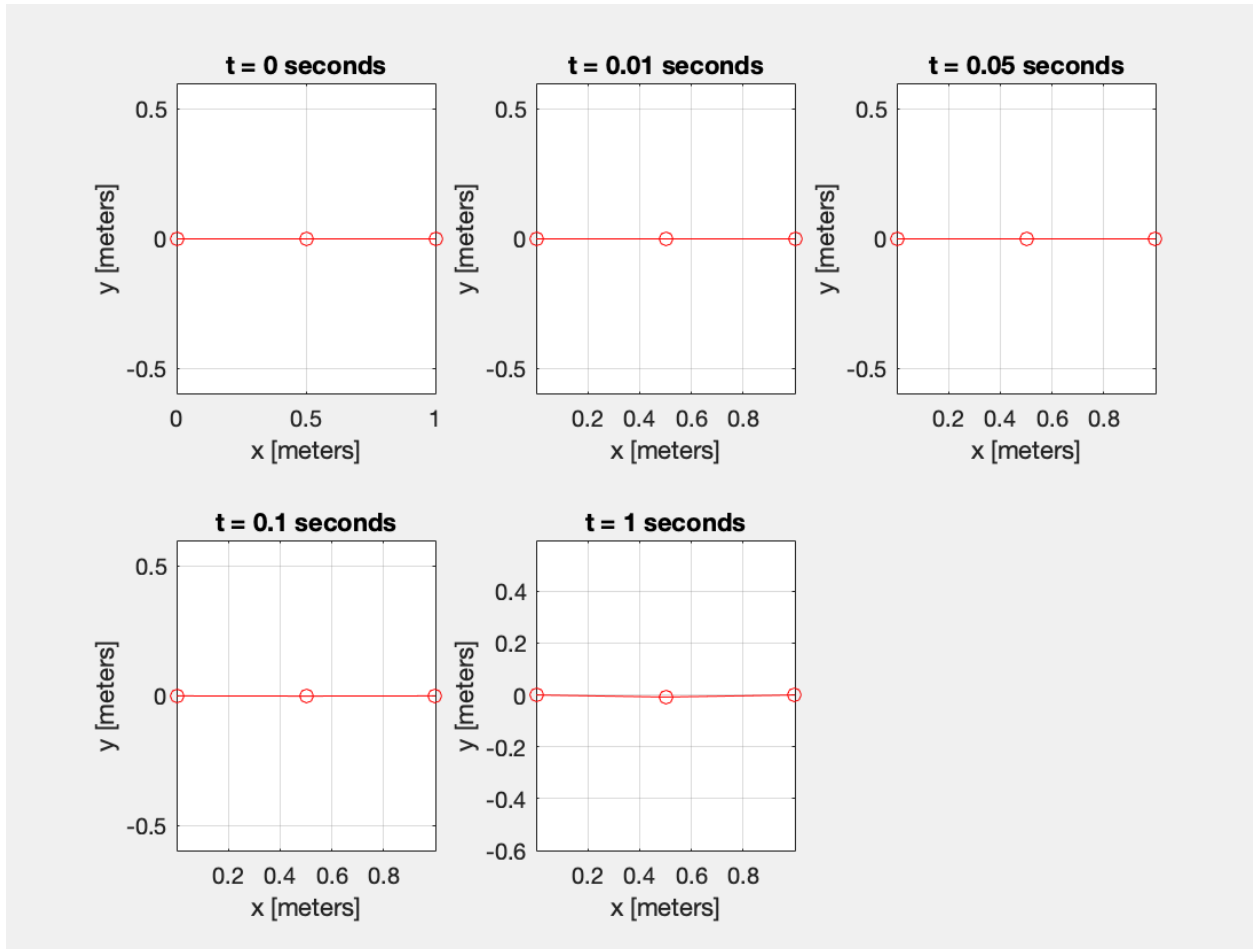
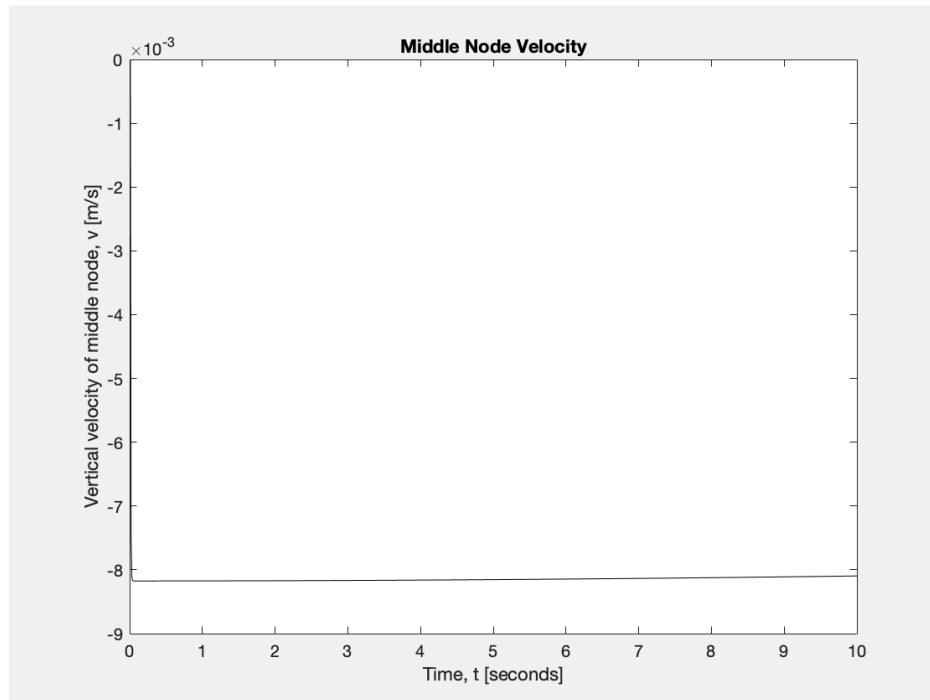
