COMP9414 Artificial Intelligence

UNSW COMP9414

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祝大家考出好成绩

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COMP9414 Artificial Intelligence

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- 2.2 Agent Model
- 2.3 Agents as Functions
- 2.4 The PEAS model of an Agent
- 2.5 Wumpus World
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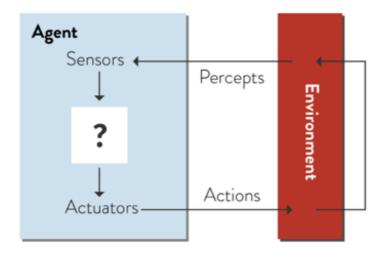
week1

week2 Classifying AI Tasks & Agent Type

2.1 Example of AI Tasks

- WK2: Wumpus World, Robotcup Soccer
- WK3: Path PLanning(迷宫)
- Wk4: Path Search Puzzles(魔方)
- WK5: Games (国际象棋,黑白棋,卡牌)
- WK6: Constrain Satisfaction(N-queens,数独)

2.2 Agent Model



2.3 Agents as Functions

- Agents 可以根据经验或数学公式来evaluated
- Agents 是一个连续感知的功能
- 理想的Agent 能自己选择预计实现最大性能的措施

2.4 The PEAS model of an Agent

- Performance measure 任务完成 / 失败条件
- Environment 环境描述
- Actuators 执行器
- Sensors 感应器都是概念类的知识点, e.g. 象棋, taxi

2.5 Wumpus World

Environment

- Squares adjacent to Wumpus are Smelly
- Squares adjacent to Pit are Breezy
- A Glitter iff Gold is in the same square
- Shoot
 - · kills Wumpus if you are facing it
 - · uses up the only arrow
- △ Grab
 - · picks up Gold if in same square

Stanch Stanch

Performance measure

- A Return with Gold +1000, death -1000
- △ -1 per step, -10 for using the arrow

Actuators

Left, Right, Forward, Grab, Shoot

Sensors

A Breeze, Glitter, Stench

2.6 Classifying Tasks

Simulated vs. Situated or Embodied

Static vs. Dynamic

Discrete vs. Continuous

Fully Observable vs. Partially Observable

Deterministic vs. Stochastic

Episodic vs. Sequential

Known vs. Unknown

Single-Agent vs. Multi-Agent

2.7 Environment Types

Simulated: a separate program is used to simulate an environment, feed percepts to agents, evaluate performance, etc.

Static: environment doesn't change while the agent is deliberating

Discrete: finite (or countable) number of possible percepts/actions

Fully Observable: percept contains all relevant information about the world

Deterministic: current state of world uniquely determines the next

Episodic: every action by the agent is evaluated independently

Known: the rules of the game, or physics/dynamics of the environment are known to the agent

Single-Agent: only one agent acting in the environment

2.8 看PPT 各类的对比例子(缺)

2.9 Agent Type

- Reactive Agent
- Model-Based Agent
- Planning Agent
- Game Playing Agent
- Learning Agent

2.9.1 Reactive Agent

- 仅根据当前感知到的下一个动作选择使用"策略"或一组简单适用的规则有时pajoratively 称为"简单反射剂"—但他们可以做的令人惊讶的复杂的事情
- Limitations:
 - Reactive Agents have no memory or "state"
 - **A** unable to base decision on previous observations
 - ∘ This phenomenon can also be observed in nature <u>∧</u> wasp dragging stung grasshopper into its nest
 - 1. 魏政:
 - 2. 最简单的代理, agent直接通过percept来确定下一步的action, 就是观察到什么, 就做什么
 - 3. 虽然简单,但是挺实用 e.g. Swiss robots, simulated hockey

4. 缺点是没有memory,无法记住之前的percept,所以可能反复的执行同一个没意义的操作(因为没记住以前这个没意义的操作)

