

Donnie Newell

Den4gr

4Sep12

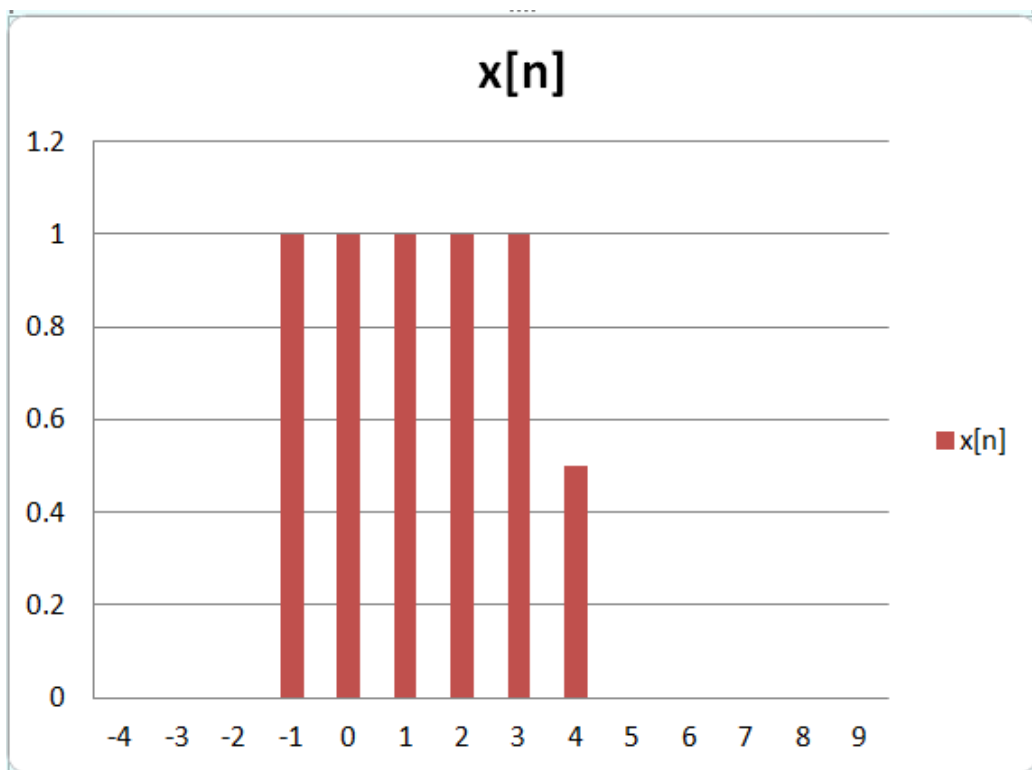
Homework #1

From the 3rd Edition:

