Assignment _3_Xiaoyang Ye

March 19, 2024

1 Assignment 3

1.1 Task 1

```
[1]: # Import necessary dependencies
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
import seaborn as sns

import plotly.offline as pyo
import plotly.graph_objs as go
import plotly.express as px
from plotly.subplots import make_subplots
```

```
[2]: # Load the data
# I had already upload the data in the jupyter notebook
df = pd.read_csv("turkiye-student-evaluation_generic.csv")
```

1.1.1 1. Data Cleaning & Transformation

1.1 Viewing the data structure and data types.

```
[3]: print("The first 5 rows of the dataset")
print("-----")
display(df.head(5))

print("Detailed information about the dataset:")
print("-----")
display(df.info())
```

The first 5 rows of the dataset

```
instr class nb.repeat attendance difficulty Q1 Q2 Q3 Q4 Q5 ... \
   1 2 1
                             4 3 3 3 3 ...
0
              1
1
    1
       2
                     1
                             3 3 3 3 3 ...
                            4 5 5 5 5 5 ...
2
   1
       2
              1
                     2
3
   1
       2
              1
                     1
                            3 3 3 3 3 ...
       2
                     0
                            1 1 1 1 1 1 ...
4
   1
              1
```

	Q19	Q20	Q21	Q22	Q23	Q24	Q25	Q26	Q27	Q28
0	3	3	3	3	3	3	3	3	3	3
1	3	3	3	3	3	3	3	3	3	3
2	5	5	5	5	5	5	5	5	5	5
3	3	3	3	3	3	3	3	3	3	3
4	1	1	1	1	1	1	1	1	1	1

[5 rows x 33 columns]

Detailed information about the dataset:

<class 'pandas.core.frame.DataFrame'>
RangeIndex: 5820 entries, 0 to 5819
Data columns (total 33 columns):

	columns (to			.
#	Column	Non-Nul	ll Count	Dtype
0	instr		on-null	int64
1			on-null	int64
2	nb.repeat		on-null	int64
3	attendance		on-null	int64
4	difficulty	5820 no	on-null	int64
5	Q1	5820 no	on-null	int64
6	Q2	5820 no	on-null	int64
7	Q3	5820 no	on-null	int64
8	Q4	5820 no	on-null	int64
9	Q5	5820 no	on-null	int64
10	Q6	5820 no	on-null	int64
11	Q7	5820 no	on-null	int64
12	Q8	5820 no	on-null	int64
13	Q9	5820 no	on-null	int64
14	Q10	5820 no	on-null	int64
15	Q11	5820 no	on-null	int64
16	Q12	5820 no	on-null	int64
17	Q13	5820 no	on-null	int64
18	Q14	5820 no	on-null	int64
19	Q15	5820 no	on-null	int64
20	Q16	5820 no	on-null	int64
21	Q17	5820 no	on-null	int64
22	Q18	5820 no	on-null	int64
23	Q19	5820 no	on-null	int64
24	Q20	5820 no	on-null	int64
25	Q21		on-null	int64
26	Q22	5820 no	on-null	int64
27	Q23		on-null	int64
28	Q24		on-null	int64
29	Q25		on-null	int64
30	Q26		on-null	int64
	•		-	

```
31 Q27 5820 non-null int64
32 Q28 5820 non-null int64
```

dtypes: int64(33) memory usage: 1.5 MB

None

From the data resource website(https://archive.ics.uci.edu/dataset/262/turkiye+student+evaluation), we can identify the following columns:

Instructor's identifier ("instr") Course code ("class") Number of times the student is taking this course ("repeat") Attendance ("attendance") Level of difficulty of the course as perceived by the student ("difficulty") Answers to all the questions ("Q1", "Q2", ..., "Q28").

Detailed information about the questions can be found on the resource website.

All columns contain numeric data, specifically of type int64.

1.2 Handle missing data.

```
[4]: missing_values = df.isnull().sum()
    display(missing_values)
    print(f"There are total {missing_values.sum()} missing values in the dataset.")
```

```
0
instr
class
                0
nb.repeat
                0
attendance
                0
difficulty
Q1
Q2
                0
QЗ
                0
Q4
                0
Q5
                0
Q6
                0
Q7
                0
Q8
Q9
                0
Q10
                0
Q11
                0
Q12
                0
                0
Q13
Q14
                0
Q15
                0
Q16
                0
Q17
                0
                0
Q18
Q19
                0
Q20
                0
```

Q21		0
Q22		0
Q23		0
Q24		0
Q25		0
Q26		0
Q27		0
Q28		0
dtvpe:	int64	

There are total O missing values in the dataset.

Ther are no missing values in all columns.

1.3 Address duplicate records Based on the data description, pinpointing duplicate records proves challenging due to the absence of student information. It's difficult to ascertain if multiple instances of the same question were answered by a single student. When all values in a row across all columns are identical, distinguishing duplicate records becomes impossible.

1.4 Correct any inaccuracies or inconsistencies in the data

```
[276]: # Use the summary report and box plot to check the outliers or inconsistence...

values in the data
# (1) Check the mathematical statistics of the numerical data types
df.describe()
```

[276]:		instr	class	nb.repeat	attendance	difficulty	\	
	count	5820.000000	5820.000000	5820.000000	5820.000000	5820.000000		
	mean	2.485567	7.276289	1.214089	1.675601	2.783505		
	std	0.718473	3.688175	0.532376	1.474975	1.348987		
	min	1.000000	1.000000	1.000000	0.000000	1.000000		
	25%	2.000000	4.000000	1.000000	0.000000	1.000000		
	50%	3.000000	7.000000	1.000000	1.000000	3.000000		
	75%	3.000000	10.000000	1.000000	3.000000	4.000000		
	max	3.000000	13.000000	3.000000	4.000000	5.000000		
		Q1	Q2	Q3	Q4	Q5	•••	\
	count	5820.000000	5820.000000	5820.000000	5820.000000	5820.000000	•••	
	mean	2.929897	3.073883	3.178694	3.082474	3.105842		
	std	1.341077	1.285251	1.253567	1.284594	1.278989		
	min	1.000000	1.000000	1.000000	1.000000	1.000000		
	25%	2.000000	2.000000	2.000000	2.000000	2.000000		
	50%	3.000000	3.000000	3.000000	3.000000	3.000000	•••	
	75%	4.000000	4.000000	4.000000	4.000000	4.000000	•••	
	max	5.000000	5.000000	5.000000	5.000000	5.000000	•••	
		Q19	Q20	Q21	Q22	Q23	\	
	count	5820.000000	5820.000000	5820.000000	5820.000000	5820.00000		
	mean	3.261684	3.285395	3.307388	3.317526	3.20189		

