



Math for the people, by the people.

T-ideal

Canonical name	Tideal
Date of creation	2013-03-22 14:21:12
Last modified on	2013-03-22 14:21:12
Owner	CWoo (3771)
Last modified by	CWoo (3771)
Numerical id	7
Author	CWoo (3771)
Entry type	Definition
Classification	msc 16R10

Let R be a commutative ring and $R\langle X \rangle$ be a free algebra over R on a set X of *non-commuting* variables. A two-sided ideal I of $R\langle X \rangle$ is called a *T-ideal* if $\phi(I) \subseteq I$ for any R -endomorphism ϕ of $R\langle X \rangle$.

For example, let A be a R -algebra. Define $\mathcal{T}(A)$ to be the set of all polynomial identities $f \in R\langle X \rangle$ for A . Then $\mathcal{T}(A)$ is a *T-ideal* of $R\langle X \rangle$. $\mathcal{T}(A)$ is called the *T-ideal of* A .