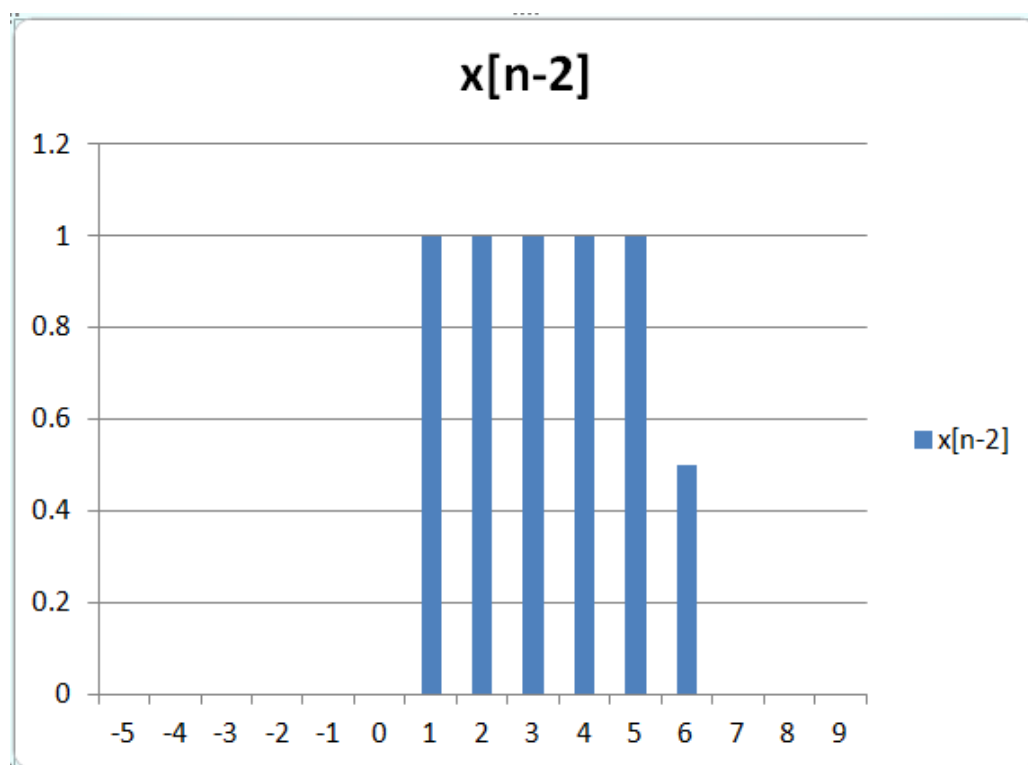
2.18

- (a) causal, because $u[n] = 0$ when $n < 0$
- (b) causal, because $u[n] = 0$ when $n < 0$ and $h[0] = (1/2)^n u[-1]$
- (c) non-causal, because $h[-1] = (1/2)^1 = .5 \neq 0$
- (d) non-causal, because $h[-1] = u[1] - u[-3] = 1 - 0 = 1 \neq 0$
- (e) non-causal, because $h[-1] = 3*u[-1] + (1/3)*u[0] = (1/3) \neq 0$

