

**Searches for Beyond the Standard Model Phenomena using Events with
Multiple Leptons with the ATLAS Detector at the LHC**

by

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University of California, Berkeley

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David Ren-Hwa Yu

To Ossie Bernosky

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I want to thank my advisor for advising me.

Chapter 1

Introduction

Chapter 2

Physics at the Energy Frontier

In modern parlance, today's particle physics is roughly divided into three disciplines, the frontiers of energy, intensity, and cosmology. The three genres are classifications of experimental techniques: the energy frontier uses particle accelerators to produce new particles in high-energy collisions; the intensity frontier investigates rare processes using intense particle beams; and the cosmic frontier analyzes the contents of the universe, such as the distribution of matter or the cosmic microwave background, to determine the physics responsible for the evolution of the universe from the Big Bang to today. All three frontiers contribute vital discoveries which form the foundation of our understanding of fundamental physics.

The LHC is the current flagship experiment of the energy frontier, with the capability of producing proton-proton collisions with a center-of-mass energy of $\sqrt{s} = 14$ TeV. Accounting for the composite nature of the proton, these collisions give access to phenomena with characteristic energies approximately up to the TeV scale, which couple in some fashion to quarks or gluons. The program of study divides into two categories: confirmation and measurement of the Standard Model, and searches for new phenomena beyond the Standard Model. The former category consists of observation and measurement of the particles and interactions of the Standard Model, especially concerning the top quark and the physics of electroweak symmetry breaking. The latter consists of a diverse array of searches for new particles hypothesized to address deficiencies of the Standard Model. This chapter describes the theories underlying the LHC's exploration of physics at the TeV scale. Emphasis is placed on theories predicting the production of several charged leptons, which are of interest to the analyses described in chapters ?? and ??.

2.1 The Standard Model

Introduction

The Standard Model of particle physics is a theoretical framework describing the dynamics and interactions of the known elementary particles under the electromagnetic, weak, and

strong forces. The theory is a gauge theory describing a wide range of phenomena in the language of Quantum Field Theory. Historically and phenomenologically, it consists of two distinct components: the electroweak sector, describing the electromagnetic and weak forces, and the strong sector, describing the strong force.

The electroweak sector's development began in the 1930s with quantum electrodynamics (QED), culminating in the 1940s with the Nobel Prize-winning work of Tomonaga, Schwinger, and Feynman [**QED**], among others. The theory successfully predicted a number of very precisely measured quantities, including the $g - 2$ of the electron [**g-2**], and the Lamb shift in hydrogen [**bethe-lamb**]. This simple gauge theory was extended to include a description of the weak force over the next twenty years, which successfully predicted the massive W^\pm and Z^0 bosons discovered at CERN in 1983 [**WZ-discovery**]. A key ingredient of the electroweak theory was the introduction of spontaneous symmetry breaking, the mechanism by which the W^\pm and Z bosons could acquire nonzero mass without abandoning the underlying symmetry of the theory. As proposed in 1964, independently by Higgs [**higgs**], Brout and Englert [**brout englert**], and Guralnik, Hagen and Kibble [**ghk**], the symmetry breaking occurred in an extra sector of the theory containing a single quantum field ϕ , which interacted with the electroweak force and had a quartic potential energy expression. Assuming a positive quartic coefficient and a negative quadratic coefficient, the ground state of the theory would have a nonzero value of ϕ , breaking electroweak symmetry. Aside from endowing the W^\pm and Z bosons with mass, the extra quantum field also contributed a massive scalar particle to the theory, now known as the *Higgs boson*, h . Famously, the early phenomenological investigations of the Higgs pointed out that the particle would be extremely difficult to detect:

“We apologize to the experimentalists for having no idea what is the mass of the Higgs boson, unlike the case with charm, and for not being sure of its couplings to other particles, except that they are probably all very small. For these reasons we do not want to encourage big experimental searches for the Higgs boson, but we do feel that people performing experiments vulnerable to the Higgs boson should know how it may turn up.” [**gaillardnanoellis1975**].

Indeed, a generation of experiments passed before the Higgs boson was discovered, 48 years later by the ATLAS and CMS experiments at the LHC [**atlashiggs, cmshiggs**].

