

## casus irreducibilis

 $\begin{array}{lll} \text{Canonical name} & \text{CasusIrreducibilis} \\ \text{Date of creation} & 2013\text{-}03\text{-}22 \ 15\text{:}21\text{:}00 \\ \text{Last modified on} & 2013\text{-}03\text{-}22 \ 15\text{:}21\text{:}00 \end{array}$ 

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Related topic RadicalExtension Related topic CardanosFormulae

 $Related\ topic \qquad Taking Square Root Algebraically$ 

 $Related\ topic \qquad Eulers Derivation Of The Quartic Formula$ 

Let the polynomial

$$P(x) := x^n + a_1 x^{n-1} + \dots + a_n$$

with complex coefficients  $a_j$  be http://planetmath.org/IrreduciblePolynomial2irreducible, i.e. irreducible in the field  $\mathbb{Q}(a_1,\ldots,a_n)$  of its coefficients. If the equation P(x)=0 can be http://planetmath.org/AlgebraicallySolvablesolved algebraically and if all of its roots are real, then no root may be expressed with the numbers  $a_j$  using mere real http://planetmath.org/NthRootradicals unless the http://planetmath.org/AlgebraicEquationdegree n of the equation is an http://planetmath.org/GeneralAssociativityinteger power of 2.

## References

[1] K. VÄISÄLÄ: Lukuteorian ja korkeamman algebran alkeet. Tiedekirjasto No. 17. Kustannusosakeyhtiö Otava, Helsinki (1950).