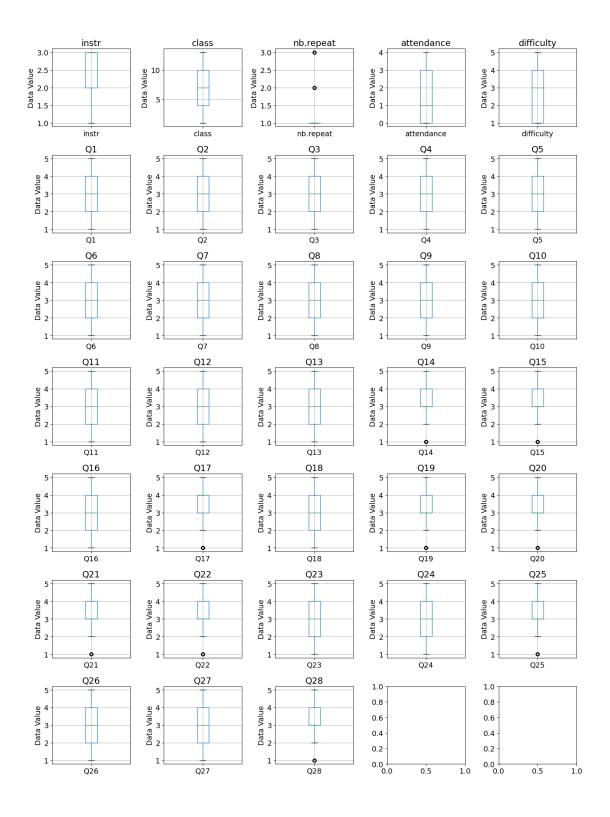
```
std
          1.268442
                        1.276848
                                      1.269974
                                                    1.268358
                                                                  1.27259
min
          1.000000
                        1.000000
                                      1.000000
                                                    1.000000
                                                                  1.00000
25%
          3.000000
                        3.000000
                                      3.000000
                                                    3.000000
                                                                  2.00000
50%
          3.000000
                        3.000000
                                      3.000000
                                                    3.000000
                                                                  3.00000
75%
          4.000000
                        4.000000
                                      4.000000
                                                    4.000000
                                                                  4.00000
max
          5.000000
                        5.000000
                                      5.000000
                                                    5.000000
                                                                  5.00000
                Q24
                             Q25
                                           Q26
                                                         Q27
                                                                       Q28
       5820.000000
                                                              5820.000000
                    5820.000000
                                   5820.000000 5820.000000
count
          3.166838
                        3.312543
                                      3.222165
                                                    3.154811
                                                                  3.308076
mean
                                      1.270695
std
          1.275909
                        1.257286
                                                    1.291872
                                                                  1.278709
min
          1.000000
                        1.000000
                                      1.000000
                                                    1.000000
                                                                  1.000000
25%
          2.000000
                        3.000000
                                      2.000000
                                                    2.000000
                                                                  3.000000
50%
          3.000000
                        3.000000
                                      3.000000
                                                    3.000000
                                                                  3.000000
75%
          4.000000
                        4.000000
                                      4.000000
                                                    4.000000
                                                                  4.000000
max
          5.000000
                        5.000000
                                      5.000000
                                                    5.000000
                                                                  5.000000
```

[8 rows x 33 columns]

```
[277]: # (2) Use the box plot to visualize the ditribution and outliers of the data.
fig, axes = plt.subplots(7, 5, figsize=(15, 20))

# Plot box plots for each column in a subplot
for i, column_name in enumerate(df.columns):
    row_idx = i // 5
    col_idx = i % 5
    df.boxplot(column=column_name, ax=axes[row_idx, col_idx])
    axes[row_idx, col_idx].set_title(column_name)
    axes[row_idx, col_idx].set_ylabel('Data Value')

# Adjust layout
plt.tight_layout()
plt.show()
```



From the box plots, it's evident that several columns have outliers, including nb.repeat, Q14, Q15, Q17, Q19, Q20, Q21, Q22, Q25, and A28.

In the nb.repeat column, some students have taken the course multiple times, with one student

taking it three times and another two times. This aligns with the possibility mentioned in the resource data description that students may take the course multiple times.

In other Q columns, there are outlier values of '1', which could indicate low scores given by a student. Given the possibility of legitimate low scores, I'll retain these original records.

- 1.4 Data normalization or scaling Based on both the df.describe() summary and the box plots, it's evident that the numeric data exhibit similar scales, as indicated by their mean, minimum, and maximum values. Since there are no categorical data present, there's no need for any data encoding in this context.
- 1.5 Feature engineering Following the analysis plan, I will do the following fearture engineering: (1) "sum_Q" and "ave_Q": the total sum and average of all question scores. (2) "sum_Q1_12" and "ave_Q1_12": the sum and average of questions Q1 to Q12 associated with the course. (3) "sum_Q13_28" and "ave_Q13_28": the sum of questions Q13 to Q28 associated with the instructor.

Note that questions Q1 to Q28 are all Likert-type, with values ranging from 1 to 5, where higher numbers indicate positive attitudes.

```
[5]: # (1) Total sum and average of all question scores
df['sum_Q'] = df.iloc[:, 5:33].sum(axis=1)
df['ave_Q'] = df.iloc[:, 5:33].mean(axis=1)

# (2) Sum and average of questions Q1 to Q12 associated with the course
df['sum_Q1_12'] = df.iloc[:, 5:17].sum(axis=1)
df['ave_Q1_12'] = df.iloc[:, 5:17].mean(axis=1)

# (3) Sum of questions Q13 to Q28 associated with the instructor
df['sum_Q13_28'] = df.iloc[:, 17:33].sum(axis=1)
df['ave_Q13_28'] = df.iloc[:, 17:33].mean(axis=1)
```

```
[6]: #Check the data after engineering display(df.info()) display(df.describe())
```

<class 'pandas.core.frame.DataFrame'>
RangeIndex: 5820 entries, 0 to 5819
Data columns (total 39 columns):

#	Column	Non-Null Count	Dtype
0	instr	5820 non-null	int64
1	class	5820 non-null	int64
2	nb.repeat	5820 non-null	int64
3	attendance	5820 non-null	int64
4	difficulty	5820 non-null	int64
5	Q1	5820 non-null	int64
6	Q2	5820 non-null	int64
7	Q3	5820 non-null	int64

```
5820 non-null
8
    Q4
                                  int64
9
    Q5
                 5820 non-null
                                  int64
                 5820 non-null
10
    Q6
                                  int64
11
    Q7
                 5820 non-null
                                  int64
    Q8
                 5820 non-null
                                  int64
12
13
    Q9
                 5820 non-null
                                  int64
14
    Q10
                 5820 non-null
                                  int64
                 5820 non-null
15
    Q11
                                  int64
16
    Q12
                 5820 non-null
                                  int64
                 5820 non-null
17
    Q13
                                  int64
    Q14
                 5820 non-null
18
                                  int64
    Q15
                 5820 non-null
                                  int64
19
20
                 5820 non-null
    Q16
                                  int64
                 5820 non-null
21
    Q17
                                  int64
    Q18
                 5820 non-null
22
                                  int64
23
    Q19
                 5820 non-null
                                  int64
24
    Q20
                 5820 non-null
                                  int64
25
    Q21
                 5820 non-null
                                  int64
26
    Q22
                 5820 non-null
                                  int64
    Q23
27
                 5820 non-null
                                  int64
                 5820 non-null
28
    Q24
                                  int64
29
    Q25
                 5820 non-null
                                  int64
                 5820 non-null
30
    Q26
                                  int64
31
    Q27
                 5820 non-null
                                  int64
32
    Q28
                 5820 non-null
                                  int64
33
                 5820 non-null
                                  int64
    sum_Q
    ave_Q
                 5820 non-null
                                  float64
34
35
                 5820 non-null
                                  int64
    sum_Q1_12
                 5820 non-null
36
    ave_Q1_12
                                  float64
37
    sum_Q13_28
                 5820 non-null
                                  int64
38
    ave_Q13_28
                 5820 non-null
                                  float64
```

dtypes: float64(3), int64(36)

