# Introduction to Computer Vision in Python

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What is Computer Vision?

#### **Every picture tells a story**



#### **Every picture tells a story**



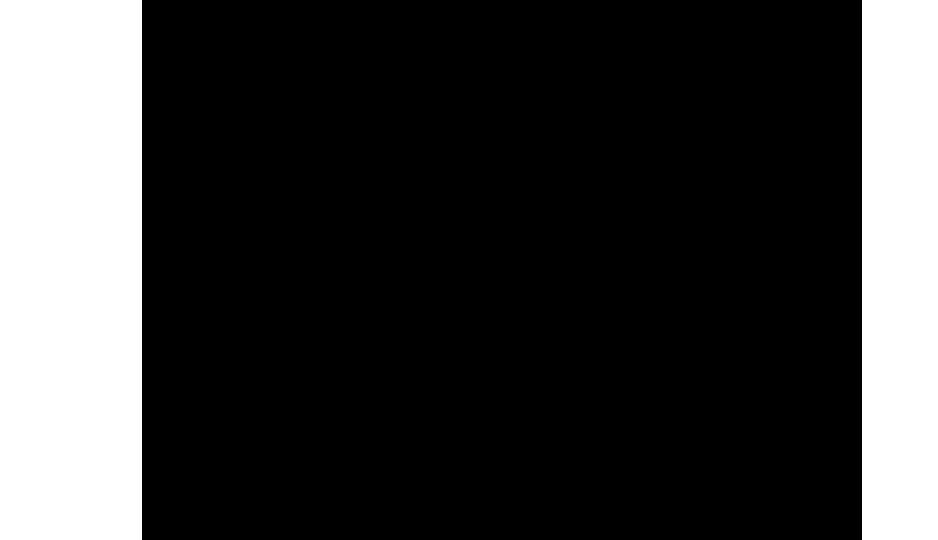
Goal of computer vision is to write computer programs that can interpret images

### Why study Computer Vision?

- Images and movies are ubiquitous in both production and consumption
- Applications to manipulate images (movies) are a great need
- As are the systems to extract information from imagery
  - Surveillance
  - Building 3D models
  - Motion capture assisted

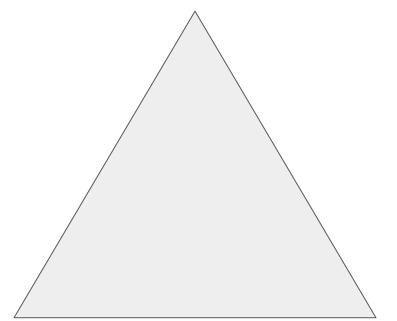
### What is the state of the art in computer vision?





### Workshop outline

#### **Computational Models (Math)**



**Algorithm** 

**Real Images** 

- Introduction
- Filtering
- Template matching
- Edge detection
- Line detection in a video

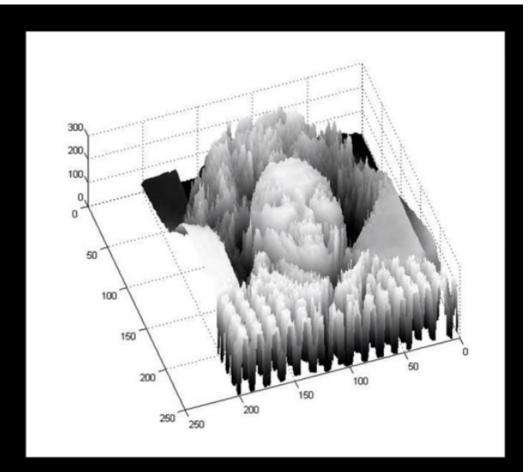
#### What is an image?



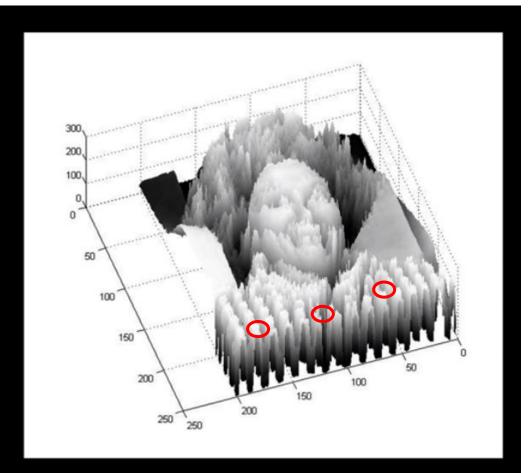


<u>l(x,y)</u>









f: [a,b] x [c,d] -> [min, max]

