Lab04/02

1. **Play Cards! (I)**

   This question is almost the same as your HW3-6. Instead of using words to represent the suits, here we use the symbols.

   On our workstation we can use Unicode for printing symbols. For example, printing the string "\xE2\x99\xA0" shows a blade on the screen.

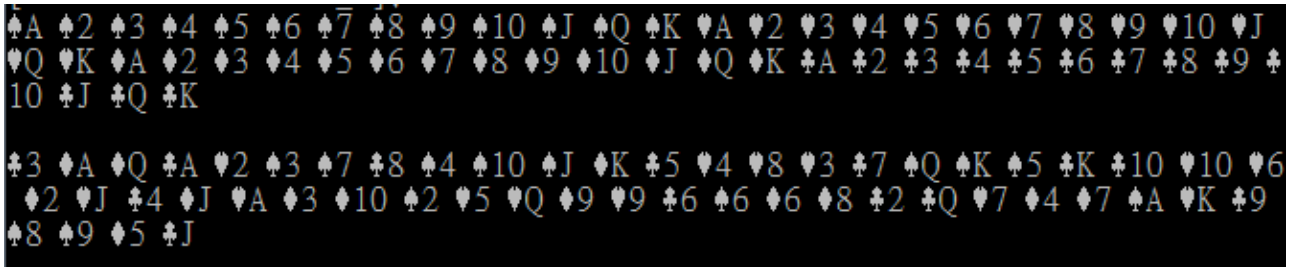
   Please define following functions.

   - void displayCards(...): Show each card's number and suit.
   - void getCards(...): Create a deck of cards
   - void swapCards(...): Swap two cards
   - void shuffleCards(...): Shuffle the cards.

```
#include <stdio.h>
#include <string.h>
#include <stdlib.h>
#include <time.h>

// Definition of string array to store poker suits
// Blade: \xE2\x99\xA0, Heart: \xE2\x99\xA5
// Diamond: \xE2\x99\xA6, Club: \xE2\x99\xA3
……

// Definition of string array to store poker number including A, 2, 3, …, K
……

// Declaration of structure Card
……

int main(){
    srand(time(NULL));

    struct Card *cards;

    getCards(...);
    displayCards(...);

    shuffleCards(...);
```

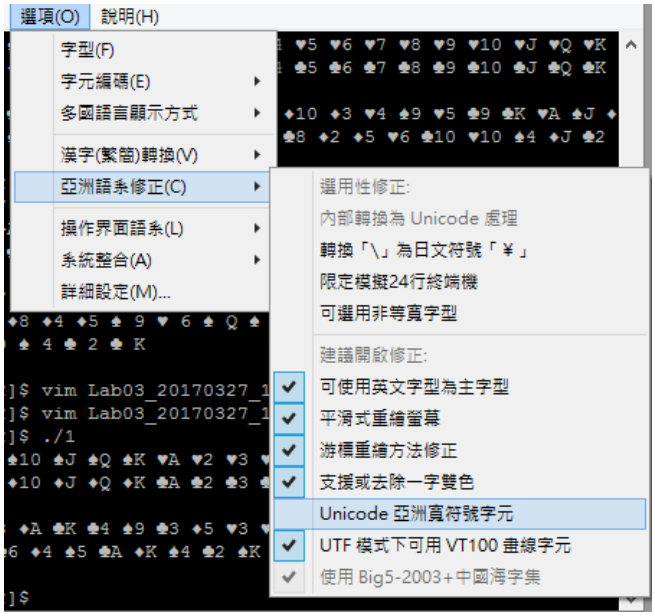
```
        displayCards(...);

        return 0;
}
```

The result is as follows.



如花色無法正常顯示，勾選使用”Unicode”編碼

如花色後有異常空格，取消”Unicode 亞洲寬符號字元”



2. Complex Number

A complex number can be represented by real part and imaginary part, i.e. $a+bi$. Another way of encoding points in the complex plane is to use polar form $r(\cos\theta + i\sin\theta)$ or $re^{i\theta}$. Therefore, we can represent a complex by a structure shown as follows. (You can refer to Wikipedia to get more information about complex number.

(**http://en.wikipedia.org/wiki/Complex_number#Polar_form**)

Hint: you can use atan2 to obtain angle $\varphi = \operatorname{atan2}(\text{imaginary}, \text{real})$, the unit is radian.