memory usage: 1.7 MB

None

	instr	class	nb.repeat	attendance	difficulty	\	
count	5820.000000	5820.000000	5820.000000	5820.000000	5820.000000		
mean	2.485567	7.276289	1.214089	1.675601	2.783505		
std	0.718473	3.688175	0.532376	1.474975	1.348987		
min	1.000000	1.000000	1.000000	0.000000	1.000000		
25%	2.000000	4.000000	1.000000	0.000000	1.000000		
50%	3.000000	7.000000	1.000000	1.000000	3.000000		
75%	3.000000	10.000000	1.000000	3.000000	4.000000		
max	3.000000	13.000000	3.000000	4.000000	5.000000		
	Q1	Q2	Q3	Q4	Q5		\
count	5820.000000	5820.000000	5820.000000	5820.000000	5820.000000		
mean	2.929897	3.073883	3.178694	3.082474	3.105842		

std	1.341077	1.285251	1.253567	1.284594	1.278989	•••
min	1.000000	1.000000	1.000000	1.000000	1.000000	•••
25%	2.000000	2.000000	2.000000	2.000000	2.000000	•••
50%	3.000000	3.000000	3.000000	3.000000	3.000000	
75%	4.000000	4.000000	4.000000	4.000000	4.000000	•••
max	5.000000	5.000000	5.000000	5.000000	5.000000	
	Q25	Q26	Q27	Q28	sum_Q	\
count	5820.000000	5820.000000	5820.000000	5820.000000	5820.000000	
mean	3.312543	3.222165	3.154811	3.308076	89.212371	
std	1.257286	1.270695	1.291872	1.278709	32.426038	
min	1.000000	1.000000	1.000000	1.000000	28.000000	
25%	3.000000	2.000000	2.000000	3.000000	72.000000	
50%	3.000000	3.000000	3.000000	3.000000	86.000000	
75%	4.000000	4.000000	4.000000	4.000000	112.000000	
max	5.000000	5.000000	5.000000	5.000000	140.000000	
	ave_Q	sum_Q1_12	ave_Q1_12	sum_Q13_28	ave_Q13_28	
count	5820.000000	5820.000000	5820.000000	5820.000000	5820.000000	
mean	3.186156	37.062543	3.088545	52.149828	3.259364	
std	1.158073	14.154666	1.179555	19.080006	1.192500	
min	1.000000	12.000000	1.000000	16.000000	1.000000	
25%	2.571429	27.000000	2.250000	44.000000	2.750000	
50%	3.071429	36.000000	3.000000	51.000000	3.187500	
75%	4.000000	48.000000	4.000000	64.000000	4.000000	
max	5.000000	60.000000	5.000000	80.000000	5.000000	

[8 rows x 39 columns]

1.1.2 2. Create 15 distinct visualizations using plotly

2.1 Pie chart shows the frequncy in class, instructor and nb.repeat, attendance and difficulty

```
[8]: # Calculate the frequency of each category in the 'class' column
    cl = df['class'].value_counts()

# Calculate the frequency of each category in the 'instr' column
    instr = df['instr'].value_counts()

# Calculate the frequency of each category in the 'nb.repeat' column
    repeat = df['nb.repeat'].value_counts()

# Calculate the frequency of each category in the 'attendance' column
    attendance = df['attendance'].value_counts()

# Calculate the frequency of each category in the 'difficulty' column
    diff = df['difficulty'].value_counts()
```

```
# Create subplots for pie charts
specs = [[{'type': 'pie'}, {'type': 'pie'}, {'type': 'pie'}],
        [{'type': 'pie'}, {'type': 'pie'}, None]]
fig = make_subplots(rows=2, cols=3, specs=specs, subplot_titles=("Class", u

¬"Instructor", "Number of Repeat", "Attendance", "Difficulty"))

# Plot pie charts for 'class', 'instr', 'nb.repeat', 'attendance', and
 → 'difficulty' in subplots
fig.add_trace(go.Pie(labels=cl.index, values=cl.values,
 →name="Class", showlegend=True), row=1, col=1)
fig.add trace(go.Pie(labels=instr.index, values=instr.values,
 →name="Instructor",showlegend=True), row=1, col=2)
fig.add_trace(go.Pie(labels=repeat.index, values=repeat.values, name="Number of_
 →Repeat", showlegend=True), row=1, col=3)
fig.add trace(go.Pie(labels=attendance.index, values=attendance.values,
 →name="Attendance",showlegend=True), row=2, col=1)
fig.add_trace(go.Pie(labels=diff.index, values=diff.values,_
 # Adjust layout
fig.update layout(height=800, width=1000, title="Figure 1 Pie charts for first_"
 ⇔five categories")
# Show the plot
fig.show()
```

From Figure 1, the frequency distribution of values in the first five columns of the dataset can be observed.

In the 'class' column, Course 3, Course 13, and Course 5 emerge as the top three courses with the highest counts in the dataset.

Regarding the 'Instructor' column, Instructor 3 appears to be the most frequent.

In the 'Number of Repeat' column, instances of one-time repetition constitute approximately 84.3% of the total counts.

For the 'Attendance' column, the code "0" signifies the lowest level of attendance, which is the most frequent, followed by codes '3', '4', and '2'. While there is no explicit description provided for the codes 0, 1, 2, 3, and 4, it is plausible that '0' indicates either complete absence from class or minimal attendance.

In the 'Difficulty' column, the most common difficulty level is '3', which represents the median difficulty level. Conversely, the most challenging difficulty level, represented by code '5', accounts for approximately 11.2% of instances, whereas the least challenging difficulty level, code '2', constitutes 9.43% of instances.

Next, I will delve deeper into the class and instructor data to analyze how instructors are distributed across different courses.

2.2 Bar plot shows the count of Class and instrutor

```
[9]: # Group data by class and instructor, and calculate counts
     count_instr_class = df.groupby(['class', 'instr']).size().
      →reset_index(name='count')
     # Create a bar plot
     fig = go.Figure()
     # Define a color scale or a list of colors
     colors = px.colors.qualitative.Set2
     # Add trace for count of instructors with class as color
     for i, instructor in enumerate(count instr class['instr'].unique()):
         instructor_data = count_instr_class[count_instr_class['instr'] ==_u
      →instructor]
         fig.add_trace(go.Bar(x=instructor_data['class'],
                              y=instructor_data['count'],
                              name=f'Instructor {instructor}',
                              hovertemplate='Class: %{x}<br>Count:___

¬%{y}<br>Instructor: %{name}',
                              textposition='auto',
                              marker_color=colors[i % len(colors)]))
     # Update layout
     fig.update layout(title='Figure 2 Bar chart shows the count of class by ...
      ⇔instructor',
                       xaxis_title='Course Code',
                       yaxis_title='Count',
                       xaxis=dict(tickmode='array',
                                  tickvals=count_instr_class['class'].unique(),
                                  ticktext=count instr class['class'].unique()),
                       barmode='stack')
     # Show plot
     fig.show()
```

First, we can use bar plots to visualize the count of question records for each course and also the count of instructors in each course.

From Figure 2, we can observe that the top 3 courses with the largest number of students who answered the questions are Course 3, Course 13, and Course 5. Among them, Course 3, 4, 5, 8, 9, and 12 are taught by Instructor 3, while Instructor 1 teaches Course 2, 7, and 10. Instructor 2 teaches Course 1, 6, and 11, and Course 13 is taken by both Instructor 2 and Instructor 3.

We note that Instructor 3 is responsible for teaching 6 classes, Instructor 2 teaches 4 classes, and Instructor 1 teaches 3 classes.

