

# Bharatiya Vidya Bhavan's Sardar Patel Institute of Technology

Bhavan's Campus, Munshi Nagar, Andheri (West), Mumbai-400058-India (Autonomous College Affiliated to University of Mumbai)

### <u>Computer Engineering Department &</u> <u>Information Technology Engineering Department</u>

Academic Year: 2021-2022

Class: S.Y.B.Tech Sem.: 4 Course: Linear Algebra

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Experiment No.	8		

AIM:	To find the eigen values and eigen vectors		
PROBLEM			
CODE:	<pre>printf("\n") A=input("Enter the matrix: ")</pre>		
	<pre>[x,R]=spec(A) [x1,y1]=size(A) b=zeros(x1,1) printf("The eigen values are\n") for i=1:x1     printf(" %d, ",R(i,i)) end [m,n]=size(R)</pre>		
	<pre>function x = calAM(R, x1)   occ = zeros(x1,1)   for i = 1:x1</pre>		



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```
end
                        end
                    end
                  endfunction
                  for i=1:m
                  eigenVal=R(i,i);
                  [X, n1] = linsolve(A - R(i,i)*eye(m,m),b)
                  printf("\n\nEigen vectors for eigen value %d",eigenVal)
                  disp(n1)
                  [row, col] = size(n1)
                    printf("\nGeometric multiplicity is: %d\n", col)
                    c=calAM(R,x1)
                    printf("Algebraic multiplicity is: %d\n",c )
                    if col == c
                       printf("Matrix is Diagonisable")
                       printf("Matrix is Non Diagonisable")
                    end
                  end
OUTPUT
TABLE:
                  Enter the matrix: [2,1,1;1,2,1;0,0,1]
                  The eigen values are
                    3,
```



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```
Eigen vectors for eigen value 3
   0.7071068
   0.7071068
  -1.084D-16
Geometric multiplicity is: 1
Algebraic multiplicity is: 2
Matrix is Non Diagonisable
Eigen vectors for eigen value 1
   0.8164966 -2.627D-16
  -0.4082483 -0.7071068
  -0.4082483 0.7071068
Geometric multiplicity is: 2
Algebraic multiplicity is: 2
Matrix is Diagonisable
Eigen vectors for eigen value 1
   0.8164966 -2.627D-16
  -0.4082483 -0.7071068
  -0.4082483 0.7071068
Geometric multiplicity is: 2
Algebraic multiplicity is: 2
Matrix is Diagonisable
```

**RESULT:** Learnt about eigen values and eigen vectors, also learnt how to find the values using the spec function. Learnt how to find the eigen vectors using the linsolve functions and also found out the algebraic and geometric multiplicity of the eigen values.