The strong sector began as a study of the patterns of hadrons observed in cosmic ray and accelerator experiments. The light hadrons were observed to fall into a two-dimension octuplet pattern in isospin and strangeness space (???), a symmetry dubbed “the eightfold way” by Murray Gell-Mann. In 1963, Gell-Mann and George Zweig independently suggested an origin for this symmetry in hadronic substructure, namely that the hadrons were composite particles formed from three more fundamental particles, now called the up, down, and strange quarks. This model was quickly disrupted by the observation of the spin- $\frac{3}{2}$ Δ^{+++} particle (WHAT ORDER DID THIS HAPPEN IN?), which was composed of three up quarks in the same spin state and therefore would violate Dirac statistics. Han and Nambu, and, independently, Greenberg, proposed an extra quantum number under which the quarks were charged, called *color* and taking on the three discrete values of red, green,

	$Q_L = \begin{pmatrix} u_L \\ d_L \end{pmatrix}$	u_R	d_R	$E_L = \begin{pmatrix} \nu_L \\ e_L \end{pmatrix}$	e_R
$SU(3)_c$	3	3	3	1	1
$SU(2)_L$	2	1	1	2	1
$U(1)_Y$	$\frac{1}{6}$	$\frac{2}{3}$	$-\frac{1}{3}$	$-\frac{1}{2}$	-1

Table 2.1: Matter particles (fermions) of the Standard Model, their representations under $SU(3)_c$ and $SU(2)_L$, and their charges under $U(1)_Y$.

Fermion masses

and blue. This proposal led to the development of the $SU(3)$ gauge theory now known as quantum chromodynamics, which successfully explains the confinement of quarks into the observed spectrum of hadrons.

The Standard Model is now understood as a gauge theory with gauge group $SU(3)_c \times SU(2)_L \times U(1)_Y$, roughly corresponding to the strong, weak, and electromagnetic forces, respectively. Matter particles consist of quarks and leptons. Quarks are charged under the whole gauge group, experiencing both the strong force, which confines them into hadrons, and the electroweak force, responsible for radioactive decays and electromagnetic interactions. Leptons and neutrinos, on the other hand, are charged only under $SU(2)_L \times U(1)_Y$, and therefore exist as unconfined particles which participate in radioactive decays and electromagnetic interactions. Force particles

Particles and Interactions

Particles in the Standard Model are described as excitations of quantum fields, whose properties are defined by their representation under the Lorentz group and the gauge groups associated with the electroweak and strong force. The representations of the Lorentz group are enumerated by the particle's *spin*, $s = \frac{n}{2}$ for $n \in \mathbb{Z}_{\geq 0}$ [**something**]. Particles with integer spin, *bosons*, obey Bose-Einstein statistics, while those with half-integer spin, *fermions*, obey Dirac statistics [**spin-statistics**].

The fermionic content of the Standard Model is summarized in table 2.1. The fermions are organized into three generations, each containing an up-type quark, a down-type quark, a lepton, and a neutrino. The generations are identical except for the particle's masses, which are shown in table ???. The bosonic content of the Standard Model consists of a spin-1 boson for each generator of $SU(3)_c \times SU(2)_L \times U(1)_Y$, yielding eight *gluons* for $SU(3)_c$ and four electroweak gauge bosons for $SU(2)_L \times U(1)_Y$, plus the spin-0 Higgs boson.

Electroweak Gauge Interactions

The Lagrangian describing the interactions of the fermions with the electroweak gauge bosons is:

$$\mathcal{L} = \bar{E}_L(i\mathcal{D})E_L + \bar{e}_R(i\mathcal{D})e_R + \bar{Q}_L(i\mathcal{D})Q_L + \bar{u}_R(i\mathcal{D})u_R + \bar{d}_R(i\mathcal{D})d_R, \quad (2.1)$$

where $\mathcal{D} = \gamma^\mu D_\mu$, and D_μ is the covariant derivative given by:

$$D_\mu = \partial_\mu - igA_\mu^a t^a - ig'YB_\mu. \quad (2.2)$$

g , and g' are the coupling coefficients for $SU(2)_L$ and $U(1)_Y$; A_μ^a , and B_μ are the electroweak gauge fields; and t^a and Y are the generators of $SU(2)_L$ and charge operator of $U(1)_Y$, respectively.

