



Math for the people, by the people.

center (rings)

Canonical name	Centerrings
Date of creation	2013-03-22 12:45:29
Last modified on	2013-03-22 12:45:29
Owner	drini (3)
Last modified by	drini (3)
Numerical id	6
Author	drini (3)
Entry type	Definition
Classification	msc 16U70
Synonym	center
Related topic	GroupCentre

If  $A$  is a ring, the center of  $A$ , sometimes denoted  $Z(A)$ , is the set of all elements in  $A$  that commute with all other elements of  $A$ . That is,

$$Z(A) = \{a \in A \mid ax = xa \forall x \in A\}$$

Note that  $0 \in Z(A)$  so the center is non-empty. If we assume that  $A$  is a ring with a multiplicative unity  $1$ , then  $1$  is in the center as well. The center of  $A$  is also a subring of  $A$ .