2.3 Density count plot shows the count distribution of instructors and class

To better visualize the density of student records across instructors and classes, it's evident that Class 3 and Class 13 taught by Instructor 3 have the largest group of records, while Class 1 instructed by Instructor 2 has the fewest. This observation suggests that the smaller sample size of records might introduce more bias when evaluating both the class and instructors.

2.4 Sunburst visualizes the attendance distribution across classes and instructors.

From Figure 4, it's evident that attendance levels 0 and 3 are predominant across classes and instructors, with level 1 being the least frequent. Notably, classes 3, 13, and 9, instructed by instructor 3, exhibit a high proportion of level 0 attendance. Conversely, attendance levels across other classes appear more similar.

2.5 Box plot shows the average score for each course and instructors.

```
# Show the plot
fig.show()
```

From Figure 5, it's evident that course 2 (taught by instructor 1), course 1 (taught by instructor 2), and course 10 (also taught by instructor 1) have the highest median average scores.

Instructor 2 teaches four classes, with average scores ranging closely between 3 and 4. On the other hand, instructor 1 teaches three classes, with courses 2 and 10 showing higher average performance scores, while course 7 has the lowest at approximately 3.036. This variation might be linked to the difficulty of the course, warranting further investigation. Despite teaching the most number of classes, instructor 3 has the lowest median average score across all questions, ranging from 3 to 3.2. In course 13, taught by either Instructor 2 or Instructor 3, the median of the average score across all 28 questions is lower for Instructor 3 compared to Instructor 2.

Notably, instructor 2's four courses exhibit multiple outliers with lower average scores, indicating extreme evaluations by some students that don't reflect the overall course performance accurately.

2.6 Heat map shows the distribution of average scores of questions in each course.

```
[285]: # Create a new DataFrame with the class and question columns
       fig6_data = df[['class'] + [f'Q{i}' for i in range(1, 29)]]
       # Melt the DataFrame to create a long format
       melted_fig6 = pd.melt(fig6_data, id_vars='class', var_name='Question',__
        ⇔value_name='Value')
       # Display the melted_fig5
       #display(melted_fig5.head())
       # Sort the 'Question' columns
       melted_fig6['Question'] = melted_fig6['Question'].str.replace('Q', '').
        ⇔astype(int)
       # Create the heatmap, showing the average score of each question and each
        ⇔course,
       # The value of the mean of scores will display when clicked on the cell.
       fig = px.imshow(melted_fig6.pivot_table(index='class', columns='Question',_
        ⇔values='Value', aggfunc='mean'),
                       color_continuous_scale='pubu')
       # Customize the layout
       fig.update layout(
           title='Figure 6 Heatmap of Questions and Courses',
           xaxis_title='Questions',
           yaxis_title='Course Code',
           xaxis_tickvals=list(range(1, 29)),
           xaxis_ticktext=[f'Q{i}' for i in range(1, 29)],
           yaxis_tickvals=list(range(1, 14)),
```

```
yaxis_ticktext=[f'Course {i}' for i in range(1, 14)])
# Show the plot
fig.show()
```

From Figure 6, we observe the overall average scores of each question in each course. By interpreting the color density on the map, we notice that courses 1, 2, and 10 exhibit the highest average scores, depicted by darker shades. This observation aligns with Figure 5.

The highest average score among all questions is found in Q17, which pertains to "The Instructor arrived on time for classes" in course 8. Despite not having the highest overall median of average scores across all 28 questions in Figure 5, it appears that other questions in course 8, such as Q1 "The semester course content, teaching method, and evaluation system were provided at the start" and Q8 "The quizzes, assignments, projects, and exams contributed to helping the learning", have relatively lower scores, contributing to the lower average score of course 8.

In Course 1, the average scores of all questions are relatively high and similar. Notably, Q17 (related to on-time class attendance) and Q28 (related to how the instructor treated all students) exhibit the highest average scores (approximately 3.574), while Q1 (related to the content, teaching method, and evaluation at the start) has the lowest score (3.172).

In course 2, the overall scores of all questions are similarly high, consistent with Figure 5. Q14 (related to how well the instructor prepares for the class), Q15 (related to taught and the announced lesson plan), and Q17 (related to on-time class attendance) have the highest scores, with values of 3.707, 3.679, and 3.714 respectively. Conversely, Q1 (related to the content, teaching method, and evaluation) has the lowest score at 3.421.

The pattern continues similarly for courses 3 through 13, where Q17 tends to have the highest score, while Q1 often has the lowest. Across all questions, students express the highest satisfaction with Q17, related to the instructor's on-time class attendance, while they exhibit the least satisfaction with Q1 and Q12, which pertain to content, teaching method, and evaluation, and helping students look at life and the world with a new perspective, respectively.

2.7 Tree map show the realtionship between the difficulty and the average scores of all questions.

From Figure 7, overall Course 3 and Course 13 have the highest count of records in the dataset.

In Course 3, the most frequent difficulty level reported by students is Level 1 (easy), with an average score of approximately 3.35 for all questions. Interestingly, Level 2 difficulty has the highest average score of all questions, approximately 3.76. However, students perceive Level 5 difficulty, with an average score of about 3.4, suggesting the discrepancy between perceived difficulty and actual scores given by the student.

In Course 13, the majority of students perceived the difficulty as Level 1, with an overall average score of 3.36. Notably, Level 3 difficulty yielded the highest average score of all questions, approximately 3.63.

Courses 1, 2, 6, 8, 9, 11, 10, and 12 predominantly reported Level 3 difficulty as most frequent, while Courses 5 and 7 had Level 4 difficulty as the most frequent with the high aveage score of questions.

2.8 Scatter plot shows the relationship between the questions associated with the course (Q1 to Q12) and the questions associated with the instructors (Q13 to Q28).

From Figure 8, which illustrates the relationship between the questions associated with the course (Q1 to Q12) and the questions associated with the instructors (Q13 to Q28), each data point represents a record evaluated by different students. Fluctuations along the diagonal suggest that the average scores for evaluating the course and instructor are similar. Conversely, data points in the upper left quadrant suggest that while the average scores for the course are low, the scores for the instructors are high, and vice versa for data points in the lower right quadrant.

The scatter plot reveals that there are approximately 5 data points for class 5 and 6 data points for class 13 in the upper left quadrant, indicating that 5 students evaluate the instructors highly but the course poorly, while 6 students do the same for class 13. Conversely, there are few data points in the lower right quadrant, where students rate the course highly but the instructors poorly, notably observed for class 10 and class 9 with 1 and 4 students respectively. These "outliers" may suggest a discrepancy in the evaluations between the course and instructor among a minority of students.

Overall, the majority of students evaluate both the course and instructor similarly, with data points concentrated around the center indicating that most students perceive both aspects at a moderate level.

I will deep into the aveage scores in either course or instructor.

2.9. Density count plot visualizes the distribution of average scores for Q1 to Q12 and Q13 to Q28.

Before delving into further analysis, let's visualize the overall distribution of average scores for questions Q1 to Q12 and Q13 to Q28 using density plots. Figure 9 illustrates that the average scores for both sets of questions are predominantly distributed around 3 and 4, with fewer counts around score 2. Notably, there are some inconsistencies in the upper density contour around 3, suggesting that some students rated the course lower while rating the instructors higher. Further exploration into each type of question within classes or instructors will be conducted.