#### **Color images as functions**

$$f(x,y) = \begin{bmatrix} r(x,y) \\ g(x,y) \\ b(x,y) \end{bmatrix}$$

#### The real Phyllis



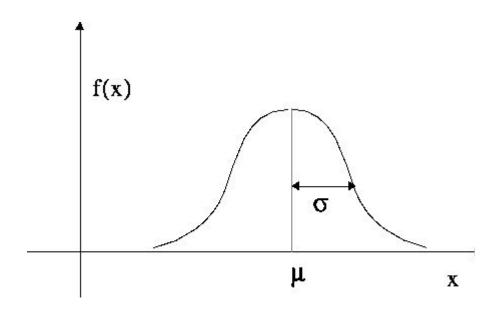
>> pd(40:60,30:40)

ans =

152	122	99	83	122	120	154	150	123	141	112
102	140	109	114	125	124	69	134	123	141	132
138	160	135	109	104	89	91	145	128	102	154
101	147	165	87	93	97	110	145	157	124	141
58	68	96	115	80	98	137	160	145	168	166
57	127	62	92	145	127	93	121	168	221	157
69	108	74	71	156	119	106	140	156	161	158
116	132	101	60	134	159	110	125	153	145	123
109	119	130	113	80	176	121	108	111	152	133
135	77	102	134	127	136	154	130	139	120	160
175	127	112	145	153	125	160	126	103	94	166
205	187	151	87	128	154	124	174	96	129	142
206	211	207	171	153	146	173	194	125	129	164
214	205	235	200	170	162	151	151	183	152	107
225	199	211	203	125	145	154	181	201	184	137
207	203	172	169	170	127	116	95	197	187	138
171	208	150	157	184	153	109	119	148	182	138
111	170	150	116	128	170	144	132	119	176	132
101	172	168	130	112	131	116	136	129	137	121
103	167	164	131	104	106	96	111	106	103	139
92	136	146	138	92	63	73	101	120	126	134

#### Hands-on: Gaussian Noise

1\_Gaussian\_Noise.ipynb

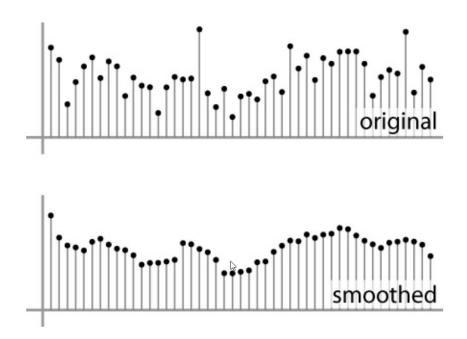


#### Hands-on: Gaussian Noise Image

2\_Gaussian\_Noise\_Image.ipynb

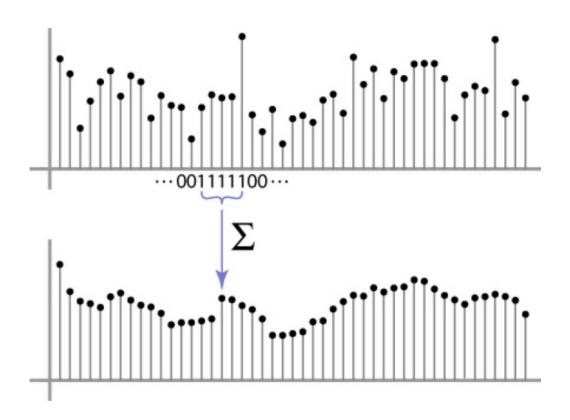
## How do we remove noise in an image?