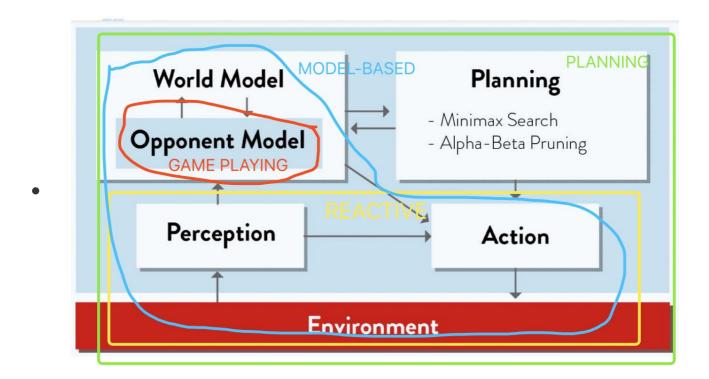
2.9.2 Model-Based Agent

- Advantages
 - Model-Based Agent can keep a "map" of the places it has visited, and remember what it perceived there.
- Limitation
 - Sometimes we may need to plan several steps into the future.
 - 1. 魏政:
 - 2. 在简单反射代理上引入了world model, agent可以记住自己之前访问的地图,所以避免了重复做一件没意义的action的情况
 - 3. 缺点是没有plan,所以agent只能查看过去,不能计划未来,如果做下面一些事的话就会表现的很糟糕
 - 1.有想下几步怎么做的任务,比如下棋和魔方
 - 2.有顺序的任务,比如做饭和修手表
 - 6. 3.有目标的任务,比如旅行去某个城市

2.9.3 Planning Agent

- Sometimes an agent may appear to be planning ahead but is actually
- These rules can be hand-coded, or learned from experience.
- Agent may appear intelligent, but is not flexible in adapting to new situations.
 - 1. 魏政:
 - 2. 如图,在基于模型的代理上引入了planning
 - 3. 使得在world model里有了对应的目标,比如
 - 4. 碰到了闪闪发光的东西就抓住
 - 5. 碰到了臭气就射击
 - 6. 这些plan一般都是hardcode或者基于经验写死在程序里的,所以缺点就是agent表现出intel ligent,但是不会自己去适应新环境

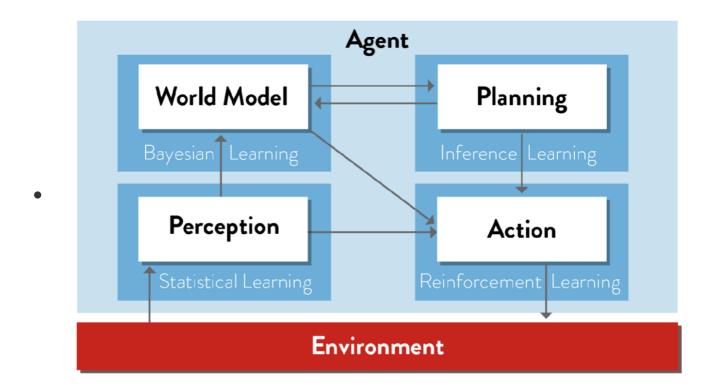
2.9.4 Game Playing Agent



- 2. 魏政:
- 2. 在world model里加入了对手,可以多玩家一起玩
- 3. 注意planning<mark>是针对多玩家的</mark>minimax search 和 alpha-beta pruning

2.9.5 Learning Agent

- Learning is not a **separate module**, but rather a set of techniques for improving the existing modules
- Learning is necessary because:
 - may be difficult or even impossible for a human to design all aspects of the system by hand
 - the agent may need to adapt to new situations without being re-programmed by a human



- 魏政:
- 2. 分别在perception, action, world model和planning里加入了学习机制
- 3. 学习并不是一个单一的模块,而是为了改善这已经存在的四个模块
- 4. 学习是有必要的,因为
- 5. 人类手工完成四个模块的设计有时候太难,甚至不可能,所以需要模块自主学习
- 6. 遇到了新环境,agent可以自适应,不需要每次都要人类来加入新的规则
- 7. 我们要分清,学习复杂并不代表应用复杂,比如说,让一个agent学习曲棍球可能要很久(学习 复杂),但是一旦学会之后,就可以立即拿来用(应用并不复杂)

week3 Path Search

3.1 Motivation

- Reactive和Model_Based Agnets根据目前及过去的获知来采取行动
- 两个搜索策略
 - 。 Uninformed 盲搜策略只能将目标状态与非目标状态区分开来
 - INformed 知情搜索策略使用启发式方法来尝试"更接近"目标

3.2 罗马尼亚街道图

现在在Arad,明天去Bucharest,无法退票

A task is specified by states and actions:

- state space e.g. other cities
- initial state e.g. "at Arad"
- actions or operators (or successor function S(x)) e.g. Arad \rightarrow Zerind Arad \rightarrow Sibiu etc.
- goal test, check if a state is goal state
 In this case, there is only one goal specified ("at Bucharest")
- path cost e.g. sum of distances, number of actions etc.