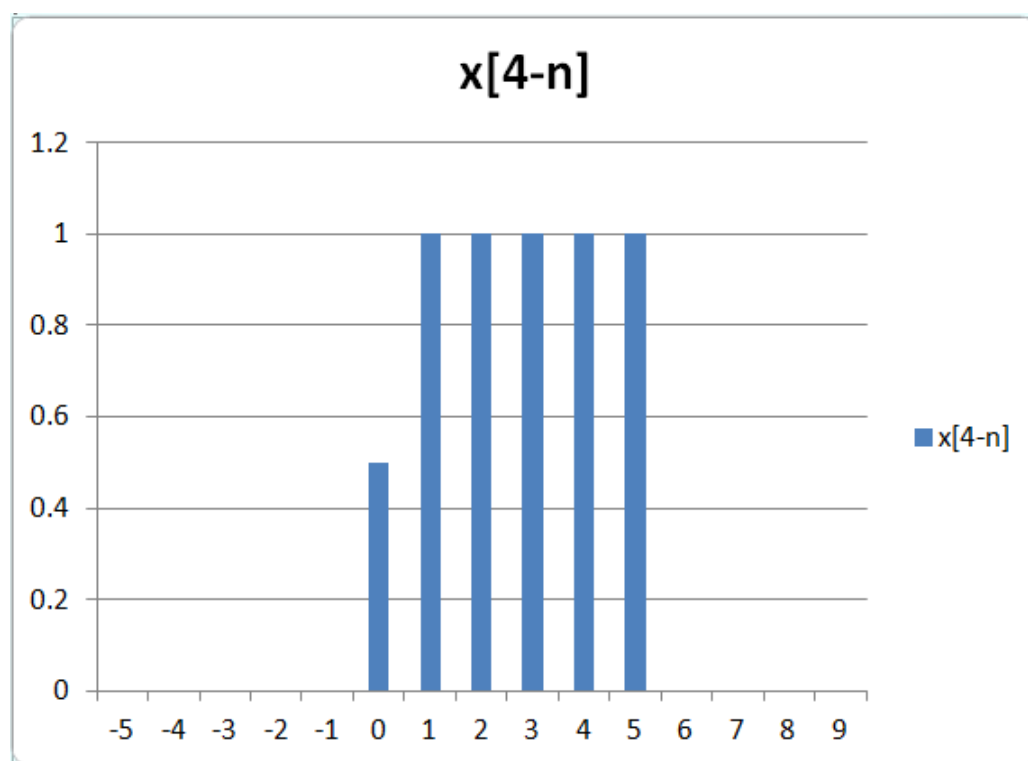
2.21



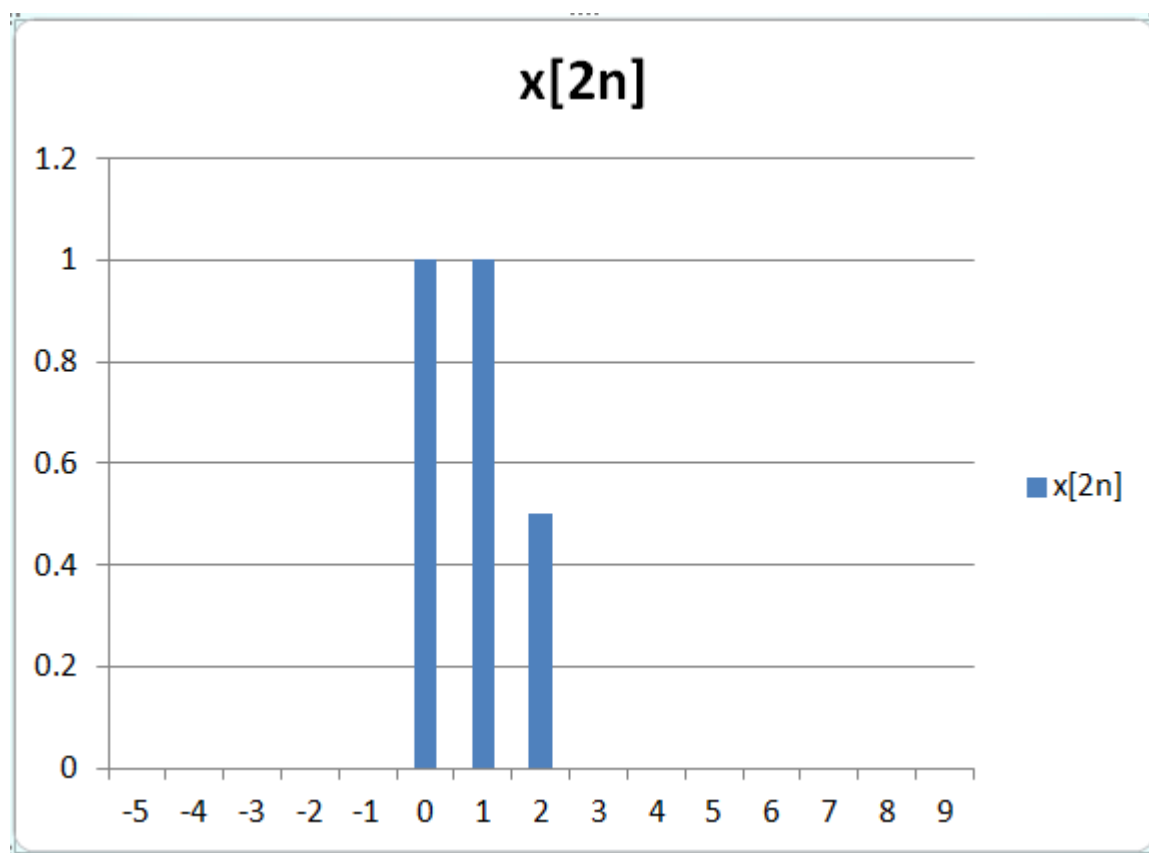
(a)



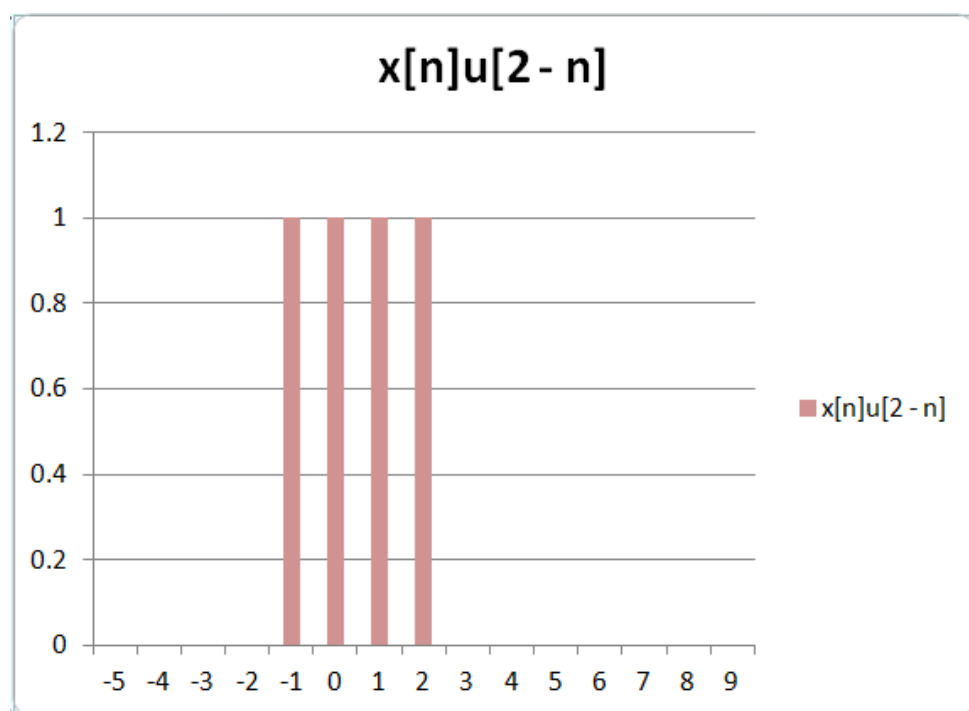
(b)