2.10 Histogram shows the frequency distribution of average scores for questions associated with class in each class.

```
# Show the plot
fig.show()
```

From the interactive histogram, we observe various patterns in the frequency distribution of average scores associated with each course: #### Course 1: The most frequent average scores range from 2.75 to 3.24, with 81 counts, and from 3.75 to 4.24, with 79 counts. The least frequent range is between 1.25 and 1.74, with only 2 counts. #### Course 2: The range from 4.75 to 5.24 has the highest frequency, with 41 counts. Scores above 3 have the most counts, indicating that students highly evaluate this course. #### Course 3: Shows peculiar average scores, with the range from 0.9 to 1.09 having 132 counts, followed by 1.9 to 2.09 with 86 counts, and 2.9 to 3.09 with 236 counts, which is the highest. This suggests fluctuating evaluations, with most students providing middle values but others giving either high or very low evaluations. #### Course 4: The most frequent range is from 2.75 to 3.24, with 56 counts. #### Course 5: The most frequent ranges are 2.9 to 3.09 with 130 counts and 3.9 to 4.09 with 115 counts, indicating overall positive evaluations. #### Courses 6, 8, 9, 11, and 13: Show similar patterns to course 5. #### Course 7: Shows high frequency in the range from 3 to 3.49 with 49 counts, 1 to 1.49 with 24 counts, and 4 to 4.49 with 26 counts. Overall, most students provide mid-level evaluations, with some giving very low or high evaluations. #### Course 10: Shows overall high frequency in the higher score ranges. #### Course 12: Has fewer student records compared to other courses, with a wider variation. The most frequent average scores range from 2.5 to 4.5.

2.11 Area plot depicts the trend of two sets of questions for instructor.

From the area plot, it can be observed that the overall trend of the average score of all questions indicates similarity between instructor 1 and instructor 2, with comparable average scores and trends in both sets of questions. However, instructor 3 exhibits the lowest average scores, particularly in the average score of questions associated with instructors.

2.12 Histogram displays the frequency distribution of average scores for questions associated with instructors, color-coded by class.

```
[14]: # Sort the 'instr' column to make the animation_frame in order
df_sort_instr = df.sort_values('instr', ascending=True)

# Create the animated histogram
fig = px.histogram(df_sort_instr, x='ave_Q13_28', color='class',
→animation_frame='instr',opacity=0.7, # Set opacity of bars
```

```
title='Figure 12 Histogram shows the frequent average scores_
of questions assocaited with instructor in each instructor color by class')

# Update layout
fig.update_layout( xaxis_title='Average Score of Q12-28',
    yaxis_title='Frequency',
    hovermode='closest', # Show closest data on hover
    plot_bgcolor='white', # Set plot background color
    bargap=0.1) # Set gap between bars

# Update y-axis range
fig.update_yaxes(range=[0,750])

# Show the plot
fig.show()
```

From Figure 12, it's evident that for Instructor 1, the average scores of questions associated with instructors are most frequent in the higher levels of the score range, with 3.9-4.09 being the most frequent range with 172 counts. Similarly, for each class, the distribution of average scores is quite similar.

For Instructor 2, students evaluate the instructor overall with high scores, with the range 3.0-4.09 having the most count of 378. Again, the distribution of average scores across classes is similar.

In the case of Instructor 3, the most frequent range is 2.95-3.04 with 737 counts, followed by 3.95-4.04 with 536 counts, and 0.95-1.04 with 432 counts. However, it's notable that there is also a considerable number of students giving low scores, especially in the range below 2, indicating a mixed perception of Instructor 3. Interestingly, the students giving low scores are mostly from Class 13, suggesting a significant portion of students in that class have a negative attitude towards Instructor 3.

2.13 Violin plot of average scores (Q13-28) by instructor and class

From the violin plot, it can be observed that the average scores of questions associated with instructors vary across different classes. For instance, in Instructor 1, who teaches classes 2, 7, and 10, the distribution of average scores for questions associated with instructors in class 2 is relatively equal

across the range of 2.5 to 5, while in classes 7 and 10, the average scores are more concentrated around scores 3 and 4.

Instructor 2, who teaches classes 1, 6, 11, and 13, shows a higher frequency of scores 3 and 4 in classes 1, 6, and 11, while in class 13, the average scores are evenly distributed between 3 and 5.

Instructor 3, who teaches the remaining classes, exhibits a similar distribution with more counts around scores 3 and 4 in classes 4, 5, 8, and 9, while in class 3, there is a higher count in average scores of 3, and in class 12, the distribution ranges from 2 to 3.

Class 13, taught by either Instructor 2 or 3, shows an overall higher score distribution, while Instructor 1 has a median score distribution around 3 and a lower score distribution around 1.

2.14 3D Plot of Average Scores and Difficulty by Instructor

To delve deeper into the relationship between the average scores of the two question sets and the course difficulty, we utilized a 3D scatter plot. Upon examining the scatter plot, it becomes evident that there is no discernible correlation between course difficulty and average score levels. Scores across all difficulty levels exhibit a varied distribution, suggesting that difficulty alone may not significantly influence the average scores. Further visualization and analysis will be conducted to explore potential relationships.

2. 15 Bubble chart of class and instructor with average scores and difficulty

From Figure 15, we observe distinct patterns in the relationship between instructor, difficulty level, and average scores. Instructor 1 tends to present higher and middle difficulty levels, with Class 7 exhibiting notably high difficulty (level 5) and lower average scores. Across classes taught by Instructor 1, there is a clear trend: higher difficulty corresponds to lower average scores.

For Instructor 2, difficulty ranges between 3 and 4, with average scores generally aligning in the 3 to 4 range. Notably, difficulty level 1 is associated with an average score of 4. Classes instructed by Instructor 2 display moderate to high difficulty evaluations, accompanied by relatively high average scores.

Instructor 3's classes display a broader range of difficulty, spanning from 1 to 4. Interestingly, there is no clear trend observed between difficulty level and average scores, as higher difficulty levels do not consistently correlate with lower average scores.

1.1.3 3.Plot Correlation matrix of numerical features and write down your insights

From the correlation matrix, there are no significant correlations observed between the question scores and the instructor, class, number of repeats, attendance, and difficulty. Similarly, the correlations among the instructor, class, number of repeats, attendance, and difficulty are also low.

However, the correlations between each pair of questions are high, with correlation coefficients greater than 0.8 except for question 17. This weaker correlation for question 17 may be attributed to all students consistently giving high scores for it across all classes, thereby reducing the strength of correlation observed.

