

## Government TRAINING COURSE

\* Before 58%

\* After  $189/300 = 63\%$  improvement?

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Testing if there was an improvement After.  
introduction of scheme

- $H_0$  : no improvement
- $H_1$  : improvement.

Equivalently

- $H_0$  :  $P \leq 0.58$  no improvement
  - $H_1$  :  $P > 0.58$  improvement.
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TEST STATISTIC

$$\frac{\text{observed} - H_0}{S.E.} = \frac{63 - 58}{\sqrt{\frac{58 \times 42}{300}}}$$

N.B : use expected value of  $P$  when  
 $H_0$  is assumed to be true when  
Computing S.E. for hypothesis tests,

$$\begin{aligned}
 \text{TS} &= \frac{5}{\sqrt{2436/300}} = \frac{5}{\sqrt{8.12}} \\
 &= 5/2.85 \\
 &= 1.755.
 \end{aligned}$$

C.V.  $\alpha = 5\%$

Test is a one tailed test.

$$\text{Column} = \alpha/2 = 0.05$$

Large Sample

$$\therefore \text{CV} = 1.645.$$

Decision.

If  $|TS| > CV$  then Reject  $H_0$ .

$$\text{Here } |1.755| > 1.645$$

Therefore we can Reject  $H_0$ .

Sufficient evidence of improvement.