#### **Smoothing -1D**

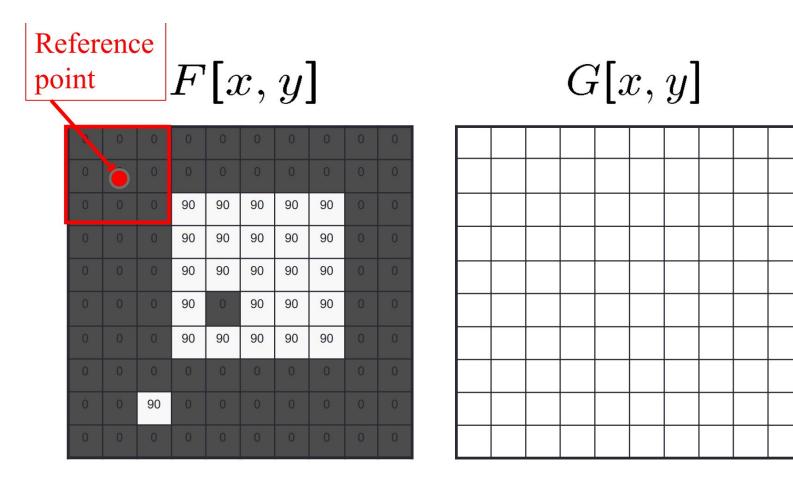


Source: S. Marschner

#### **Weighted Moving Average**

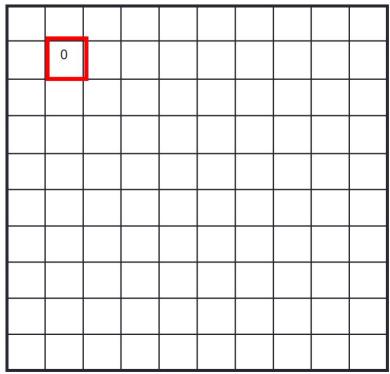


Source: S. Marschner



	G	r,	y
			Ť

0	0	0	0	0	0	0	0	0	0
0		0							
0			90	90	90	90	90		
0			90	90	90	90	90		
0			90	90	90	90	90		
0			90		90	90	90		
0			90	90	90	90	90		
0		0							
0		90							
0	0	0	0	0	0	0	0	0	0

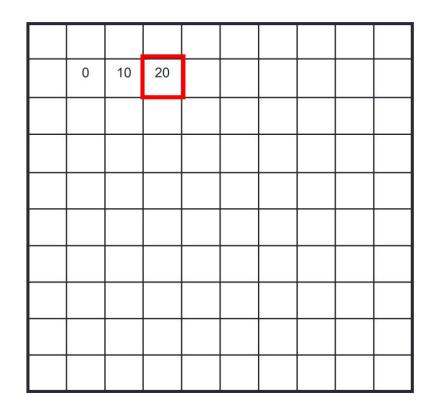


G	[x,	$\eta$
$\cup$	$oldsymbol{\omega},$	$g_{ m J}$

0	0	0	0	0	0	0	0	0	0
0	0		0	0			0		
0	0	0	90	90	90	90	90	0	0
			90	90	90	90	90		
			90	90	90	90	90		
			90	0	90	90	90		
0	0	0	90	90	90	90	90	0	0
0			0	0	0	0	0		
		90							
		0							

0	10				

0	0	0	0	0	0	0	0	0	0
0		0			0				
0			90	90	90	90	90		
0			90	90	90	90	90		
0			90	90	90	90	90		
0			90		90	90	90		
0			90	90	90	90	90		
0		0							
0		90							
0	0	0	0	0	0	0	0	0	0



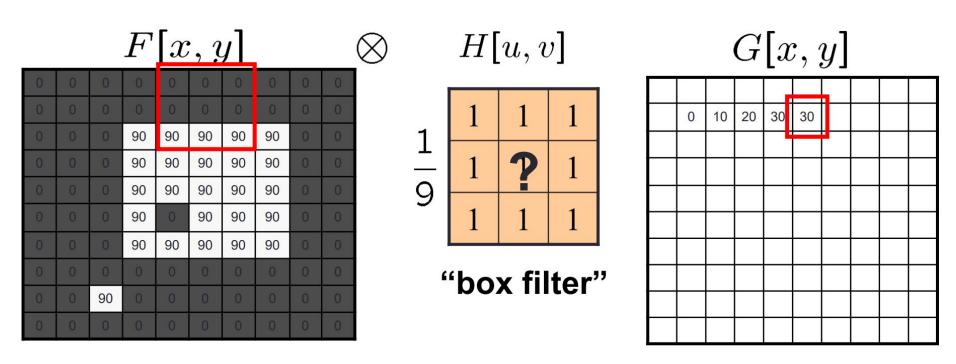
- - -

									0
									0
			90	90	90	90	90		0
			90	90	90	90	90		0
			90	90	90	90	90		0
			90		90	90	90		0
			90	90	90	90	90		0
									0
		90							0
0	0	0	0	0	0	0	0	0	0

#### G[x,y]

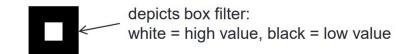
	10	20	30	30	30	20	10	
	20	40	60	60	60	40	20	
	30	60	90	90	90	60	30	
	30	50	80	80	90	60	30	
	30	50	80	80	90	60	30	
	20	30	50	50	60	40	20	
10	20	30	30	30	30	20	10	
10	10	10						

#### **Cross-correlation**



$$G = H \otimes F$$

#### **Smoothing with a box filter**





original



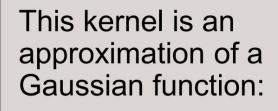
filtered

#### **Gaussian filter**

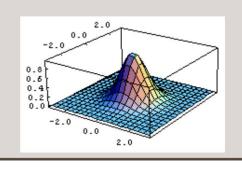
What if we want nearest neighboring pixels to have the

most influence on the output?