2.2 Beyond the Standard Model

Though quite successful as a description of most observed phenomena in particle physics, the Standard Model is deficient in several ways. Several key observations, mostly from astrophysics, indicate that the theory is incomplete; additionally, the theory has a few unsatisfying constructional aspects which, while not technically inconsistent, suggest that there remains underlying physics to be discovered. Many theories have been proposed to solve these issues, and confronting these theories is a major goal of the ATLAS experiment. This section describes the motivations for physics beyond the Standard Model (BSM), and lists several of the leading BSM theories which can be confronted at the LHC.

Unexplained Phenomena

Phenomena not described by the Standard Model include the following:

- **Neutrino mass:** Due to the lack of right-handed neutrinos and left-handed antineutrinos, neutrinos are massless in the Standard Model. However, observation of neutrino flavor oscillations indicate that at least two of the three neutrinos have nonzero mass. The phenomenon of oscillation was first observed by the Homestake solar electron neutrino detector [2], in the form of a deficit of electron neutrinos detected from the sun. Later experiments observed oscillation among other types of neutrinos and antineutrinos, from a variety of sources including the sun, nuclear reactors, cosmic rays interacting with the atmosphere, and particle accelerators [pdg]. The data imply that the three neutrino mass eigenstates have different masses, with differences given by:

$$|\Delta m_{21}^2| \cong 7.5 \times 10^{-5} \text{ eV}^2 \quad (2.3)$$

$$|\Delta m_{31}^2| \cong 2.5 \times 10^{-3} \text{ eV}^2. \quad (2.4)$$

These relations hold only if at least two of the neutrino masses are nonzero. On the other hand, β -decay experiments and cosmological observations indicate an upper bound on the neutrino mass scale of order $m_{\nu_i} \lesssim \mathcal{O}(0.1-1)$ [Troitzk, CMB/WMAP, Planck].

- **Dark matter:** Astrophysical observations suggest the existence of a large amount of non-Standard Model matter which interacts only gravitationally with baryonic matter. The earliest tension with known physics comes from galactic rotation curves, the distribution of rotational velocities of stars about the galactic center as a function of radius [5]. The rotational velocities $v(r)$ can be compared with the expectation from the observed matter distribution, $\tilde{v}(r) = \sqrt{\frac{M(r)}{r}}$, where $M(r)$ is the observed mass at radius less than r . As shown in figure ??, at large distances from the galactic center, the observed rotation curve behaves like $v(r) \sim \text{constant}$, while the expected rotation curves behaves like $v(r) \sim \frac{1}{\sqrt{r}}$.

At present, the leading explanation for the discrepancy is the presence of a large amount of gravitationally interacting, non-luminous matter in galaxies, known as *dark matter*. The hypothesis is supported by cosmological observations: measurements of anisotropies in the cosmic microwave background (CMB) are sensitive to the relative amounts of baryonic matter (which interacts with photons), dark matter (which does not), and dark energy. A recent combination of CMB measurements gives the following values:

$$\Sigma_c h^2 = 0.1198 \pm 0.0026, \quad (2.5)$$

$$\Sigma_b h^2 = 0.02207 \pm 0.00027, \quad (2.6)$$

$$\Sigma_\Lambda = 0.685^{+0.017}_{-0.016}, \quad (2.7)$$

$$(2.8)$$

where Σ_c and Σ_b are the density parameters for cold dark matter and baryonic matter, respectively, h is the Hubble constant, and Σ_Λ is the cosmological constant.

Many candidates have been proposed as the constituents of dark matter, such as primordial black holes, sterile neutrinos, axions, and weakly interacting dark particles (WIMPs). WIMPs are a particularly interesting candidate for LHC phenomenology: in the so-called “freeze-out” model of dark matter evolution, Σ_c is fixed when dark matter falls out of thermal equilibrium with conventional matter. $\Sigma_c 0.1$ is achieved with $m_\chi \sim \mathcal{O}(100 \text{ GeV})$ and couplings of order $g_X \sim \mathcal{O}(0.1 - 1)$; such a particle could be produced and detected at the LHC.