Please construct a complex number type by using a nested structure. The format of the complex number is as follows. Please declare a struct type by following table which r and i stand for real and image parts.

Complex			
r	i	polar	
float	float	mag	arg
		double	double

Complete the following functions.

```
void C_print (const Complex z)
{
        // printout (a + bi)
}

void P_print (const Complex z)
{
        // printout (r * e^ (i sita)◦ )
}

void convertC2P (Complex *z)
{
    // complete polar form transform
    // Hint: use atan2(), unit is degree
}

void convertP2C (Complex *z)
{
```

```
    // complete general form transform
    // Hint: use cos, sin
}

void readInGeneral (Complex &z)
{
    // read real part and imaginary part from user
    // and then convert to polar form by convertC2P function
}

void readInPolar (Complex &z)
{
    // read magnitude part and phase part from user
    // and then convert to general form by convertP2C function
}

Complex C_add (const Complex z1, const Complex z2)
{
    // return (z1 + z2)
}

Complex C_sub (const Complex *z1, const Complex *z2)
{
   // return (z1 - z2)
}

Complex C_mul (const Complex &z1, const Complex &z2)
{
    // return (z1 * z2)
}

Complex C_div (const Complex *z1, const Complex *z2)
{
    // return (z1 / z2)
}
```

You can use following code to verify your functions implemented in problem 2.

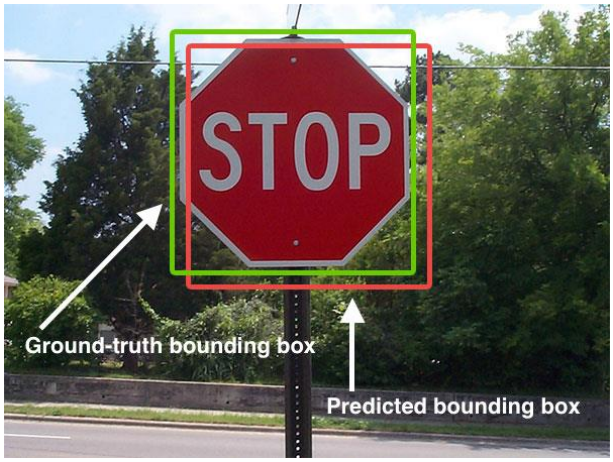
```
int main(void)
{
    Complex a[N] = {{3.0, 4.0}, {6.0, 8.0}, {2,7}, {5, 3}, {10, 10}, {9, 4}};
    Complex b[2]; // for general form input
    Complex c[2]; // for polar form input
    int i;

    // read data from user into b[i] and c[i]
    for (i=0; i<2; i++)
        readInGeneral(b[i]);

    for (i=0; i<2; i++)
        readInPolar(c[i]);
    printf("\n");

    // transform complex number a[i] into polar form
    for (i=0; i<N; i++) {
        convertC2P(&a[i]);
        C_print(a[i]);
        printf(" = ");
        P_print(a[i]);
        printf("\n");
    }
    printf("\n");

    // print out a[i] and b[i] and c[i] with general form and polar form
    for (i=0; i<2; i++) {
        C_print(b[i]);
        printf(" = ");
        P_print(b[i]);
        printf("\n");
    }
    printf("\n");

    for (i=0; i<2; i++) {
        C_print(c[i]);
        printf(" = ");
```

```
        P_print(c[i]);
        printf("\n");
    }
    printf("\n");

    // verify add, sub, mul, and div functions here
    C_print(C_add(a[0], a[1]));
    printf("\n");
    C_print(C_sub(&a[0], &a[1]));
    printf("\n");
    C_print(C_mul(a[0], a[1]));
    printf("\n");
    C_print(C_div(&a[0], &a[1]));
    printf("\n");

    return 0;
}
```