0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	0	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	0	0	0	0	0	0	0
0	0	90	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0

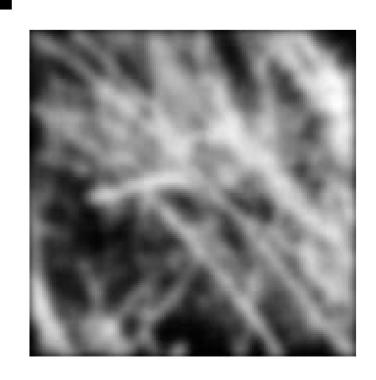


$$h(u,v) = \frac{1}{2\pi\sigma^2}e^{-\frac{u^2+v^2}{\sigma^2}}$$



#### **Smoothing with Gaussian**





#### Hands-on: Gaussian Filter

3\_Gaussian\_Filter.ipynb

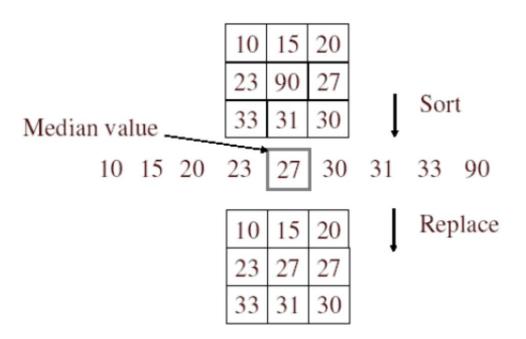
#### **Hands-on: Linear Filter**

4\_Linear\_Filter.ipynb

0	0	0	4	1	1	1
0	2	0	$-\frac{1}{\alpha}$	1	1	1
0	0	0	9	1	1	1

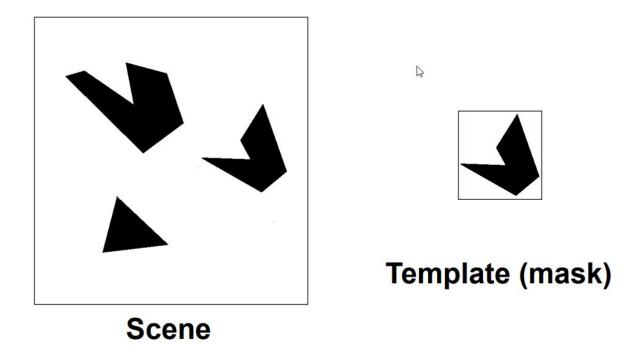
#### **Hands-on: Linear Filter**

5\_Median\_Filter.ipynb



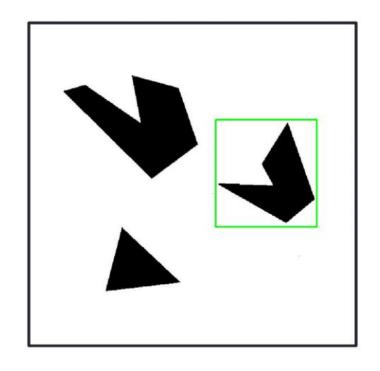
# How filters will allow us to extract features?