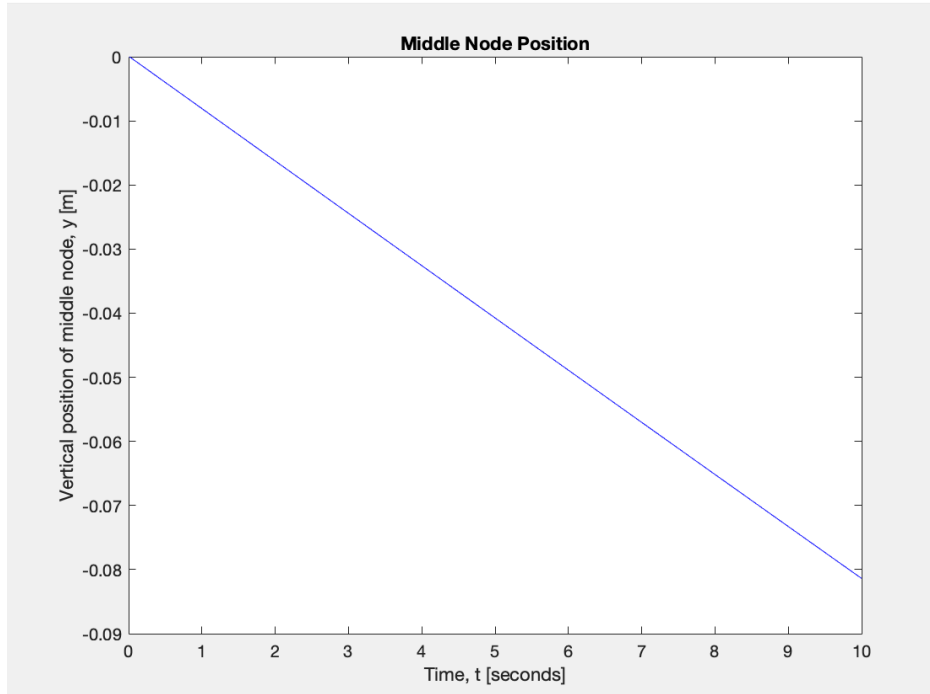