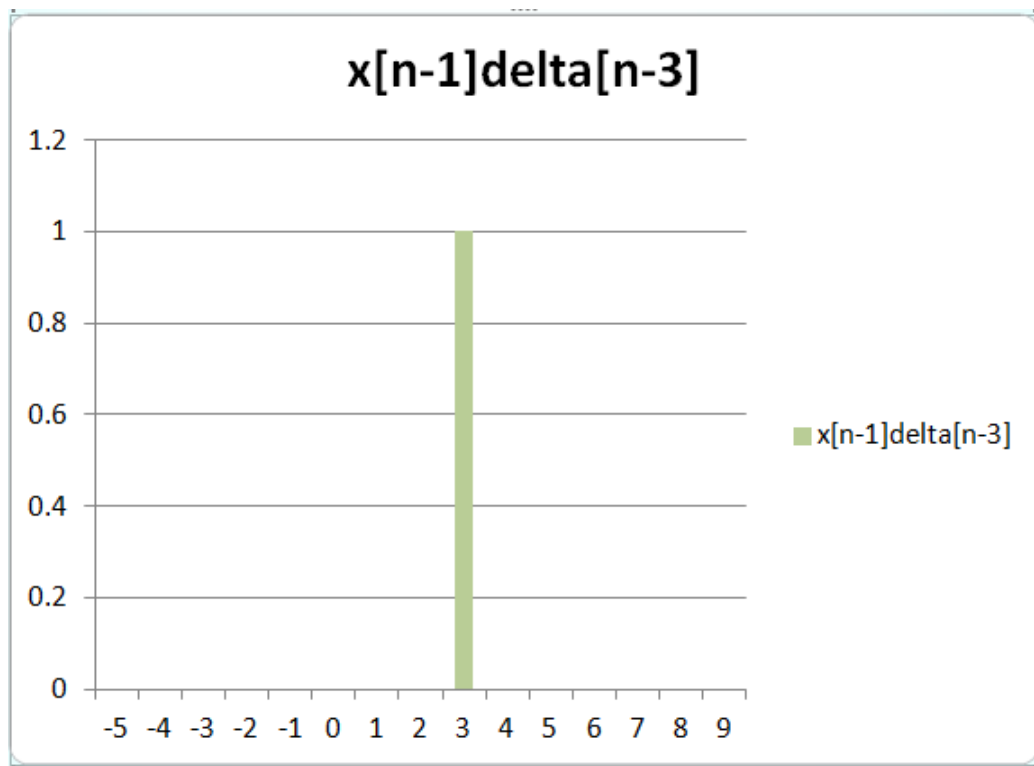
(c)



(d)



(e)



2.49

(a) I understand the definition of LTI systems, but I could not find any examples that illustrated how to approach this question in the book or slides. I could not attend recitation, and Clive tried to help over email with little success. My confusion is centered around not understanding how to combine the inputs into a single input.

(b)

2.58

(a)

$$h[n] = \delta[n] + 2 * \delta[n - 1] + \delta[n - 2]$$

$$n < 0 : h[n] = 0$$

$$n == 0 : h[n] = 1$$

$$n == 1 : h[n] = 2$$

$$n == 2 : h[n] = 1$$

$$n > 2 : h[n] = 0$$

(b) Yes. It is stable because $h[n]$ is absolutely summable to 4.

(c)

$$H(e^{j\omega}) = \sum (\delta[n] + 2 * \delta[n - 1] + \delta[n - 2]) * e^{-j\omega n}$$

$$H(e^{j\omega}) = (1) * e^{-j\omega 0} + (2) * e^{-j\omega 1} + (1) * e^{-j\omega 2}$$

$$H(e^{j\omega}) = 1 + 2e^{-j\omega} + e^{-j\omega 2}$$

$$H(e^{j\omega}) = 1 + e^{-j\omega} (2 + e^{-j\omega})$$

The only trigonometric identity I saw used in the text was converting $e^{j\omega x} - e^{-j\omega x}$ to $\sin[\omega x]$ but that doesn't seem to apply here.

(d)

(e)