1.2 Task 2

```
[124]: # Load the data
       # I had already upload the data in the jupyter notebook
       df2_1 = pd.read_csv("training.csv")
       df2_2 = pd.read_csv("testing.csv")
[125]: # Visualize the data structure to determine how to merge these two dataset
       display(df2_1.head())
       display(df2_2.head())
                     BrdIndx Area Round
                                            Bright
                                                     Compact
                                                              ShpIndx Mean_G
                                                                                 Mean R \
                                                                                 241.74
      0
               car
                        1.27
                                 91
                                      0.97
                                             231.38
                                                        1.39
                                                                  1.47
                                                                        207.92
      1
         concrete
                        2.36
                                241
                                      1.56
                                            216.15
                                                        2.46
                                                                  2.51
                                                                        187.85
                                                                                 229.39
                                                                  2.21
                                                                        206.54
                                                                                 244.22
      2
         concrete
                        2.12
                                266
                                      1.47
                                            232.18
                                                        2.07
      3
         concrete
                        2.42
                                399
                                      1.28
                                            230.40
                                                        2.49
                                                                  2.73
                                                                        204.60
                                                                                 243.27
      4
                                944
                                                                  4.10
                                                                        165.98
                                                                                205.55
         concrete
                        2.15
                                      1.73
                                            193.18
                                                        2.28
         Mean_NIR ...
                       SD_NIR_140
                                   LW_140
                                            GLCM1_140
                                                        Rect_140
                                                                  GLCM2_140 \
                                      2.00
                                                            0.85
      0
           244.48
                             26.18
                                                  0.50
                                                                        6.29
                                                  0.79
                                                            0.55
      1
           231.20 ...
                             22.29
                                      2.25
                                                                        8.42
           245.79
      2
                             15.59
                                      2.19
                                                  0.76
                                                            0.74
                                                                        7.24
      3
           243.32 ...
                             13.51
                                      3.34
                                                  0.82
                                                            0.74
                                                                        7.44
      4
           208.00 ...
                             15.65
                                     50.08
                                                  0.85
                                                            0.49
                                                                        8.15
         Dens 140
                    Assym 140 NDVI 140 BordLngth 140
                                                          GLCM3 140
                         0.70
      0
              1.67
                                   -0.08
                                                      56
                                                             3806.36
      1
              1.38
                         0.81
                                   -0.09
                                                    1746
                                                             1450.14
      2
              1.68
                         0.81
                                   -0.07
                                                     566
                                                             1094.04
      3
                         0.92
                                   -0.09
              1.36
                                                    1178
                                                             1125.38
      4
              0.23
                         1.00
                                   -0.08
                                                    6232
                                                             1146.38
      [5 rows x 148 columns]
                                                              ShpIndx Mean_G
              class
                     BrdIndx Area Round
                                            Bright Compact
                                                                                 Mean_R \setminus
         concrete
      0
                        1.32
                                      0.81
                                             222.74
                                                        1.66
                                                                  2.18
                                                                       192.94
                                                                                 235.11
                                131
                        1.59
                                      0.94
                                              47.56
                                                                  1.87
                                                                                  48.78
      1
           shadow
                                864
                                                        1.41
                                                                         36.82
      2
                        1.41
                                              51.38
                                                                  1.53
                                                                         41.72
                                                                                  51.96
            shadow
                                409
                                      1.00
                                                        1.37
                        2.58
                                      1.91
                                                                  3.11
                                                                         93.13
                                                                                  55.20
      3
              tree
                                187
                                              70.08
                                                        3.41
      4
           asphalt
                        2.60
                                116
                                      2.05
                                              89.57
                                                        3.06
                                                                  3.02
                                                                         73.17
                                                                                  94.89
         Mean NIR
                       SD_NIR_140 LW_140
                                            GLCM1_140 Rect_140 GLCM2_140 \
      0
           240.15
                             31.15
                                      5.04
                                                  0.80
                                                            0.58
                                                                        8.56
      1
             57.09
                             12.01
                                      3.70
                                                  0.52
                                                            0.96
                                                                        7.01
      2
             60.48 ...
                             18.75
                                                  0.90
                                                            0.63
                                                                        8.32
                                      3.09
      3
             61.92 ...
                             27.67
                                      6.33
                                                  0.89
                                                            0.70
                                                                        8.56
      4
            100.64 ...
                             32.05
                                      1.01
                                                  0.83
                                                            0.75
                                                                        8.62
```

```
0.98
                            -0.10
0
       0.82
                                             1512
                                                     1287.52
1
       1.69
                  0.86
                            -0.14
                                             196
                                                     2659.74
2
       1.38
                  0.84
                             0.10
                                             1198
                                                     720.38
3
       1.10
                  0.96
                             0.20
                                             524
                                                      891.36
4
       2.08
                  0.08
                            -0.10
                                              496
                                                     1194.76
```

[5 rows x 148 columns]

```
[126]: # Concatenate the dataframes vertically
df2 = pd.concat([df2_1, df2_2])

# Check the type of the new data frame
display(df2.head())
display(df2.info())
```

	class	B:	rdIndx	Area	Round	l Bright	Compact	ShpIndx	Mean_G	Mean_R	\
0	car		1.27	91	0.97	231.38	1.39	1.47	207.92	241.74	
1	concrete		2.36	241	1.56	216.15	2.46	2.51	187.85	229.39	
2	concrete		2.12	266	1.47	232.18	2.07	2.21	206.54	244.22	
3	concrete		2.42	399	1.28	230.40	2.49	2.73	204.60	243.27	
4	concrete		2.15	944	1.73	193.18	2.28	4.10	165.98	205.55	
	${\tt Mean_NIR}$	•••	SD_NIR	_140	LW_140	GLCM1_1	40 Rect_	140 GLCM	[2_140 \		
0	244.48	•••	20	6.18	2.00	0.	50 0	.85	6.29		
1	231.20	•••	2:	2.29	2.25	0.	79 C	.55	8.42		
2	245.79	•••	1	5.59	2.19	0.	76 C	.74	7.24		
3	243.32	•••	13	3.51	3.34	0.8	32 0	.74	7.44		
4	208.00	•••	1	5.65	50.08	0.8	35 C	.49	8.15		
	Dens_140	As	sym_140	NDV	I_140	BordLngth	_140 GLC	M3_140			
0	1.67		0.70	-	-0.08		56 3	806.36			
1	1.38		0.81	-	-0.09		1746 1	450.14			
2	1.68		0.81	-	-0.07		566 1	.094.04			
3	1.36		0.92	-	-0.09		1178 1	125.38			

6232

1146.38

[5 rows x 148 columns]

0.23

<class 'pandas.core.frame.DataFrame'>

Index: 675 entries, 0 to 506

Columns: 148 entries, class to GLCM3_140 dtypes: float64(133), int64(14), object(1)

1.00

-0.08

memory usage: 785.7+ KB

None

4

1.2.1 1.Data Cleaning & Transformation

1.1 Handle missing data.

class 0 BrdIndx 0 Area 0 0 Round Bright 0 Dens_140 0 $Assym_140$ 0 NDVI_140 0 BordLngth_140 0 GLCM3_140 Length: 148, dtype: int64

There are total O missing values in the dataset.

1.2 Address duplicate records

```
[128]: # I define that all values in all columns are the same as the duplicated records
all_duplicates_2 = df2.duplicated(keep=False)

# Display rows that are duplicates
all_duplicates_df_2 = df2[all_duplicates_2]
print("Duplicate rows where all values in all columns are the same")
display(all_duplicates_df_2)
```

Duplicate rows where all values in all columns are the same

```
class BrdIndx Area Round Bright Compact
                                                   ShpIndx Mean_G Mean_R \
152 tree
               1.26
                      216
                            1.03
                                 118.06
                                             1.39
                                                       1.5
                                                            177.24
                                                                     79.63
455 tree
               1.26
                      216
                            1.03 118.06
                                             1.39
                                                       1.5 177.24
                                                                     79.63
     Mean NIR
                 SD_NIR_140 LW_140 GLCM1_140 Rect_140
                                                           GLCM2 140 \
152
        97.32 ...
                        45.8
                                1.41
                                           0.92
                                                     0.49
                                                                8.89
        97.32 ...
455
                        45.8
                                1.41
                                           0.92
                                                     0.49
                                                                8.89
     Dens_140 Assym_140 NDVI_140 BordLngth_140 GLCM3_140
          1.5
                    0.52
                              0.15
                                              690
152
                                                      599.36
455
          1.5
                    0.52
                              0.15
                                              690
                                                      599.36
```