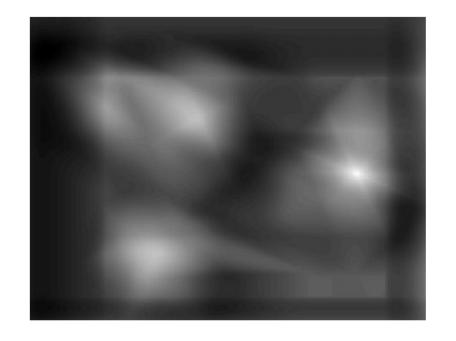
#### **Template matching**



A toy example

#### **Template matching**



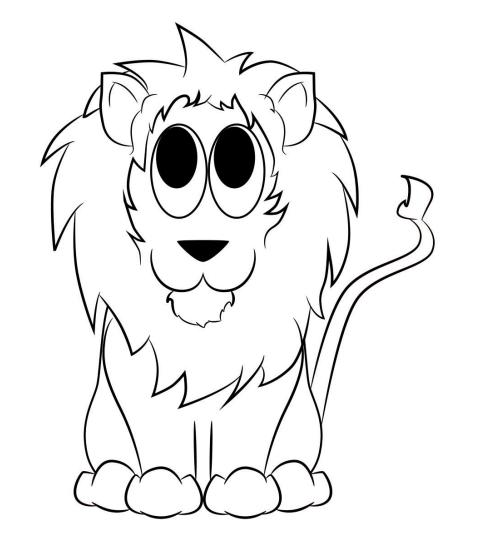


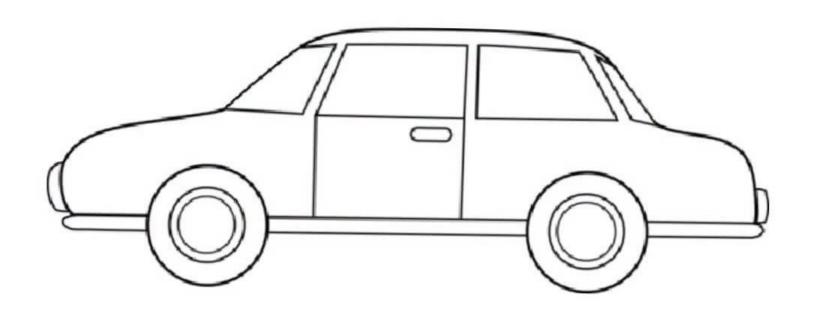
**Detected template** 

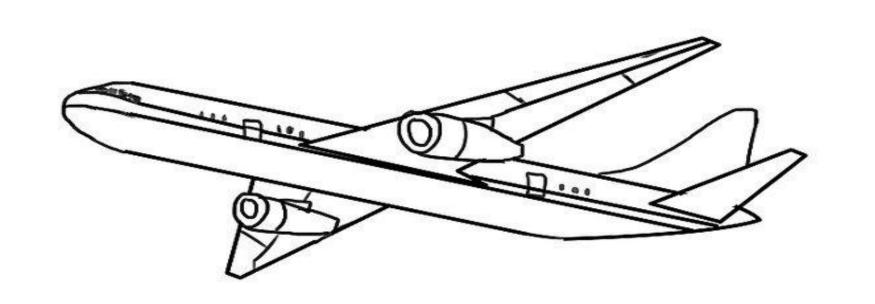
**Correlation map** 

#### **Hands-on: Template Matching**

6\_Template\_Matching.ipynb



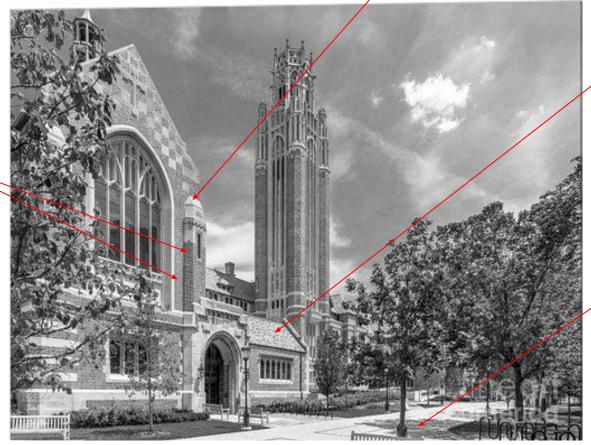






/ Discontinuity in surface orientation

Depth discontinuity: object boundary

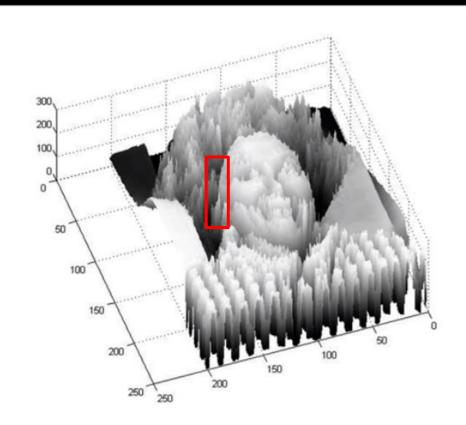


Reflectance change: appearance information, texture

**Cast shadow** 

# How we determine that a pixel at some location x,y is actually an edge pixel?





#### **Edge detection**

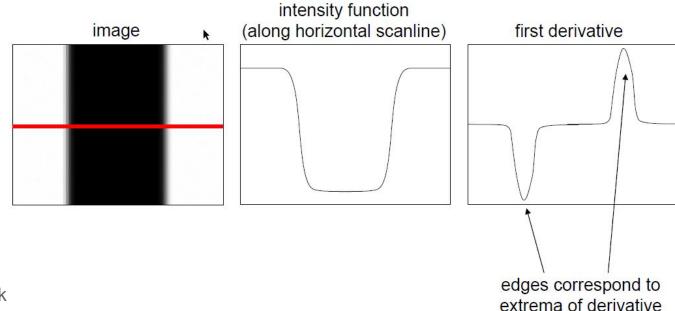
 Idea: look for a neighborhood with strong signs of change.

- Questions:
  - Neighborhood size
  - How to detect change

81	82	26	24
82	33	25	25
81	82	26	24

#### **Changes in a function? => Derivatives**

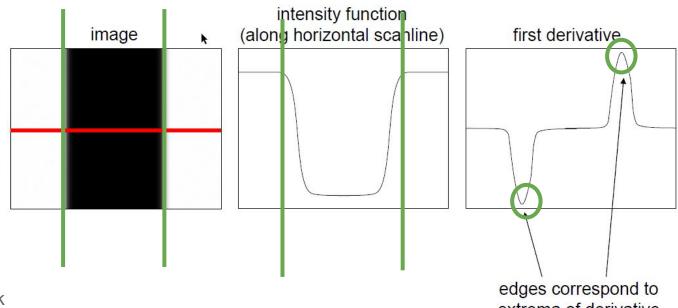
 An edge is a place of rapid change in the image intensity function



Source: S. Lazebnik

#### Changes in a function? => Derivatives

An edge is a place of rapid change in the image intensity function



Source: S. Lazebnik

extrema of derivative

How we will find the peaks?

