Neural Networks

Implementation Details

Our implementation works as follows: the function createNN takes the data to train on, the training parameters, and a flag for whether we want 1 or 6 trees outputted, and builds a network on that data using the Matlab ANN functions (feedforwardnet,configure,train). We used the 'useParallel' and 'useGPU' flags to speed up the training process.

bestMatch in testANN normalises the results found by running a simulation on the 6-output network, and combined the outputs of the six 1-output networks: for each of the 1004 examples, it takes the highest value in the 6 emotions and set it to 1, and all the others are set to 0. It then produced the predicted labels y by passing through NNout2labels.

In crossValidateANN, fold generated the same folds as in the decision tree exercise. We then performed parameter optimisation using paramOpt, which iterated through a set of parameters as below for the first fold training and validation data. Then those optimal parameters are used to generate the ANNs for the rest of the folds, and returns the classification rates for those folds in an array.

Average classification rate of 20 iterations of cross validation

	Clean	Noisy
One neural network	81.9%	70.3%
Six neural networks	83.2%	72.1%

No	Noisy One		Predicted Class							
INO	isy One	Anger	Disgust	Fear	Happiness	Sadness	Surprise			
	Anger	12	14	19	8	16	4			
	Disgust	5	124	11	5	6	1			
Actual	Fear	3	11	105	11	7	16			
Class	Happiness	2	7	9	135	4	6			
	Sadness	9	9	13	6	45	10			
	Surprise	2	3	9	6	6	143			

Na	lev Civ		Predicted Class							
INC	oisy Six	Anger	Disgust	Fear	Happiness	Sadness	Surprise			
	Anger	14	12	21	9	15	4			
	Disgust	4	125	11	4	4	1			
Actual	Fear	5	10	105	11	6	15			
	Happiness	3	6	8	137	4	5			
	Sadness	9	9	13	5	48	9			
	Surprise	2	2	10	6	6	144			

CL	Clean One		Predicted Class								
CIE	ean One	Anger	Disgust	Fear	Happiness	Sadness	Surprise				
	Anger	77	10	5	2	12	2				
	Disgust	8	126	2	5	14	2				
Actual	Fear	4	3	78	2	3	12				
Class	Happiness	1	5	1	163	1	2				
	Sadness	11	15	4	4	62	4				
	Surprise	0	2	10	2	4	148				

	Clean Six		Predicted Class								
C	ean Six	Anger	Disgust	Fear	Happiness	Sadness	Surprise				
	Anger	77	9	5	3	11	2				
	Disgust	8	130	2	5	12	1				
Actual	Fear	3	2	81	2	2	11				
Class	Happiness	0	4	1	166	1	1				
	Sadness	9	15	3	4	66	4				
	Surprise	0	2	6	3	3	152				

Avorag	o Drocicion	Class						
Average	e Precision	Anger	Disgust	Fear	Happiness	Sadness	Surprise	
	Clean One	76.2%	78.3%	78.0%	91.6%	64.6%	87.1%	
Neural	Clean Six	79.4%	80.2%	82.7%	90.7%	69.5%	88.9%	
Network	Noisy One	36.4%	73.8%	63.3%	78.9%	53.6%	79.4%	
	Noisy Six	37.8%	76.2%	62.5%	79.7%	57.8%	80.9%	

Avora	go Pocall	Class						
Avera	ige Recall	Anger	Disgust	Fear	Happiness	Sadness	Surprise	
	Clean One	71.3%	80.3%	76.5%	94.2%	62.0%	89.2%	
Neural	Clean Six	72.0%	82.3%	80.2%	96.0%	65.3%	91.6%	
Network	Noisy One	16.4%	81.6%	68.6%	82.8%	48.9%	84.6%	
	Noisy Six	18.7%	83.9%	69.1%	84.0%	51.6%	84.7%	

E1 N	Accura		Class						
LT-IA	/leasure	Anger	Disgust	Fear	Happiness	Sadness	Surprise		
	Clean One	73.7%	79.2%	77.2%	92.9%	63.3%	88.1%		
Neural	Clean Six	75.5%	81.3%	81.4%	93.3%	67.3%	90.2%		
Network	Noisy One	22.6%	77.5%	65.8%	80.8%	51.1%	81.9%		
	Noisy Six	25.0%	79.9%	65.6%	81.8%	54.5%	82.8%		

From this, we can see some differences in terms of accuracy in different emotions. Disgust, happiness and surprise are quite accurate (> 75% precision, recall and F1), with happiness and surprise being above 90% on the clean data, while anger is not accurate at all on the noisy data (< 25% accuracy on both the clean and the noisy data). This could be because anger does not have selective enough properties, therefore it can easily be mismatched for another emotion.

The figures also show that building six neural networks gives slightly better results (~2% better for each emotion) with a peak for happiness with 93.3% accuracy for the F1-measure.

Optimisation

The parameters we optimised were:

- topologies = {40,20,10,[40,20],[30,10]};
- Training functions:
 - Levenberg-Marquardt backpropagation
 - Resilient backpropagation
 - Gradient descent with momentum backpropagation
- Lean Rates = {0.5,0.6,0.7,0.8,0.9,1}

• momentums = $\{0.5, 0.6, 0.7, 0.8, 10.9\}$

activation functions: Tan-sigmoid and Log-sigmoid

• epochs = [10,100,1000];

We performed an exhaustive search on the possible combinations to ensure we found the optimum values. These values were then saved for later use in our validation (as the search took multiple hours to run). The optimum values we found were:

One Neural Network: Topology: [40,20] Training fn: trainrp Learn Rate: 0.8 Momentum: 0.6

Activation fn: Tan-sigmoid

Epochs: 1000

Six Neural Networks: Topology: [40,20] Training fn: trainrp Learn Rate: 0.7 Momentum: 0.7

Activation fn: Tan-sigmoid

Epochs: 1000

Because these values are optimal, we have avoided the problem of overfitting.

Logically, if our parameter values overfitted the data then they would not be optimal as the classification rate would fall.

Comparing classification approaches

Using 6 one-output neural networks resulted in a slightly higher classification rate. However, there is a roughly six-fold time penalty as each network has to be trained and tested separately. However, this problem could be mitigated on a multi-core system as the networks can be run in parallel. Although, as Matlab has built-in concurrency support, this would not provide an advantage for our implementation as the single six-output network can be run concurrently too.

Ideal parameter optimisation

Imagine we run 10 fold cross validation on our neural network for a given set of parameters, and the classification rate for each fold is given below:

60%	70%	75%	69%	72%	64%	63%	58%	69%	66%

This set of parameters would be judged solely on the performance of its initial fold, which has a classification rate of 60%, compared to an average that is obviously higher. We may find that another set of parameters gives the following classification rate

	66%	55%	62%	61%	52%	53%	63%	58%	67%	56%
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This parameters set would be judged to be better performing simply because the first fold performs better, whereas by inspection it is quite easy to see that our first parameter set performs substantially better.

It may seem as though the examples are quite contrived, but in actuality our data has shown that the variance of the classification rates between the folds can be as high as 15% in absolute terms.

Ideally we would compare every parameter set through complete 10-fold cross validation, as it would give us more reliable data, although in practice, it may not be possible due to time constraints.

Flowchart illustrating how code works