[2 rows x 148 columns]

There are two rows with identical values in all columns. I will remove one of them and keep one for further analysis.

```
[129]: # Remove duplicate rows keeping only one instance
df2_nd = df2.drop_duplicates(keep='first')

# Check the dataframe after removing duplicate rows
display(df2_nd.info())
```

<class 'pandas.core.frame.DataFrame'>

Index: 674 entries, 0 to 506

Columns: 148 entries, class to GLCM3_140 dtypes: float64(133), int64(14), object(1)

memory usage: 784.6+ KB

None

1.3 Correct any inaccuracies or inconsistencies in the data

(1) Object data

```
#First check the unique values in the object-type columns to determine the
appropriate actions

# Get the list of object-type columns
object_col_df2 = df2_nd.select_dtypes(include=['object']).columns
#display(len(object_col_df2))

# Display unique values for each object-type column
for column in object_col_df2:
    print(f"Unique values in column '{column}':")
    display(df2_nd[column].unique())
```

```
Unique values in column 'class':
```

No typos were found in the unique object.

(2) Numerical data There are 148 columns, making it impractical to use pair plots or box plots to visualize the distribution of numerical data. Instead, I'll use the describe() function to examine any inconsistencies by checking the minimum, maximum, mean, median, and standard deviation.

```
[131]: # Display the numerical inforantion in the data display(df2_nd.describe())
```

	${\tt BrdIndx}$	Area	Round	Bright	Compact	\
count	674.000000	674.000000	674.000000	674.000000	674.000000	
mean	2.022567	563.857567	1.211810	165.672745	2.160994	
std	0.622502	693.909270	0.546658	62.872555	0.834991	
min	1.000000	10.000000	0.000000	26.850000	1.000000	
25%	1.570000	160.250000	0.822500	127.880000	1.622500	

```
50%
         1.940000
                     318.500000
                                   1.180000
                                              170.020000
                                                             1.990000
75%
         2.380000
                     679.750000
                                    1.500000
                                              224.315000
                                                             2.480000
         4.530000
                   5767.000000
                                    3.520000
                                              245.870000
                                                             8.070000
max
          ShpIndx
                        Mean G
                                     Mean R
                                               Mean NIR
                                                                SD G
       674.000000
                    674.000000
                                674.000000
                                             674.000000
                                                          674.000000
count
mean
         2.266647
                    165.099288
                                162.758694
                                             169.160178
                                                           10.561855
std
         0.714465
                     60.317145
                                 72.860031
                                              69.236184
                                                            5.012118
min
         1.040000
                     22.910000
                                 26.520000
                                              31.110000
                                                            3.550000
25%
         1.710000
                   131.890000
                                 99.490000
                                             112.660000
                                                            6.920000
50%
         2.170000
                    189.425000
                                159.525000
                                             168.325000
                                                            8.925000
75%
         2.680000
                    207.705000
                                237.307500
                                             237.540000
                                                           13.105000
         5.410000
                    246.350000
                                253.610000
                                             253.630000
                                                           36.400000
max
       SD_NIR_140
                        LW_140
                                  GLCM1_140
                                               Rect_140
                                                           GLCM2_140
                                                                         Dens_140
       674.000000
                    674.000000
                                674.000000
                                             674.000000
                                                          674.000000
                                                                      674.000000
count
        24.362493
                      2.975445
                                  0.812270
                                               0.614659
                                                            7.984347
                                                                         1.490312
mean
        12.341204
                      5.254535
                                  0.105813
                                               0.195224
                                                            0.767536
                                                                         0.457939
std
                      1.000000
                                  0.200000
                                               0.100000
                                                            5.690000
min
         2.650000
                                                                         0.230000
25%
        14.275000
                      1.380000
                                  0.760000
                                               0.460000
                                                            7.362500
                                                                         1.190000
50%
        22.155000
                      1.870000
                                  0.830000
                                               0.630000
                                                            7.940000
                                                                         1.490000
75%
        33.227500
                      2.627500
                                  0.890000
                                               0.767500
                                                            8.640000
                                                                         1.850000
max
        61.340000
                     64.700000
                                  0.970000
                                               1.000000
                                                            9.570000
                                                                         2.410000
        Assym_140
                      NDVI_140
                                BordLngth_140
                                                  GLCM3_140
       674.000000
                   674.000000
                                    674.000000
                                                 674.000000
count
                      0.024050
         0.644496
                                   1296.216617
                                                1145.939065
mean
std
         0.249024
                      0.139049
                                   1062.686078
                                                 556.731858
min
         0.030000
                     -0.360000
                                     34.000000
                                                 211.270000
25%
         0.460000
                     -0.080000
                                    542.000000
                                                 761.167500
50%
         0.680000
                     -0.030000
                                  1050.000000
                                                1055.535000
75%
         0.850000
                      0.140000
                                  1746.000000
                                                1411.462500
         1.000000
                      0.370000
                                  8896.000000
                                                3806.360000
max
```

[8 rows x 147 columns]

1.4 Data normalization or scaling I will use the StandardScaler to scale the data and create the new columns to store the data after scaling.

```
[132]: from sklearn.preprocessing import StandardScaler

# Initialize the scaler
standard_scaler = StandardScaler()

# Select the numerical columns to scale
numerical_columns = df2_nd.columns[1:] # Exclude the first column assuming_
it's non-numeric
```

```
# Apply Standardization and create new columns
for col in numerical_columns:
    df2_nd[f'{col}_standard_scaled'] = standard_scaler.
    fit_transform(df2_nd[[col]])
```

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```
[134]: # Check the new data set
       display(df2_nd.info())
      <class 'pandas.core.frame.DataFrame'>
```

Index: 674 entries, 0 to 506

Columns: 295 entries, class to GLCM3 140 standard scaled

dtypes: float64(280), int64(14), object(1)

memory usage: 1.5+ MB

None

1.5 Encoding categorical data

```
[136]: # Encode the "class" columns by using labelEncoder
       from sklearn.preprocessing import LabelEncoder
       # Initialize the label encoder
       label encoder = LabelEncoder()
       # Encode the 'class' column
       df2_nd['class_encoded'] = label_encoder.fit_transform(df2_nd['class'])
       # Display the unique encoded values
       print("Unique values in column 'class_encoded':")
       print(df2_nd['class_encoded'].unique())
```

Unique values in column 'class_encoded': [2 3 8 1 0 4 6 7 5]

1.6 Feature engineering Based on the analysis questions, I will create a new column named base on the value of Normalized Difference Vegetation Index (NDVI).

