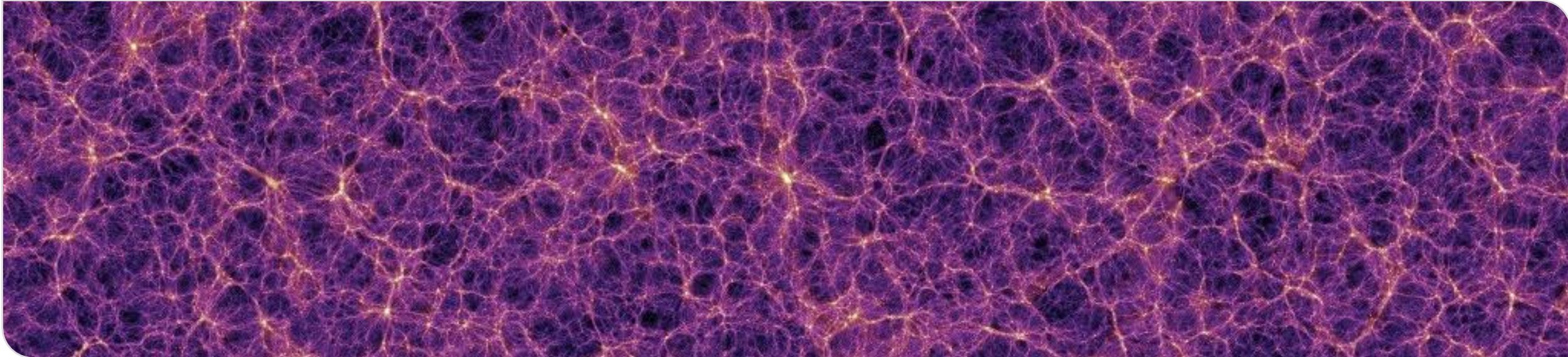


Update on MMC analysis

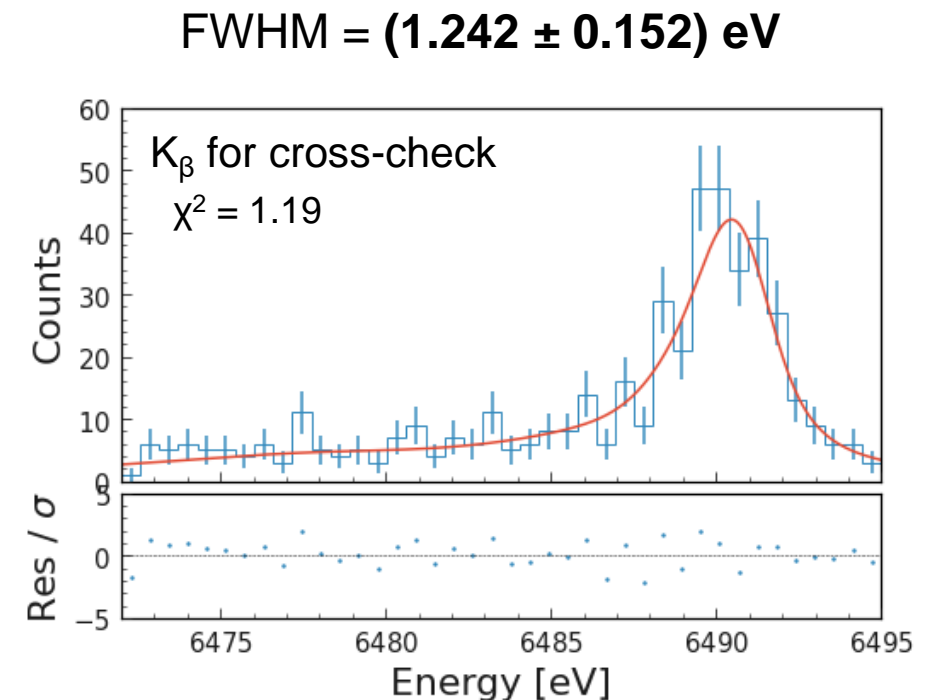
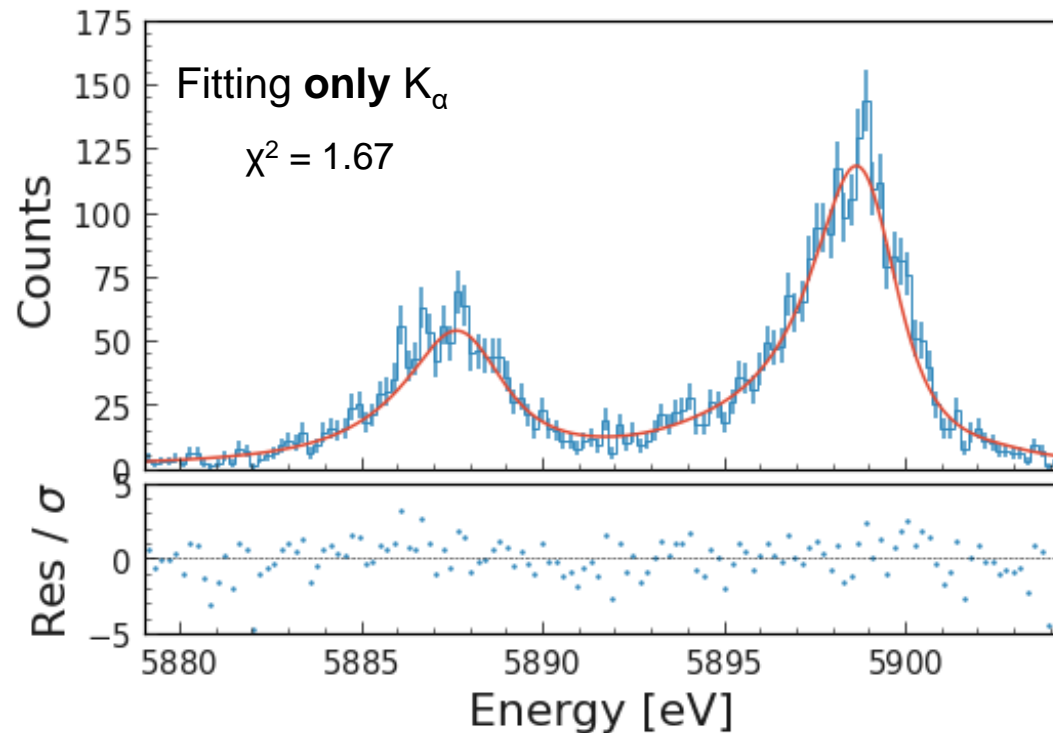
Francesco Toschi