3.3 Search Tree (概念类无用)

- Seartch tree: 状态空间叠加
- Root: 根节点对应初始节点
- Leaf Nodes:叶节点:对应于树中没有后继的状态,因为它们没有展开或生成没有新节点
- 状态空间与搜索树不一样 20state=20cities中的寻路为例,但有无限多的路径!

3.3.1 Data Structure for a Node

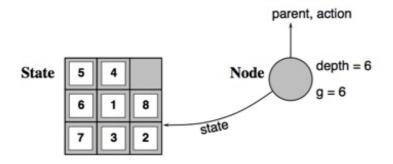
One possibility is to have a node data structure with five components:

- 1. Corresponding state
- 2. Parent node: the node which generated the current node.
- 3. Operator that was applied to generate the current node.
- 4. Depth: number of nodes from the root to the current node.
- 5. Path cost.

3.3.2 States vs. Nodes

状态是(表示)物理配置

一个节点是一个数据结构组成的搜索树的一部分,包括父母,孩子,深度,路径成本G(X)状态没有父母,孩子,深度,或路径成本!



3.3.3 Data Structures for Search Trees

Frontier: 收集有待扩展的节点

它可以作为优先级队列执行以下操作:

make-queue (items) 创建了项目队列。

如果队列中没有项目,布尔空(队列)返回true。

remove-front (队列) 移除队列前的item并返回。

queueing-function (items、队列)插入新的items进入队列。

3.4 Search Stragegies

通过选择节点扩展顺序来定义策略 战略评估如下尺寸:

- 完整-它是否总找到一个解决方案,如果方案存在?
- 时间复杂度-生成/扩展节点的数量
- 空间复杂度-在内存中最大节点数
- 最优-它总是找到一个成本最低的解决方案?
- d: depth of 成本最低的解决方案
- b: 最大分支系数进行测量的时间和空间复杂度
- m: 最大深度的状态空间(可能是∞)

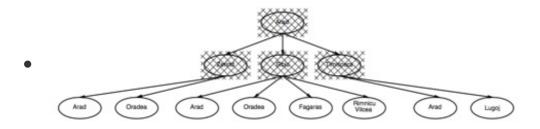
3.5 Uninformed search strategies (latex公示未补全&表格)

- Breadth First Search 广搜
- Uniform Cost Search
- Depth First Search 深搜
- Depth Limited Search

• Iterative Deepening Search

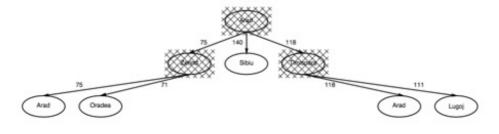
3.5.1 Breadth First Search

- implementation: QUEUEING-FUNCTION = put newly generated successors at end of queue
- Very systematic
- **Complete**: Yes (if b is finite the shallowest goal is at a fixed depth d and will be found before any deeper nodes are generated)
- Time: 1+b+b2+b3+...+bd = bd+1-1 = O(bd) b-1
- Space: O(bd) (keeps every node in memory; generate all nodes up to level d)
- Optimal: Yes, but only if all actions have the same cost



3.5.2 Uniform-Cost Search

- 先找根节点, 然后找成本最低的节点
- Implementation: QUEUEINGFUNCTION = insert nodes in order of increasing path cost.路径成本递增
- Reduces to Breadth First Search when all actions have same cost
- Complete: Yes,ifbisfiniteandstepcost≥εwithε>0
- **Time**: O(b[C*/ ϵ]) where C* = cost of optimal solution, and assume every action costs at least ϵ
- **Space**: $O(b[C*/\epsilon])$ ($b[C*/\epsilon] = bd$ if all step costs are equal)
- **Optimal**: Yes.



3.5.3 Depth First Search

- **Complete**? No! fails in infinite-depth spaces, spaces with loops; modify to avoid repeated states along path ⇒ complete in finite spaces
- **Time**: O(bm) (terrible if m is much larger than d but if solutions are dense, may be much faster than breadth-first)
- Space: O(bm), i.e. linear space!
- Optimal? No, can find suboptimal solutions first.

3.5.4 Depth Limited Search

- 如深度优先搜索扩展节点,但规定的最大路径深度的截止。
- **Complete**? Yes (no infinite loops anymore)
- **Time**: O(bk), where k is the depth limit
- **Space**: O(bk), i.e. linear space similar to DFS
- Optimal? No, can find suboptimal solutions first

3.5.5 Iterative Deepending Search

- Tries to combine the benefits of depth-first (low memory) and breadth-first (optimal and complete) by doing a series of depth- limited searches to depth 1, 2, 3, etc.
- Complete? Yes
- Time: O(bd)Space: O(bd)
- Optimal? Yes, if step costs are identical.

