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# Date: 12/08/2021
         # Description: Fuzzy Model applications.
         import numpy as np
         import pandas as pd
         import matplotlib
         import matplotlib.pyplot as plt
         import skfuzzy as fuzz
         from skfuzzy import control as ctrl
         #---- Problem 1 ----
         x1 = np.linspace(-10, 10, 21).astype(int)
         x2 = np.linspace(-10, 10, 21).astype(int)
         x1 = x1[x1 != 0]
         x2 = x2[x2 != 0]
         x1mf = fuzz.trimf(x1, [-11, 0, 11])
         x2mf = fuzz.trimf(x2, [-11, 0, 11])
         # Antecedents
         A1 = ctrl.Antecedent(np.arange(-10, 11, 1), x1')
         A2 = ctrl.Antecedent(np.arange(-10, 11, 1), 'x2')
         A1.automf(3)
         A2.automf(3)
         # The peak of our model is pleateaued due to the fact that our sinc function doesn't allow 0's.
         A2.view() # A1 is the exact same.
        C:\Users\David\anaconda3\lib\site-packages\skfuzzy\control\fuzzyvariable.py:122: UserWarning: Matplotlib is cur
        rently using module://ipykernel.pylab.backend inline, which is a non-GUI backend, so cannot show the figure.
        fig.show()
          1.0
         Membership
          0.6
                                   poor
                                   average
                                   good
          0.4
          0.2
                 -7.5
                       -5.0
                             -2.5
                                   0.0
                                        2.5
                                                    7.5
                                                         10.0
         # Consequent
         sinc = np.outer(np.sin(x1), np.sin(x2)) / np.outer(x1, x2)
         sinc *= 100
         # Calculated all inputs for y = sinc(x1, x2)
         sincmf = fuzz.trimf(sinc.flatten(),[sinc.min(),27,sinc.max()])
         y = ctrl.Consequent(sincmf, 'sinc(x1, x2)')
         y.automf(3)
         # Showing the y connecting to the rules.
         print("y = ", y)
        y = Consequent: sinc(x1, x2)
In [4]:
         # Fuzzy Ruling
         rule1 = ctrl.Rule(A1['poor'] & A2['average'], y['average']) #y = sinc(x,y)
         rule2 = ctrl.Rule(A1['poor'] or A2['good'], y['poor'])
         rule1.view
Out[4]: <bound method Rule.view of IF x1[poor] AND x2[average] THEN sinc(x1,x2)[average]
                AND aggregation function : fmin
                 OR aggregation function : fmax>
         # Fuzzy inference system
         sys ctrl = ctrl.ControlSystem([rule1,rule2])
         sys = ctrl.ControlSystemSimulation(sys ctrl)
         sys.input['x1'] = x1[3]
         sys.input['x2'] = x2[13]
         sys.compute()
         sys.input['x1'] = x1mf[3]
         sys.input['x2'] = x2mf[13]
         # I'm using the control skfuzzy package, here is a link https://pythonhosted.org/scikit-fuzzy/api/skfuzzy.contr
         # It does not show how to print out the output!!!!!! I'm going crazy...
         print("Everything seems to be working, I just don't know how to print out the output.....")
        Everything seems to be working, I just don't know how to print out the output.....
         # due to the frustration above, I ended up just manually doing it.
         # First example
         #Fuzzy Rule 1
         # If x1 is 'low' AND x2 is 'average' Then y is 'average'
         x1, x2 = -9, 2
         x1mf, x2mf = 0.09, 0.82
         mf1 = max(x1mf, x2mf)
         y1 = np.outer(np.sin(x1), np.sin(x2)) / np.outer(x1, x2)
         # Fuzzy Rule 2
         # If x1 is 'low' OR x2 is 'high' Then y is 'low'
         x1, x2 = -5, 1
         x1mf, x2mf = 0.55, 0.91
         mf2 = min(x1mf, x2mf)
         y2 = np.outer(np.sin(x1), np.sin(x2)) / np.outer(x1, x2)
         # If desired we can calculate the weight of each rule, with the correct parameters.
         print("Parameters of y:\nOutput of y1 = ",y1,"\nOutput of y2 = ", y2)
        Parameters of y:
        Output of y1 = [[0.02081879]]
Output of y2 = [[-0.16138139]]
         # Problem 2
         # Here is a graphical interpretation of this problem.
         \# y = ((1+x1)^{.5} + (x2)^{-1} + (x3)^{-1.5})^{2} if we expand this problem out, we end up with 6 distinct terms
         # This results in 6 rules needing to be discovered.
         # We can also utilize the s and z function memberships to find our membership functions. We can also use a trik
         # as I previously used.
         mf = ctrl.Consequent(np.arange(0, 7, 1), 'Membership')
         mf['A1'] = fuzz.smf(mf.universe, 0, 6)
         mf['A2'] = fuzz.zmf(mf.universe, 0, 6)
         mf.view()
        C:\Users\David\anaconda3\lib\site-packages\skfuzzy\control\fuzzyvariable.py:122: UserWarning: Matplotlib is cur
        rently using module://ipykernel.pylab.backend inline, which is a non-GUI backend, so cannot show the figure.
        fig.show()
          1.0
          0.8
        Membership
0.4
                                                       A1
                                                       A2
          0.2
           0.0
                                Membership
         # Membership functions.
         x = np.arange(0, 7, 1) # since there are 6 rules.
         mf1 = fuzz.membership.smf(x,1,2)
         mf2 = fuzz.membership.zmf(x, 4, 6)
         # Here reflects the point of UNITY
         # 3 came from the graph above.
         print("mf1: ",fuzz.interp_membership(x, mf1, 3),"\nmf2: ",fuzz.interp_membership(x, mf2, 3))
         # With percise inputs, we can compare the weight of each rule
         # The method I was previously trying to use to obtain the parameters to do so resulted in a dead end. Which bro
         # illustration.
        mf1: 1.0
        mf2: 1.0
         # The 6 rules for ANFIS
         # if x1 is A1 and x2 is A1 and x3 is A1 Then y = ((1+x1)^{.5} + (x2)^{-1} + (x3)^{-1.5})^{2}
         # if x1 is A1 and x2 is A1 and x3 is A1 Then y = ((1+x1)^{5} + (x2)^{-1} + (x3)^{-1.5})^{2}
         # if x1 is A1 and x2 is A1 and x3 is A1 Then y = ((1+x1)^{5} + (x2)^{1} + (x3)^{1})^{2}
         # if x1 is A2 and x2 is A1 and x3 is A1 Then y = ((1+x1)^{.5} + (x2)^{-1} + (x3)^{-1.5})^{2}
         # if x1 is A2 and x2 is A1 and x3 is A1 Then y = ((1+x1)^{.5} + (x2)^{-1} + (x3)^{-1.5})^{2}
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if x1 is A2 and x2 is A1 and x3 is A1 Then $y = ((1+x1)^{.5} + (x2)^{-1} + (x3)^{-1.5})^{2}$

Assignment 6
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