MAE C263F Homework 1

Problem 1 - Three Connected Spheres Falling Inside Viscous Fluid

- 1) Structure shape at $t = \{0, 0.01, 0.05, 0.10, 1.0, 10\}$ and position and velocity vs. time plots of R_2 .





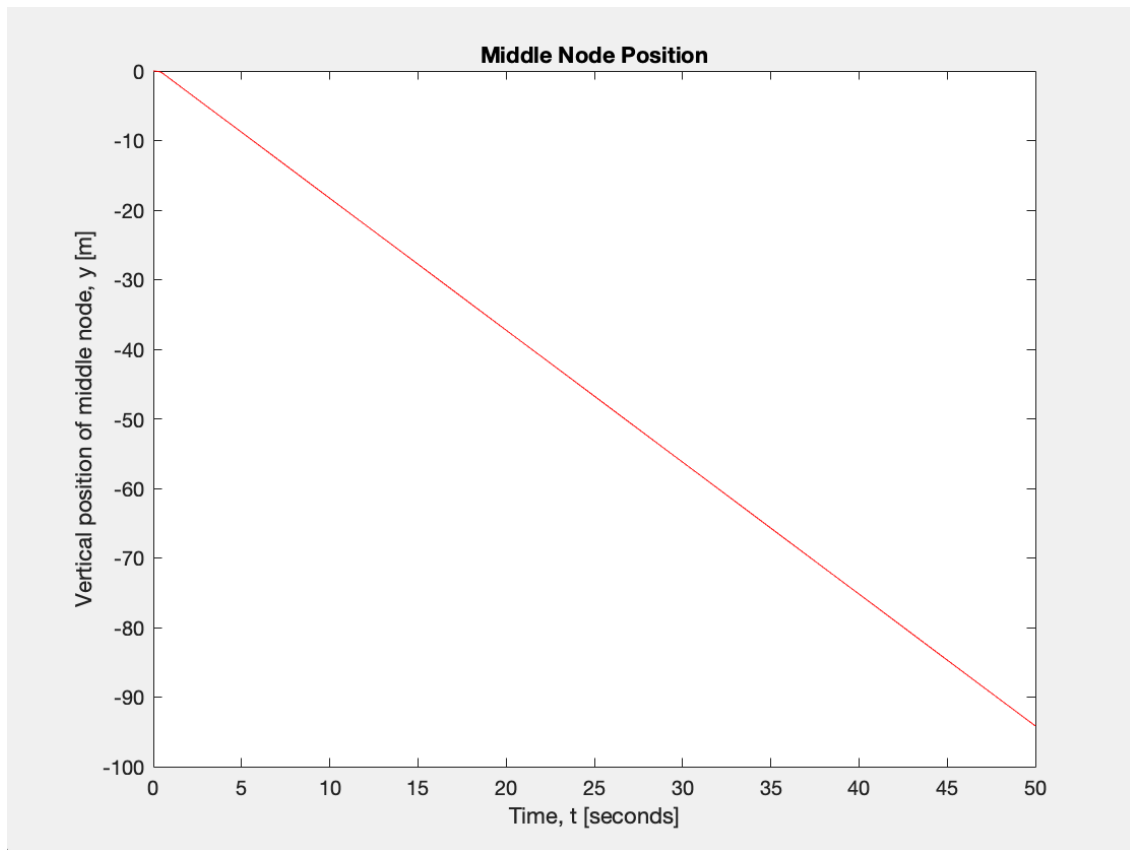
- 2) The terminal velocity along the y-axis of this system is -0.008175 m/s.
- 3) The turning angle remains 180° (flat) when the radii of all the spheres are the same. My simulation supports this claim.
- 4)

