v'*v)/(24-23));%%%%% aposteriori variance %%%%%%%%%  
Exx=sigma*Qxx; %%%%%%%%% covariance matrix %%%%%%%%%  
E1 = diag(Exx);%%%%% extracting the diagonal matrix to compute std deviations %%%  
S_deviations=sqrt(E1)%%%%%%%%% Standard deviations %%%%%%%%%
```

S_deviations =

0.0068
0.0061
0.0035
1.6777
2.0471
0.5548
2.0043
2.9795
0.5657
0.5378
3.8726
0.5837
3.3629
5.4861
2.0135
1.9081
3.4413
2.0344
0.5217
3.3243
2.6627
2.7261
4.8640

Published with MATLAB® R2014a