DELIGHT meeting, 08.08.2023



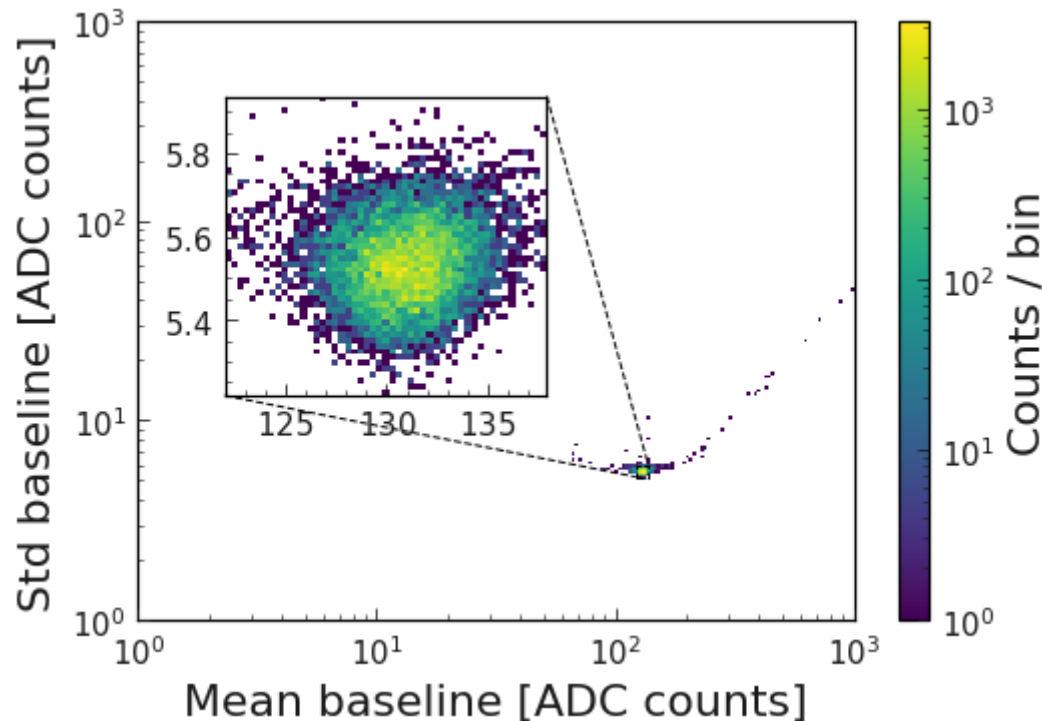
Where were we?

- Athermal phonons escape modeled as error function
- Minimizing chi-square with binned fit



Optimization of cuts

- „*Basic*“ *cuts* throwing away very bad traces,
- *Quality cuts* selecting best traces based on baseline.



```
mask_mean_baseline = df['mean_baseline'] < 138 #132.45
mask_mean_baseline &= df['mean_baseline'] > 122 #129.6
mask_baseline_offset = df['baseline_offset'] > 129
mask_baseline_offset &= df['baseline_offset'] < 133
mask_std_baseline = df['std_baseline'] < 6
mask_temperature = df['temperature'] > 3e4
mask_amplitude = (df['OF_ampl_0'] > 0) & (df['OF_ampl_1'] > 0)
mask_mean = df['mean'] < 20000
mask_chi2_TF = df['TF_chi2'] < 1000
mask_rise_time = df['rise_time'] > 0.00001
```