- **Matter-Antimatter Asymmetry:** The observable universe is made up of matter and photons, with very little antimatter. Astrophysical observations measure the ratio of baryons (minus antibaryons) to photons,

$$\eta \equiv \frac{n_B - n_{\bar{B}}}{n_\gamma}, \quad (2.9)$$

to be in the range $5.7 \leq \eta \times 10^{10} \leq 6.7$ (95% CL) [pdg-bbn]. However, assuming symmetrical initial conditions and conservation of baryon number, the Big Bang would

produce baryons and antibaryons in equal number¹. Due to inefficient annihilation after freeze-out, the present abundances would be $\frac{n_B}{n_\gamma} = \frac{n_{\bar{B}}}{n_\gamma} \approx 10^{-20}$ [**cline**]. The generation of a large baryon-antibaryon asymmetry is known as the *baryogenesis* problem.

Three conditions are necessary for baryogenesis, known as the Sakharov conditions [**sakharov**]: baryon number violation, C - and CP -symmetry violation, and interactions out of thermal equilibrium (i.e. the interaction rate must be slower than the expansion rate of the universe). In principle, the Standard Model possibly satisfies all three conditions: baryon number is violated by electroweak sphalerons [**thooft**], C and CP violation is observed in hadron oscillations and decays [**Kindirect**, **Kdirect**, **B**, **D**], and thermal equilibrium may be lost if the electroweak phase transition is sufficiently first-order [???]. However, baryogenesis of sufficient magnitude has not been demonstrated, in particular due to insufficient CP -violation.

Theoretical Deficiencies

Theoretical deficiencies of the Standard Model include the following:

- **Hierarchy problem:** The hierarchy problem refers to the large discrepancy in strength between the electroweak forces and gravity. Specifically, due to the diagrams shown in figure ??, the quadratic Higgs parameter μ receives quantum corrections proportional to Λ^2 , where Λ is the ultraviolet cutoff of the theory:

$$\Delta\mu^2 = f; aiefz. \quad (2.10)$$

The value of this parameter is known from measurements of the electroweak boson masses (???),

$$\mu^2 = \mu_0^2 + \sum_i \frac{g^2 Y_i^2}{16\pi^2} \Lambda^2 = \lambda v^2 \sim 10^4 \text{GeV}^2. \quad (2.11)$$

If the Standard Model is valid up to the Planck scale, $\Lambda \sim \mathcal{O}(10^{19} \text{GeV})$, then the bare mass parameter, μ_0^2 , and the quantum corrections, $\Delta\mu^2$, must cancel to some 34 orders of magnitude, an unsavory coincidence referred to as *fine tuning*. Turning the problem on its head, if nature is not finely tuned, then the ultraviolet cutoff should be not too far above the electroweak scale, $\Lambda \lesssim 10 \text{ TeV}$ [**pinner**]. The physics responsible for such a cutoff scale could be accessible at the LHC.

- **Free parameters:** The Standard Model contains 19 free parameters. In terms of measurable quantities, these are the 6 quark masses m_{q_i} , 3 lepton masses m_{l_i} , 3 CKM mixing angles θ_{ij} and 1 CKM phase δ , 3 gauge couplings g_i , the QCD vacuum angle θ_{QCD} , the Higgs field vacuum expectation value v , and the Higgs mass, m_h . These

¹Asymmetric initial conditions are also not capable of producing a relic asymmetry due to inflation, which would dilute any initial asymmetry [**cline**].

parameters are measured; their values are not predicted by the theory. It remains unknown why the Yukawa couplings range over six orders of magnitude, for example, nor why the fermions fall into three generations.

- **Strong CP problem:** The strong sector of the Standard Model potentially contains a CP -violating term,

$$\mathcal{L}_\Theta = \bar{\Theta} \frac{\alpha_s}{8\pi} G^{\mu\nu a} \tilde{G}_{\mu\nu}^a, \quad (2.12)$$

where $-\pi \leq \bar{\Theta} \leq \pi$ is the effective Θ parameter after diagonalizing the quark mass matrix, $G_{\mu\nu}^a = \partial_\mu \mathcal{A}_\nu^a - \partial_\nu \mathcal{A}_\mu^a - g_s f^{abc} \mathcal{A}_\mu^b \mathcal{A}_\nu^c$ is the gluon field strength tensor, and $\tilde{G}_{\mu\nu}^a = \epsilon_{\mu\nu\alpha\beta} G^{\alpha\beta a}$ is its dual [pdg-axions]. However, this term is severely constrained by measurements of the neutron dipole moment [1], with a limit of $|\bar{\Theta}| \lesssim 10^{-10}$.

