UNIVERSITÄT TÜBINGEN

PROF. DR.-ING. HENDRIK P.A. LENSCH

Lehrstuhl für Computergrafik

Lukas Ruppert (lukas.ruppert@uni-tuebingen.de)

TÜBINGEN MEHRAN HOSSEINZADEH (MEHRAN.HOSSEINZADEH@UNI-TUEBINGEN.DE)

Deborah Kornwolf (Deborah Kornwolf @Student.uni-tuebingen.de)

PHILIPP LANGSTEINER (PHILIPP.LANGSTEINER@STUDENT.UNI-TUEBINGEN.DE)

February 28, 2025

Massively Parallel Computing

EBERHARD KARLS

UNIVERSITÄT

Instructions

Download the framework exercise02.zip from the ILIAS course web page.

Present your results to the exercise instructors to get a grading on this exercise sheet.

Asynchronous Memory Transfer (30) 2.1

- Start with the upload template.
- You might have noticed that the upload in the testDotProduct.cu was slowing down the overall performance. Here comes the solution:
- Transfer data to the GPU in three different modes
 - 0: Using simple memcpy
 - 1: Using memcpy from non-pageable memory
 - 2: Using asynchronous memcpy with two streams
- Use the provided skeleton and fill in the missing gaps
- Use the profiler (NVIDIA Nsight Systems) to create an application timeline for all three modes
 - Identify the memory transfer speed for mode 0 and mode 1
 - Identify the difference between mode 1 and mode 2
 - You may notice that the overall difference is runtime is small since this problem is memory bound. However, you should see the benefit for more compute-intensive applications.

2.2 Reverse Array (30)

- Given an input array $\{a_0, a_1, ..., a_{n-1}\}$ in pointer d_a , store the reversed array $\{a_{n-1}, a_{n-2}, ..., a_0\}$ in pointer d_b
- Start from the reverseArray template
- Part 1: Compute the number of blocks to launch
- Part 2: Implement the kernel reverseArrayBlock()

2.3 Cross Correlation (40)

- Start from the crossCorrelation framework.
- Compute the normalized cross correlation between two images $f,g:\mathbb{R}^2\to\mathbb{R}$, component-wise for RGB

$$\bar{f} := \sum_{x,y} f(x,y)/(M \cdot N)
\bar{g} := \sum_{x,y} g(x,y)/(M \cdot N)
f'(x,y) := f(x,y) - \bar{f}
g'(x,y) := g(x,y) - \bar{g}
(f' * g')(X,Y) = \sum_{x,y} f'(x,y) \cdot g'(X + x, Y + y)$$

- Use the provided skeleton and fill in the missing gaps
- In folder images/ you will find example input images
- In folder referenceImages/ we have pre-computed the solution for different combinations of input images
- Use these pre-computed solutions to check that your code works correctly!