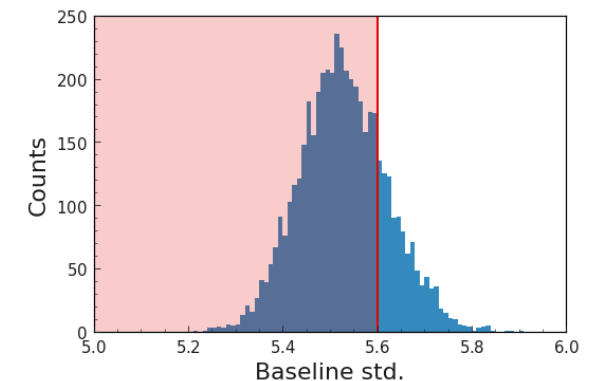
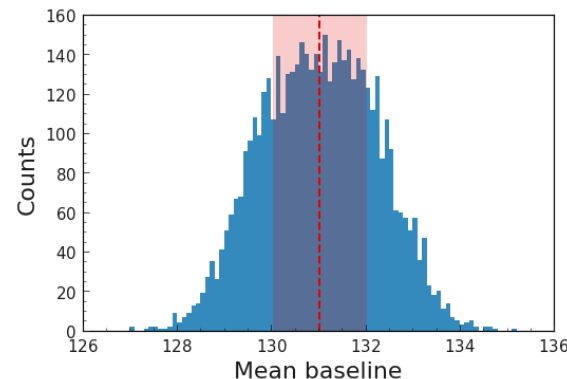
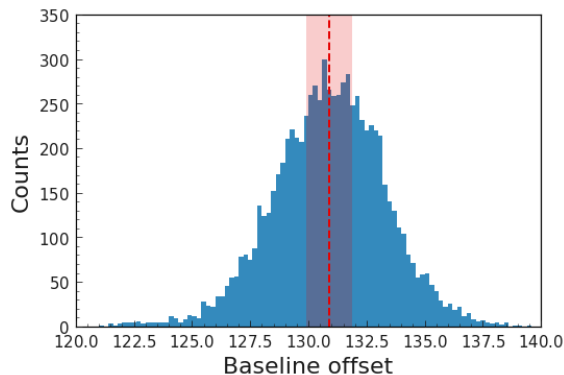
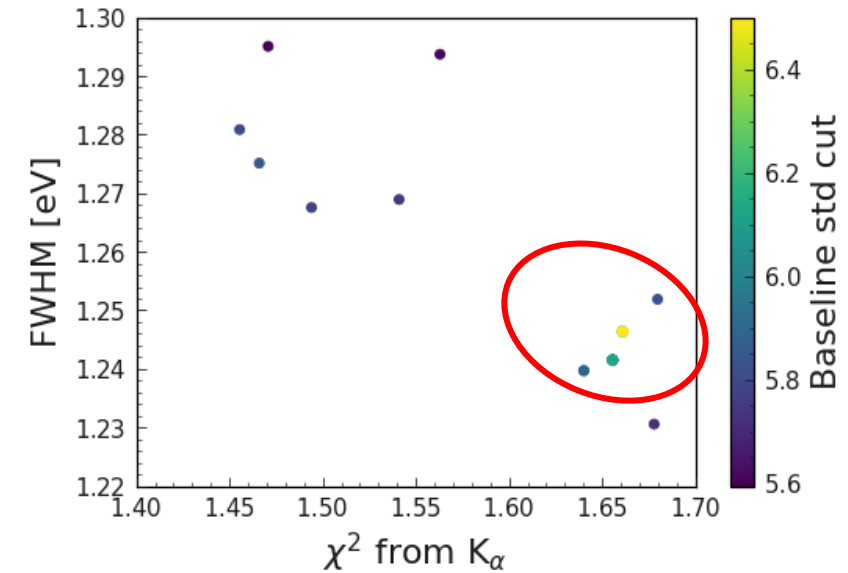
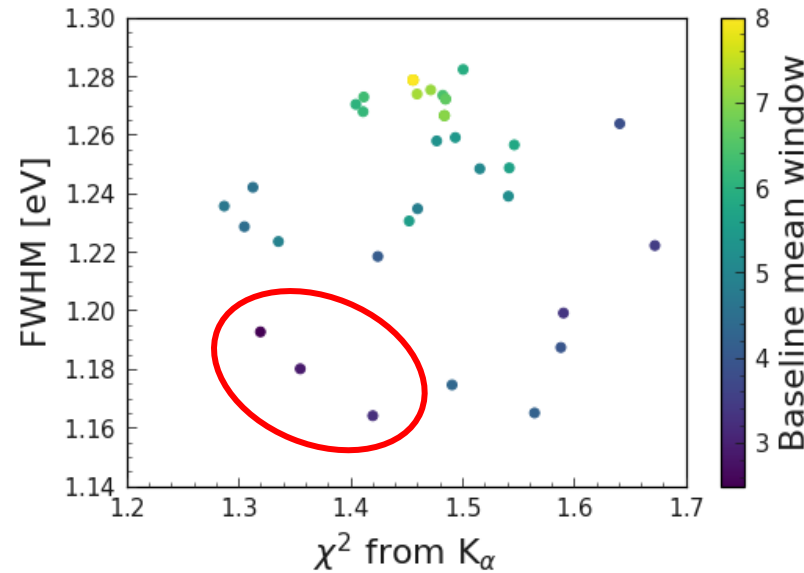
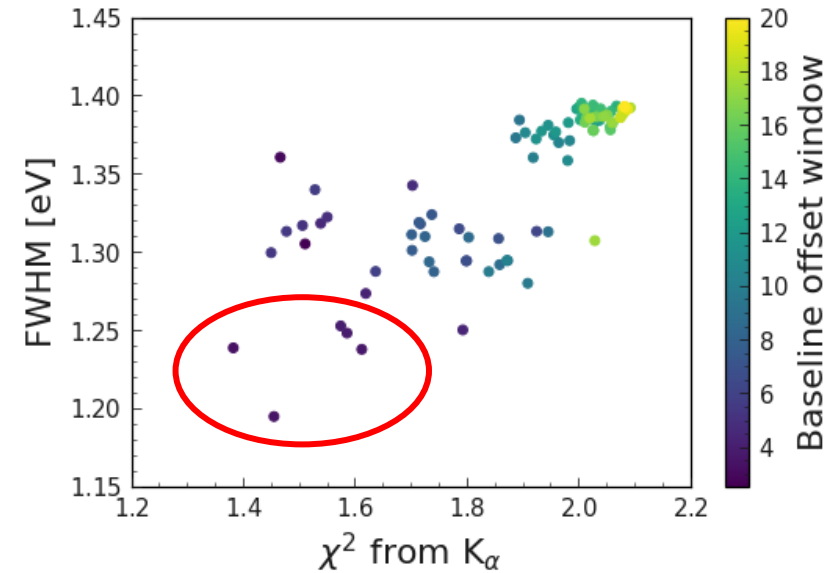
Optimization of cuts

Baseline offset
(already optimized by Benedikt)

Baseline mean

Baseline standard dev.

[129.6, 132.45]



Fit systematics

- Checking the fit for different initial values and binning → **systematics**

- Define 2000 initial values (distribution based on experience)

- Minimize chi-square of K_α using different binnings

- Estimate chi-square of K_β

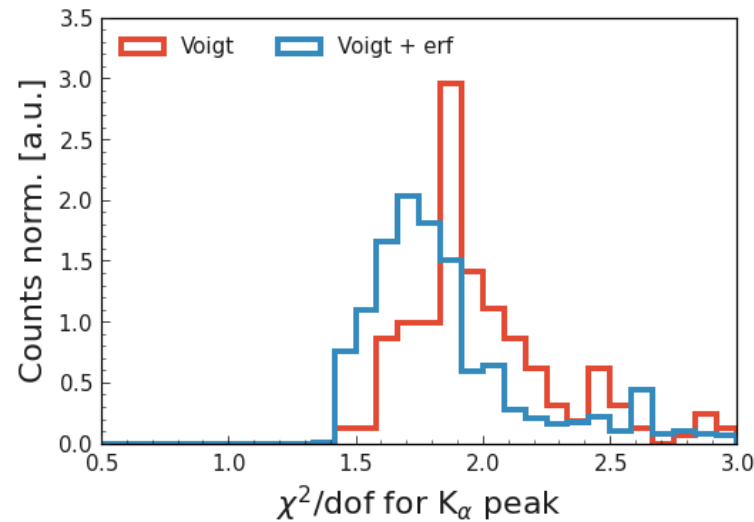
- Repeat for:

- looser and tighter cuts of *mean_baseline*
 - fit with and without escaping factor