- **Gauge Unification:** The origin of the Standard Model gauge group, $G_{SM} = SU(3)_c \times SU(2)_L \times U(1)_Y$, is not understood. Remarkably, the Standard Model fermion content can be described as a $\mathbf{5}^* \oplus 10$ representation of $SU(5)$, the smallest simple group containing G_{SM} , with all of the Standard Model quantum numbers correctly predicted. Unfortunately, simply augmenting the gauge group to $SU(5)$ leads to an unacceptable rate of proton decay, but deriving G_{SM} from a larger, “unified” gauge group remains a topic of active investigation.

Theories of BSM Physics

This section describes some of the theories that have been proposed to solve the issues raised in section 2.2 and 2.2, focusing on those which the LHC is capable of testing. Particular emphasis is placed on theories producing several charged leptons.

Supersymmetry

The hierarchy problem described in section X motivates the consideration of additional symmetries. Consider again the form of the quadratic divergence:

Xxx

The divergence could be avoided, and the theory rendered technically natural, by introducing scalar partners to the fermions to counteract the divergence, due to the relative (-) sign between scalar and fermion loops:

Diagram and equations

Scalar partners with masses on the TeV scale alleviate the naturalness problem, and could be detected at the LHC.

The forms that such a symmetry could take are quite restricted. In 1967, Coleman and Mandula demonstrated that, under a small set of physically assumptions, the symmetry algebra of the S -matrix must be isomorphic to a direct product of the Poincaré group and an internal symmetry group (i.e. whose generators commute with those of the Poincaré group). This *no-go* theorem appeared to establish that it is impossible to “[combine] space-time

and internal symmetries in any but a trivial way.” However, a loophole was found in 1975, formalized in the theorem of Haag, Lopuszanski, and Sohnius: the Poincaré group can be extended nontrivially in the context of graded Lie algebras, allowing the symmetry generators to be commuting or anticommuting [4]. These so-called “supersymmetries”, first proposed in by Wess and Zumino [6], transform bosons to fermions and vice-versa, and combine nontrivially with the Poincaré group in that the anticommutator of two supersymmetry generators is a spacetime translation.

By itself, supersymmetry predicts a partner for every Standard Model particle with identical mass and quantum numbers, except that the spin differs by $1/2$. The symmetry is assumed to be spontaneously broken at some high mass scale, giving additional mass to the superpartners, to account for the fact that superpartners are not observed. The minimal implementation, called the *minimal supersymmetric Standard Model* (MSSM), contains X free parameters (Y to account for the additional degrees of freedom in the Lagrangian, and Z to account for SUSY breaking), although simplifying assumptions are almost always used to reduce this large parameter space to manageable size.

Supersymmetry solves a number of the shortcomings of the standard model described in section (reference). First, as mentioned above, it provides a boson-fermion symmetry to cancel the quadratic divergence in the Higgs mass. Second, the superpartners are typically assigned an extra quantum number, R-parity, under which the SM particles are neutral, in order to stabilize the proton; this extra symmetry has the consequence of making the lightest superpartner stable, providing a dark matter candidate. Third, the supersymmetry breaking sector contains numerous CP-violating parameters, which could provide the necessary CP violation to explain the matter-antimatter asymmetry in the universe. Finally, the superpartners modify the running of the three gauge couplings such that they approach similar values in the UV, supporting the notion of gauge unification.

Multilepton Production Describe ways to produce many leptons in SUSY.

Extra Generations of Matter

Alternatively, one can consider addressing only the dominant divergence due to the top quark loop. The divergence can be canceled by vector-like partners of the top quark.

Motivations for extra matter in general. In particular, vector-like leptons. Existing limits, especially on chiral fermions.