Image Differential Operator

Image gradient function Threshold the image gradient function

Edge pixels

### What is a gradient?

#### **Image gradient**

• The gradient of an image:  $\nabla f = \left[\frac{\partial f}{\partial x}, \frac{\partial f}{\partial v}\right]$ 

$$\nabla f = \begin{bmatrix} \frac{\partial f}{\partial x} & 0 \end{bmatrix} \quad \nabla f = \begin{bmatrix} \frac{\partial f}{\partial x} & \frac{\partial f}{\partial y} \end{bmatrix}$$

#### Finite differences - discrete gradient

$$\frac{\partial f(x,y)}{\partial x} \approx f(x+1,y) - f(x,y)$$
 "right derivative"



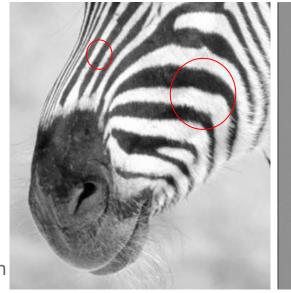


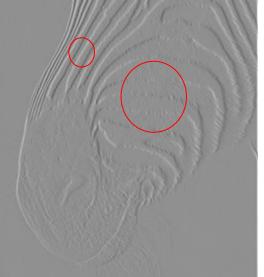
Finite difference in x or in y?

Source: D. Forsyth

#### Finite differences - discrete gradient

$$\frac{\partial f(x,y)}{\partial x} \approx f(x+1,y) - f(x,y)$$
 "right derivative"





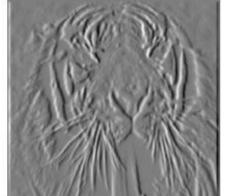
Finite difference in x or in y?

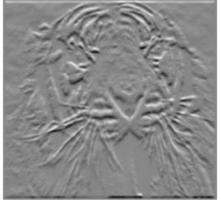
Source: D. Forsyth

#### Partial derivatives of an image







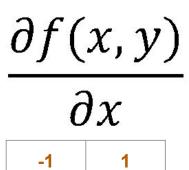


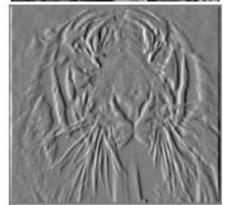
In the images at bottom, which one shows changes in x direction and which one in y direction?

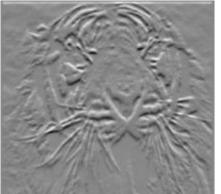
#### Partial derivatives of an image

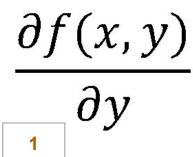












(correlation filters)