3.5.6 Complexity Results of Uniformed Search 背

| | Breadth- | Uniform- | Depth- | Depth- | Iterative |
|-----------|------------------|--|----------|----------|------------------|
| Criterion | First | Cost | First | Limited | Deepening |
| Time | $O(b^d)$ | $O(b^{\lceil C^*/\epsilon ceil})$ | $O(b^m)$ | $O(b^k)$ | $O(b^d)$ |
| Space | $O(b^d)$ | $\mathcal{O}(b^{\lceil C^*/\epsilon ceil})$ | O(bm) | O(bk) | O(bd) |
| Complete? | Yes ¹ | Yes ² | No | No | Yes ¹ |
| Optimal ? | Yes ³ | Yes | No | No | Yes ³ |

b =branching factor, d =depth of the shallowest solution,

m = maximum depth of the search tree, k = depth limit.

1 = complete if b is finite.

 $2 = \text{complete if } b \text{ is finite and step costs } \geq \varepsilon \text{ with } \varepsilon > 0.$

3 = optimal if actions all have the same cost.

3.6 Informed(heuristic) search strategies

more efficient than Uninformed

week4 Heuristic Path Search

 Ø Goal: be able to recognize and use greedy and A* algorithm

4.1 Search Strategies

4.2 Informed Search & Heuristic 高频考点

- heuristic function h(n)
 - \circ 估计函数f(n)=g(n)+h(n)
 - g(n): path from the 初始点到 n
 - h(n): 估计最小代价 from n to the 目标
 - 。 $h(n)=0 \to f(n)=g(n)$: UCS(e.g.Dijkstra),只需求出起点到任意顶点n的最短路径 g(n),而不计算任何评估函数h(n),需要计算最多的定点
 - g(n)=0
 ightarrow f(n)=h(n): 贪心BFS, 只考虑当前点n到后面的距离尽可能 小,速度最快,但可能得不出最优解
 - $\circ \ \ f(n) = g(n) + h(n)$: A^{\star}

4.3 Greed Best-First Search

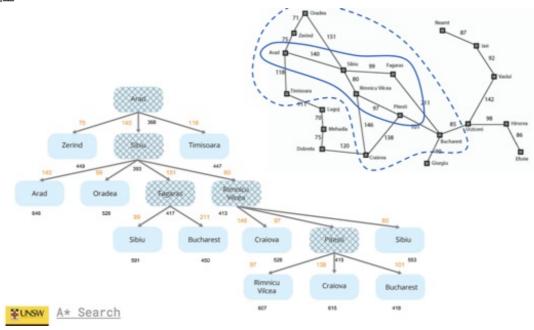
- Selects the next node for expansion using the heuristic function for its evaluation function
- Minimises the estimated cost to the goal expands whichever node n is estimated to be closest to the goal
- 仅考虑当前局部最佳,一定程度上降低了复杂度,但可能得不到全局最优

- Complete: No! can get stuck in loops, e.g.,Iasi → Neamt → Iasi → Neamt → ...
 Complete in finite space with repeated-state checking
- Time: O(bm), where m is the maximum depth in search space.
- **Space**: O(bm) (retains all nodes in memory)
- **Optimal**: No! e.g., the path Sibiu → Fagaras → Bucharest is 32 km longer than Sibiu → Rimnicu Vilcea → Pitesti → Bucharest.
- 因此贪婪搜索□深度优先搜索具有相同的问题。然而,一个好的启发式可以大大减少时间和内存成本。

4.4 Uniform Cost Search(见3.5.2)

4.5 A* Search

- Greedy minimize h(n) efficient but not optimal or complete
- UCS minimize g(n) optimal and complete but not eficient
- A* Search集合了以上贪婪和UCS的长处,保证了效率的同时避免扩展已经很expensive的路径



Simulation:

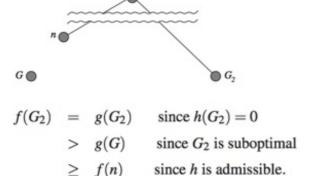
- 加粗体文字初始化为该点到Bucharest的直线距离(E.G. Arad = 356, Sibid = 253)
- 接着点n的值被更新为出发点Arad经过点n后到Bucharest的直线距离(E.G. Sibiu = 140 + 253 = 393)