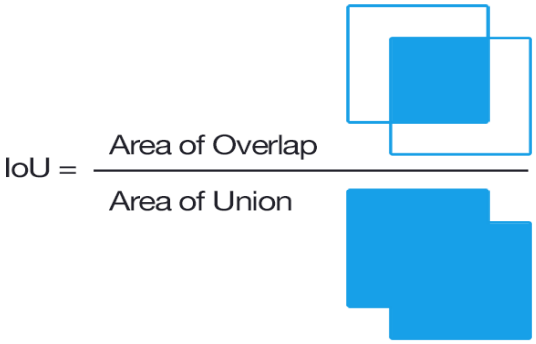
The example result is as follows.

```
Input real and imaginary part:(a b for a+bi): 3 4
Input real and imaginary part:(a b for a+bi): 5 6
Input magnitude and phase part:(r s for r*e^s): 7 35
Input magnitude and phase part:(r s for r*e^s): 8 60

3.00+4.00i = 5.00*e^(i53.13)
6.00+8.00i = 10.00*e^(i53.13)
2.00+7.00i = 7.28*e^(i74.05)
5.00+3.00i = 5.83*e^(i30.96)
10.00+10.00i = 14.14*e^(i45.00)
9.00+4.00i = 9.85*e^(i23.96)

3.00+4.00i = 5.00*e^(i53.13)
5.00+6.00i = 7.81*e^(i50.19)

-6.33+-3.00i = 7.00*e^(i35.00)
-7.62+-2.44i = 8.00*e^(i60.00)

9.00+12.00i
-3.00+-4.00i
42.52+-26.30i
0.50+0.00i
```

3. **Intersection over Union(IoU) (Using Graphics Mode on Windows)**
   Intersection of Union is one method for determining the accuracy of object detection. In this field we often use rectangle to specify an object, for example: the red rectangle is determined by computer, and the green one is determined by experts. We can determine the accuracy of this detection result by IoU.



https://www.pyimagesearch.com

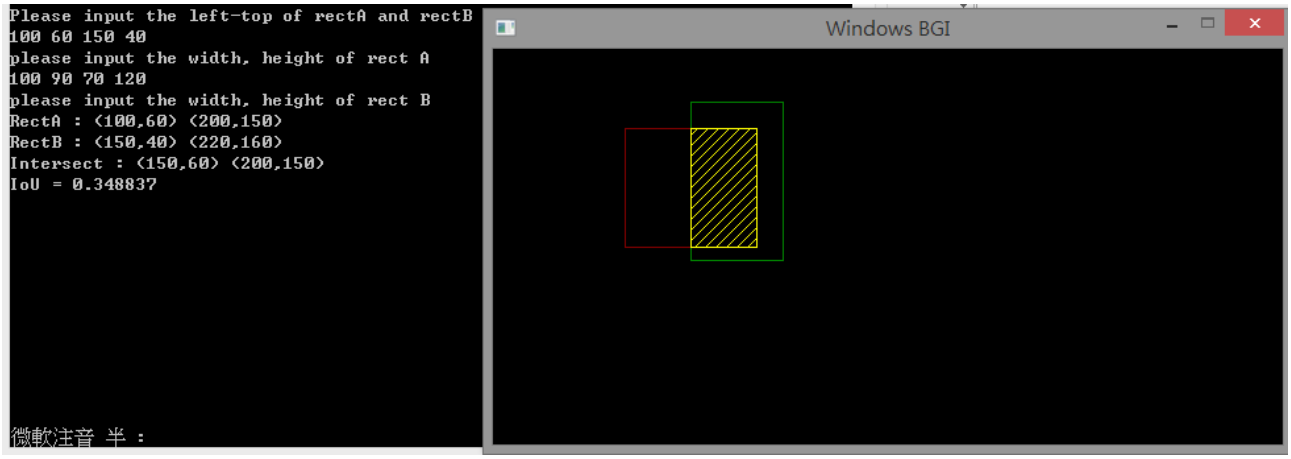


Please do the following tasks:

1. Construct a structure point and then use point to construct a structure Rect which represents rectangle.
2. Let users input 2 rectangles(by the form you decide).
3. Output the coordinates of these rectangles
4. Draw the 2 rectangles.
5. Compute the IoU of these 2 rectangles.
6. Repeat 2~5 until user inputs EOF

```
#include<stdio.h>
#include<conio.h>
#include<graphics.h>
#include<time.h>

#define W 600
#define H 300

// Structure Declaration
……

int main()
{
	srand(time(NULL));
	initwindow(W,H);

	// Some variables definition
	……

	while(……){

		setcolor(RED);
		rectangle(…);	//rectangle(x1,y1,x2,y2)
		setcolor(GREEN);
		rectangle(…);

		//find the IoU of a and b
		...
		getch();
		cleardevice();
	}
	closegraph();
}
```

The output coule be like following (You don’t need to deal with the Yellow part):



Hint: You can find the left-top point if you have the left-top points of both red and green rectangles. So does the right-bot point.