#### Discrete gradient - operator

-1 1

0	0	
-1	+1	
0	0	

0	0	0
-1/2	0	+1/2
0	0	0

 -1
 1

 -1
 1

-1 0 1 / 2

average of "left" and "right" derivative

#### Hands-on: Edge detection

7\_Edge\_Detection.ipynb

• Sobel operator:  $\frac{1}{8}$ \*

-1	0	1
-2	0	2
-1	0	1

S<sub>x</sub>

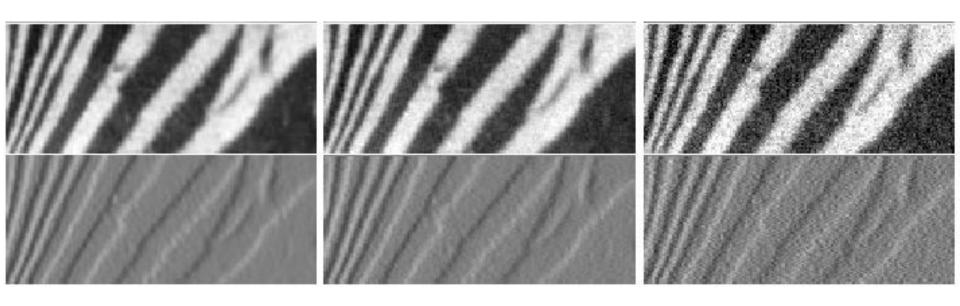
1/8 *	1	2	1
	0	0	0
	-1	-2	-1

 $S_y$ 

Original image — Gradient magnitude — Thresholded gradient

Other gradient masks: Sobel, Prewitt, Roberts

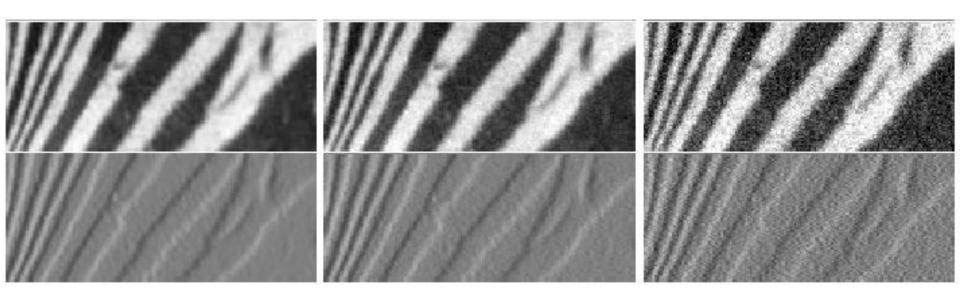
#### But, in the real world...



What we can apply to eliminate noise?

Source: S. Lazebnik

#### But, in the real world...



Apply Gaussian filtering => extract derivative of Gaussian filter

Source: S. Lazebnik

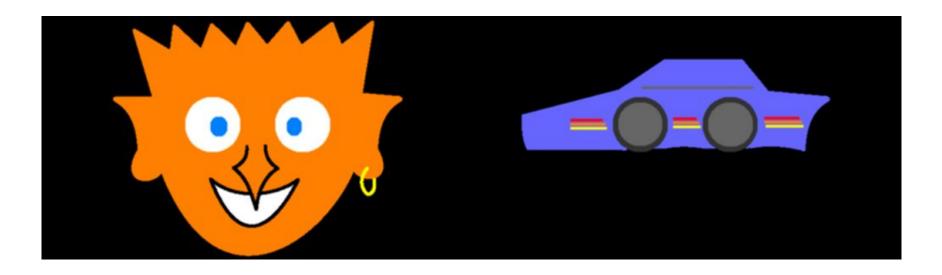
#### Hands-on: Canny edge operator

8\_Canny\_Edge\_Operator.ipynb

- 1. Filter image with the derivative of Gaussian
- 2. Find magnitude and orientation of the gradient
- 3. Non-maximum suppression:
  - a. Thin multi-pixel wide "ridges" down to single pixel width
- 4. Linking and thresholding(hysteresis):
  - a. Define two thresholds: low and high
  - b. Use the high threshold to start edge curves and the low threshold to continue them

#### Hands-on: Canny edge operator

8\_Canny\_Edge\_Operator.ipynb



Find the common edges in the two pictures

Image processing:

**Computer vision:** 

 $F: I(x,y) \rightarrow \text{good stuff}$ 

 $F: I(x,y) \rightarrow I'(x,y)$ 

### **Line fitting**



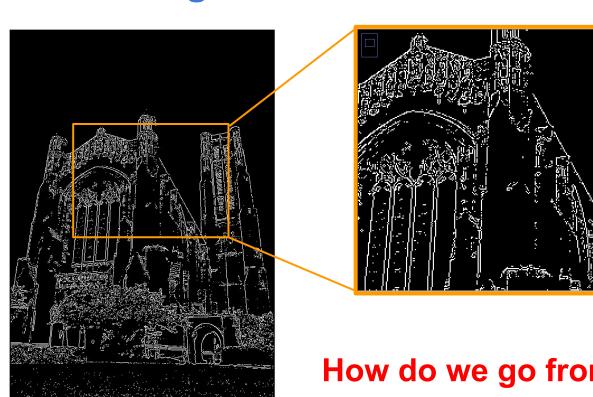




### **Line fitting**



#### **Line fitting**



How do we go from edges to lines?

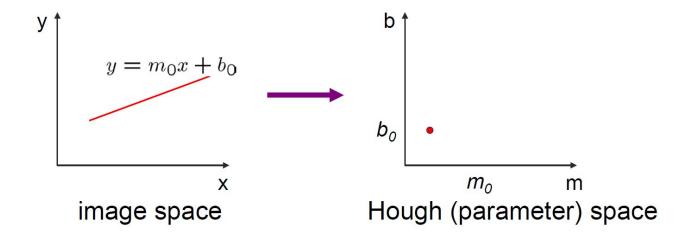
## Voting

- General technique where we let the features vote for all models that are compatible with it:
  - 1. Cycle through features, each casting votes for model parameters.
  - 2. Look for model parameters that receive a lot of votes.