- 从Arad出发的三条路径中, 到Sibiu再前往Bucharest的距离最短, 因此接下来从Sibio出发 从Sibio出发的四条路径中, 到Rimnicu Vilcea再前往Bucharest的距离(413)最短, 因此接下来从Rimnicu Vilcea出发
- 。 从Rimnicu Vilcea出发的三条路径中, 到Pitesti再前往Bucharest的距离(415)最短, 因此接下来从Pitesti出发
- 从Pitesti出发可到达Bucharest, Bucharest的值被更新为418, 小于从Arad出发经
 Sibid,Pagaras的距离加上Pagaras到Bucharest的直线距离, 因此接下来从Pagaras出发
- 。 从Pagaras出发可到达Bucharest, 但Bucharest的值将被更新为450 > 418, 因此最终解 仍 为: $A \to S \to R \to P \to B$
- Admissible of h(): 假若从n到终点的真实距离始终不小于h(n), 则该启发式函数是 admissible的

4.6 Proof A* Search is Optimal

4.7 Optimality of A* Search

Suppose a suboptimal goal node G_2 has been generated and is in the queue. Let n be the last unexpanded node on a shortest path to an optimal goal node G.



A* Search是optimal and complete的 → h(n)不会过度估计到达目标的成本

week5 Games

week6 Constraint Satisfaction

魏政

https://docs.google.com/document/d/1x4LIVsiNy9A1e5I3E3VfQaswLWrFOrFCC1-qD5hCZBs/edit

week7 放假

week8 Logic agent

• comp9020

考点

• Constants: Gold, Wumpus, [1,2], [3,1], etc.

Predicates : Ad jacent(),Smell(),Breeze(),At()

• Functions : Result()

• Variables : x, y, a, t,...

• Connectives : ∧ ∨ ¬ ⇒ ⇔

• Equality:=

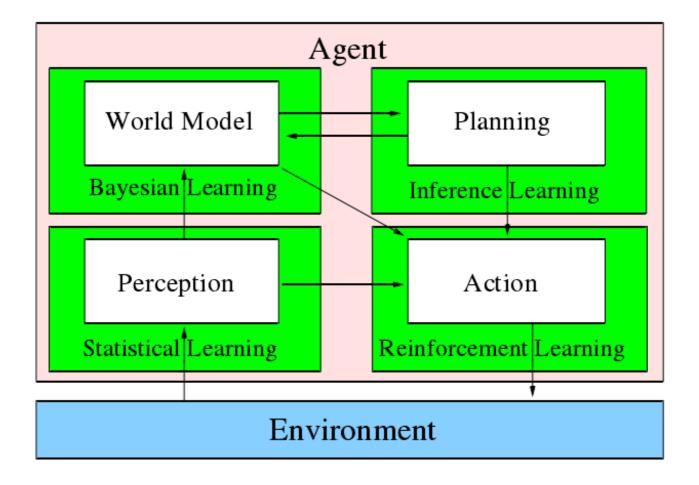
• Quantifiers: ∀∃

- 懂得分辨Predicates symbol 和 Function symbol
- ∃x∀y Loves(x, y)
 "There is a person who loves everyone in the world"
- ∀y∃x Loves(x, y)

"Everyone in the world is loved by at least one person"

week9 Learning and Decison Tree

9.1 Learning Agent(必考)



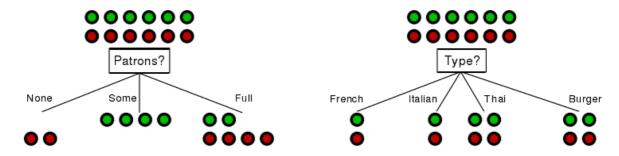
9.2 Learning Types

- 监督学习Supervised Learning
 agent is presented with examples of inputs and target outputs
 - 。 决策树、神经网络、SVM 分为以下几个研究方向
 - $\circ \ \ framework \ (desion \ tree,NN,SVM \ ,etc)$
 - representation (of input and output 归一化应该是)
 - o pre-processing / post-processing
 - training method(perceptron learning,BP,etc)
 - o generalization (avoid over-fitting)
 - evaluation (separate training and test sets)
- 无监督学习
 - agent is only presented with examples of inputs, aims to find structure
 - o cluster, PCA, deep learning

- 增强学习 Reinforcement Learning
 agent is not presented with target outputs, but is given a reward signal, aims to
 maximize
- 奥卡姆剃刀: avoid overfitting