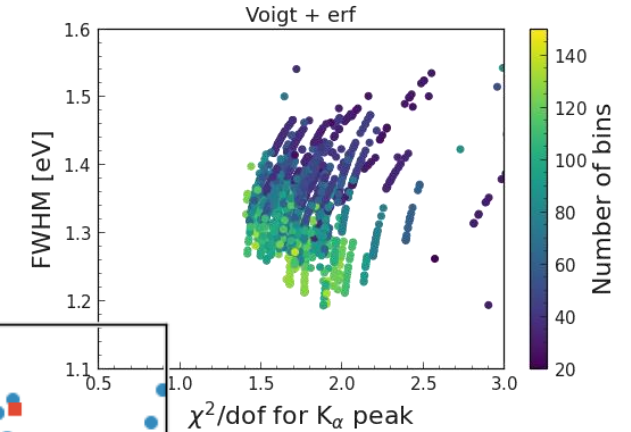
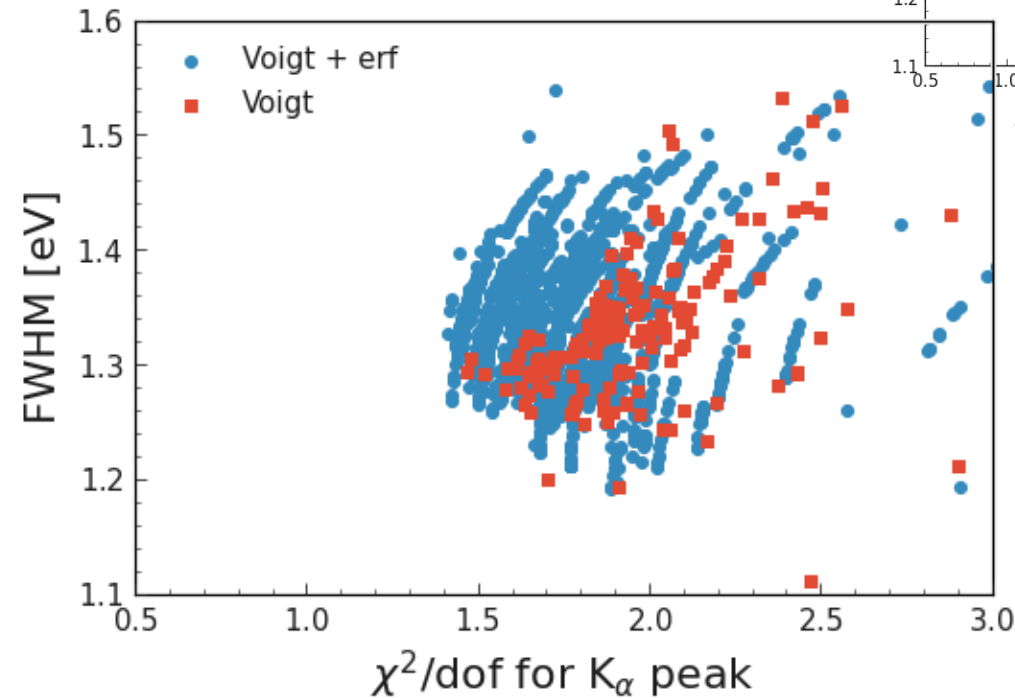
```
ESC_K = np.random.uniform(0, 0.15, N_params)
KAs = np.random.uniform(6, 15, N_params)
SIGMA_0 = np.random.uniform(0.1, 0.7, N_params)
E2s = np.random.normal(3.26315e-06, 2e-6, N_params)
E1s = np.random.normal(0.532509, 0.3, N_params)
```


Fit systematics – loose cut

| How many fits failed? | Voigt (w/o escape) | Voigt + erf (w/ escape) |
|-----------------------|-----------------------|----------------------------|
| Acceptance | 0.37% | 1.91% |

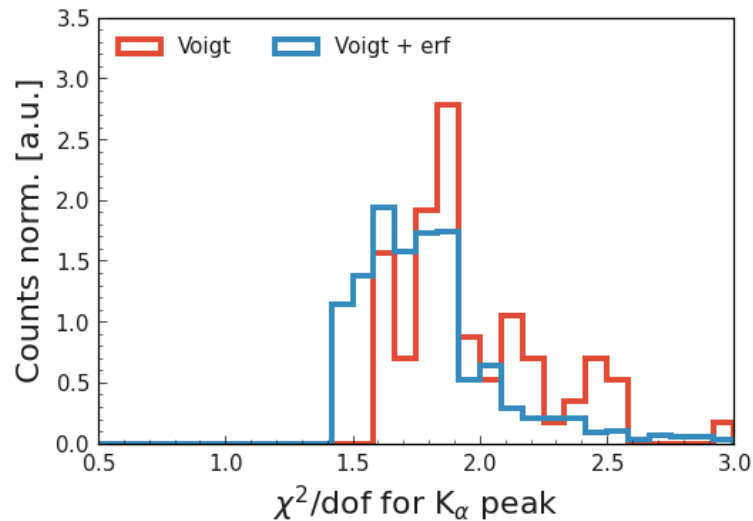


χ^2 preference for Voigt+erf

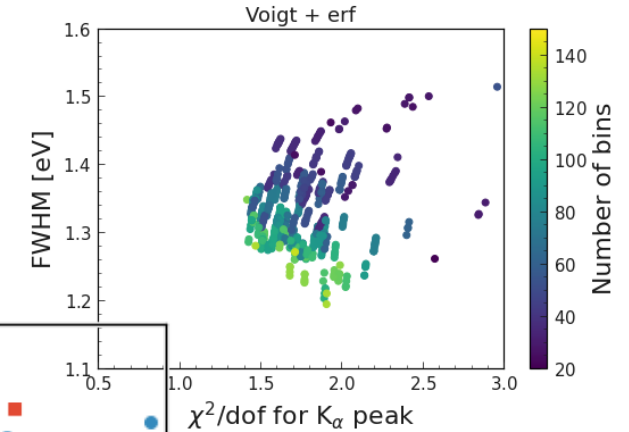
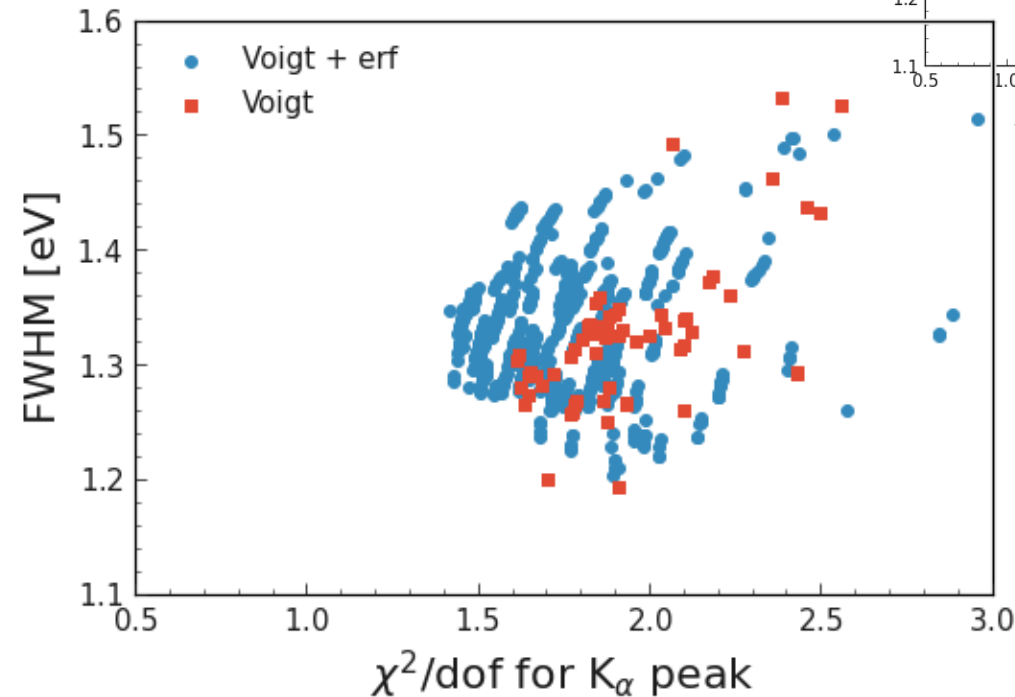