Neutrino Seesaw

Due to the lack of right-handed neutrinos in the Standard Model, neutrinos are exactly massless. At tree level, a mass term like $m_\nu \bar{\nu}_L \nu_L^c$ would violate $SU(2)_L$ gauge invariance.

²The exact implementation can be derived from the superpotential, where the fields $f(x^\mu)$ are promoted to super fields $F(x^\mu, \theta, \bar{\theta})$, where θ and $\bar{\theta}$ are anticommuting parameters. The integration in the action is augmented from d^4x to $d^4x d\theta d\bar{\theta}$; the familiar action in normal spacetime is regained by performing the partial integral over the anticommuting variables; see [wess-bagger] for more details.

An effective mass term arising perturbatively, e.g. $\frac{Y_{ij}}{v}\phi\phi L_i L_j$, would be a good candidate to explain the small size of neutrino masses due to suppression from the mass scale v , but turns out to be forbidden as well due to the accidental conservation of lepton number, L , and also baryon minus lepton number, $B - L$ [3].

A leading candidate to explain the small but nonzero neutrino masses is the *neutrino seesaw mechanism* [gellmann, ramond, yanagida, 3]. Heavy, sterile neutrinos, N_i , are added to the Standard Model, with both a Majorana mass and Yukawa interactions with the Standard Model neutrinos:

$$\mathcal{L}_N = \frac{1}{2} M_{N_{ij}} \overline{N_i^c} N_j + Y_{ij}^\nu \overline{L_{L_i}} \tilde{\phi} N_j + \text{h.c.} \quad (2.13)$$

The resulting mass matrix takes the form:

$$M_\nu = \begin{pmatrix} 0 & Y^\nu \frac{v}{\sqrt{2}} \\ (Y^\nu)^T \frac{v}{\sqrt{2}} & M_N \end{pmatrix} \quad (2.14)$$

in the basis $\begin{pmatrix} \nu_{L_i} \\ N_j \end{pmatrix}$. If $M_N \gg v$, then diagonalizing the mass matrix gives three eigenstates with light masses, $m_{\nu_{L_i}} \sim \frac{Y v^2}{M_N}$. With $v = 246$ GeV, a light neutrino mass of $m_\nu = 0.1$ eV gives a heavy neutrino mass of:

$$M_N \sim Y \times 10^{15} \text{ GeV}. \quad (2.15)$$

Hence Yukawa couplings of order 1 predict heavy, sterile neutrinos around the GUT scale, while smaller couplings predict a proportionally smaller mass scale. New mass scales accessible at the LHC can be achieved with more complicated models, such as the inverse seesaw model [inverse seesaw], which introduce more mass scales and high powers of the suppression factors.

At tree level, there are three possible implementations of the seesaw mechanism:

- **Type I:** The simplest realization of the seesaw mechanism, at least two sterile neutrinos N_i are introduced as described above. This scenario is not likely to be testable at the LHC, due to the combination of small Yukawa couplings and large sterile neutrino masses required for $\mathcal{O}(0.1 \text{ eV})$ neutrino masses.
- **Type II:** The seesaw mechanism is generated by an $SU(2)_L$ triplet of scalars, Δ , with hypercharge $Y = 2$. This allows the construction of the following Yukawa term:

$$-\mathcal{L} = Y_{ij}^\Delta L_{L_i}^T C \sigma_2 \Delta L_{L_j} + \text{h.c.}, \quad (2.16)$$

where i ranges over the three lepton flavors. Assuming diagonal Yukawa couplings for simplicity, the neutral component of the triplet, Δ^0 , acquires a vacuum expectation value,

$$v_\Delta = \frac{\mu v^2}{\sqrt{2} m_\Delta^2}, \quad (2.17)$$

where m_Δ is the mass term for Δ , $\mu \sim m_\Delta$ is a coefficient of the cubic Higgs- Δ interaction with mass dimension 1, and v is the Standard Model Higgs vacuum expectation value. The light neutrinos acquire mass:

$$m_{\nu_{L_i}} \sim Y_i^\Delta v_\Delta = Y_i^\Delta \frac{\mu v^2}{\sqrt{2} m_\Delta^2}. \quad (2.18)$$

The triplet of scalars can potentially be produced via gauge interactions at the LHC, if their masses are below the TeV scale. The new particle content consists of Δ^0 , Δ^\pm , and $\Delta^{\pm\pm}$. In particular, the decay $\Delta^{\pm\pm} \rightarrow l_i^\pm l_j^\pm$ gives a unique same-sign dilepton signature which is rarely produced in Standard Model processes; additionally, pair production of scalars can give three or more leptons in the final state.

