

## Practical 2

### Number Representation

NOTE: Use of internet is not permitted, calculators are permitted and your answers must include worked solutions. If you require extra sheet(s) please write your name and student number at the top of each additional sheet.

## Part A

### Objective

Convert decimal numbers to binary showing in detail the conversion process

1. Convert the number of days in a leap year $366_{10}$ to $\text{Base}_2$						
Xn	Number	Count	Remainder	Running Total	Binary	Running Total
$2^8$	256	1	110	256	100000000	100000000
$2^7$	128	0	110	256	000000000	100000000
$2^6$	64	1	46	320	001000000	101000000
$2^5$	32	1	14	352	000100000	101100000
$2^4$	16	0	14	352	000000000	101100000
$2^3$	8	1	6	360	000001000	101101000
$2^2$	4	1	2	364	000000100	101101100
$2^1$	2	1	0	366	000000010	101101110
$2^0$	1	0	0	366	000000000	101101110
$366^{10}$ $\text{Binary}^2$ $101101110^2$						
2. Convert the number of available seats in the new Páirc Uí Chaoimh $45,000_{10}$ to $\text{Base}_2$						
Xn Number Count Remainder Running Binary Running Total						
				Total		
$2^{15}$	32768	1	12232	32768	1000000000000000	1000000000000000
$2^{14}$	16384	0	12232	32768	0000000000000000	1000000000000000
$2^{13}$	8192	1	4040	40960	0010000000000000	1010000000000000
$2^{12}$	4096	0	4040	40960	0000000000000000	1010000000000000
$2^{11}$	2048	1	1992	43008	0000100000000000	1010100000000000
$2^{10}$	1024	1	968	44032	0000010000000000	1010110000000000
$2^9$	512	1	456	44544	0000001000000000	1010111000000000
$2^8$	256	1	200	44800	0000000100000000	1010111100000000
$2^7$	128	1	72	44928	0000000010000000	1010111110000000
$2^6$	64	1	8	44992	0000000001000000	1010111111000000
$2^5$	32	0	8	44992	0000000000000000	1010111111000000
$2^4$	16	0	8	44992	0000000000000000	1010111111000000

## Practical 2

### Number Representation

$2^3$	8	1	0	45000	0000000000001000	1010111111001000
$2^2$	4	0	0	45000	0000000000000000	1010111111001000
$2^1$	2	0	0	45000	0000000000000000	1010111111001000
$2^0$	1	0	0	45000	0000000000000000	1010111111001000

$45000^{10}$

Binary<sup>2</sup>

$1010111111001000^2$

## Part B

### Objective

Convert numbers base<sub>n</sub> to hexadecimal showing in detail the conversion process

1. Convert the number  $181336782_{10}$  to Base<sub>16</sub>

**Practical 2**  
**Number Representation**

2^n	Numbers	Count	Remainder	Running Total	Binary	Running Total
2^27	134,217,728	1	47,009,054	134,217,728	10000000000 00000000000 000000	10000000000 00000000000 000000
2^26	67,108,864	0	47,009,054	134,217,728	00000000000 00000000000 000000	10000000000 00000000000 000000
2^25	33,554,432	1	13,454,622	167,772,160	00100000000 00000000000 000000	10100000000 00000000000 000000
2^24	16,777,216	0	13,454,622	167,772,160	00000000000 00000000000 000000	10100000000 00000000000 000000
2^23	8,388,608	1	5,066,014	176,160,768	00001000000 00000000000 000000	10101000000 00000000000 000000
2^22	4,194,304	1	981,710	180,355,072	00000100000 00000000000 000000	10101100000 00000000000 000000
2^21	2,097,152	0	981,710	180,355,072	00000000000 00000000000 000000	10101100000 00000000000 000000
2^20	1,048,576	0	981,710	180,355,072	00000000000 00000000000 000000	10101100000 00000000000 000000
2^19	524,288	1	457,422	180,879,360	00000000100 00000000000 000000	10101100100 00000000000 000000
2^18	262,144	1	195,278	181,141,504	00000000010 00000000000 000000	10101100110 00000000000 000000
2^17	131,072	1	64,206	181,141,504	00000000001 00000000000 000000	10101100111 00000000000 000000
2^16	65,536	0	64,206	181,207,040	00000000000 00000000000 000000	10101100111 00000000000 000000
2^15	32,768	1	31,438	181,207,040	00000000000 01000000000 000000	10101100111 01000000000 000000
2^14	16,384	1	15,054	181,223,424	00000000000 00100000000 000000	10101100111 01100000000 000000
2^13	8,192	1	6,682	181,223,424	00000000000 00010000000 000000	10101100111 01110000000 000000