Fit systematics – loose cut

| How many fits failed? | Voigt (w/o escape) | Voigt + erf (w/ escape) |
|-----------------------|-----------------------|----------------------------|
| Acceptance | 0.37% | 1.91% |



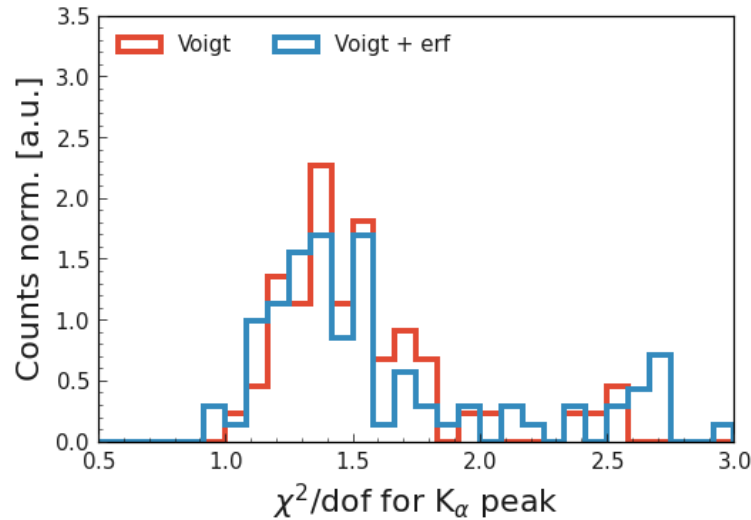
χ^2 preference for Voigt+erf



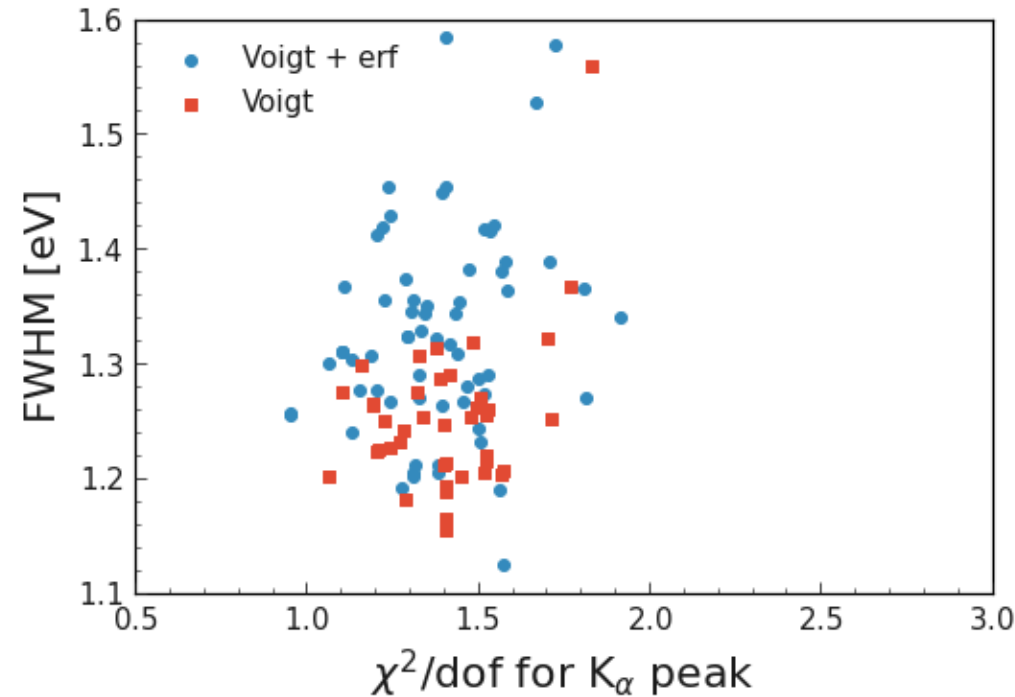
⚠ $\chi_\beta^2/\text{dof} < 2$

Fit systematics – tight cut

| How many fits failed? | Voigt (w/o escape) | Voigt + erf (w/ escape) |
|-----------------------|-----------------------|----------------------------|
| Acceptance | 0.31% | 0.34% |



No clear preference:
losing statistics, losing information?



