

One of the very first results of the study of model theoretic logics is a characterization theorem due to Per Lindström. He showed that the classical first order logic is the strongest logic having the following properties

- Being closed under contradictory negation
- Compactness
- Löwenheim-Skolem theorem

also, he showed that first order logic can be characterised as the strongest logic for which the following hold

- Completeness (r.e. axiomatisability)
- Löwenheim-Skolem theorem

The notion of “strength” used here is as follows. A logic \mathbf{L}' is stronger than \mathbf{L} or as strong if every class of structures definable in \mathbf{L} is also definable in \mathbf{L}' .