



A Hadamard matrix  $H$  is *skew Hadamard* if  $H + H^T = 2I$ .

A collection of skew Hadamard matrices, including at least one example of every order  $n \leq 100$  and also including every equivalence class of order  $\leq 28$ , is available <http://www.rangevoting.org/SkewHad.html> at this web page. It has been conjectured that one exists for every positive order divisible by 4.

Reid and Brown in 1972 showed that there exists a “doubly regular tournament of order  $n$ ” if and only if there exists a skew Hadamard matrix of order  $n+1$ .

## References

- [1] S. Georgiou, C. Koukouvinos, J. Seberry, *Hadamard matrices, orthogonal designs and construction algorithms*, pp. 133-205 in DESIGNS 2002: Further computational and constructive design theory, Kluwer 2003.
- [2] K.B. Reid, E. Brown, *Doubly regular tournaments are equivalent to skew Hadamard matrices*, J. Combinatorial Theory A 12 (1972) 332-338.
- [3] J. Seberry, M. Yamada, *Hadamard matrices, sequences, and block designs*, pp. 431-560 in Contemporary Design Theory, a collection of surveys (J.H. Dinitz & D.R. Stinson eds.), Wiley 1992.