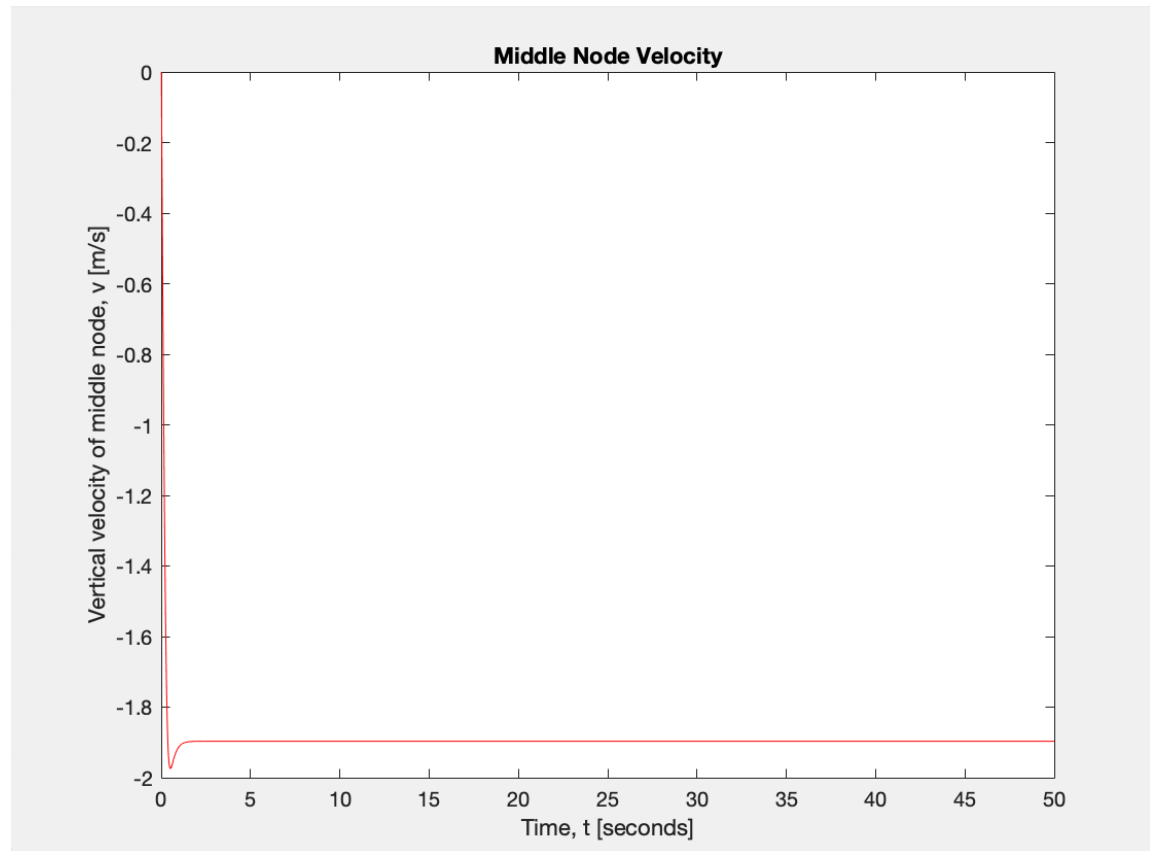
Approach	Benefits	Drawbacks
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Explicit	Simple to implement and efficient for problems with many DOFs	Requires a very small time step which can be computationally costly
Implicit	Unconditionally stable, even for large time steps	Requires complex algorithms which can be computationally costly