⚠ $\chi_\beta^2/\text{dof} < 2$

Picking minimum chi-square

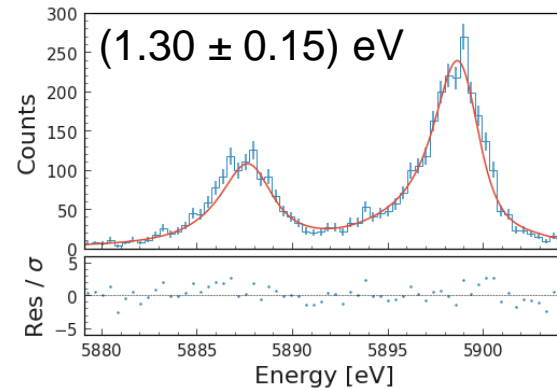
$$\chi^2_{\beta}/\text{dof} < 2$$

ATHERMAL PHONONS ESCAPE

THERMAL FLUCTUATIONS

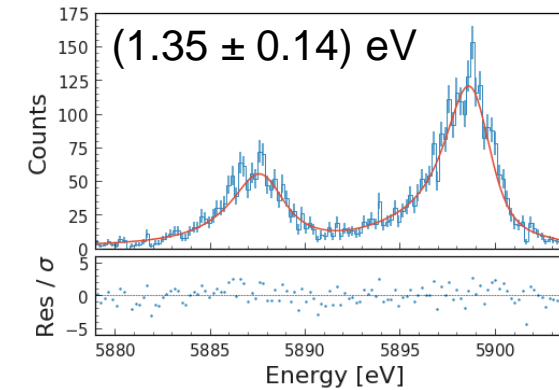
Loose cut

Voigt



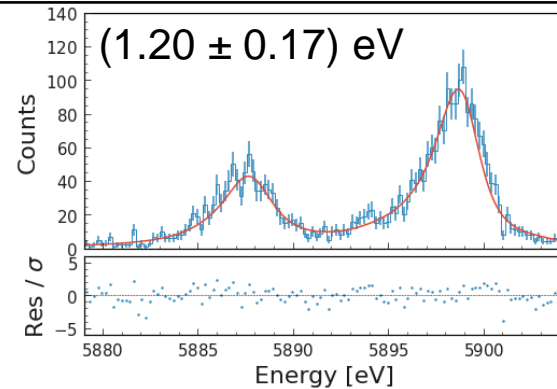
$$\chi^2 = 1.61$$

Voigt + erf

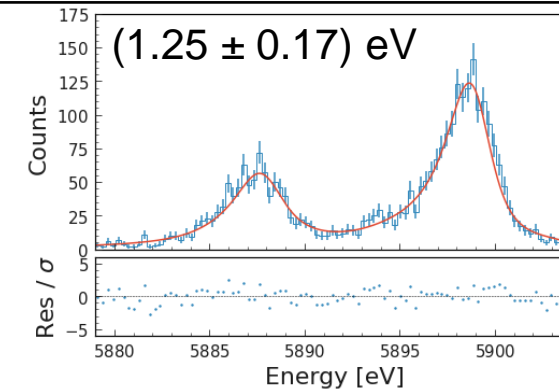


$$\chi^2 = 1.42$$

Tight cut



$$\chi^2 = 1.06$$



$$\chi^2 = 0.95$$

Picking minimum chi-square

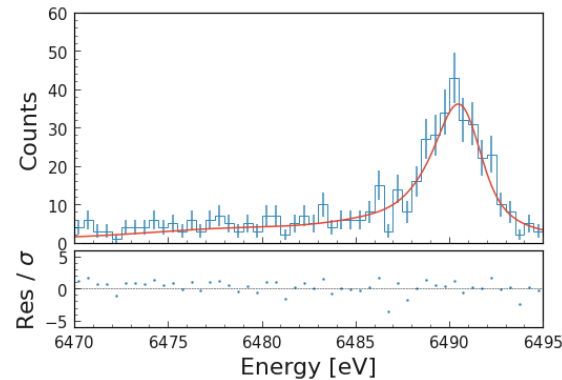
$$\chi^2_{\beta}/\text{dof} < 2$$

ATHERMAL PHONONS ESCAPE

THERMAL FLUCTUATIONS

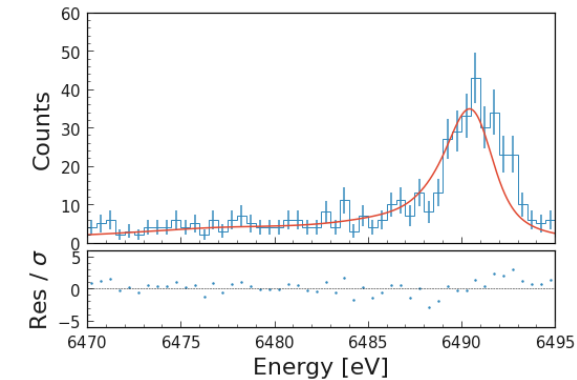
Loose cut

Voigt



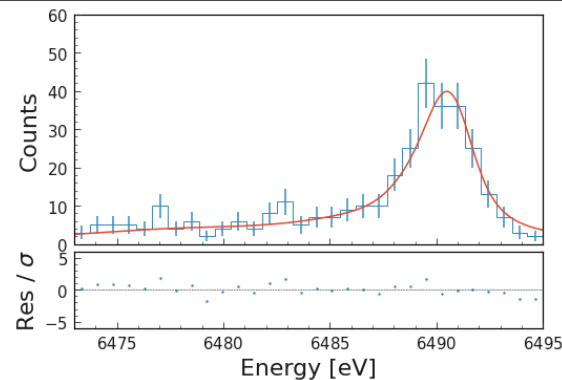