9.3 熵 Entropy

● 因为训练数据有noise, 使之不一致, 为了确保产生正确的树, 引入熵



For Patrons, Entropy
$$= \frac{1}{6}(0) + \frac{1}{3}(0) + \frac{1}{2} \left[-\frac{1}{3} \log(\frac{1}{3}) - \frac{2}{3} \log(\frac{2}{3}) \right]$$
$$= 0 + 0 + \frac{1}{2} \left[\frac{1}{3} (1.585) + \frac{2}{3} (0.585) \right] = 0.459$$
For Type, Entropy
$$= \frac{1}{6}(1) + \frac{1}{6}(1) + \frac{1}{3}(1) + \frac{1}{3}(1) = 1$$

- 图中Patrons attring比type要好,因为其分类的三个set 中有两个是完全集
- 熵越大代表信息越混乱, 所以E越小越好
- ullet Function: $\sum_i rac{p_i + n_i}{p + n} \, H(<rac{p_i}{p_i + n_i} \ , rac{n_i}{p_i + n_i} >)$
- $H(< p_1, \ldots, p_n >) = \sum -p_i log_2 pi$ suppose we have p positive and n nagative example at a node

9.4 Induce Tree (Pruning剪枝 Laplace Error)

- 根据奥卡姆剃刀, 我们需要对那些对分类增益不大的分支进行修剪
- $E=1-\frac{n+1}{N+K}$
- N = 总结点数
- n = number of items in the majority class

- K = number of classes
- 如果子节点的平均拉普拉斯误差超过父节点->剪枝
- e.g.1

Should the children of this node be pruned or not?

Left child has class frequencies [3,2]

$$E = 1 - \frac{n+1}{N+k} = 1 - \frac{3+1}{5+2} = 0.429$$

Right child has E = 0.333

Parent node has E = 0.375

Average for Left and Right child is

$$E = \frac{5}{6}(0.429) + \frac{1}{6}(0.333) = 0.413$$

Since 0.413 > 0.375, children should be pruned.

• e.g.2

Should the children of this node be pruned or not?

Left and Middle child have class frequencies [15,1]

$$E = 1 - \frac{n+1}{N+k} = 1 - \frac{15+1}{16+2} = 0.111$$

Right child has E = 0.333

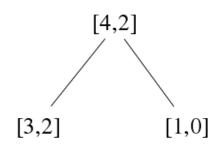
Parent node has $E = \frac{4}{35} = 0.114$

Average for Left, Middle and Right child is

$$E = \frac{16}{33}(0.111) + \frac{16}{33}(0.111) + \frac{1}{33}(0.333) = 0.118$$

Since 0.118 > 0.114, children should be pruned.

9.5 Summary



[30,3]

[15,1]

[0,1]

[15,1]

- Supervised Learning
- Ockham's Razor: tradeoff between simplicity and accuracy
- Decision Trees
 - o Generalisation: build smaller tree
 - o Pruning: Laplace error

week10 Perceptrons and Neural Networks

感知器和神经网络讲的都比较基础,拓展可以看COMP9417课件

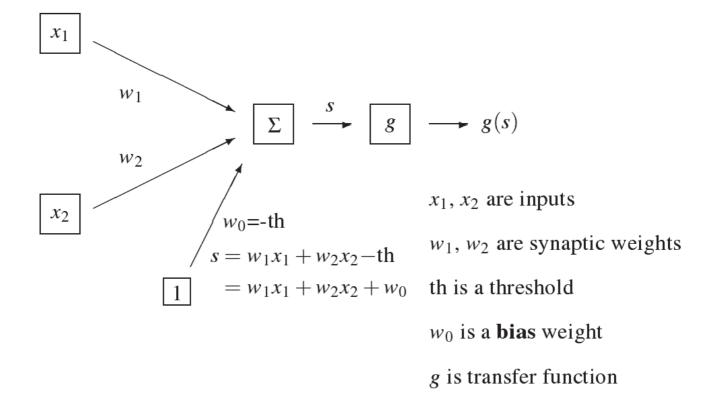
10.1 NN模型

- input edges
- output edges
- an activaion level(输入_激活函数)
 权重可以是积极的或消极的,并可能随着时间的推移改变(学习)。
 输入函数是activation level of inputs 的加权和。