**Practical 2**  
**Number Representation**

2 <sup>12</sup>	4,096	1	2,766	181,223,424	000000000000 000010000000 000000	10101100111 011111000000 000000
2 <sup>11</sup>	2,048	1	718	181,225,472	000000000000 000001000000 000000	10101100111 011111000000 000000
2 <sup>10</sup>	1,024	0	718	181,226,496	000000000000 000000000000 000000	10101100111 011111000000 000000
2 <sup>9</sup>	512	1	206	181,226,496	000000000000 000000010000 000000	10101100111 011111010000 000000
2 <sup>8</sup>	256	0	206	181,226,752	000000000000 000000000000 000000	10101100111 011111010000 000000
2 <sup>7</sup>	128	1	78	181,226,752	000000000000 000000000100 000000	10101100111 011111010100 000000
2 <sup>6</sup>	64	1	14	181,226,752	000000000000 000000000001 000000	10101100111 011111010101 000000
2 <sup>5</sup>	32	0	14	181,226,752	000000000000 000000000000 000000	10101100111 011111010101 000000
2 <sup>4</sup>	16	0	14	181,226,768	000000000000 000000000000 000000	10101100111 011111010101 000000
2 <sup>3</sup>	8	1	6	181,226,776	000000000000 000000000000 001000	10101100111 011111010101 001000
2 <sup>2</sup>	4	1	2	181,226,780	000000000000 000000000000 000100	10101100111 011111010101 001100
2 <sup>1</sup>	2	1	0	181,226,782	000000000000 000000000000 000010	10101100111 011111010101 001110
2 <sup>0</sup>	1	0	0	181,226,782	000000000000 000000000000 000000	10101100111 011111010101 001110
1010 <sup>2</sup>	1100 <sup>2</sup>	1110 <sup>2</sup>	1111 <sup>2</sup>	1010 <sup>2</sup>	1100 <sup>2</sup>	1110 <sup>2</sup>
10 <sup>10</sup>	12 <sup>10</sup>	14 <sup>10</sup>	15 <sup>10</sup>	10 <sup>10</sup>	12 <sup>10</sup>	14 <sup>10</sup>
A <sup>16</sup>	C <sup>16</sup>	E <sup>16</sup>	F <sup>16</sup>	A <sup>16</sup>	C <sup>16</sup>	E <sup>16</sup>
ACEFACE <sup>16</sup>						
2. Convert the number C0FF.EE <sub>16</sub> to Base <sub>10</sub> directly						

## Practical 2

### Number Representation

### Part C

#### Objective

Convert numbers  $\text{base}_n$  to  $\text{base}_n$  showing in detail the conversion process

1. What is the  $\text{Base}_{16}$  value of 8 bit 2's complement number  $1001\ 0101_2$

**Practical 2**  
**Number Representation**

2. Subtract  $13_{10}$  from  $42_{10}$  using 8 bit 2's complement and convert to  $\text{Base}_8$

**Practical 2**  
**Number Representation**

**Part D**

**Objective**

Convert numbers base<sub>n</sub> to hexadecimal showing in detail the conversion process

1. Add $-32_{10}$ to $61_{10}$ using 8 bit 2's complement
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2. Add $-4_{10}$ to $46_{10}$ using 8 bit 2's complement

**Practical 2**  
**Number Representation**

Hand up this practical report at the end of session and ensure it has been checked

<b>Student Name</b>		<b>Student Number</b>	
<b>Date</b>		<b>Checked</b>	
<b>Group</b>	<b>A / B</b>		