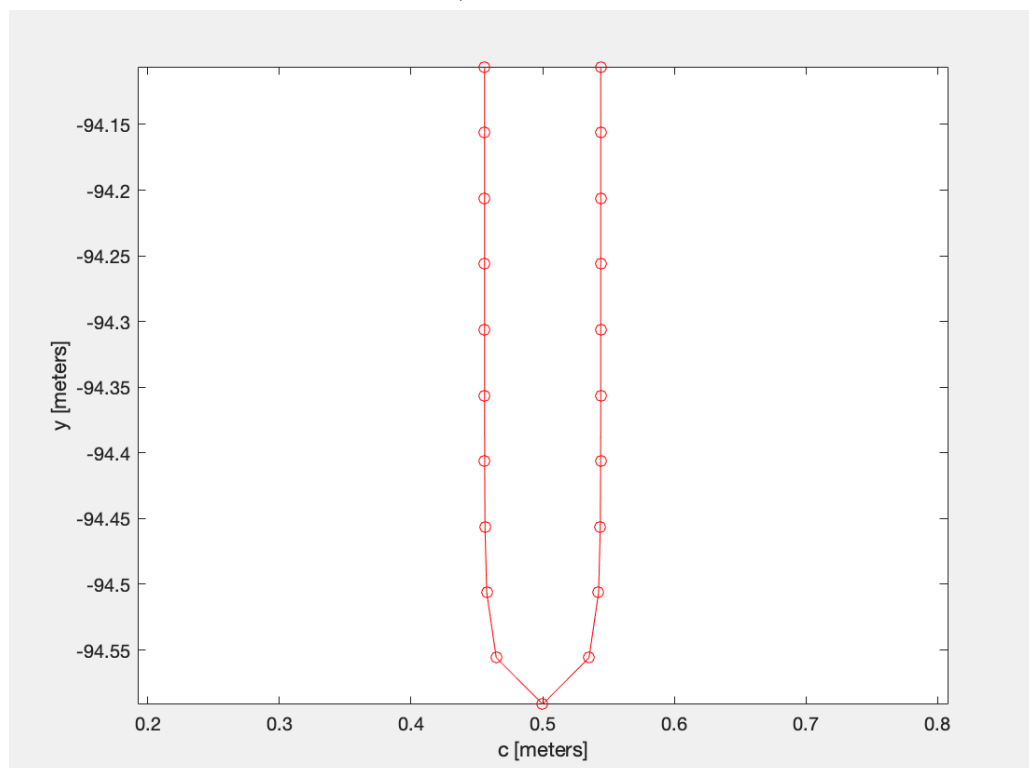
Problem 2 - General Connected Spheres Falling Inside Viscous Fluid

- 1) The terminal velocity is -1.974 m/s at 0.51 seconds.