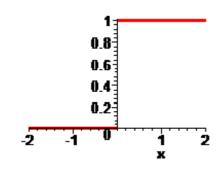
激活层是一个非线性传递函数

$$activaiton_i = g(s_i) = g(\sum_j w_{ij} x_j)$$

10.2 感知器



- 采用的感知器为二元线性分类器, 图为单层人工神经网络
- g 是转换函数 (通常为sigmoid函数) , 这门课用二元分类函数



$$g(s) = \begin{cases} 1, & \text{if } s \ge 0 \\ 0, & \text{if } s < 0 \end{cases}$$

• Linear Separability 线性可分性

AND
$$w_1 = w_2 = 1.0, \quad w_0 = -1.5$$

OR $w_1 = w_2 = 1.0, \quad w_0 = -0.5$
NOR $w_1 = w_2 = -1.0, \quad w_0 = 0.5$

• 学习规则,改变权重

Adjust the weights as each input is presented.

recall:
$$s = w_1 x_1 + w_2 x_2 + w_0$$

if
$$g(s) = 0$$
 but should be 1, if $g(s) = 1$ but should be 0,

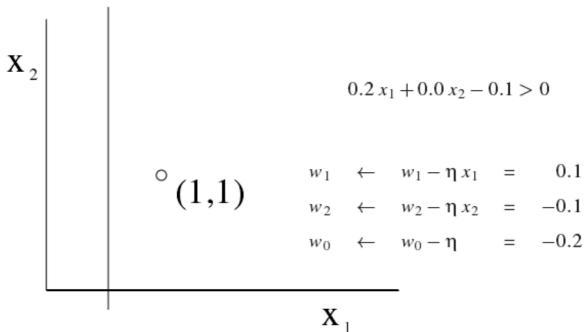
$$w_k \leftarrow w_k + \eta x_k$$
 $w_k \leftarrow w_k - \eta x_k$
 $w_0 \leftarrow w_0 + \eta$ $w_0 \leftarrow w_0 - \eta$

$$w_0 \leftarrow w_0 + \eta$$
 $w_0 \leftarrow w_0 - \eta$
so $s \leftarrow s + \eta \left(1 + \sum_k x_k^2\right)$ so $s \leftarrow s - \eta \left(1 + \sum_k x_k^2\right)$

otherwise, weights are unchanged. ($\eta > 0$ is called the **learning rate**)

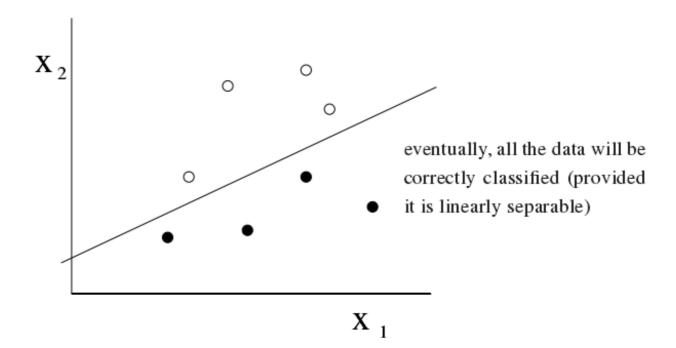
Theorem: This will eventually learn to classify the data correctly, as long as they are linearly separable. η 通常为0.1或1

- 举个例子
 - \circ 判断函数 $w_1x_1+w_2x_2+w_0>0$
 - 学习速率 η = 0.1
 - \circ 初始化随机权重 $w_1=0.2, w_2=0.1, w_0=-0.1$



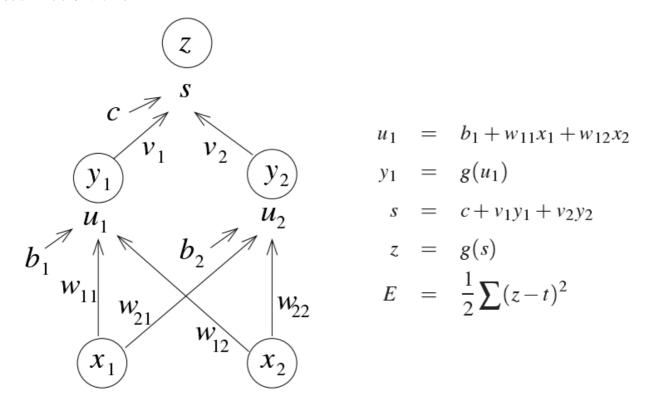
图中(1,1)不为实心,代表为负(判断函数为负),但是将(1,1)代入函数为正,所以修改权 重

最终所有结果被正确分类 (*最后的权重为图中的分界线*)