```
[138]: # Define the bins and labels for the NDVI categories
       bins = [-np.inf, 0, np.inf] # Bin edges: (-\omega, 0], (0, \omega)
       labels = ['Negative NDVI', 'Positive NDVI'] # Labels for the categories
       # Create a new column 'NDVI_Category' based on the NDVI values
       df2_nd['NDVI_Category'] = pd.cut(df2_nd['NDVI'], bins=bins, labels=labels,__
        →right=True, duplicates='drop')
```

/var/folders/t0/m35j63d92_15jr028g67rfzr0000gn/T/ipykernel_15942/3333994037.py:6 : PerformanceWarning:

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1.2.2 2. Explore the distribution of different land cover classes across the entirety of our dataset.

Pie chart and bar chart will be used the explore the distribution of the different land cover classes in the data.

From the pie chart and bar chart above, it's evident that the most prevalent land cover class is building, accounting for 23.6% of the total frequency, followed by concrete and grass.

The descending order of land cover classes based on total counts is displayed in the bar chart. Notably, the top two land cover classes, building and concrete, are human-made, while grass and tree rank third and fourth, respectively. Conversely, car, soil, and pool represent the least prevalent land cover types, indicating significant urbanization with high vehicular and human-built infrastructure. Despite urbanization, grass and tree cover still account for a substantial portion, approximately 21.7% and 20.3%, respectively.

1.2.3 3. Investigate relationships between the mean greenness (Mean_G), mean redness (Mean_R), and mean near-infrared (Mean_NIR) values across different land cover classes

From the 3D plot, upon closer inspection, the interaction between Mean_G (Green spectral variable), Mean_R (Red spectral variable), and Mean_NIR (Near Infrared spectral variable) across different land cover classes becomes apparent.

Pool, asphalt, shadow, and soil are distinguishable with clear clusters, facilitated by these three parameters in the scatterplot. However, building and concrete, as well as grass and tree, exhibit overlapping regions due to similar colors and materials. Additionally, most of the car records are intermingled with the building and concrete classes, although some cars exhibit distinct colors, making them stand out and identifiable using these three parameters.

1.2.4 4. Create a bubble chart to demonstrate the association between Area and Roundness, where the size of each bubble represents the Compactness of the land cover.

```
[142]: # Map each unique class to a specific color
class_color_map = {
    'building': 'blue',
    'concrete': 'red',
    'tree': 'green',
    'asphalt': 'orange',
    'grass': 'purple',
    'shadow': 'yellow',
    'soil': 'cyan',
    'pool': 'magenta'
}
```

```
# Create hover text and bubble size
hover_text = []
bubble_size = []
# Iterate over the dataframe to create hover text and bubble size
for index, row in df2_nd.iterrows():
   hover_text.append(('Class: {class_name} <br>'+
                      'Area: {area}<br>'+
                      'Roundness: {roundness}<br>'+
                      'Compactness: {compactness}').

→format(class name=row['class'],
                                                           area=row['Area'],
 ⇔roundness=row['Round'],
 ⇔compactness=row['Compact']))
    bubble_size.append(row['Compact'])
# Add hover text and bubble size to the dataframe
df2_nd['text'] = hover_text
df2_nd['size'] = bubble_size
# Create the bubble chart
fig = px.scatter(df2_nd, x='Area', y='Round', color='class', size='size',
 ⇔color_discrete_map=class_color_map, hover_data=['text'])
# Update layout
fig.update_layout(title='Figure 2_5 Bubble chart shows the association between_
 →Area, Roundness, and Compactness, and color by land class',
                  xaxis_title='Area', yaxis_title='Roundness')
# Show the figure
fig.show()
```

/var/folders/t0/m35j63d92_15jr028g67rfzr0000gn/T/ipykernel_15942/1514510148.py:2 9: PerformanceWarning:

DataFrame is highly fragmented. This is usually the result of calling `frame.insert` many times, which has poor performance. Consider joining all columns at once using pd.concat(axis=1) instead. To get a de-fragmented frame, use `newframe = frame.copy()`

/var/folders/t0/m35j63d92_15jr028g67rfzr0000gn/T/ipykernel_15942/1514510148.py:3 0: PerformanceWarning:

DataFrame is highly fragmented. This is usually the result of calling `frame.insert` many times, which has poor performance. Consider joining all

```
columns at once using pd.concat(axis=1) instead. To get a de-fragmented frame,
use `newframe = frame.copy()`
```

From the bubble chart, it can be observed that overall, buildings have the highest area compared to other land cover classes but exhibit lower roundness, with relatively small compactness. Concrete exhibits the second highest area, with most of its roundness values falling within the middle range of 0.5 to 2. However, there are a few data points with higher roundness and smaller compactness.

Most of the other land cover classes have areas ranging between 0 to 1000 square meters, with roundness values ranging from 0 to 2.5. Some data points in the upper left corner of the chart exhibit higher roundness and larger compactness, mainly belonging to grass, trees, and concrete.

1.2.5 5. Examine the spread of average greenness (Mean_G) across various land cover categories through a box plot analysis.

1.2.6 6.Produce a scatter plot matrix (pair plot) displaying pairwise relationships between selected features, with each scatter plot colored according to the land cover class.

The scatter plot matrix reveals that the mean of the color and the Normalized Difference Vegetation Index (NDVI) are effective parameters for distinguishing between different land cover classes. However, there are instances where multiple classes overlap, indicating a challenge in accurately classifying certain areas.

1.2.7 7.Plot Correlation matrix of numerical features

base on the description of data set website, except features: BrdIndx: Border Index (shape variable) Area: Area in m2 (size variable) Round: Roundness (shape variable) Bright: Brightness (spectral variable) Compact: Compactness (shape variable) ShpIndx: Shape Index (shape variable) Mean_G: Green (spectral variable) Mean_R: Red (spectral variable) Mean_NIR: Near Infrared (spectral variable) SD_G: Standard deviation of Green (texture variable) SD_R: Standard deviation of Red (texture variable) SD_NIR: Standard deviation of Near Infrared (texture variable) LW: Length/Width (shape variable) GLCM1: Gray-Level Co-occurrence Matrix [i forget which type of GLCM metric this one is] (texture variable) Rect: Rectangularity (shape variable) GLCM2: Another Gray-Level Co-occurrence Matrix attribute (texture variable) Dens: Density (shape variable) Assym: Assymetry (shape variable) NDVI: Normalized Difference Vegetation Index (spectral variable) BordLngth: Border Length (shape variable) GLCM3: Another Gray-Level Co-occurrence Matrix attribute (texture variable)

These variables repeat for each coarser scale. so i will use these numeric feature to make the correlation matrix

```
y=list(numerical_df.columns),
    colorscale='Viridis',
    annotation_text=correlation_matrix.values,
    showscale=True
)

# Update layout
fig.update_layout(
    title='Figure 2_7 Correlation Matrix of Selected Numerical Features',
    xaxis_title='Features',
    yaxis_title='Features',
    annotations=annotations
)

# Show the figure
fig.show()
```

form the correlation matrix, this is evident that the correlation between rect with brdindx, round and rect, compact and rect, glcm1 and glcm3 are high.

1.2.8 8.Create a simple dashboard using pydash.

```
[122]: | pip install pydash
```

Requirement already satisfied: pydash in /Users/xiexiaoyang/anaconda3/lib/python3.11/site-packages (7.0.7) Requirement already satisfied: typing-extensions!=4.6.0,>=3.10 in /Users/xiexiaoyang/anaconda3/lib/python3.11/site-packages (from pydash) (4.7.1)

```
[123]: import dash
import dash_core_components as dcc
import dash_html_components as html
from dash.dependencies import Input, Output

# Initialize the Dash app
app = dash.Dash(__name__)

# Define the layout of the dashboard
app.layout = html.Div(children=[
    html.H1(children='Simple PyDash Dashboard'),

html.Div(children='''
    Enter a number to see its square:
    ''''),
    dcc.Input(id='input-number', type='number', value=5),
    html.Div(id='output-container')
```

```
# Define callback to update output based on input
@app.callback(
    Output('output-container', 'children'),
    [Input('input-number', 'value')]
)
def update_output(value):
    return f'The square of {value} is {value ** 2}'

# Run the app
if __name__ == '__main__':
    app.run_server(debug=True)
```

[]: