



Math for the people, by the people.

elementarily equivalent

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**Conventions** *All structures share a common signature; the first-order language  $\mathcal{L}$  is the language determined by that signature.*

**Definition** *The theory of a structure  $\mathcal{M}$ ,  $\text{Th}(\mathcal{M})$ , is the set of all sentences of  $\mathcal{L}$  that are true in  $\mathcal{M}$ .*

**Definition** *Structures  $\mathcal{M}$  and  $\mathcal{N}$  are elementarily equivalent, (in symbols:  $\mathcal{M} \equiv \mathcal{N}$ ) if and only if  $\text{Th}(\mathcal{M}) = \text{Th}(\mathcal{N})$ .*