- **Type III:** The seesaw mechanism is generated by at least two $SU(2)_L$ triplets of fermions with hypercharge $Y = 0$,

$$\Sigma = \Sigma^a \sigma^a = \begin{pmatrix} \Sigma^0/\sqrt{2} & \Sigma^+ \\ \Sigma^- & -\Sigma^0/\sqrt{2} \end{pmatrix}. \quad (2.19)$$

The Lagrangian is:

$$\mathcal{L}_\Sigma = Tr[i\bar{\Sigma}\not{D}\Sigma] - \frac{1}{2}Tr[\bar{\Sigma}M_\Sigma\Sigma^c + \bar{\Sigma}^c M_\Sigma^*\Sigma] - \tilde{\phi}^\dagger \bar{\Sigma} \sqrt{2} Y_\Sigma L - \bar{L} \sqrt{s} Y_\Sigma^\dagger \Sigma \tilde{\phi}, \quad (2.20)$$

where $L = (\nu, l)^T$, $\phi = (\phi^+, \phi^0)^T$, $\tilde{\phi} = i\sigma_2 \phi^*$, and $\Sigma^c = C\bar{\Sigma}^T$. Summation over lepton flavor is implicit. The neutral fermion Σ^0 generates the seesaw mechanism in much the same way as in the type I implementation, giving neutrino masses:

$$m_\nu = -v^2 Y_\Sigma^T \cdot M_\Sigma^{-1} \cdot Y_\Sigma \quad (2.21)$$

The heavy fermion triplet is also potentially producable at the LHC via gauge interactions. The specific phenomenology considered for the analysis described in section 6 is described below in section ??.

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Chapter 3

The Experimental Apparatus

3.1 The Large Hadron Collider

The Large Hadron Collider (LHC) is a particle accelerator designed to explore the physics of particles at the energy scale of electroweak symmetry breaking. The accelerator occupies a 26.7 km tunnel beneath the Switzerland-France border near Geneva, which previously housed the Large Electron Positron Collider (LEP). The geography is shown in figure ?? . Protons are accelerated in two counter-rotating beams up to a design momentum of 7 TeV/ c . The beams collide at four interaction points (IPs), shown in figure ?? , where four collider detectors, ATLAS, CMS, LHCb, and ALICE, analyze the remnants of the collisions.

The LHC project was approved in 1994 by the CERN Council, and construction proceeded over the ensuing 14 years. The collider detectors were constructed in parallel, beginning with the excavation of two additional caverns at IP1 and IP5 for the ATLAS and CMS detectors (LHCb and ALICE occupied the existing caverns at IP2 and IP8, which previously housed the DELPHI and L3 LEP experiments). The first beam was circulated on 10 September 2008; however, on 19 September, the LHC sustained severe damage due to an incident stemming from a faulty joint between magnets¹. Repairs took an extra year, and the energy of the beams was reduced to 3.5 – 4 TeV for the first data-taking run, to mitigate the risk of another possible faulty joint.

Proton-proton collisions at a center-of-mass energy of $\sqrt{s} = 7$ TeV commenced in early 2010. The LHC delivered an integrated luminosity of $\int L dt = 48.1 \text{ pb}^{-1}$ to the ATLAS

¹A postmortem analysis implicated a bad splice between the superconducting cables of adjacent magnets as the source of the incident, with a resistance about 10^3 times above specification. The joint melted, and 275 MJ of energy in the magnets dissipated in electric arcs, which vaporized beam pipes and breached the cryogenic vessel containing the magnets. A large amount of liquid helium entered the vacuum vessel and heated rapidly, breaking several vacuum barriers of the cryostats with a force of up to 56 tons. Ultimately, 30 dipoles and 7 quadrupoles were damaged beyond repair, and another 9 dipoles and 7 quadrupoles required repairs; 9 magnet interconnections were destroyed; 26 magnets were pushed down the tunnel; 276 MJ of energy were dissipated in electrical faults and arcs; 6 tons of helium were lost; and 2.8 km of both beam pipes were contaminated with fragments of insulation, with 1 km also contaminated with soot from molten copper and insulation. [1]

detector in 2010, and $\int L dt = 5.46 \text{ fb}^{-1}$ in 2011. In 2012, the collision energy was increased to $\sqrt{s} = 8 \text{ TeV}$, and a dataset of $\int L dt = 22.8 \text{ fb}^{-1}$ was delivered.

Accelerator Parameters

From the experiments' point of view, there are two main parameters to optimize in order to maximize sensitivity to new physics: the collision energy, \sqrt{s} , and the integrated luminosity, $\int L dt$. The collision energy is limited to $\sqrt{s} = 14 \text{ TeV}$ by the bending power of the dipole magnets, which have a field strength of 8.73 T; however, due to the faulty splice design mentioned above, the energy was limited to $\sqrt{s} = 7 - 8 \text{ TeV}$ in Run I.

The optimization of luminosity is somewhat more complicated. The luminosity of the colliding beams is given by:

$$L = \frac{n_b f_r N_1 N_2 \gamma_b}{4\pi \varepsilon_n \beta_*}, \quad (3.1)$$

where n_b is the number of colliding bunch pairs, $f_r = 11245.5 \text{ Hz}$ is the LHC revolution frequency, $N_{1,2}$ are the number of proton in the two beams, γ_b is the relativistic gamma factor, ε_n is the normalized emittance, and β_* is the beta function at the collision point. TALK ABOUT THE LIMITS ON THESE NUMBERS.

In general, a higher integrated luminosity is desired; however, a high number of simultaneous collisions, $\mu = L/n_b$, can degrade the performance of the detectors.

The Accelerator Complex

The LHC itself is the last stage of a 4-part acceleration chain, shown in figure ???. Protons are first produced from hydrogen gas using an electric field to strip the electrons, and then accelerated to 50 MeV in LINAC2, a linear accelerator. The protons reach a momentum of 1.4 GeV/c in the Proton Synchrotron Booster (PSB), 25 GeV/c in the Proton Synchrotron (PS), and 450 GeV/c in the Super Proton Synchrotron (SPS), before being injected into the LHC for acceleration up to the collision energy.

Accelerator Components

The accelerator utilizes two main components to accelerate and steer the beams: radio frequency (RF) cavities, and magnets.

Run I Performance

3.2 The ATLAS Experiment

The ATLAS detector is a large, cylindrical collider detector located at IP1 on the LHC ring (figure ??). The detector measures the energy and momenta of charged and colored particles produced in the collisions provided by the LHC. It consists of several subsystems

occupying a (large volume of space), weighing (x tons). Closest to the interaction region, the inner detector performs momenta measurements of charged particles by tracking their movement through a solenoidal magnetic field (section ??). Past the inner detector solenoid magnet, electromagnetic and hadronic calorimeters measure the energy of electrons, photons, and hadrons. Finally, the muon spectrometer provides additional tracking and particle identification for muons in large toroidal magnetic field.

Magnets

ATLAS relies on two powerful superconducting magnets to bend the trajectories of charged particles, allowing the tracking detectors to provide measurements of their momenta.

Tracking

Calorimetry

Muon System

Data Acquisition

Data Preparation/Performance

Bibliography

- [1] Lucio Rossi. “Superconductivity: its role, its success and its setbacks in the Large Hadron Collider of CERN”. In: *Superconductor Science and Technology* 23.3 (Feb. 2010), p. 034001.

Chapter 4

Event Reconstruction

4.1 Electrons

4.2 Muons

4.3 Tau Leptons

4.4 Jets

B-tagging

4.5 Invisible Particles

Chapter 5

Model Independent Trilepton Search

5.1 Motivation

5.2 Search Strategy

5.3 Background Estimation

Background Composition

Systematic Uncertainties

Background Validation

5.4 Results and Limits

Chapter 6

Trilepton Resonance Search

6.1 Motivation

6.2 Search Strategy

6.3 Backgrounds

Background Composition

Systematic Uncertainties

Background Validation

6.4 Results and Limits

Chapter 7

Conclusion