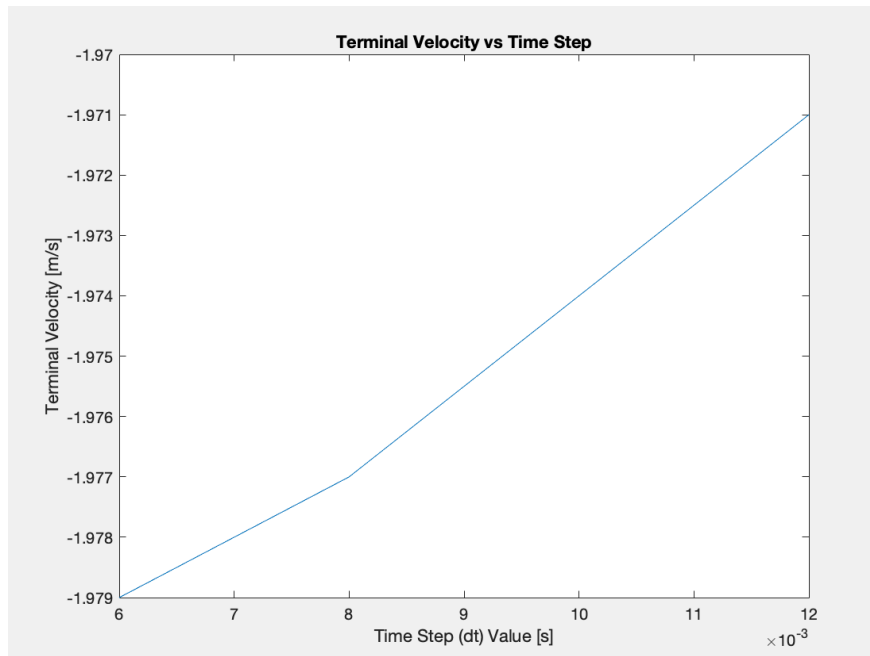




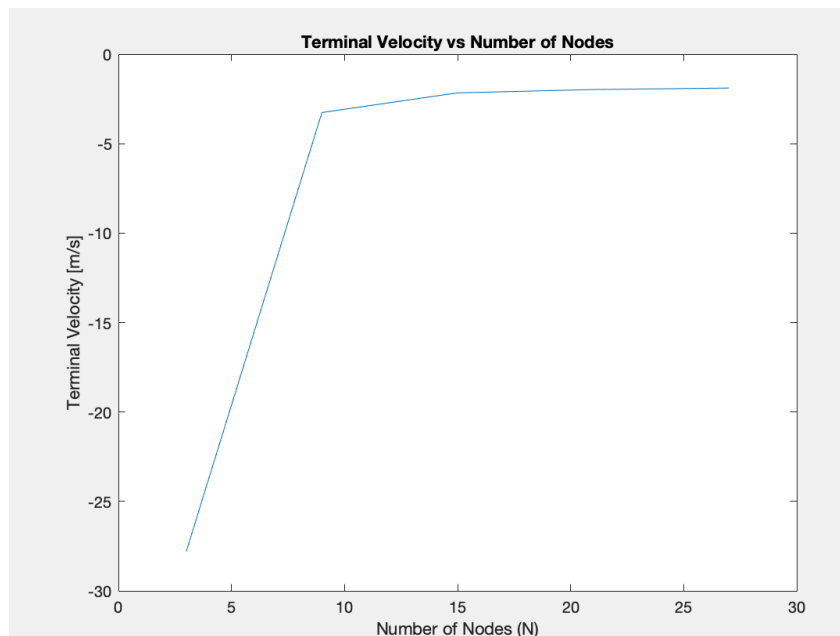
2) Final Position



3) Varying number of nodes and time step



As we can see in this plot, varying the time step does not greatly affect the terminal velocity, as the y-axis is on an order of magnitude of -3.