10.3 Multi—Layer Nerual Netwrok

- 解决XOR异或问题
- 首先将感知器中的二元分类函数变为连续函数,如sigmoid函数
- ullet variance方差 , cost function(erro function)= $rac{1}{2}\sum (y_i-\hat{y_i})^2$
- 梯度下降,获得最小的E



● BP算法不考 (有兴趣可以去看看,在之后AI的相关课程里很重要)

10.4 training tips

- 输入数据和输出结果都需要归一化
- 权重随机初始化very small 的值 (eta为0.1,权重初始值太多会很耗时)
- online learning / batch learning
- 防止过拟合
 - 简化模型
 - 。 交叉检验 cross validation
 - weight decay
- 在梯度下载的过程中可调整 η 值

week11 Uncertainty

11.1 概念

S

| 概率 | 描述 |
|------|--|
| 先验概率 | 事件发生前的预判概率。可以是基于历史数据的统计,可以由背景常识得出,也可以是人的主观观点给出。一般都是单独事件概率,如P(x),P(y) |
| 后验概率 | 事件发生后求的反向条件概率,或者说,基于先验概率求得的反向条件概率。概率形式与条件概率相同 |
| 条件概率 | 一个事件发生后另一个事件发生的概率。一般的形式为P(x |
| 似然概率 | 通过历史数据统计得到的条件概率, 一般不把它叫做先验概率, 但从定义上也符合先验定义 |

$$ullet P(Cause|Effect) = rac{P(Effect|Cause)P(Cause)}{P(Effect)}$$

。 P(Cause|Effect)为后验概率, 即为求解目标

- 。 P(Effect|Cause)为似然概率
- 。 P(Cause)为先验概率
- 。 P(Effect) 其实也是先验概率,只是在贝叶斯的很多应用中不重要(因为只要最大后验不求绝对值),需要时往往用全概率公式计算得到
- 最大似然理论: 令似然函数P(x|y)最大的y'即为y的最大似然估计

$$Max(P(x|y)) = \prod_{k=1}^n P(x_k|y) \ ext{, for all y}$$

- 贝叶斯理论: 在利用总体信息和样本信息的同时, 还利用先验概率p(y)
 - 。 因为有可能某个y是很稀有的类别几千年才看见一次,即使P(x|y)很高,也很可能不是它
 - 。 贝叶斯理论存在的问题: 实践中先验概率可能并不准确

$$y = Max(P(x|y)P(y))$$

11.2 Inference

Start with the joint distribution:

| | toothache | | ¬ toothache | |
|----------|-----------|---------|-------------|---------|
| | catch | ¬ catch | catch | ¬ catch |
| cavity | .108 | .012 | .072 | .008 |
| ¬ cavity | .016 | .064 | .144 | .576 |

For any proposition ϕ , sum the atomic events where it is true:

$$P(\phi) = \sum_{\omega:\omega \models \phi} P(\omega)$$

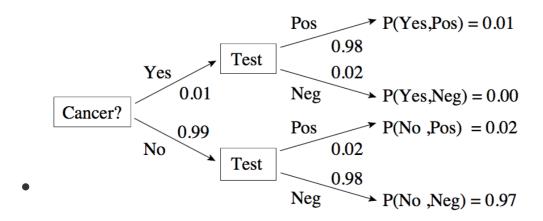
$$P(toothache) = 0.108 + 0.012 + 0.016 + 0.064 = 0.2$$

| | tool | thache | ¬ toothache | | |
|----------|-------|---------|-------------|---------|--|
| | catch | ¬ catch | catch | ¬ catch | |
| cavity | .108 | .012 | .072 | .008 | |
| ¬ cavity | .016 | .064 | .144 | .576 | |

Can also compute conditional probabilities:

$$\begin{array}{lcl} P(\neg cavity | toothache) & = & \frac{P(\neg {\tt cavity} \land {\tt toothache})}{P({\tt toothache})} \\ & = & \frac{0.016 + 0.064}{0.108 + 0.012 + 0.016 + 0.064} = 0.4 \end{array}$$

11.3 Bayes' Rule and Conditional Independence



$$P(\text{cancer}|\text{positive}) = \frac{P(\text{positive}|\text{cancer})P(\text{cancer})}{P(\text{positive})}$$

$$= \frac{0.98*0.01}{0.98*0.01+0.2*0.99} = \frac{0.01}{0.01+0.02} = \frac{1}{3}$$

week12 Learning Games (不考)