$$\chi^2 = 1.19$$

Voigt + erf

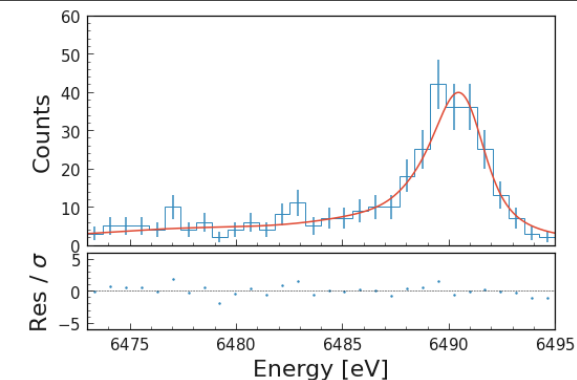


$$\chi^2 = 1.27$$

Tight cut



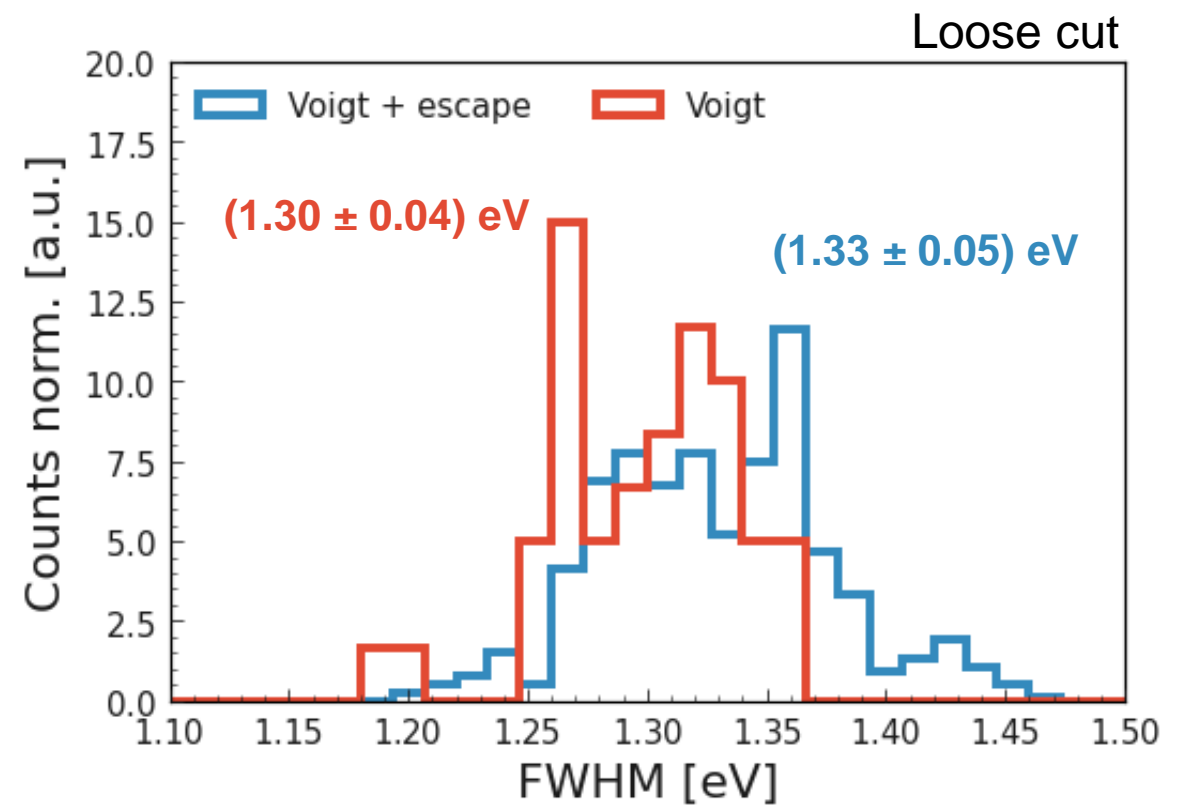
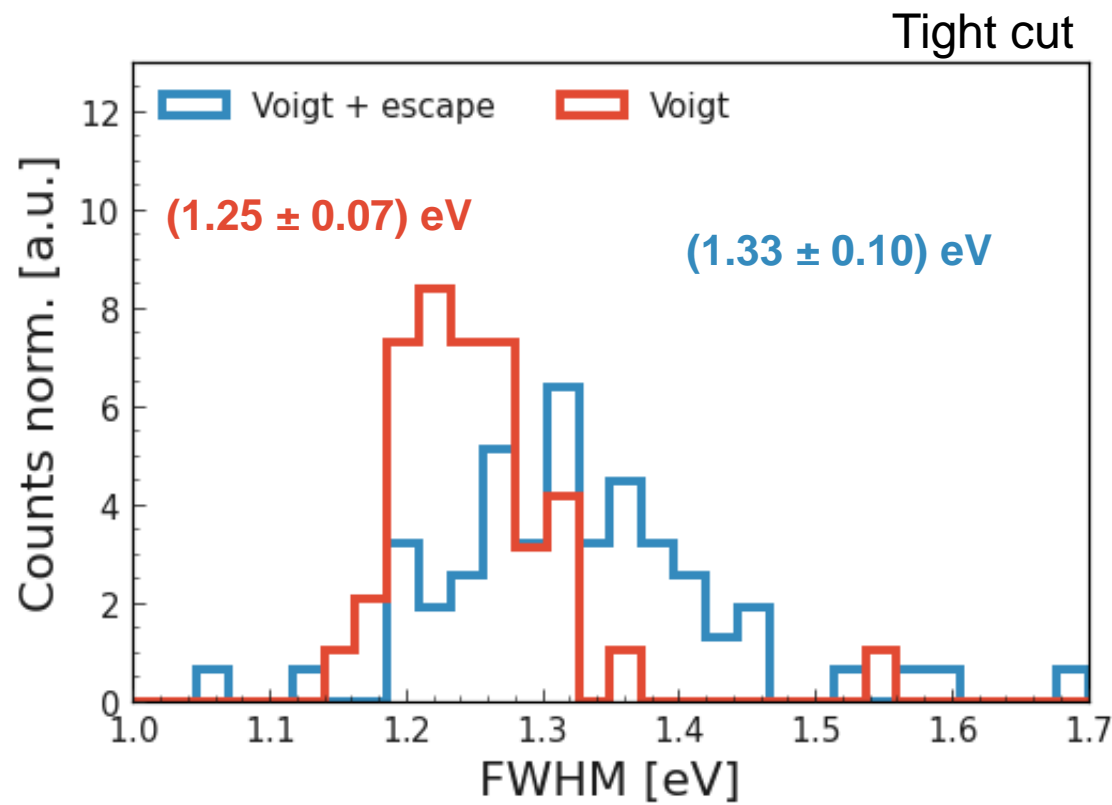
$$\chi^2 = 0.78$$



$$\chi^2 = 0.66$$

FWHM distribution

- $\chi_\beta^2/\text{dof} < 2$ and $\chi_\alpha^2/\text{dof} < 2$ (similar results with stricter $\chi_\beta^2/\text{dof} < 1.2$)



Baseline resolution

- After talking with Sebastian, he pointed that it is possible to calculate the optimal energy resolution for a given OF (thermal equilibrium).

Time domain

Frequency domain

$$S(t) = aA(t) + n(t) \quad \longrightarrow \quad \tilde{S}(\omega) = a\tilde{A}(\omega) + \tilde{n}(\omega)$$