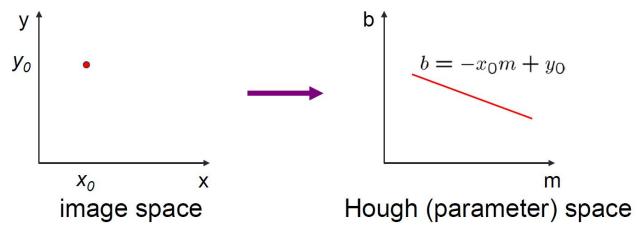
### **Fitting lines**

#### Hough Transform

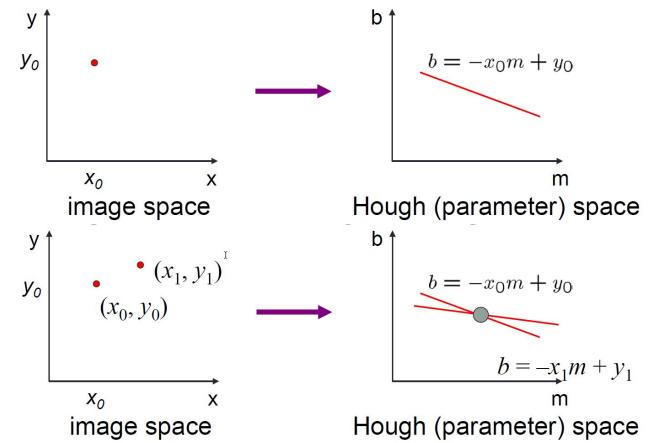
- Each edge point votes for compatible lines
- Look for lines that get many votes



#### **Hough Transform**

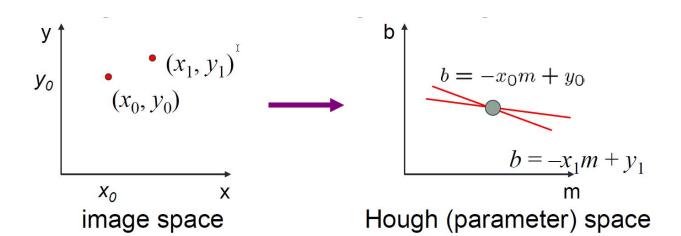


#### **Hough Transform**

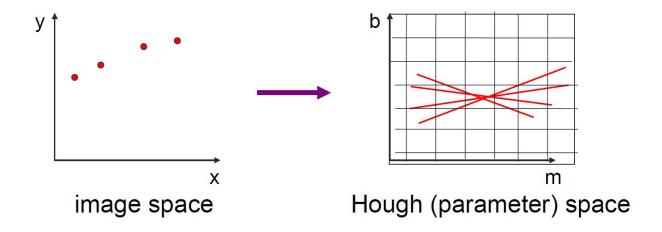


#### **Hough Transform**

# What line will be consistent with both points?

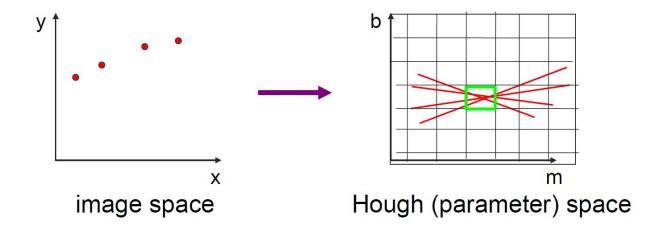


#### **Hough Transform - the algorithm**



 Each edge point in image space votes for a set of possible parameters in Hough space

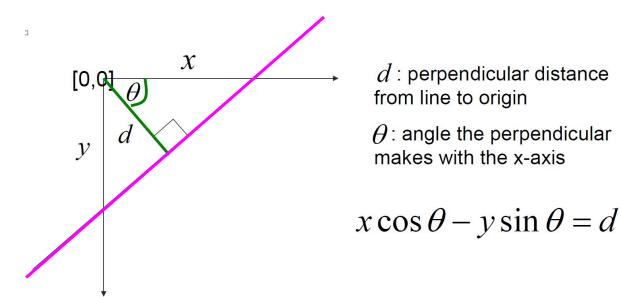
#### **Hough Transform - the algorithm**



 Each edge point in image space votes for a set of possible parameters in Hough space

#### Hough Transform - use a polar representation of lines

 Issues with usual (m,b) parameter space: can take on infinite values, undefined for vertical lines



### **Hands-on: Hough transform**

9\_Hough\_Transform.ipynb

#### **Extensions:**

- Using the gradient
  - $\theta$  = gradient at (x,y)  $\rightarrow$  to reduce the voting time
- Can be used for detecting circles, squares, or any other shape

# What is an image?

**Until nou:** a function - a 2D pattern of intensity values

Now: a 2D projection of 3D points

- Features and Matching
  - Corner detection
  - Panorama reconstruction

https://www.pyimagesearch.com/2016/01/11/opencv-panorama-stitching/

# visualization Slack team

Join the RCC's image analysis and