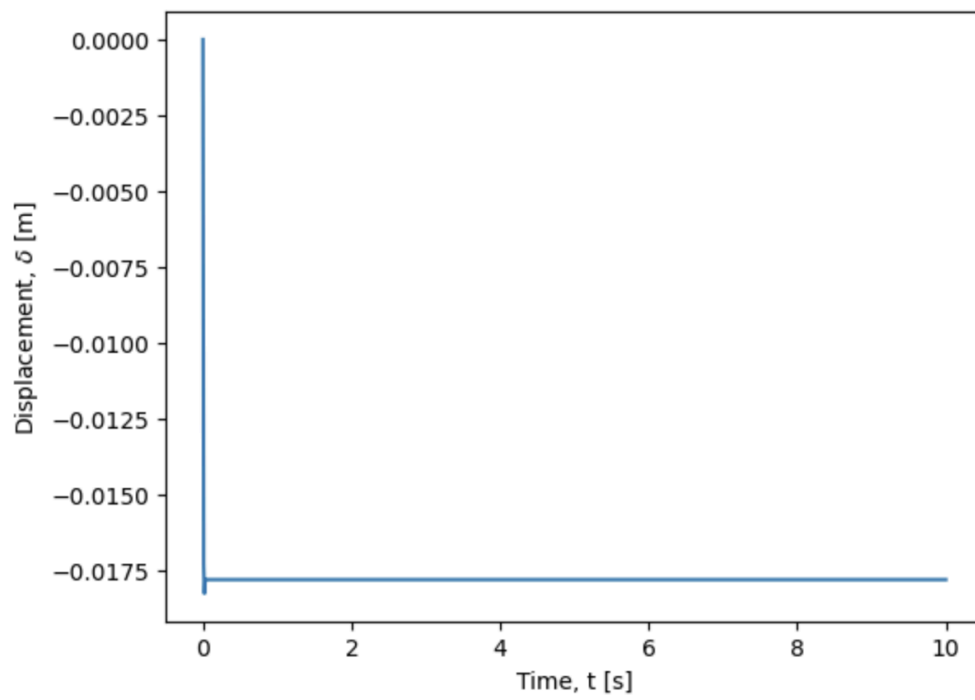
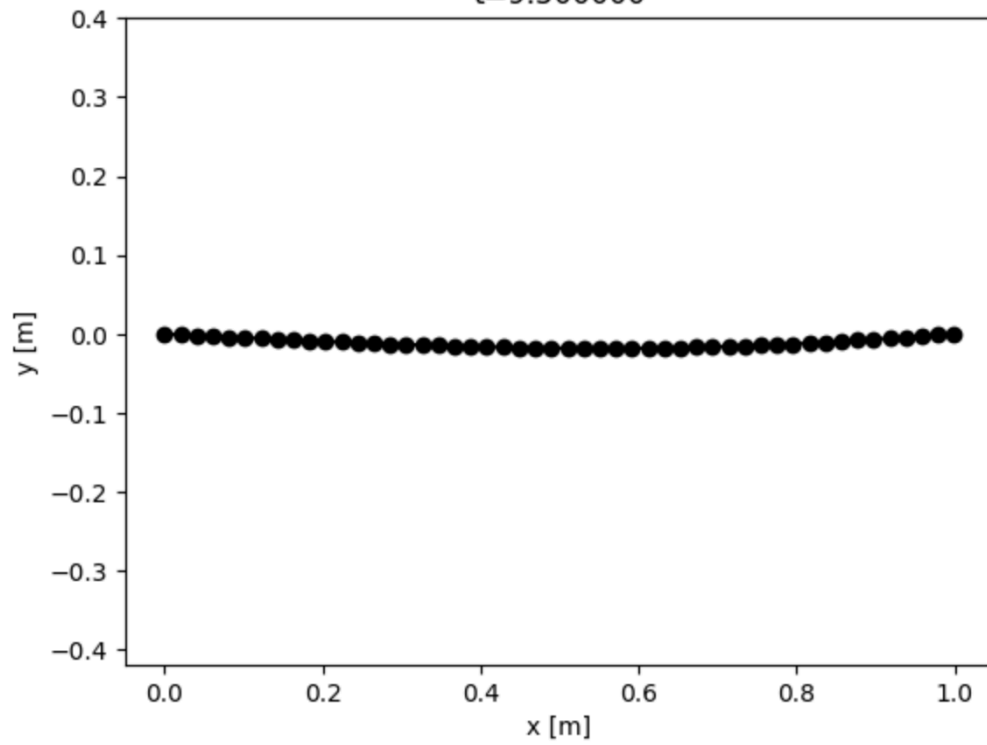


Increasing the number of nodes does not greatly affect the terminal velocity, but decreasing the number does. Once ~17 or so nodes are being used, the results seem to plateau and are generally unaffected.

Problem 3 - Elastic Beam Bending

Load of $P = 2000 \text{ N}$

$t = 9.500000$



- 1) The beam does reach a steady state maximum displacement of around -0.0177 m. The predicted value with the Euler model is -0.0380 m. This is a decent way off.
- 2) When applying a load of 20000 N, my model predicts a maximum displacement of -0.154 m whereas the Euler model predicts a maximum displacement of -0.3804 m.

Load of $P = 20000$ N