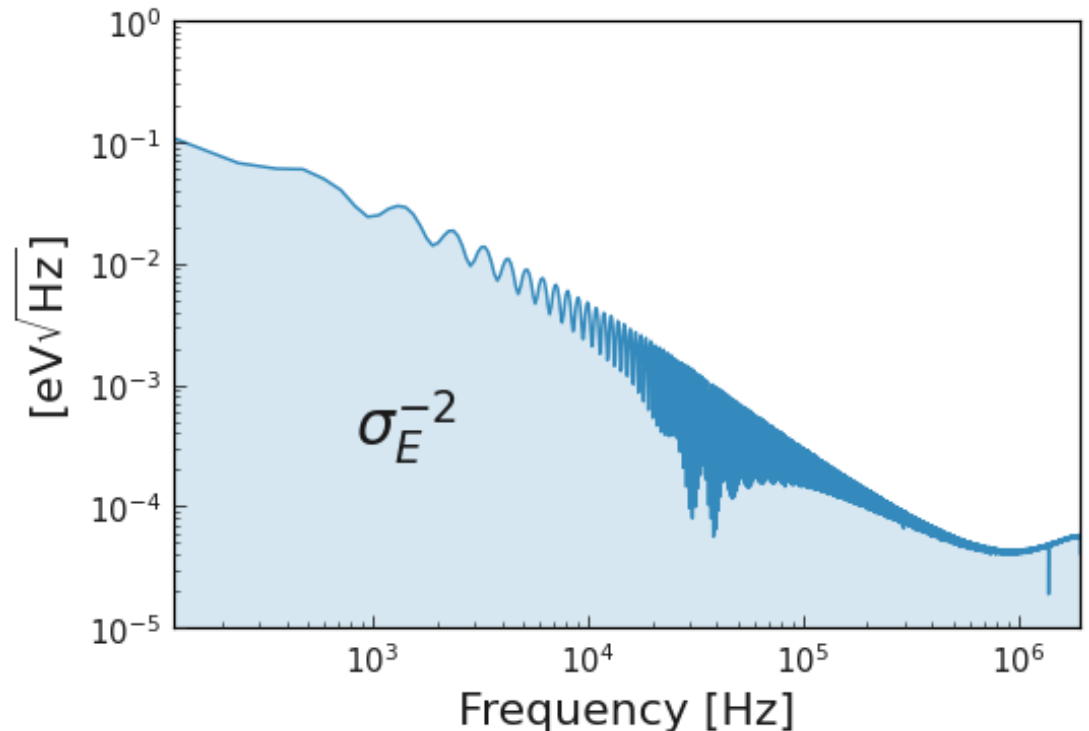
Optimum Filter

$$\chi^2 = \sum_n \frac{(\tilde{S}_n - a\tilde{A}_n)^2}{J_n}, \text{ where } J_n = \langle \tilde{n}_n^2 \rangle$$

$$\frac{\partial \chi^2}{\partial a} = 0 \rightarrow \hat{a} = \frac{\sum_n \frac{\tilde{A}_n^* \tilde{S}_n}{J_n}}{\sum_n \frac{|\tilde{A}_n|^2}{J_n}}$$

$$\sigma_a^2 = -\frac{1}{2} \left(\frac{\partial^2 \chi^2}{\partial a^2} \right)^{-1} = \left(\sum_n \frac{|\tilde{S}_n|^2}{J_n} \right)^{-1}$$

Noise-Equivalent Power

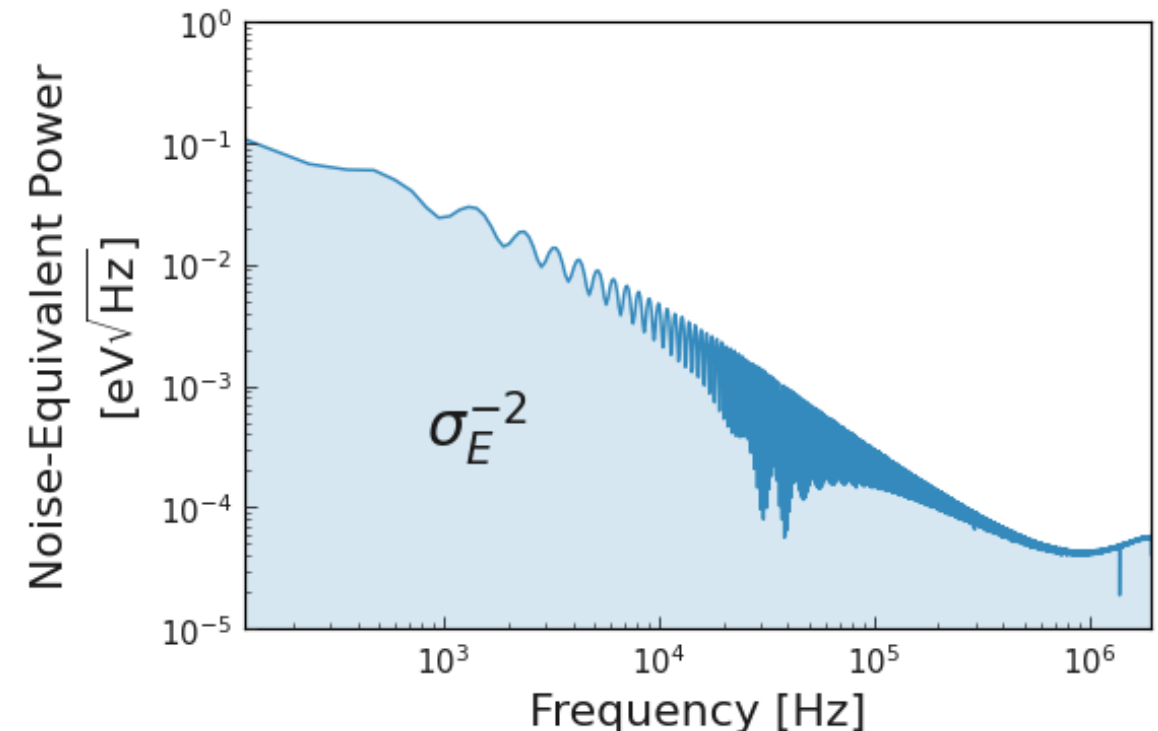


Baseline resolution

- After talking with Sebastian, he pointed that it is possible to calculate the optimal energy resolution for a given OF (thermal equilibrium).

$$\Delta E_{\text{FWHM}} = 1.09 \text{ eV}$$

- Based on Krantz thesis, the theoretical resolution is 0.64 eV (FWHM), but no active temperature stabilization during data taking ($T \sim 7 \text{ mK}$), hence possible impact of temperature fluctuations.
- Considering a noise PSD + template using the same cut, we get same resolution \rightarrow maybe T fluctuations do not impact PSD/templ.?



Summary of discussion with Sebastian

- Tighter baseline = less temperature fluctuations
 - This indicates that we are affected by T fluctuations
 - We cannot distinguish between athermal phonons escaping and T fluctuations, indeed chi-square shows no preference between the two models
- For the paper show the entire story (different fits with different cuts), as it shows that we are affected by T fluctuations
 - For DELight we need to have better temperature control/stability

Back-up slides

Correlation FWHM – esc_k

